

\* Measure of Dispersion! —

- ① Variance
- ② Standard Deviation
- ③ Range

① Variance

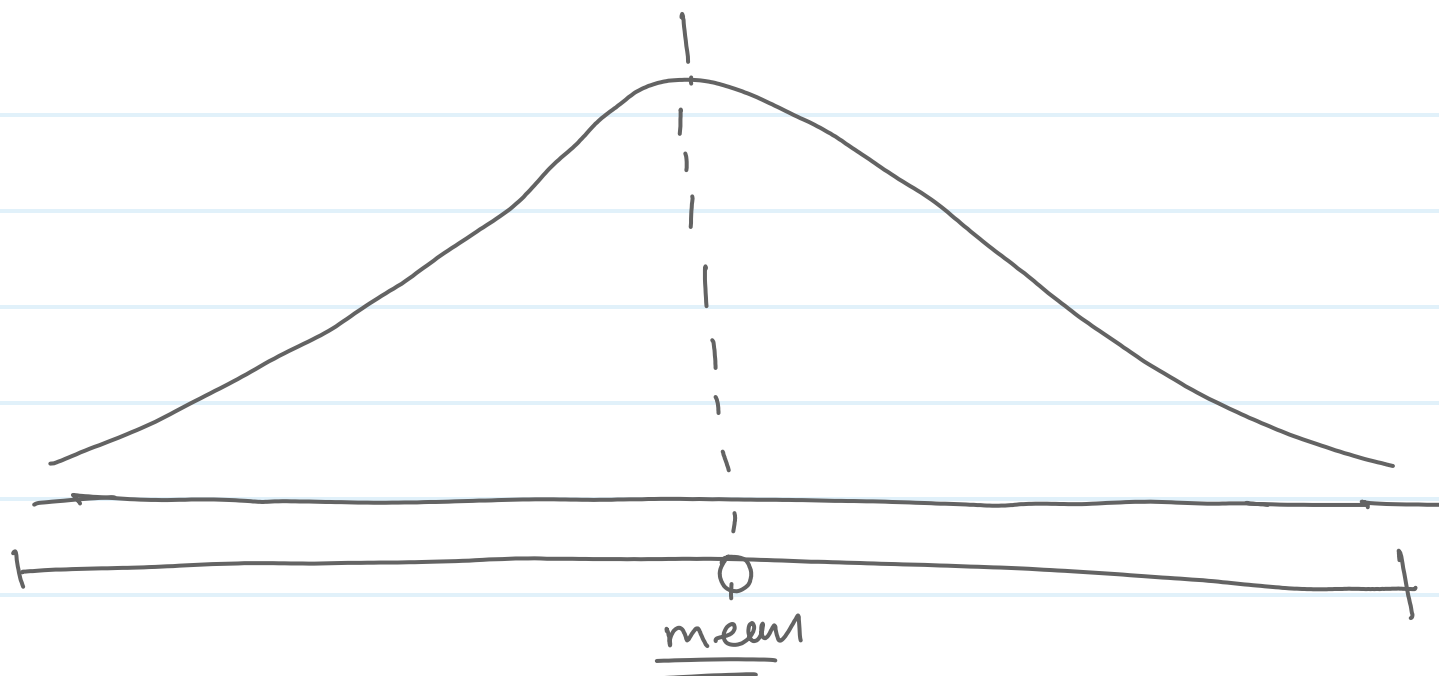
population  $\sigma^2$

Sample  $s^2$

$$\sigma^2 = \frac{1}{N} \sum_{i=1}^n (x_i - \mu)^2$$

$$s^2 = \frac{1}{n-1} \sum_{i=1}^n (x_i - \bar{x})^2$$

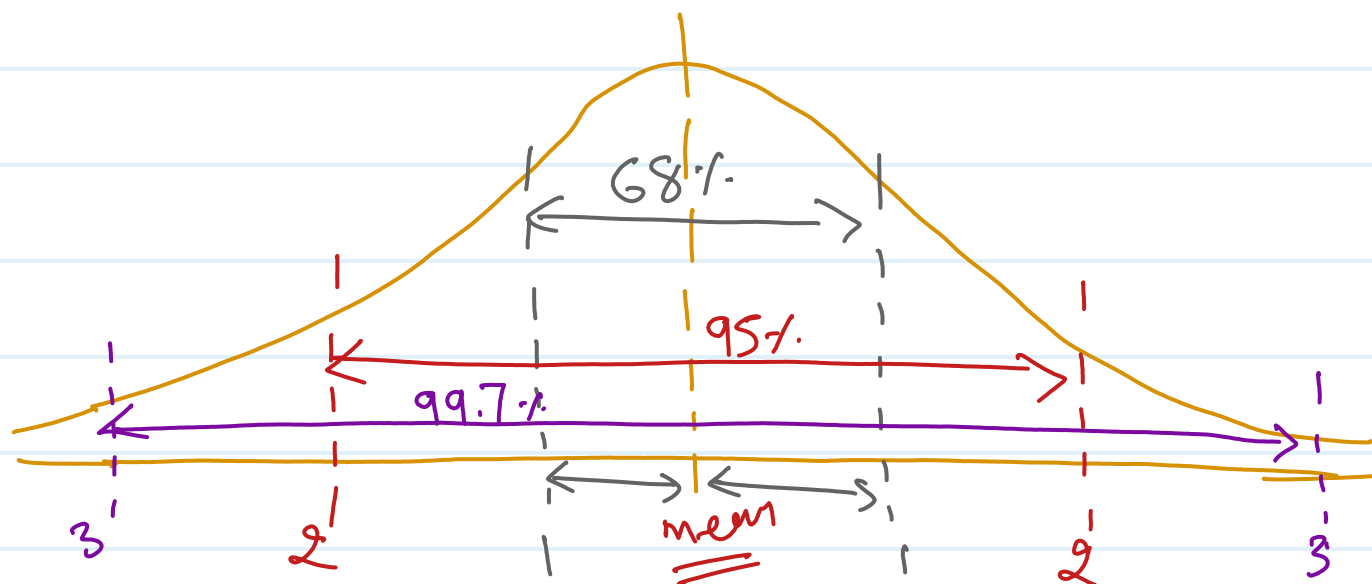
$n-1$  = Degree of freedom



Variance calculate spread of the data from its mean.

② Standard deviation —

It calculate distance from mean about to any particular dataset.



$$\text{population } \sigma = \sqrt{\frac{1}{n} \sum_{i=1}^n (x_i - \mu)^2}$$

$$\text{Sample } s = \sqrt{\frac{1}{n-1} \sum_{i=1}^n (x_i - \bar{x})^2}$$

③ Range :-

[1, 2, 5, 9, 12, 13, 16, 19, 23, 27]

