

2.  $S \rightarrow NP VP$  $NP \rightarrow Adj NP$  $NP \rightarrow PRP$  $NP \rightarrow N$  $VP \rightarrow V NP$  $VP \rightarrow AUX V NP$  $PRP \rightarrow they$  $N \rightarrow potatoes$  $Adj \rightarrow baking$  $V \rightarrow baking$  $V \rightarrow are$  $AUX \rightarrow are$ 

"they are baking potatoes"

Chart [0](a)  $S \rightarrow \cdot NP VP$  [0,0] $NP \rightarrow \cdot Adj NP$  [0,0] $NP \rightarrow \cdot PRP$  [0,0] $NP \rightarrow \cdot N$  [0,0] $Adj \rightarrow \cdot baking$  [0,0] $PRP \rightarrow \cdot they$  [0,0] ✓ (scan) $N \rightarrow \cdot potatoes$  [0,0]Chart [1] $PRP \rightarrow they \cdot$  [0,1] ✓ (now: complete will run) $NP \rightarrow PRP \cdot$  [0,1] ( " ) $NP \rightarrow NP \cdot VP$  [0,1] (predict will run) $VP \rightarrow \cdot V NP$  [1,1] $VP \rightarrow \cdot AUX V NP$  [1,1] " $V \rightarrow \cdot baking$  [1,1] (<sup>skip</sup>complete) ✗ $V \rightarrow \cdot are$  [1,1] (complete) scan) ✓ $AUX \rightarrow \cdot are$  [1,1] (scan) ✓Chart [2] $V \rightarrow are \cdot$  [1,2] (complete) $AUX \rightarrow are \cdot$  [1,2] "

VP  $\rightarrow$  V.NP [1,2] (predict)

VP  $\rightarrow$  AUX.V NP [1,2] "

NP  $\rightarrow$  .N [2,2] "

NP  $\rightarrow$  .Adj NP [2,2] "

NP  $\rightarrow$  .PRP [2,2] "

V  $\rightarrow$  .baking [2,2] scan ✓

V  $\rightarrow$  .are [2,2] skip x

N  $\rightarrow$  .potatoes [2,2] skip "

Adj  $\rightarrow$  .baking [2,2] ~~skip~~ scan ✓

PRP  $\rightarrow$  .they [2,2]

### chart [3]

V  $\rightarrow$  baking. [2,3] (complete)

Adj  $\rightarrow$  baking. [2,3] (complete)

VP  $\rightarrow$  ~~V~~.NP AUX V.NP [2,3] (predict)

NP  $\rightarrow$  Adj.NP [2,3] (predict)

NP  $\rightarrow$  .N [3,3] "

NP  $\rightarrow$  .Adj NP [3,3] "

NP  $\rightarrow$  .PRP [3,3] "

Adj  $\rightarrow$  .Baking [3,3] "

PRP  $\rightarrow$  .they [3,3] skip x

N  $\rightarrow$  .potatoes [3,3] scan ✓

### chart [4]

N  $\rightarrow$  potatoes. [3,4] complete

NP  $\rightarrow$  N. [3,4]

