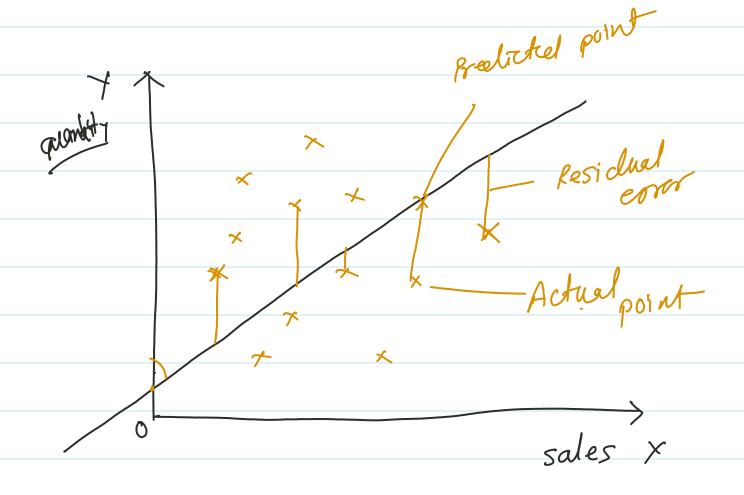
* Linear Regression

$$y = mx + c$$

$$m = slop \text{ or coeff.}$$

$$x = slop \text{ or coeff.}$$



Residual essos (y- ŷ)

To Find best fit line with minimal esson.

$$\gamma = m_X + c$$

$$h_0(x) = \hat{\chi}$$

single mean Regr.

$$h_{\mathcal{O}}(x) = \dot{\mathcal{O}}_{o} + \dot{\mathcal{O}}_{i} x$$

multipoint linear Regress

$$h_{\mathcal{G}}(x) = \Theta_0 + \Theta_1 x_1 + \Theta_2 x_2 + - - - -$$

+Onxn

$$\Theta_0 = 0$$

$$\hat{y} = 0 + (0.5) \times 1 = 0.5$$

$$\hat{\chi} = O + (0.5) \times 2 =) 1$$

$$\gamma = 0 + (0.5) \times 3 = 1.5$$

Cost function =

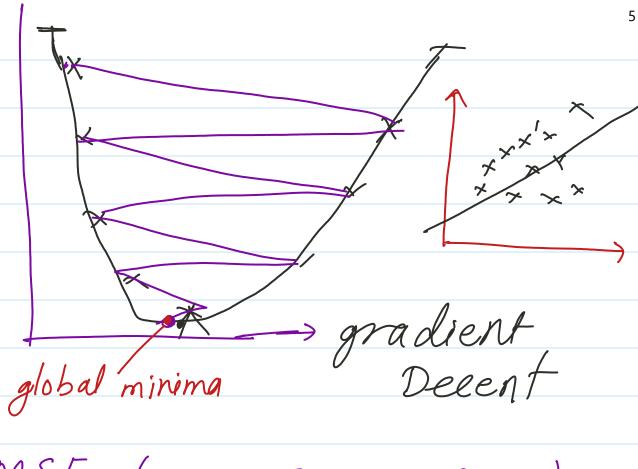
$$J \times J(0_0,0,1)$$
 $J(0_0,0,1) = \frac{1}{m} \sum_{i=1}^{m} (ho(x) - y)^2$

Repeat convergen theorem $O_j = O_j - \propto \frac{1}{2} \left(J(O_j) \right)$

2 = learning rate 6.05, 6.01

 $O_0 = O_0 - \alpha \frac{1}{m} \sum_{i=1}^{m} (h_0(x)^i - \gamma^i)$

 $\Phi_{i} = \Theta_{i} - \alpha \frac{1}{m} \sum_{j=1}^{m} (h_{0}(x_{j}^{i} - y_{j}^{i})x_{j}^{i}$



1) MSE (mean square esser)

2) RMSE (Root mean square esror)

3 mat (mean Absolute esses)

OMSE

global minima It create

$$RMSE = \sqrt{\frac{1}{n} \sum_{i=1}^{n} \left[\sum_{i=1}^{n} y - (o_0 + O_i x) \right]^2}$$

It is not robust to outlier. Creeke local moning

3 mAE

$$mAE = \frac{1}{n} \sum_{i=1}^{n} |\gamma - \hat{\chi}|$$

pros. Robust to outles.

Cons. - It take usually more time to optimation.

& perfernance matrix

12° statistics -)

$$R^2 = I - \frac{RSS}{TSS}$$

RSS = Sum of squ. of residuals

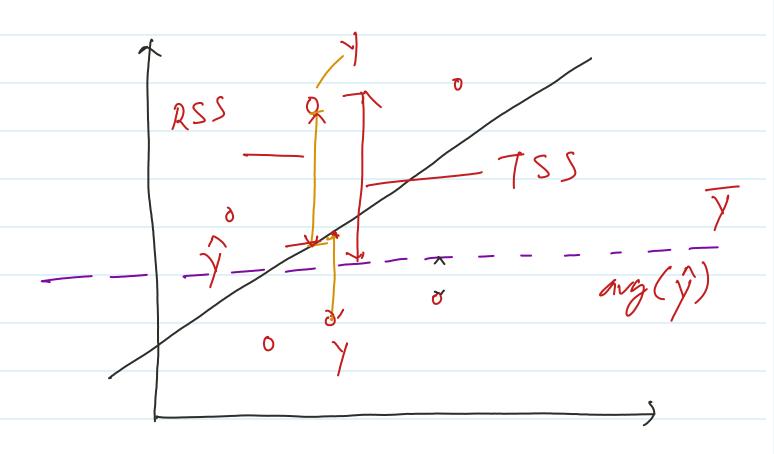
TSS = Total sum of squ.

Rss = Dist. b/w y and \hat{y}

TSS = Dist. b/w y and avg(q)

 $RSS = \sum (\gamma - \hat{\gamma})^2$

 $TSS = \sum (y - \overline{y})^2$



Adjusted R- statestics

Adjusted R- statestics $Adj R^2 = 1 - \frac{(1-R)^2(N-1)}{N-D-1}$

N = number of datapoint in dataset P = number of independent variable

overfilling and undesfitting & ovestitting high variance 96-1. low 67aseel => Treun =) Test = 50-/. understing low varane 501. =) Train high brased =) Test 40-1. 90% 6 trans 4 test 8 9 10

Best Fit model

low variance low brased

Important Assumption of LR

- There should be linear relationship blw dependent and independent vanable.
 - 2) Esson term avent suppose to co-related.
 - 3) Ind. variable (x) and residual error should be uncosseluted.
 - 3 No-multicolneauty

RL



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