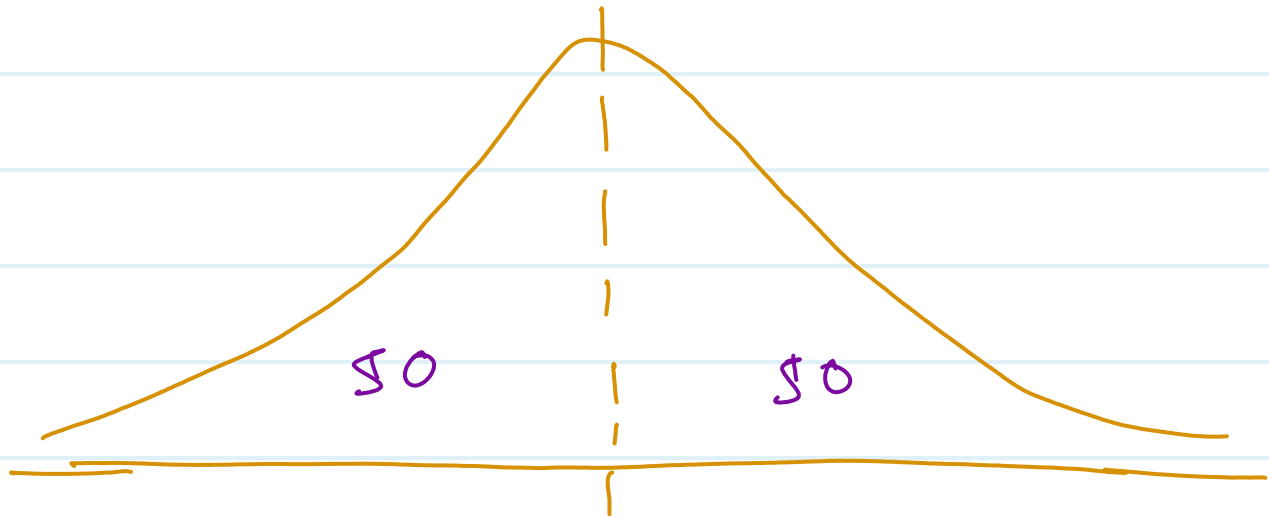
$$\text{min} = 1$$

$$\text{max} = 27$$

$$\begin{aligned} \text{Range} &= \text{max} - \text{min} \\ &= 26 \end{aligned}$$