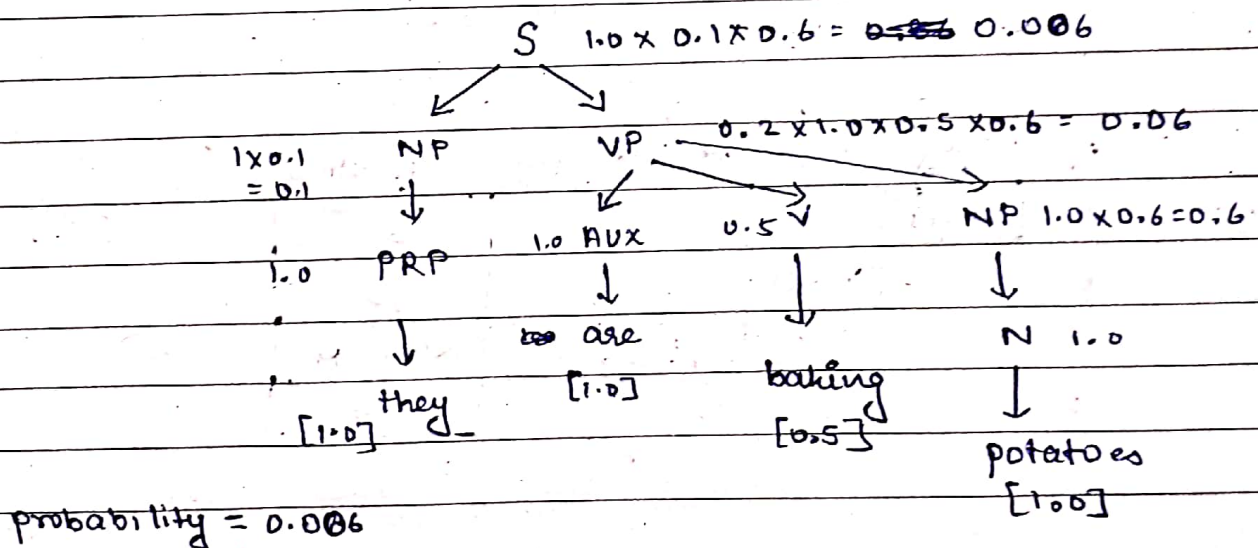
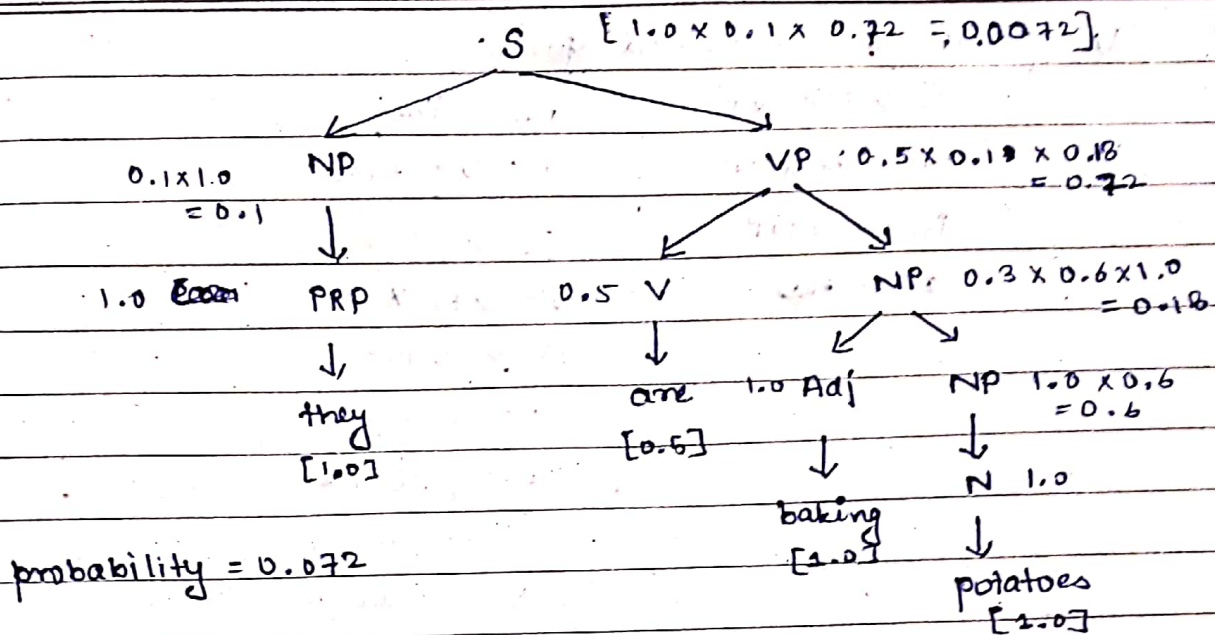
VP  $\rightarrow$  AUX V NP. [3,4]  $\rightarrow$  VP  $\rightarrow$  VNP. [1,4]

