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1、用 Matlab 命令函数分别绘出抽样信号、矩形脉冲信号、周期矩形脉冲信号、三角波脉冲信号、三角波周期信号的波形，理解其中参数的意义。

### 1) 抽样信号:

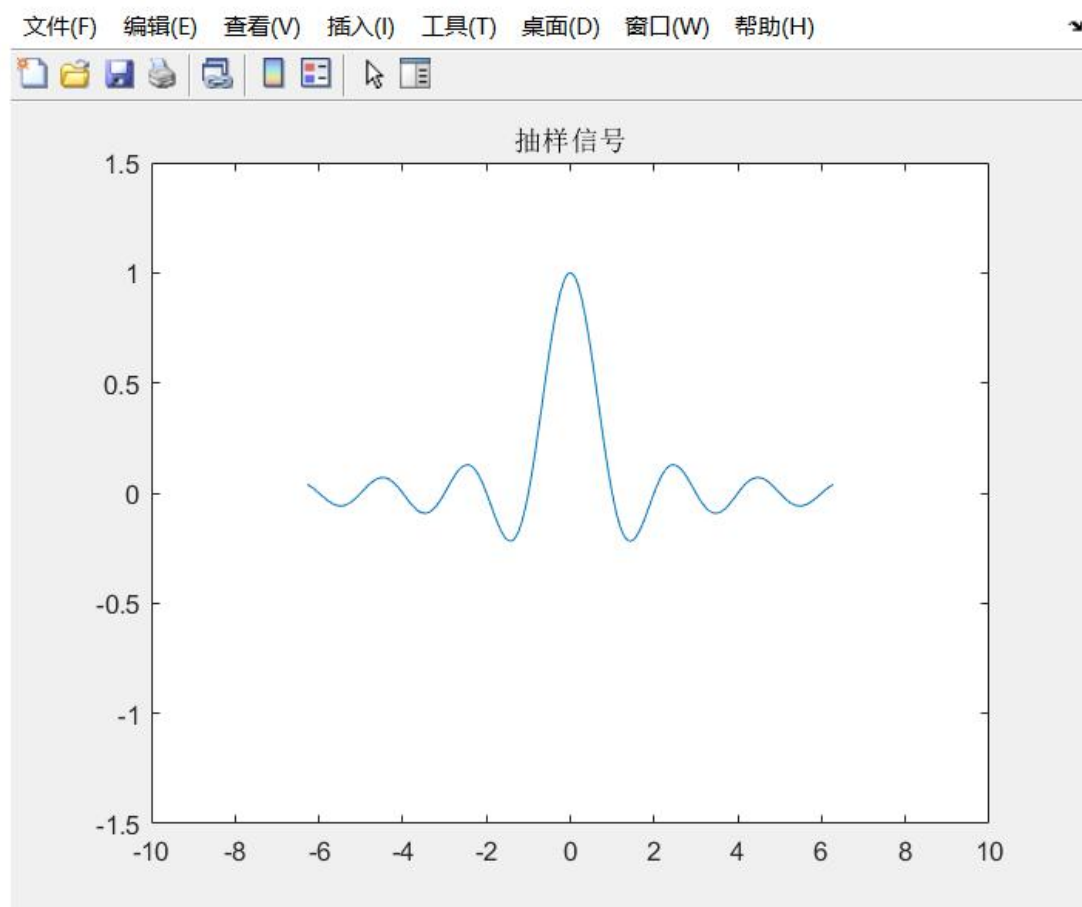
源码:

```
t = -2*pi:0.01:2*pi;  
  
f_sinc = sinc(t);  
  
plot(t,f_sinc);  
title('抽样信号');  
axis([-10,10,-1.5,1.5]);
```

各参数意义:

函数	参数
plot(t,f_sinc)	t 为自变量, f_sinc 为因变量
axis(a,b,c,d)	a,b 自变量区间 c,d 因变量区间

运行结果:



## 2) 矩形脉冲信号:

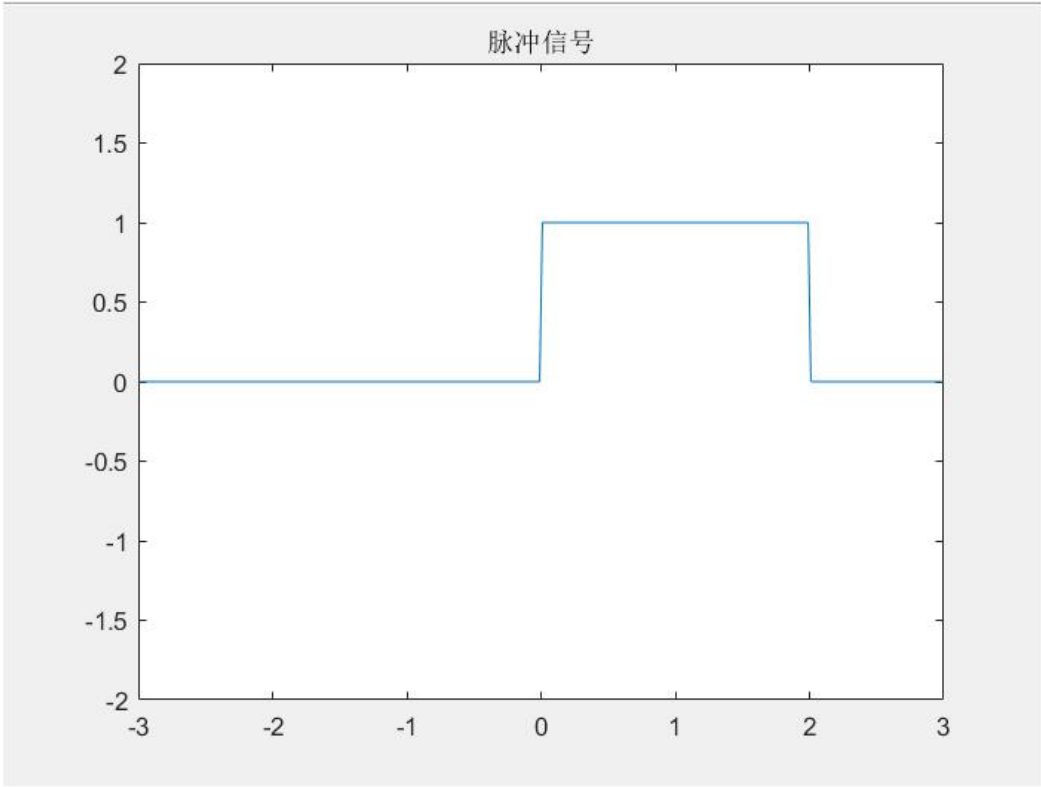
源码:

```
t = -5:0.01:5;  
f_sign = sign(t);  
  
f_u = 1/2*f_sign + 1/2;  
  
f_sign2 = sign(t-2);  
  
f_u2 = 1/2*f_sign2 + 1/2;  
  
f_wave = f_u - f_u2;  
  
plot(t,f_wave);  
  
axis([-3,3,-2,2]);  
title('脉冲信号');
```

各参数意义:

函数	参数
plot(t,f_sinc)	t 为自变量, f_sinc 为因变量
axis(a,b,c,d)	a,b 自变量区间 c,d 因变量区间

运行结果:



3) 周期脉冲信号:

源码:

```
t = -5:0.01:5;
f = square(0.5*pi*t,50);

plot(t,f);

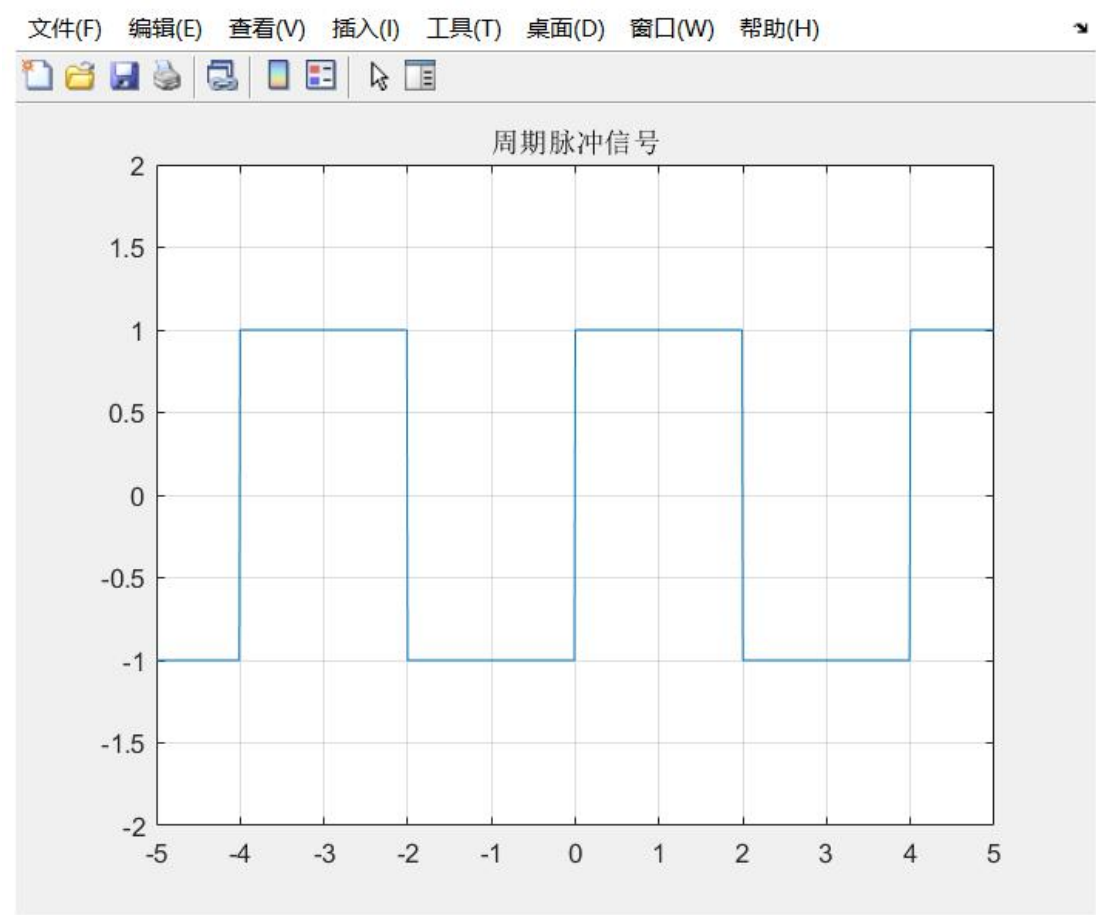
axis([-5,5,-2,2]);

title('周期脉冲信号');
grid on;
```

各参数意义:

函数	参数
sqare(a,b)	a 为角频率, b 为占空比
grid on	显示网格线

运行结果:



4) 三角波信号:

源码:

```
t = -2:0.01:2;
f_u1 = 0.5*sign(t) + 0.5;
f_u2 = 0.5*sign(-1*t)+0.5;
y = f_u2.*(t+2)+f_u1.*(-1*t+2);

plot(t,y);

axis([-3,3,0,3]);

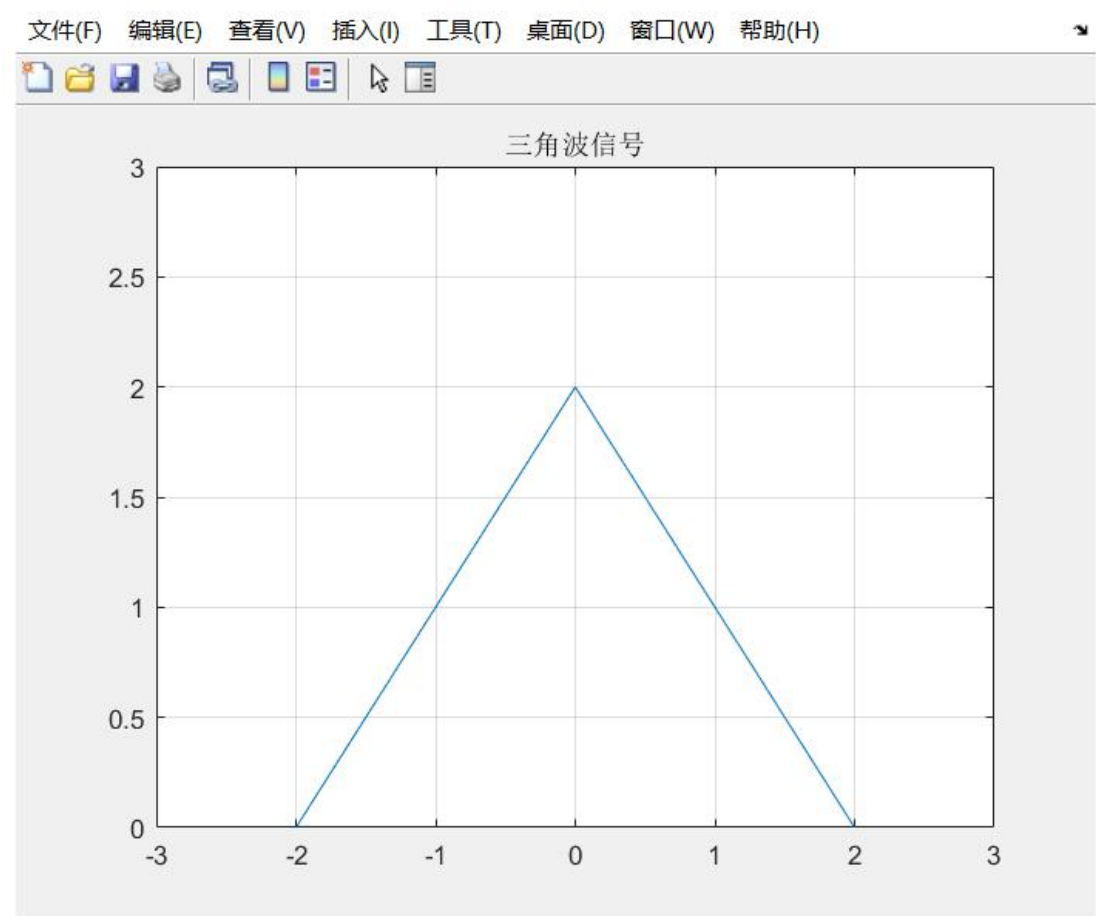
title('三角波信号 ');

grid on;
```

各参数意义:

函数	参数
plot(t,f_sinc)	t 为自变量, f_sinc 为因变量
grid on	显示网格线

运行结果:



5) 抽样信号:

源码:

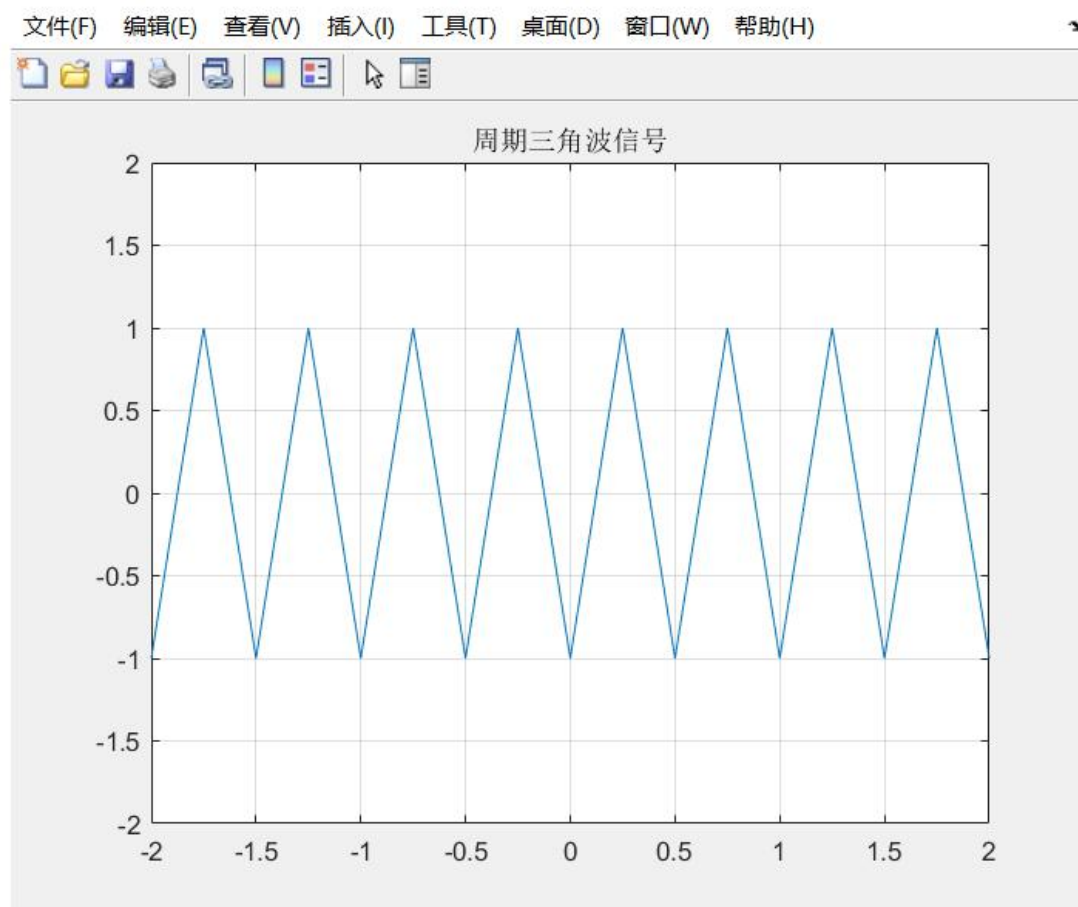
```
t = -2:0.01:2;
f = sawtooth(4*pi*t,0.5);

plot(t,f);
axis([-2,2,-2,2]);
title('周期三角波');
grid on;
```

各参数意义:

函数	参数
plot(t,f_sinc)	t 为自变量, f_sinc 为因变量
sawtooth(a*t,x)	生成周期为 $2\pi/a$ , 峰值出现在 x (0~1, 0.5 为中央) 的三角波

运行结果:



2、分别用 MATLAB 的数字运算和符号运算功能，绘出下列连续时间信号的波形。

$$(1) f(t) = (2 - e^{-2t})u(t) \quad (2) f(t) = \cos\left(\frac{\pi t}{2}\right) [u(t) - u(t - 4)]$$