\* measure of shape

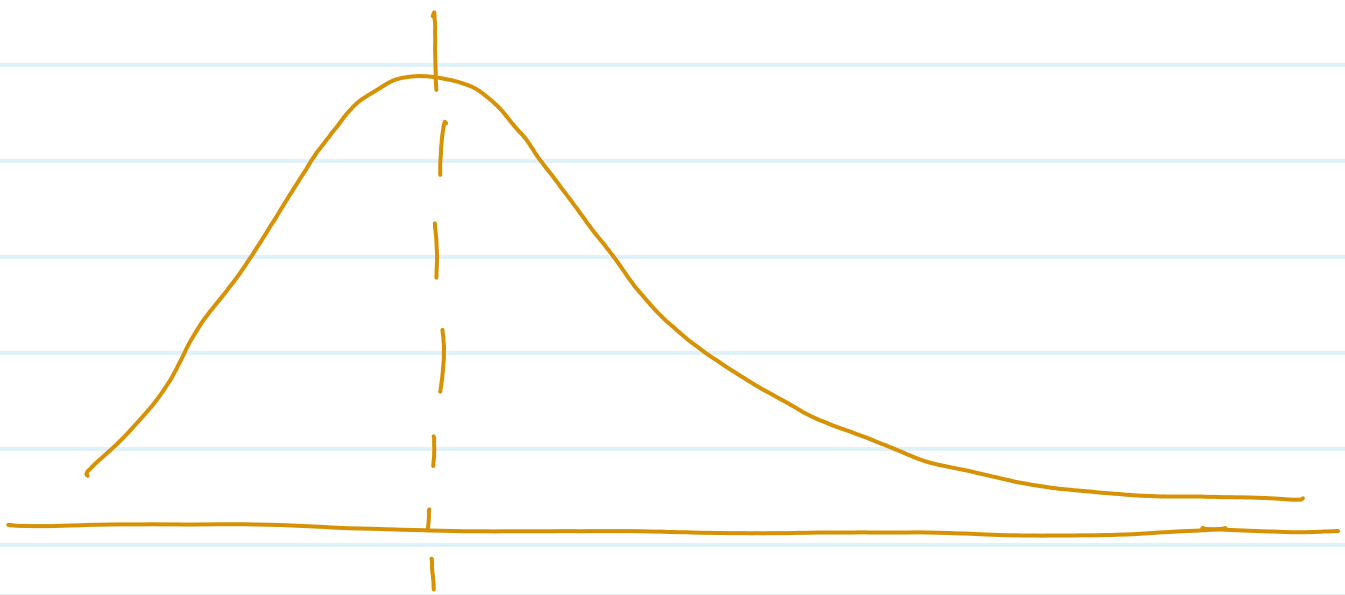
① Distribution curve

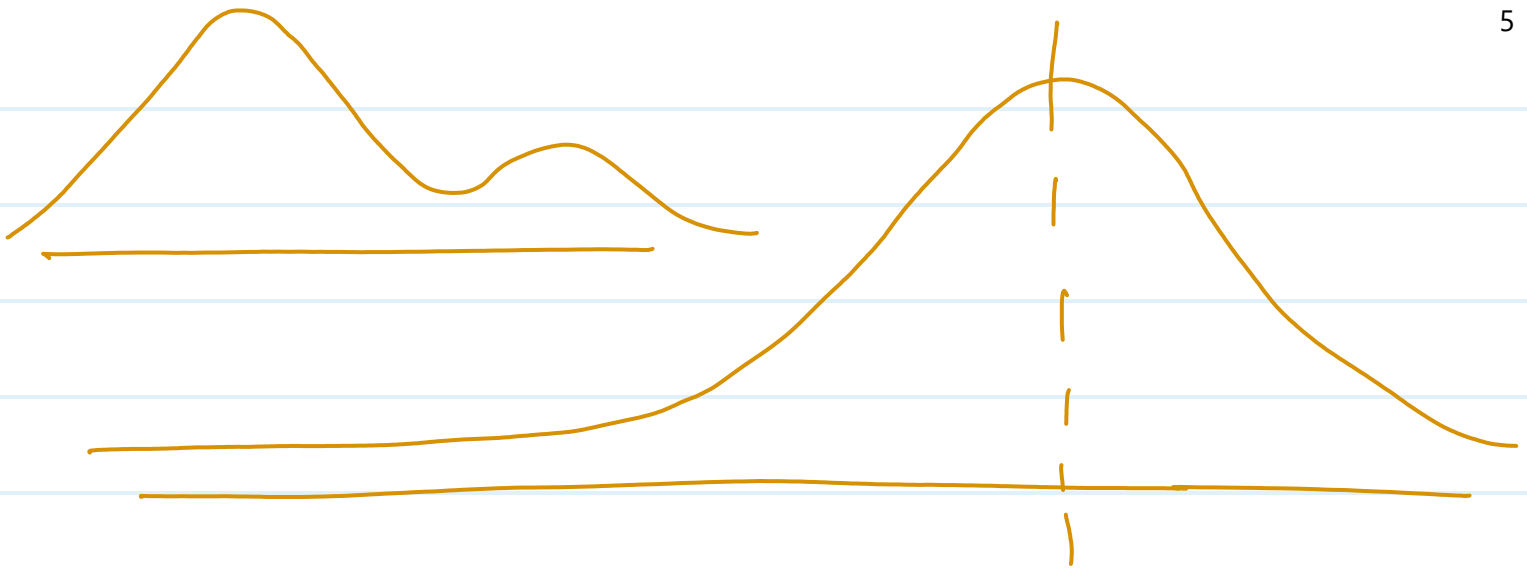


Symmetric

① Symmetric Distribution Curve

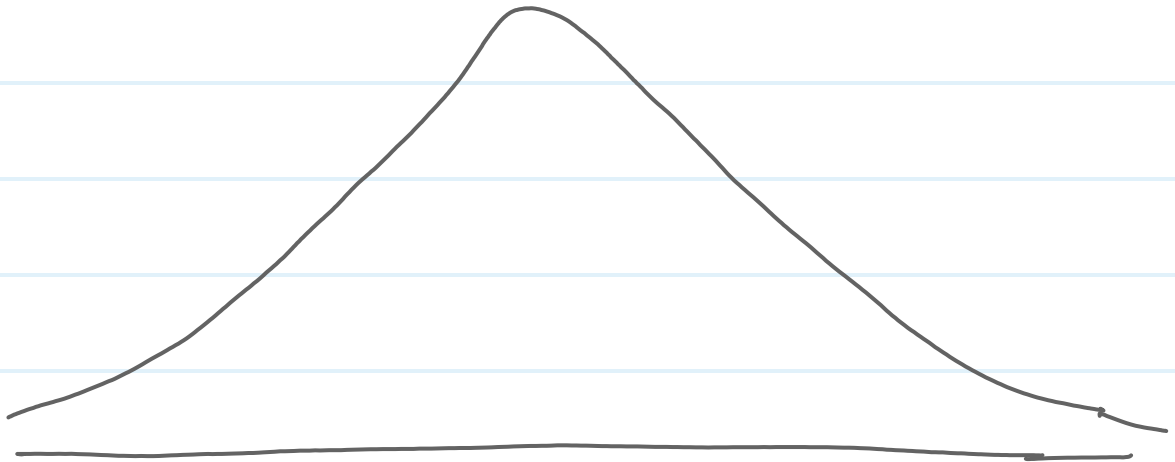
