## **Problem Definition:**

## **Constraint Satisfaction Problem:**

A constraint satisfaction problem(CSP) consists of three components, X, D, and C:

**X** is a set of variables,  $\{X_1, \ldots, X_n\}$ .

**D** is a set of domains,  $\{D_1, \ldots, D_n\}$ , one for each variable.

**C** is a set of constraints that specify allowable combinations of values.

Each domain  $D_i$  consists of a set of allowable values,  $\{v_1, \ldots, v_k\}$  for variable  $X_i$ . Each constraint  $C_i$  consists of a relation between two variables. This type of constraint is called binary constraint

An assignment that does not violate any constraints is called a consistent or legal assignment. A **complete assignment** is one in which every variable is assigned, and a solution to a **CSP** is a **consistent**, **complete assignment**.

A variable in a CSP is **arc-consistent** if every value in its domain satisfies the variable's binary constraints.

 $X_i$  is arc-consistent with respect to another variable  $X_j$  if for every value in the current domain  $D_i$  there is some value in the domain  $D_j$  that satisfies the binary constraint on the arc  $(X, X_j)$ . A network is **arc-consistent** if every variable is arc-consistent with every other variable.

In this problem we need to implement the most popular algorithm for arc consistency named AC-1, AC-2, AC-3, AC4.

## **Experimental Setting(Plan):**

1. A set of constraints which will contain some relations between two variables of the consistency graph. The relations could be,

- 2. We will generate random graph using some python library named NetworkX for different number of nodes (e.g. 10,20,30,40,50)
- 3. For each node, we will consider it as a variable and randomly choose it's domain from a set of integers in a range(e.g.1~100) so that we can test the mathematical relational constraints. For each pair of variable we will choose one or more binary constraint from our constraint list(1).