$$(3) f(t) = e^t \cos(t) u(t) \quad (4) f(t) = \frac{2}{3} t u(t + 2)$$

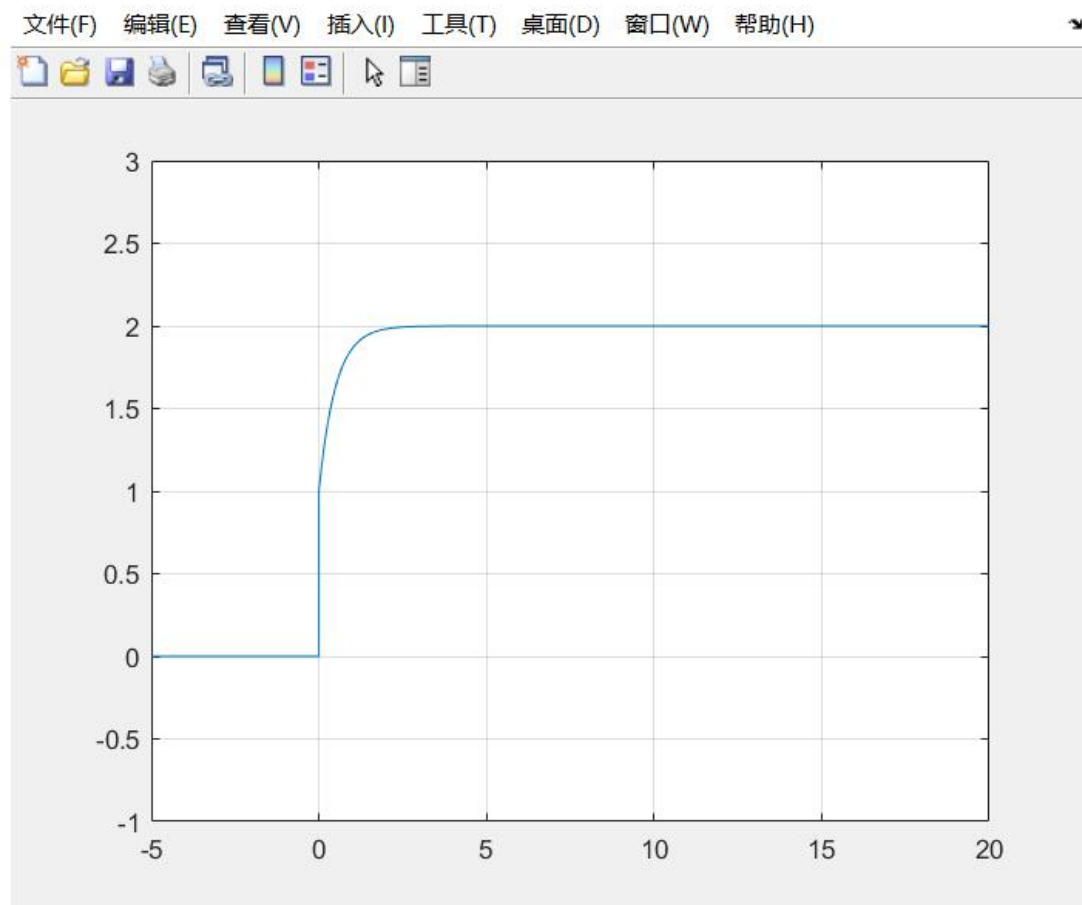
1)  $f(t) = (2 - e^{-2t})u(t)$

法一：符号法

源码：

```
t = sym('t');
f = (2-exp(-2*t))*heaviside(t);
fplot(f, [-5,20]);
axis([-5,20,-1,3]);
grid on;
```