② Asymmetric distribution curve





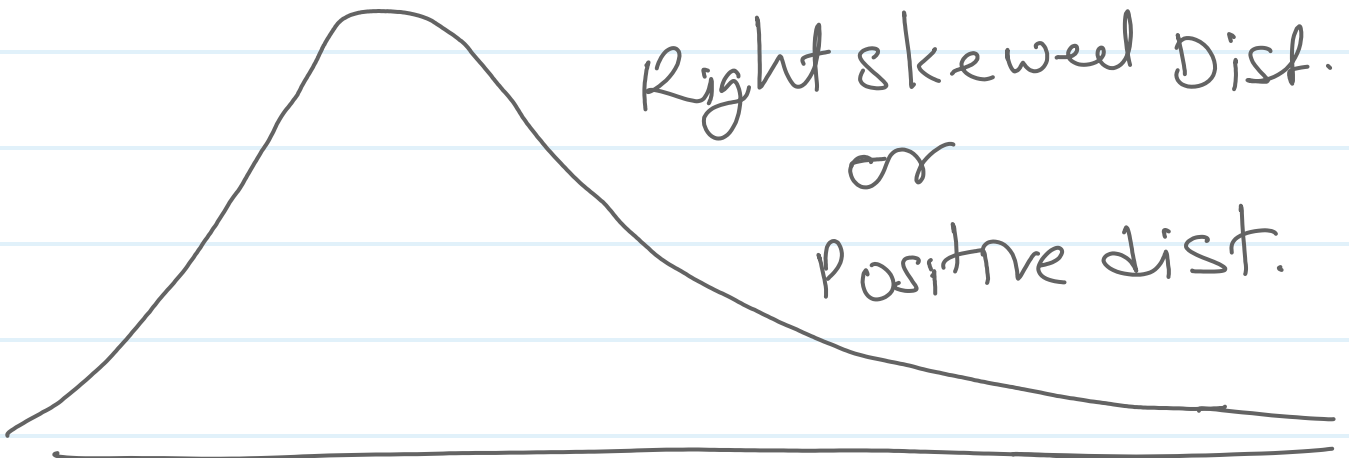
## ② Skewness :-

①



normal distribution

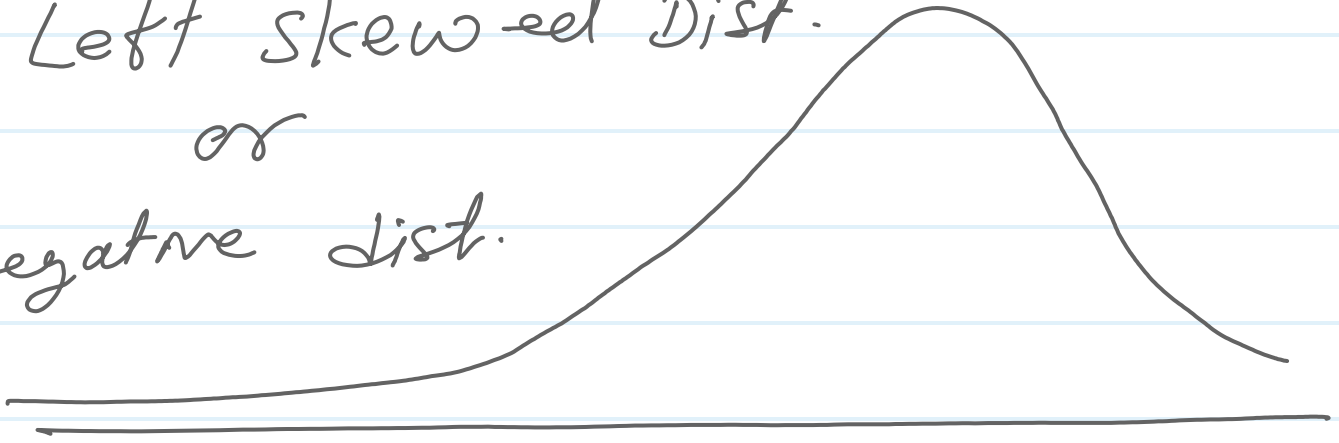
②



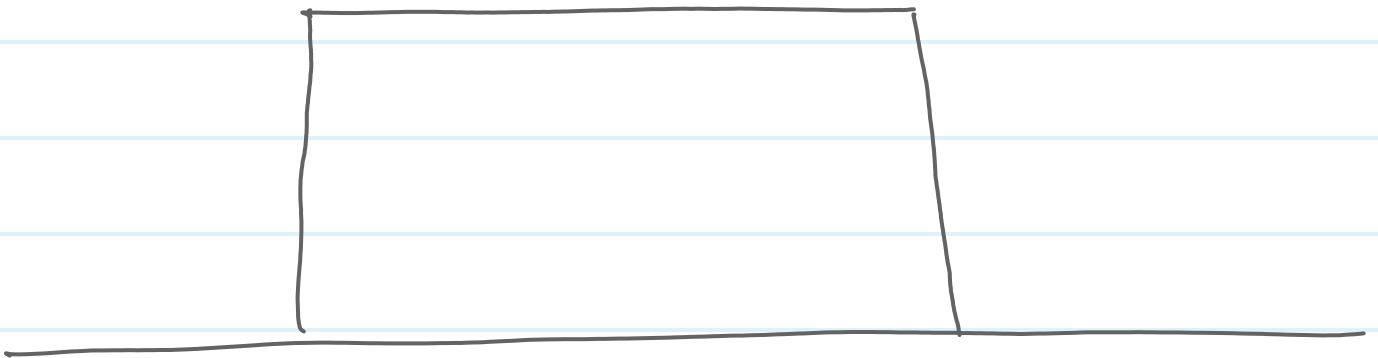
Right skewed Dist.  