NP  $\rightarrow$  Adj NP. [2,4]

S  $\rightarrow$  NP VP. [0,4]

~~VP  $\rightarrow$  VNP.~~ E

2(b)



Ans. 3 (a) In CNF, there are 2 rules:  $A \rightarrow ba$   
 or  $A \rightarrow Bc$   
 $B \rightarrow b$   
 $C \rightarrow c$

$\therefore$  if  $A \rightarrow B$  and  $B \rightarrow b \Rightarrow A \rightarrow b$

if  $A \rightarrow BCD$  we can convert this to CNF,

$A \rightarrow ED$

$E \rightarrow Bc$



(b) Using CNF discussed, transform

$S \rightarrow NP VP$

$NP \rightarrow they$

$NP \rightarrow Adj NP$

$NP \rightarrow potatoes$

$NP \rightarrow VNP$

~~$VP \rightarrow Aux$~~

$VP \rightarrow AUX A$

$A \rightarrow VNP$

$PRP \rightarrow they$

$N \rightarrow potatoes$

$Adj \rightarrow baking$

$V \rightarrow baking$

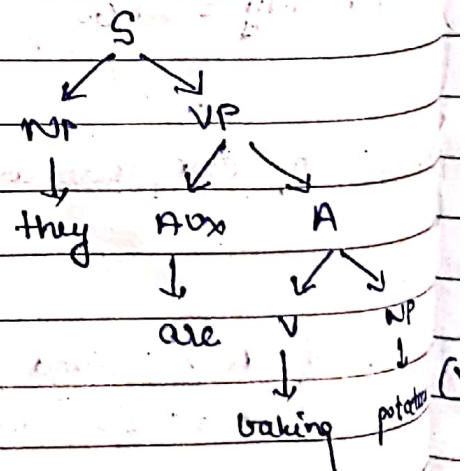
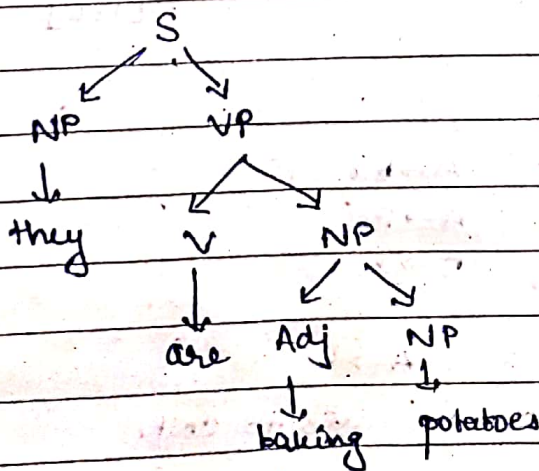
$V \rightarrow are$

$Aux \rightarrow are$

(b) they are ~~baki~~ baking potatoes

(i)	0	NP, PRP	-	-	S
	1		V, AUX	-	VP
	2		Adj, V	NP, VP, A	
	3			N, NP	

(ii)



"2 possible parse trees"

24.

(i) A: { }

G: root

B: [he, sent, her, a, funny, meme, today]

(ii) A: { }

G: <sup>he</sup> root (shift)

B: [sent, her, a, funny, meme, today]

(iii) A: he sent (left-arc)

G: root

B: [sent, her, ...]

(iv) A: he sent

(shift)

<sup>sent</sup>  
G: root

B: [her, a, funny, ...]

(v) A: he sent her

(right-arc)

G: root

<sup>sent</sup>  
B: [a, funny, ...]

(vi) A: he sent her

(shift)

<sup>sent</sup>  
G: root

B: [a, funny, ...]

