

1. Yes, a PPT adversary A satisfies the requirement that the number of queries it makes to the encryption oracle is bounded by a polynomial function $q(n)$. We bound the adversaries: $\text{pr}[A \text{ succeeds}] \leq \frac{1}{2} + \frac{q(n)}{2^n}$

$q(n)$ is polynomial and 2^n grows exponentially making the advantage negligible. If the adversary were allowed an exponential number of queries, the encryption is insecure.

2. Since r is chosen uniformly at random $\{0, 1\}^{128}$, there are: 2^{128} , that would be the possible ciphertexts for a single plaintext message and a fixed key.
It is not considered deterministic because different runs of encryption with the same plaintext and key will result in different ciphertexts due to the randomness in r .
3. The state $st = \langle s, IV, i \rangle$ in the stream cipher construction 3.30 requires representing $n + n + \log_2(n)$ bits. Since $n = 128$, the total number of bits required is $128 + 128 + \log_2(128)$.
So the $|st| = 128 + 128 + 7 = 263$ bits.
4. Alice sends the following messages to Bob: $m_1 = 1000$ bits, $m_2 = 2000$ bits, and $m_3 = 3000$ bits. Since stream ciphers do not expand message size, the ciphertext sizes remain the same as the plaintext sizes. Total ciphertext length = $1000 + 2000 + 3000 = 6000$ bits.
5. We have m_1 and m_2 in two blocks with a block size of 256 bits. To encrypt the messages with the same key using CBC is as follows:
 - a. $m_1 \text{ XOR } IV$
 - b. The result will be the ciphertext c_1 and the size will be the same as the block size of 256 bits
 - c. $m_2 \text{ XOR } c_1$ before encryption.
 - d. The result will be the ciphertext c_2 and the size will be the same as the block size of 256 bits
 - e. Thus, the size of the ciphertext for the message M consists of m_1 , and m_2 will be multiplied by block size, 2×256 bits.
 - f. Finally, the ciphertext size for the given scenario is 512 bits.