运行结果：

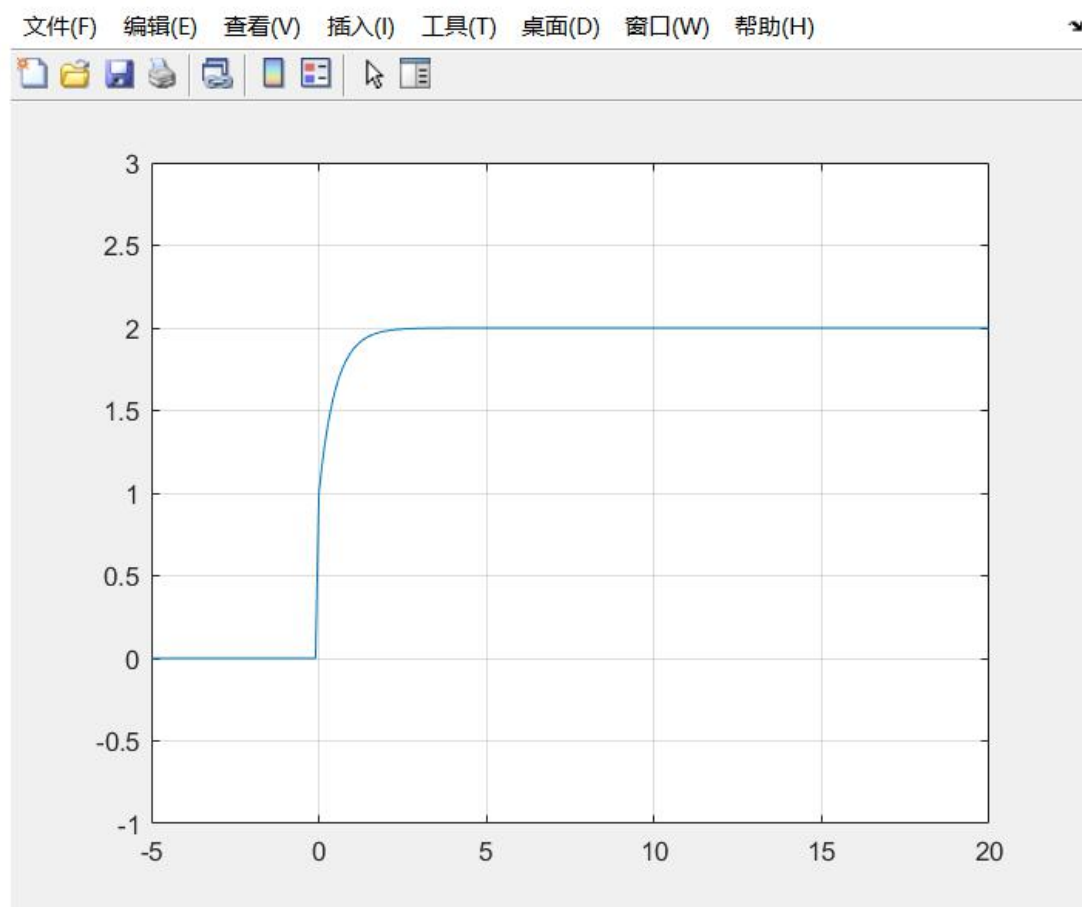


## 法二：数值法

源码：

```
t = -5:0.1:20;  
f = (2-exp(-2*t)).*stepfun(t,0);  
plot(t,f);  
axis([-5,20,-1,3]);  
grid on;
```

运行结果：



$$2) \quad f(t) = \cos\left(\frac{\pi t}{2}\right) [u(t) - u(t-4)]$$

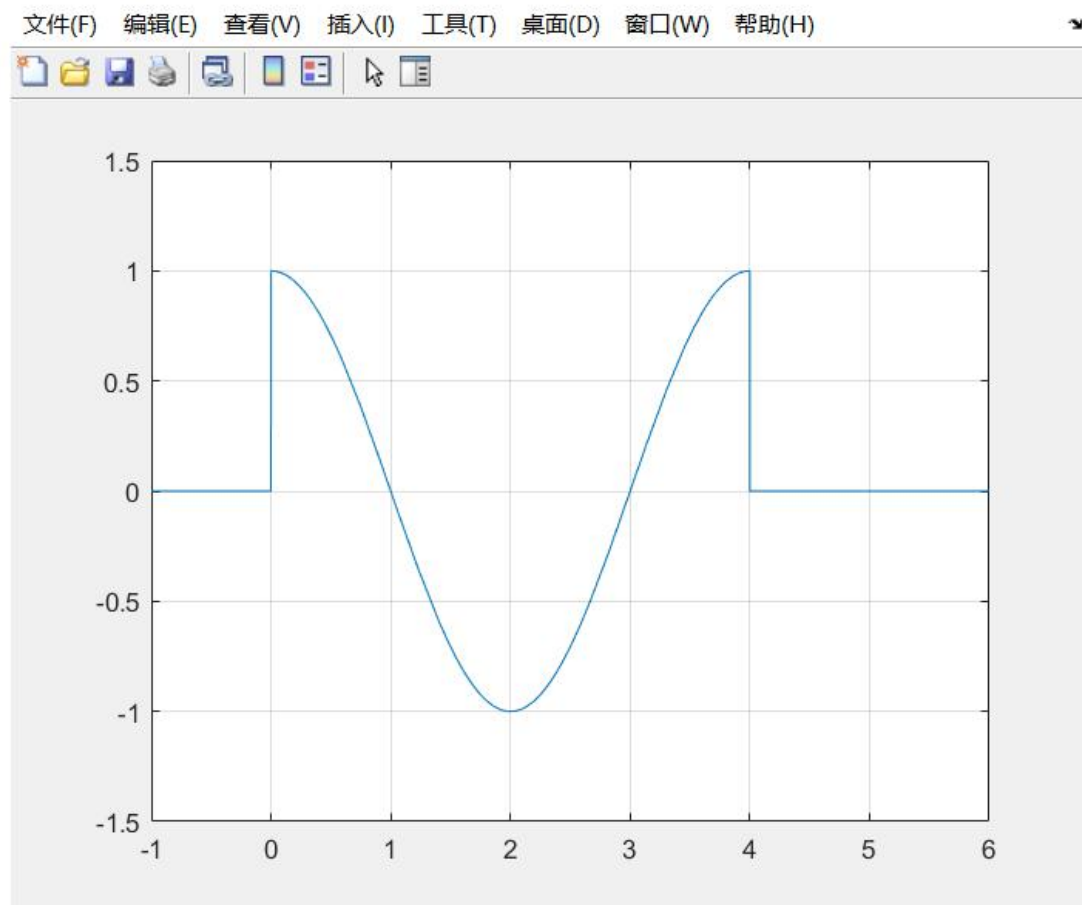
法一：符号法

源码：

```
t = sym('t');  
f = cos(0.5*pi*t)*(heaviside(t)-heaviside(t-4));  
fplot(f, [-1, 6]);  
axis([-1, 6, -1.5, 1.5]);  
grid on;
```