(vii) A: he sent her (Shift)  
 a  
 sent  
 G: root  
 P: [funny, meme, today]

(viii) A: he sent her (Shift)  
 funny  
 a  
 sent  
 G: root  
 P: [meme, today]

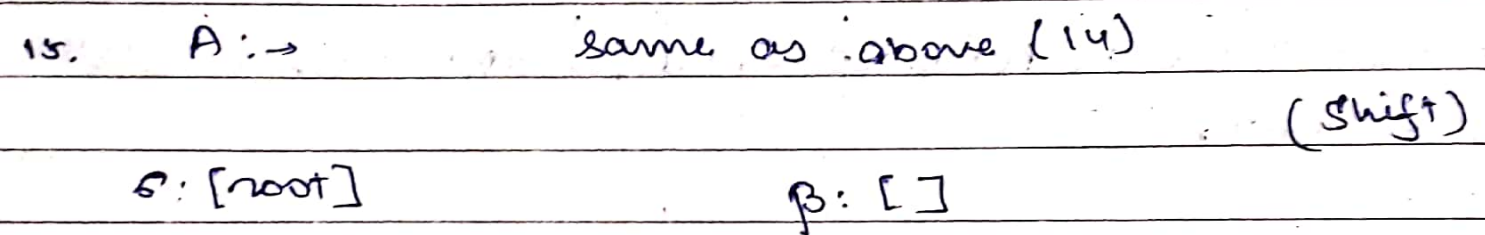
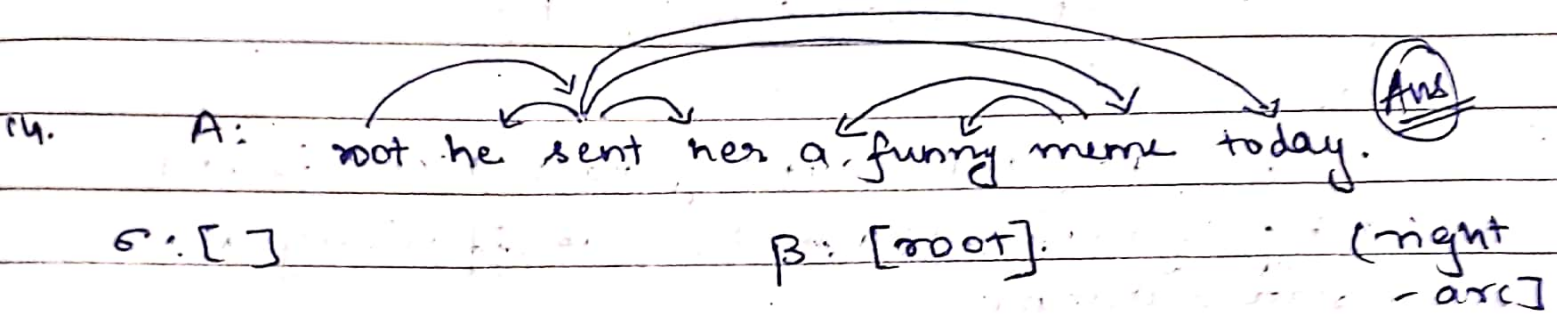
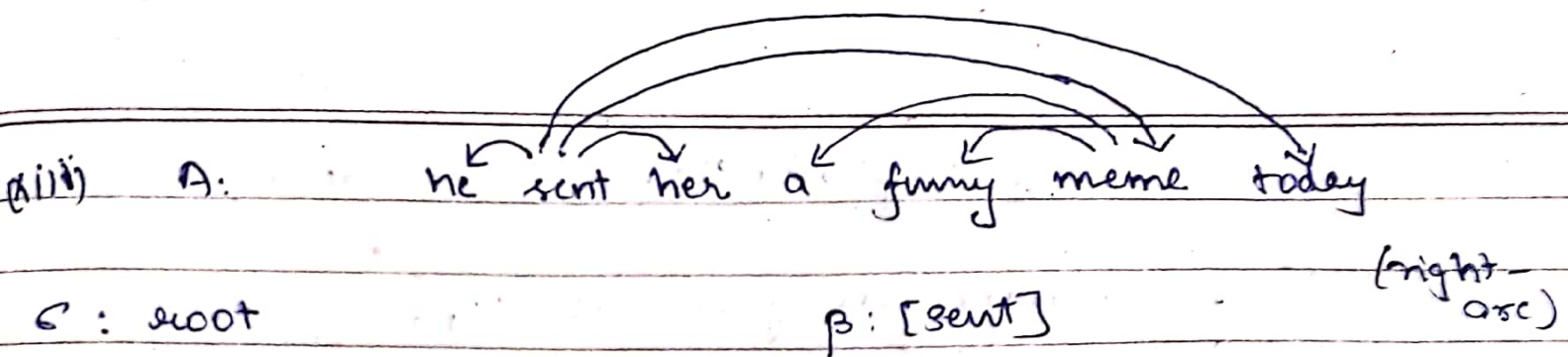
(ix) A: he sent her funny meme (left-arc)  
 a  
 sent  
 G: root  
 P: [meme, today]