or  
Positive dist.

③ Left skewed Dist.

or  
negative dist.



④ uniform dist



\* measure of position

=> kurtosis

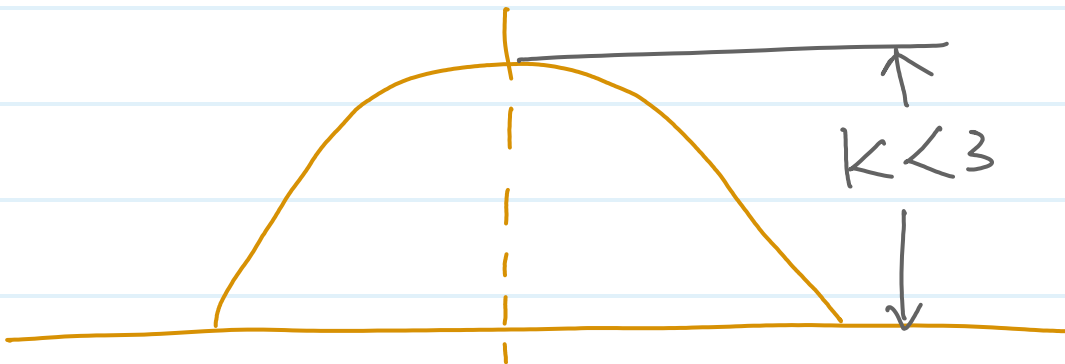
$k = \text{denote}$

① mesokurtosis



normal Dist.

