Using **Computational Thinking** to foster learning curiosity

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MathWorks

Computational Thinking

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"Computational Thinking is the **thought processes** involved in **formulating problems and their solutions** … in a form that can be effectively **carried out by an information-processing agent**."

- Cuny, Snyder, Wing

Characteristics of Computational Thinking:

Decomposition

Break 1 complex problem into a collection of smaller/simpler problems

Abstraction

Mathematical modelling
- Symbolic representation
- Block diagrams

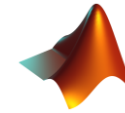**Algorithms + Automation**

Formulating solution as a series of steps

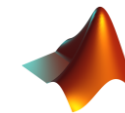Transforming between Modelling paradigms

Simulation

What happens when ?

Characteristics of Computational Thinking:

How does **MATLAB** support Computational Thinking ?

Decomposition

Break 1 complex problem into a collection of smaller/simpler problems

Centralize
- Narration
- Rationale
- Implementation

Abstraction

Mathematical modelling
- Symbolic representation
- Block diagrams

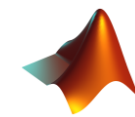**Algorithms + Automation**

Formulating solution as a series of steps

Transforming between Modelling paradigms

Makes it easy to do this

Simulation

What happens when ?

Characteristics of Computational Thinking:

How does this foster **curiosity** ?

Decomposition

Break 1 complex problem into a collection of smaller/simpler problems

Abstraction

Mathematical modelling
- Symbolic representation
- Block diagrams

Centralize:
- Narration
- Rationale
- Implementation
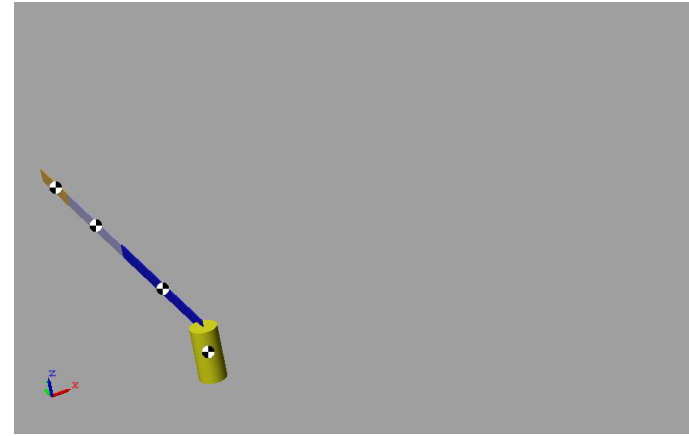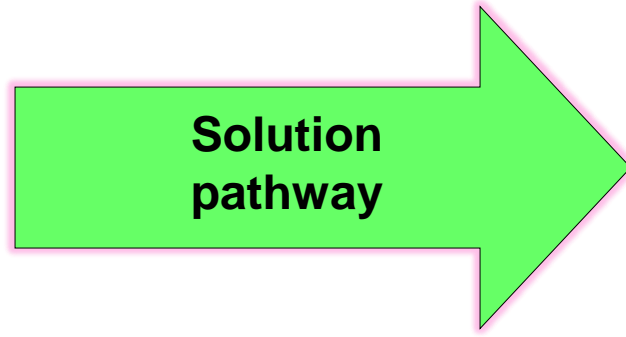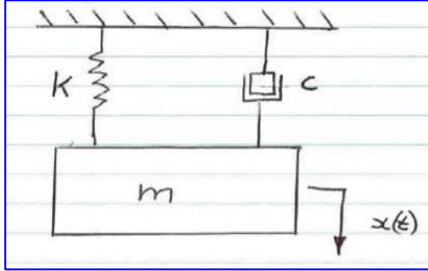
Tedium is reduced.

Spend more time thinking about the core science.

There is a pathway from small to big problems

Algorithms + Automation

Formulating solution as a series of steps

Transforming between Modelling paradigms

Makes it easy to do this

Simulation

What happens when ?

Today's case study:

From **this**

Solution pathway

To **this**

Motivate me.

Decomposition	Abstraction (Model Building)	Algorithms + Automation	Simulation

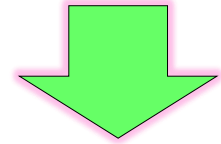# Computational Thinking

Demo these concepts

Using Computational Thinking and **MATLAB** to foster learning curiosity

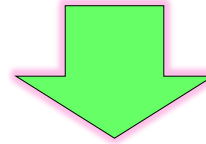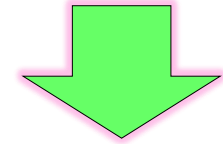| **Centralization of thought process**	**Tedium busters**	**Modelling Choices**