(x) A: he sent her a funny meme (left-arc)  
 sent  
 G: root  
 P: [meme, today]

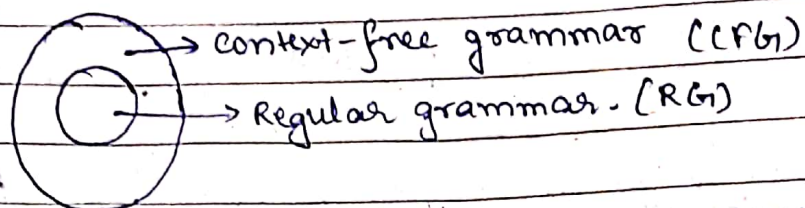
(xi) A: he sent her a funny meme (right-arc)  
 G: root  
 P: [sent, today]

(xii) A: he sent her a funny meme (shift)  
 sent  
 G: root  
 [today]





1(c) From the notes of Complexity class, it's seen that



i.e.  $RG \subset CFG$  and example of RG is HMM as HMM are a type of Markov chain which is effectively a finite state automata.

Whereas PCFG are CFG. Therefore, it is not possible to have all PCFG represented as HMM. For eg:  $a^n b^n$  where  $n=m$ .

From lecture notes: "The set of all regular language is strictly smaller than set of CFG".

(a) "they are baking potatoes"  
 $\downarrow \quad \downarrow \quad \downarrow \quad \downarrow$   
 PRP  $\rightarrow$  V  $\rightarrow$  Adj  $\rightarrow$  N — (i)

OR PRP Aux V N — (ii)

Using probability (transition and emission)

$$= P(\text{PRP}|\text{start}) \cdot P(V|\text{PRP}) \cdot P(\text{Adj}|V) \cdot P(N|\text{Adj}) \cdot P(\text{they}|\text{PRP}) \cdot P(\text{are}|V) \cdot P(\text{baking}|\text{Adj}) \cdot P(\text{potato}|N)$$

$$= 0.1 \times 0.8 \times 0.3 \times 0.6 \times 1.0 \times 0.5 \times 1.0 \times 1.0 = 0.072$$

Similarly for (ii)

$$P(\text{tags, words}) = P(\text{PRP}|\text{start}) \cdot P(\text{Aux}|\text{PRP}) \cdot P(V|\text{Aux}) \cdot P(N|V) \cdot P(\text{they}|\text{PRP}) \cdot P(\text{are}|\text{Aux}) \cdot P(\text{baking}|V) \cdot P(\text{potato}|N)$$

$$= 0.1 \times 0.2 \times 1.0 \times 0.6 \times 1.0 \times 1.0 \times 0.5 \times 1.0 = 0.006$$



1(b) HMM model representing POS sequence:

