# VIF (variance in Hatjon Factor)

Independent variable showd not depend on each other

V/F = 1-R2

\* Regularisation

Li Lasso

Le Ridge

Elastionet Regularisation

## (i) Li Lasso

when we have multiple features in data and want to reduce some unrelated fetures from data. While training algorithms.

X, X2 X3 X4 X5 X6 X7 X8 Y

 $\Rightarrow \frac{1}{N} \sum_{i=1}^{N} \left[ h_{o}(x)^{i} - \gamma^{i} \right] + \lambda |s|_{op}|$ 

 $h_{6}(x) = O_{0} + O_{1}x_{1} + O_{2}x_{2} + O_{3}x_{3} + O_{4}x_{4}$   $= O_{0} + 6.54x_{1} + 0.25x_{2} + 0.01x_{3} + 0.10x_{4}$ 

A L2 Ridge Regularisation

To maintain overfitting and under fitting of model

The maintain overfitting and which is a second of the model of the mo

 $L_2 = \frac{1}{n} \sum_{i=1}^{n} \left[ h_0(x_i) - y_i \right] + \lambda \left( slop \right)^2$ 

Relationship of I and slop is inversely propostion.

AT Slop LO YL Slop TO # Elastic net Regusalisation

Combination of Li and Le

EN = \[ \langle \langl

overfitting = low bias High variance

under litting = High vorane /low veriane

= High boas

thre

Binary dussification

 $Z = h_{\theta}(x) = O_0 + O_1 x,$ 

Signoid Function = 1/1+eZ

Cost Function (convax function)
$$J(0_0,0_1) = \frac{1}{n} \sum_{i=1}^{n} (h(x)^i - y^i)^2$$

$$h_0(x) = \sigma \left( \theta_6 + \theta_{1x} \right)$$

$$\sigma = \frac{1}{14e}$$

$$\frac{1}{1+e^{-2}} = \frac{1}{1+e^{-(0_0+0_7)}}$$



Repeat conversion theorem
$$\begin{cases}
J=0 & \text{and } J \\
0j=0j-\alpha + j & \text{(Oo, O, )}\\
0j=\log y & \text{vote}
\end{cases}$$

$$\alpha = \text{learning rate}$$

A logistic Regression - Brown class-  
A Sigmoid function
$$c = \frac{1}{1+e^{Z}}$$