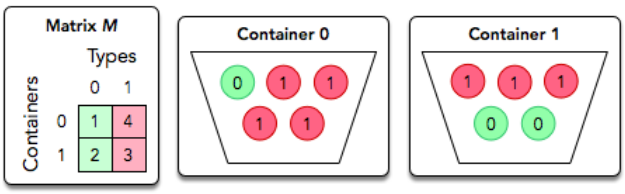
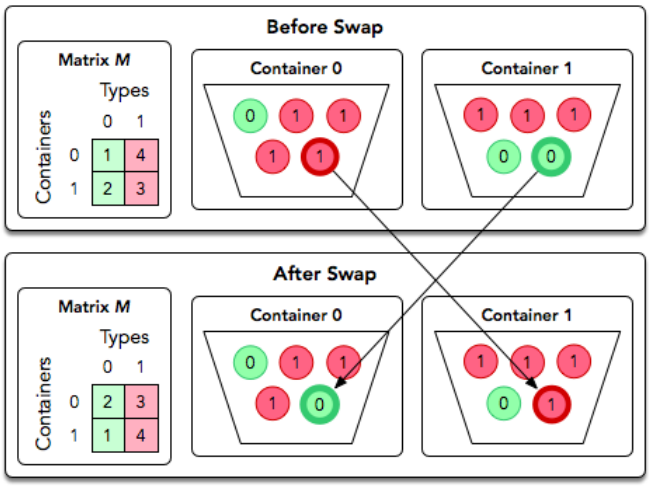
Organizing Containers of Balls

David has n containers and n different types of balls, both of which are numbered from 0 to $n-1$. The distribution of ball types per container are described by an $n \times n$ matrix of integers, M, where each $M_{c,t}$ is the number of balls of type t in container c. For example, consider the following diagram for $M = [[1,4],[2,3]]$:



In a single operation, David can *swap* two balls located in different containers (i.e., one ball is moved from container c_a to c_b and the other ball is moved from c_b to c_a).

For example, the diagram below depicts a single swap operation:



David wants to perform some number of swap operations such that both of the following conditions are satisfied:

- Each container contains only balls of the same type.
- No two balls of the same type are located in different containers.

You must perform q queries where each query is in the form of a matrix, M. For each query, print `Possible` on a new line if David can satisfy the conditions above for the given matrix; otherwise, print `Impossible` instead.

Input Format

The first line contains an integer denoting q (the number of queries). The subsequent lines describe each query in the following format:

1. The first line contains an integer denoting n (the number of containers and ball types).
2. Each line i of the n subsequent lines contains n space-separated integers describing row i in matrix M.

Constraints

- $1 \leq q \leq 10$

- $1 \leq n \leq 100$
- $0 \leq M_{c,t} \leq 10^9$

Scoring

- For 33% of score, $1 \leq n \leq 10$.
- For 100% of score, $1 \leq n \leq 100$.

Output Format

For each query, print `Possible` on a new line if David can satisfy the conditions above for the given matrix; otherwise, print `Impossible` instead.

Sample Input 0

```
2
2
1 1
1 1
2
0 2
1 1
```

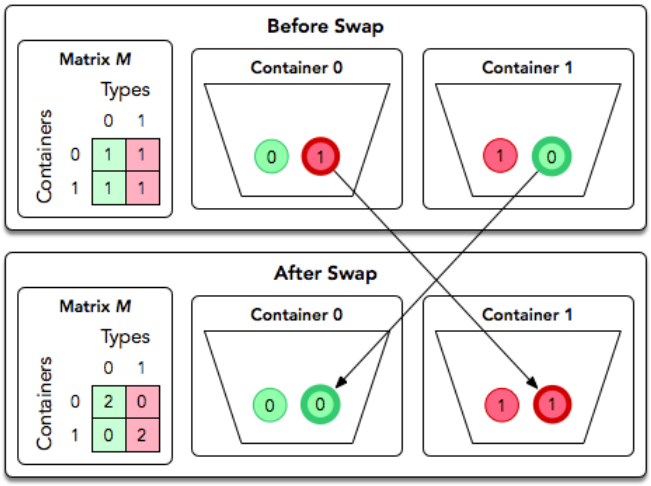
Sample Output 0

```
Possible
Impossible
```

Explanation 0

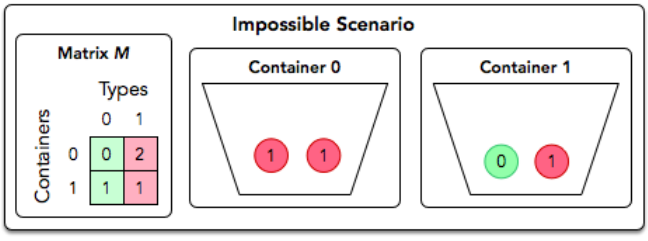
We perform the following $q = 2$ queries:

1. The diagram below depicts one possible way to satisfy David's requirements for the first query:



   Thus, we print `Possible` on a new line.

2. The diagram below depicts the matrix for the second query:



   No matter how many times we swap balls of type t_0 and t_1 between the two containers, we'll never end up with one container only containing type t_0 and the other container only containing type t_1.

Thus, we print `Impossible` on a new line.