MATLAB
Live scripts

```
>> diff()

>> matlabFunctionBlock()
```

$$\texttt{our\_EOM(t)} =$$

$$m\frac{\partial^2}{\partial t^2}x(t) + k\,x(t) = F - b\frac{\partial}{\partial t}x(t)$$

Explore the dynamics of a 4-dof Robotic manipulator

In this example we're going to derive and then implement the equations of motion for a 4-dof robotic manipulator. Specifically we're going to derive the equations of motion using's **Lagrange's method**. The system that we're going to explore is shown below. At each joint we have:

- τ_m : Actuation torques (eg: by electric motors)
- $b.\dot{\theta}$: Viscous damping torques

The system equation of motion that we'll be deriving has the following general form:

$$M(q,\dot{q}).\ddot{q} \; + \; C(q,\dot{q}).\dot{q} \; + \; K(q).q \; + \; g(q) = Q(\tau,\dot{q})$$

Background:

In last week's class we practiced applying Lagrange's equation to a Spring Mass Damper (SMD) system. Today we're going to follow exactly the same process as the SMD case, ie:

1. Define Model Parameters
2. Apply the governing physics
3. Apply Lagrange's equation
4. Isolate our expression for M, C, K, g, Q
5. Convert our Analytical expression for M, C, K, g, Q into a Simulink block
6. Simulate of model this dynamic system

Euler-Lagrange equations:

The Euler-Lagrange formula will be used to derive the equations of motion for our robotic manipulator, and it has the form:
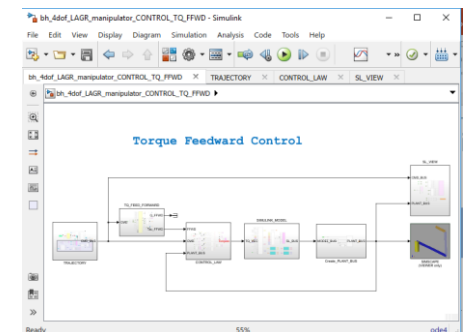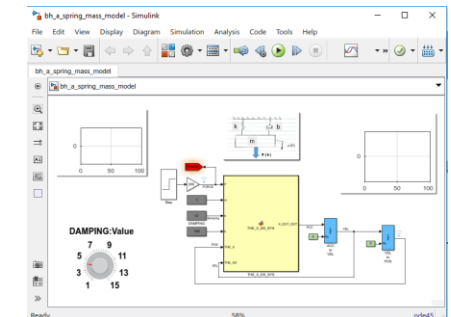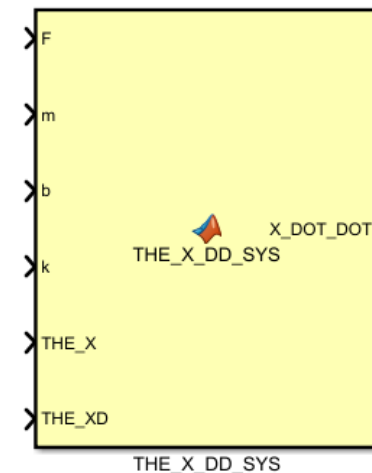
$$\frac{d}{dt}\frac{\partial L}{\partial \dot{q}_k} - \frac{\partial L}{\partial q_k} = Q_k \quad \text{for} \quad k = 1, 2, ..., n$$

where n is the DOF of the system, $\{q_1, q_2, ..., q_n\}$ is a set of generalized coordinates, $\{Q_1, Q_2, ..., Q_n\}$ is the set of generalized forces associated with those coordinates, and the Lagrangian: $L = T - V$, is defined as the difference between the kinetic and potential energy of the n- DOF system. The Generalised forces can also be defined in terms

$$g(t) \; = \; \sin\big(z(t)\big)^2$$

$$dg\_dt(t) \; =$$

$$2\cos\big(z(t)\big)\sin\big(z(t)\big)\frac{\partial}{\partial t}z(t)$$
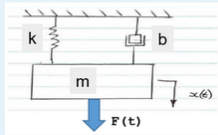
Student's desires:

- How does what I already know:
  - Extend to NEW things
  - **Scale from simple to complex things**
- I do NOT want to do boring things

Professor's desires:

- I do want my students to:
  - focus on the science/engineering
  - Think, explore, build

Solution pathway

How is Computational Thinking Introduced ?

Computational Thinking

Do students just "pick up" computational thinking?
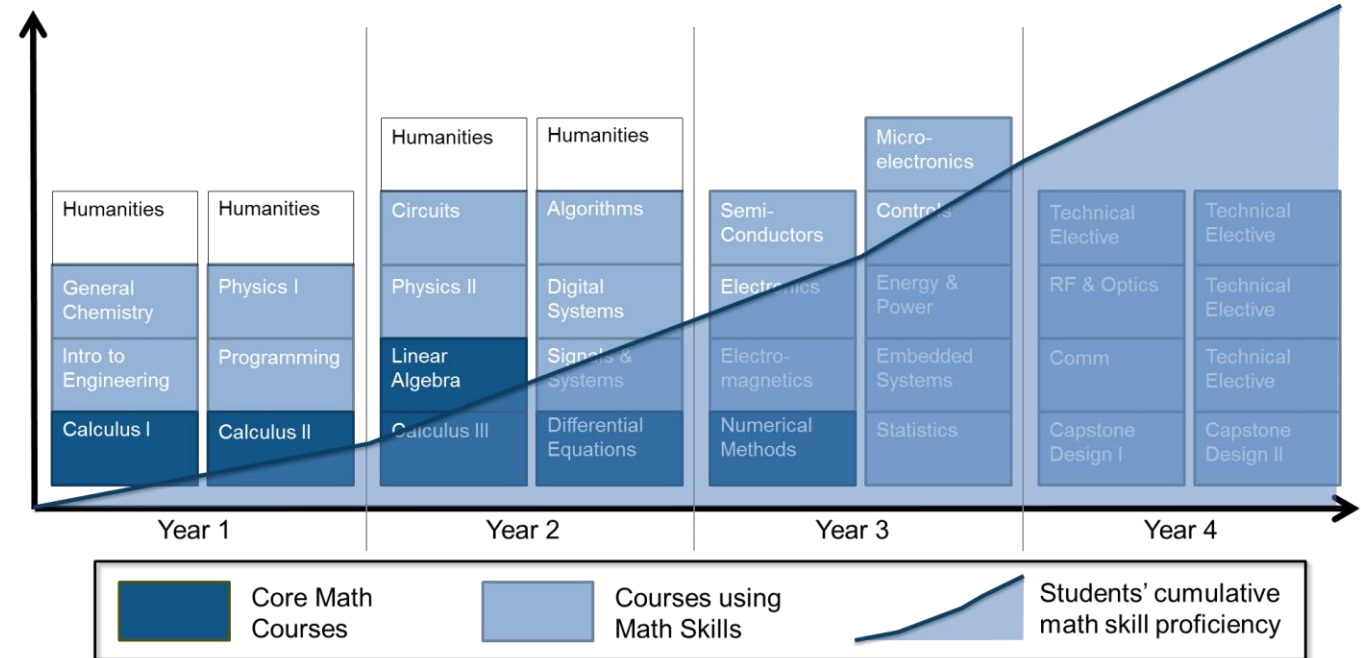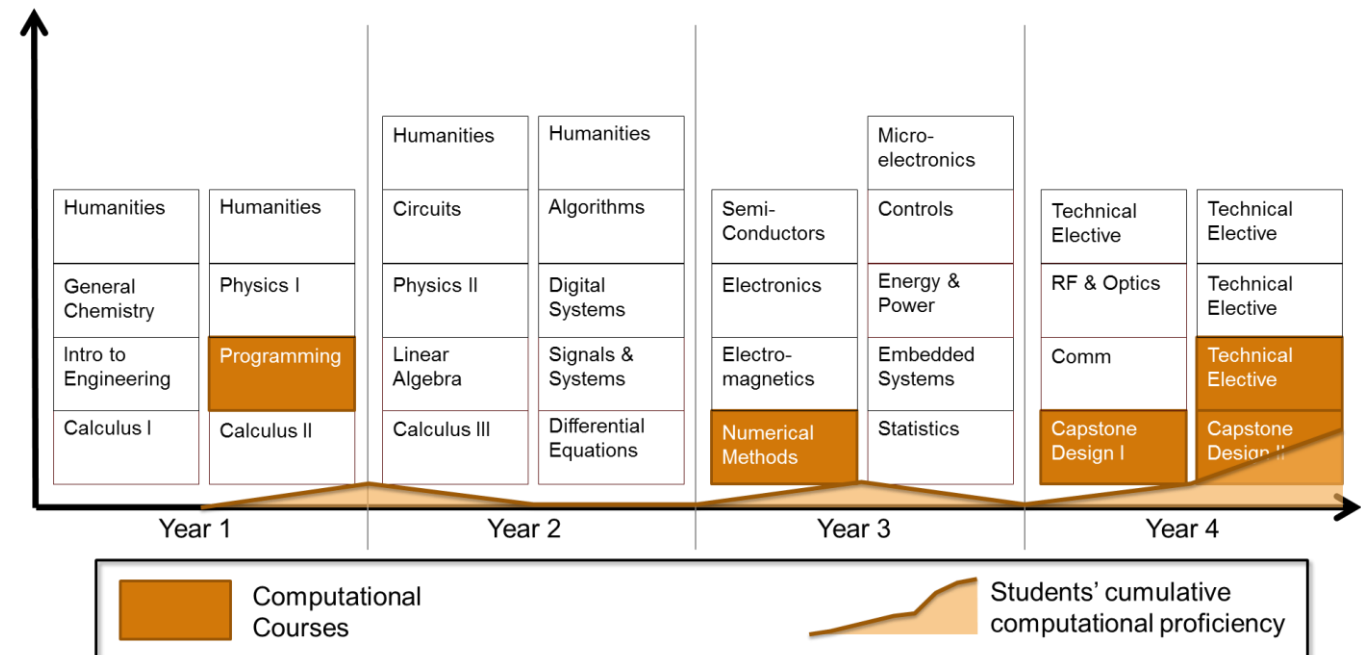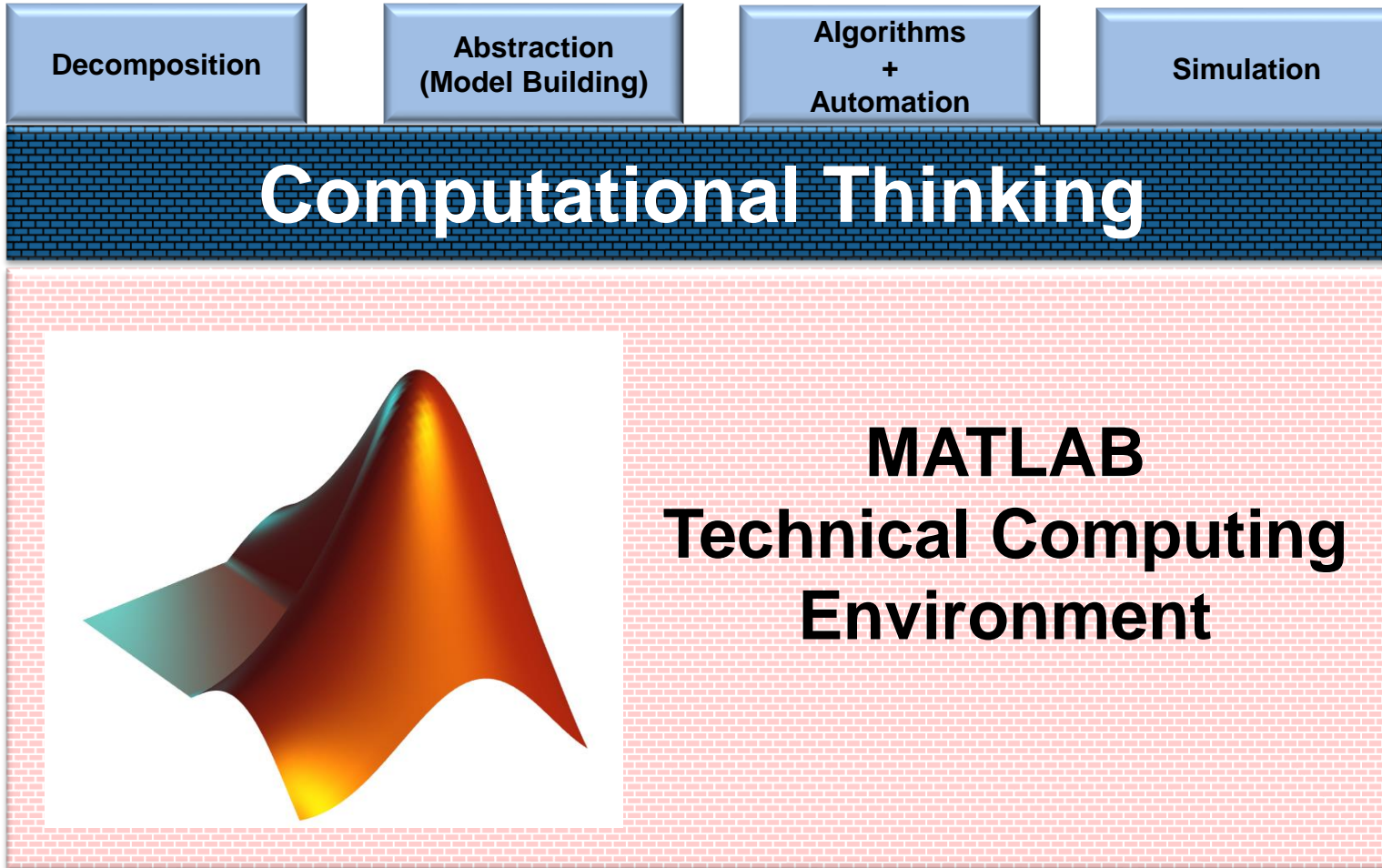
VS

VS

Math Skills

Isn't math taught systematically and reinforced throughout the curriculum?

How Math is introduced in the curriculum

How is Computational Thinking introduced?

Fostering a Curiosity to Learn:

- There is a pathway from simple to complex problems

- Tedium is reduced.

- Spend more time thinking about the core science.