② platykurtosis -  $k < 3$



### ③ Leptokurtosis

$$k > 3$$



### ★ Empirical Rule of Distribution.





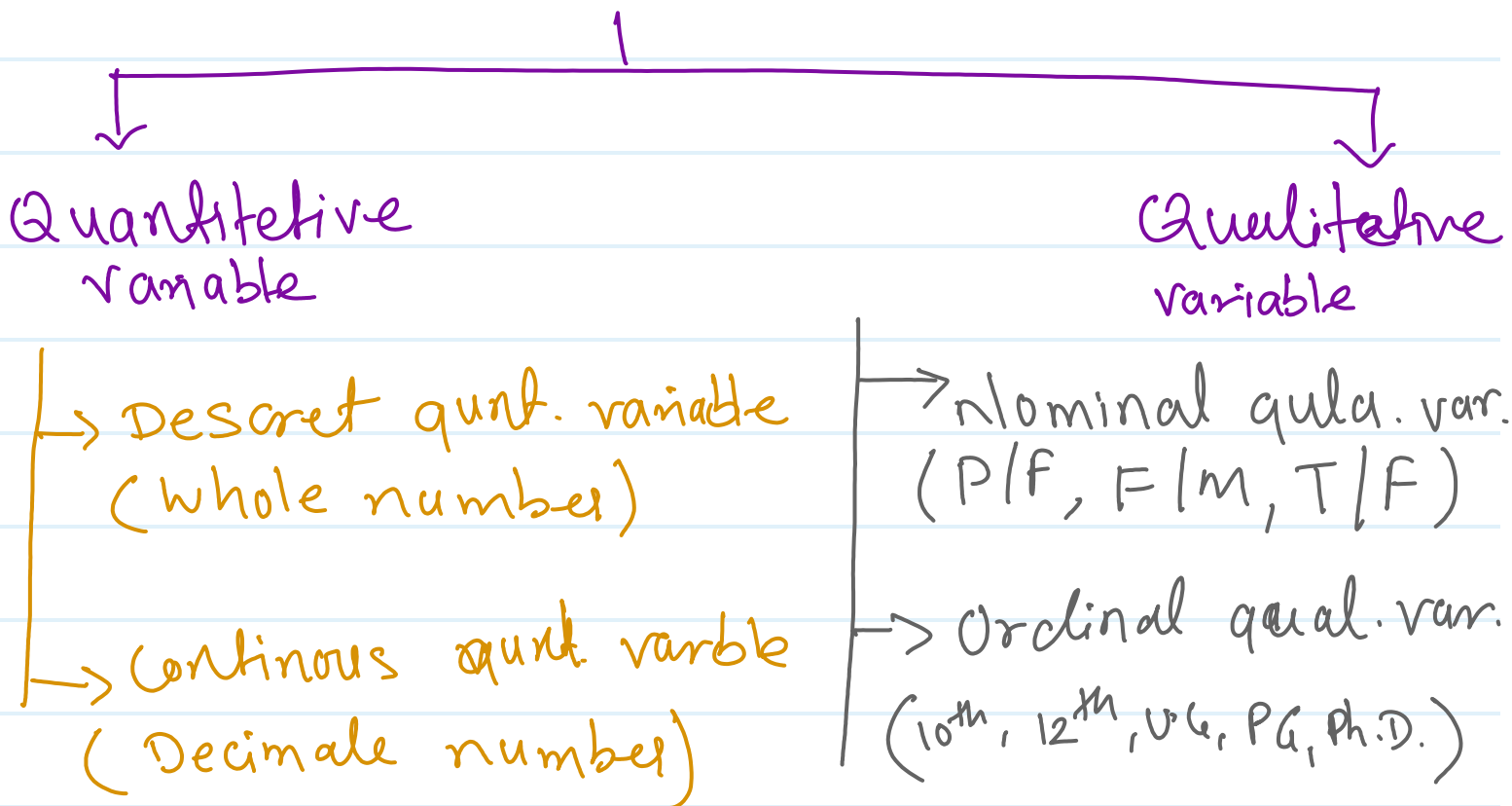
Empirical formula = 68-95-99.5

## \* Variables

It is a container/box which hold value inside it.

$$X = 10$$

### Type of variable



$X_1$	$X_2$	$X_3$	$X_4$	$X_5$
Age	weight	education	Home	Gender
18	40	10 <sup>th</sup>	1	m
19.6	50	ph.D.	2	f
20.8	55.3	Ug	3	f
30.8	75	Ph	1	m
	80.8			