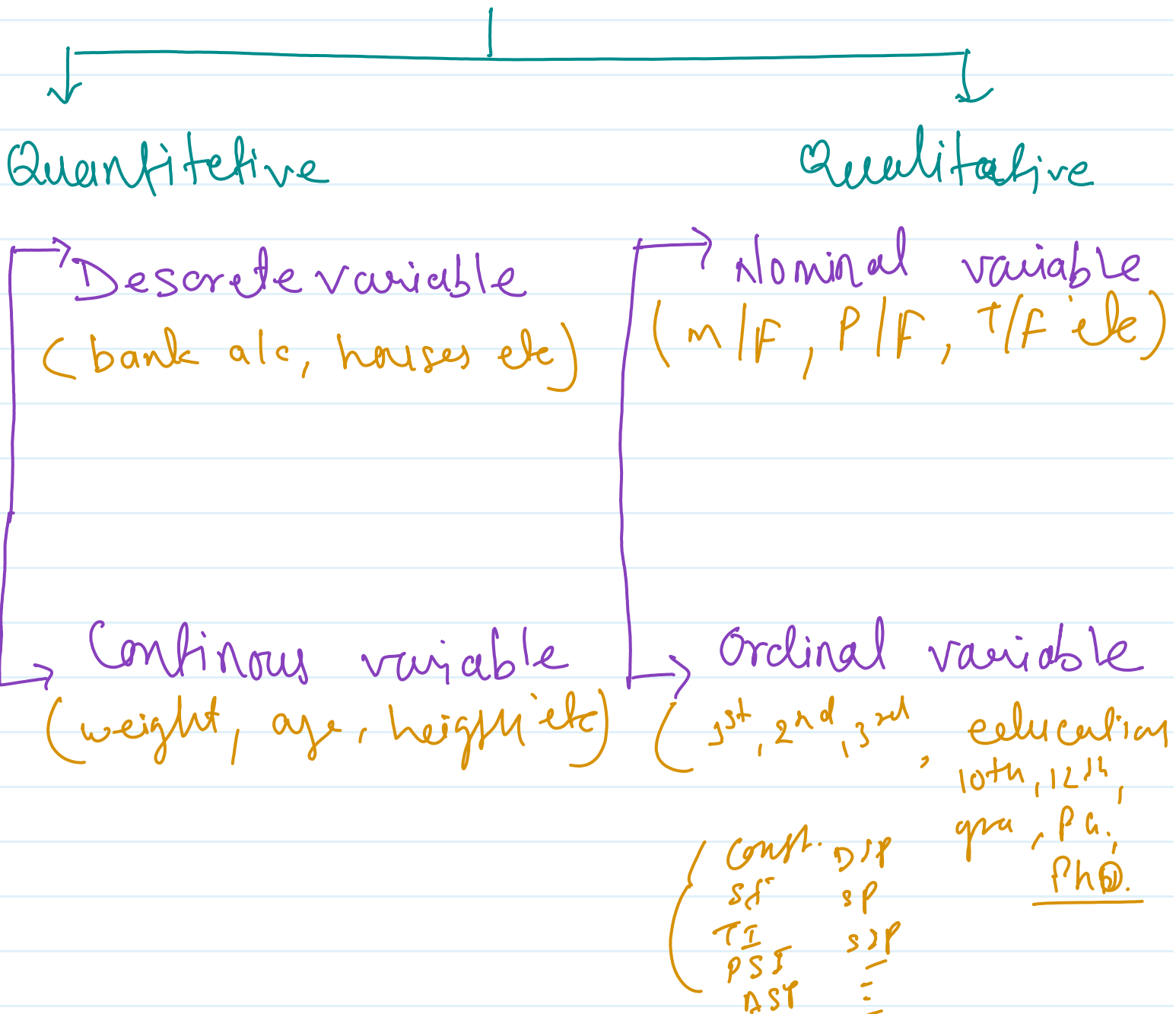


Inferential Stat.

Variable

Type of variable



* Random Variable

Type of Random variable



Discrete Random variable

($y = \text{COM} (H/T)$)

($y = \text{Result} (P/F)$)

($y = \text{Dice} (1 \text{ to } 6)$)

Continuous Random variable -

($y = \text{Temp.}$
33, 39.6, 38)

($y = \text{Height,}$)

($y = \text{Rain,}$

Probability

$$P_{\text{com}} = \frac{\text{Possible no. of outcome}}{\text{Total no. of outcome}}$$

$$P_{(4)} = \frac{1}{2}$$

$$P_{(6)} = \frac{1}{6}$$

Types of Probability

- ① mutually exclusive
- ② non-mutually exclusive

① no. of. outcome possibility single,
(coin, dice)

② when no. of outcome will be
more than one.
(deck of cards,

$$P_{\heartsuit} \Rightarrow \frac{13}{52}$$

$$P_{\text{king } \heartsuit} \Rightarrow \frac{1}{52}$$

* Rules of Probability

(i) Additive probability

(ii) Multiplicative probability

(i) Add. pro. (single experiment)

$$\text{1st} \\ P(A \text{ or } B) = P(A) + P(B)$$

$$P_{\text{one (2 or 5)}} = \frac{1}{6} + \frac{1}{6} \\ = \frac{2}{6}$$

$$P(1 \text{ or } 3 \text{ or } 6) = \frac{1}{6} + \frac{1}{6} + \frac{1}{6} = \frac{3}{6}$$

$$\underline{\text{2nd}} \quad P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$$

$$P(\text{king or ♠}) = \frac{4}{52} + \frac{13}{52} - \frac{1}{52} \checkmark$$

$$= \frac{4}{13}$$

① multiplicative rule

① Independent event:-

$$P(A) \text{ or } P(B) = P(A) \times P(B)$$

$$P(H) \text{ or } P(T) = \frac{1}{2} \times \frac{1}{2} = \frac{1}{4}$$

② Dependent event:-

$$P(A) \text{ or } P(B) = P(A) \times P\left(\frac{B}{A}\right)$$

$$P(J) \text{ and } P(K) = \frac{4}{52} \times \frac{4}{51}$$

$$P(10) \text{ and } P(2) = \frac{4}{52} \times \frac{4}{51} = \frac{4}{663} \checkmark$$

$$P(2) \text{ and } P(6) \text{ and } P(10) = \frac{4}{52} \times \frac{4}{51} \times \frac{4}{50}$$

$$=$$

* Probability Distribution

i) Discrete pro Dist.

ii) Continuous pro Dist.

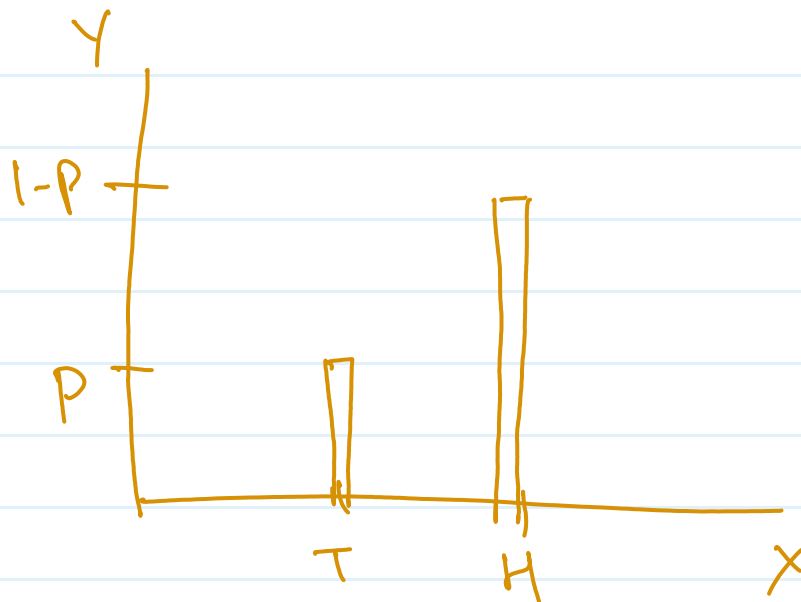
① Discrete pro. Dist.

① Bernoulli's Dist.

no. of experiment = 1

fix no of outcome = 2

formula = P \Rightarrow Pass
 = $1 - P$ \Rightarrow fail



② Binomial Dist.

no. of experiment = n no. of experiment

fix no. of outcome = 1

P
 $1-P$



③ Poisson Dist.

eg!:-

$$P(X=x) = \frac{e^{-\lambda} \lambda^x}{x!}$$

λ = is the Avg. no of time the event has occurred in a certain period

x = is no. of event in that time interval

e = is the euler's num

$$e = 2.718$$