运行结果：



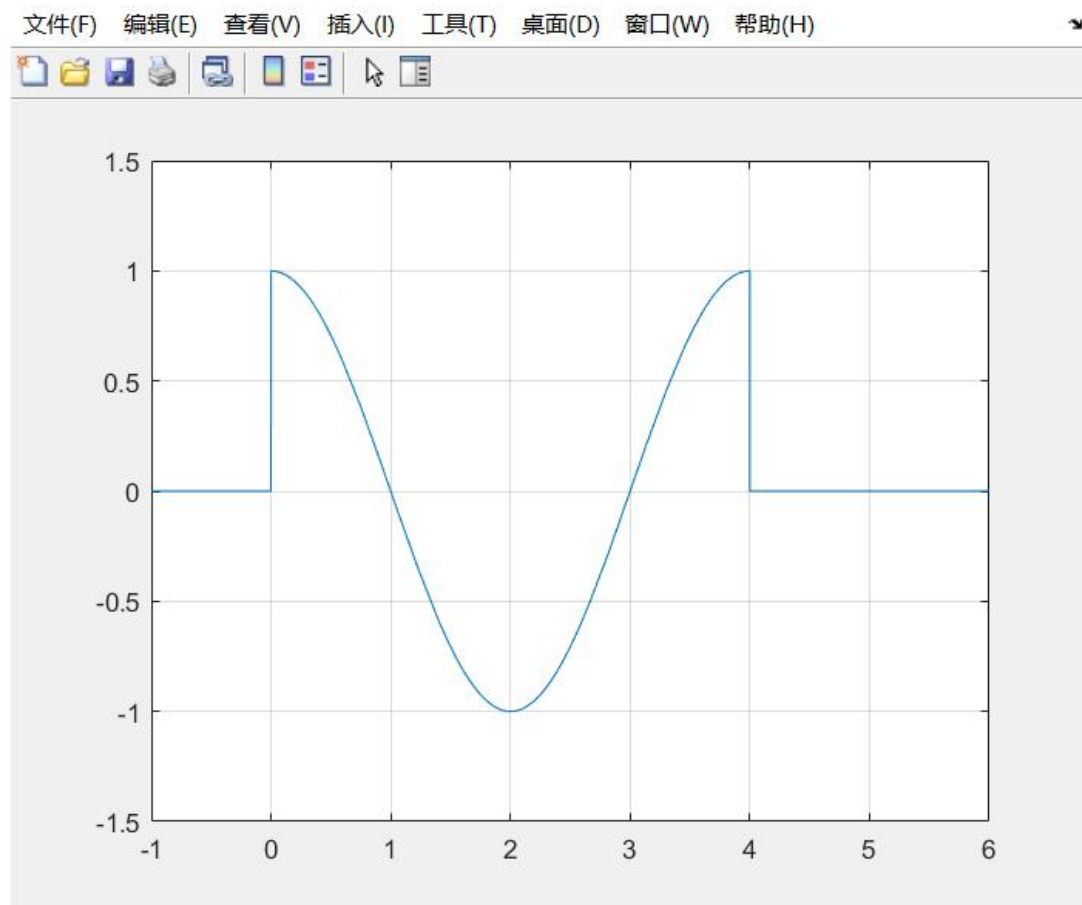


## 法二：数值法

源码:

```
t = -1:0.1:6;  
f = cos(0.5*pi*t).*(stepfun(t,0)-stepfun(t,4));  
plot(t,f);  
axis([-1,6,-1.5,1.5]);  
grid on;
```

运行结果:



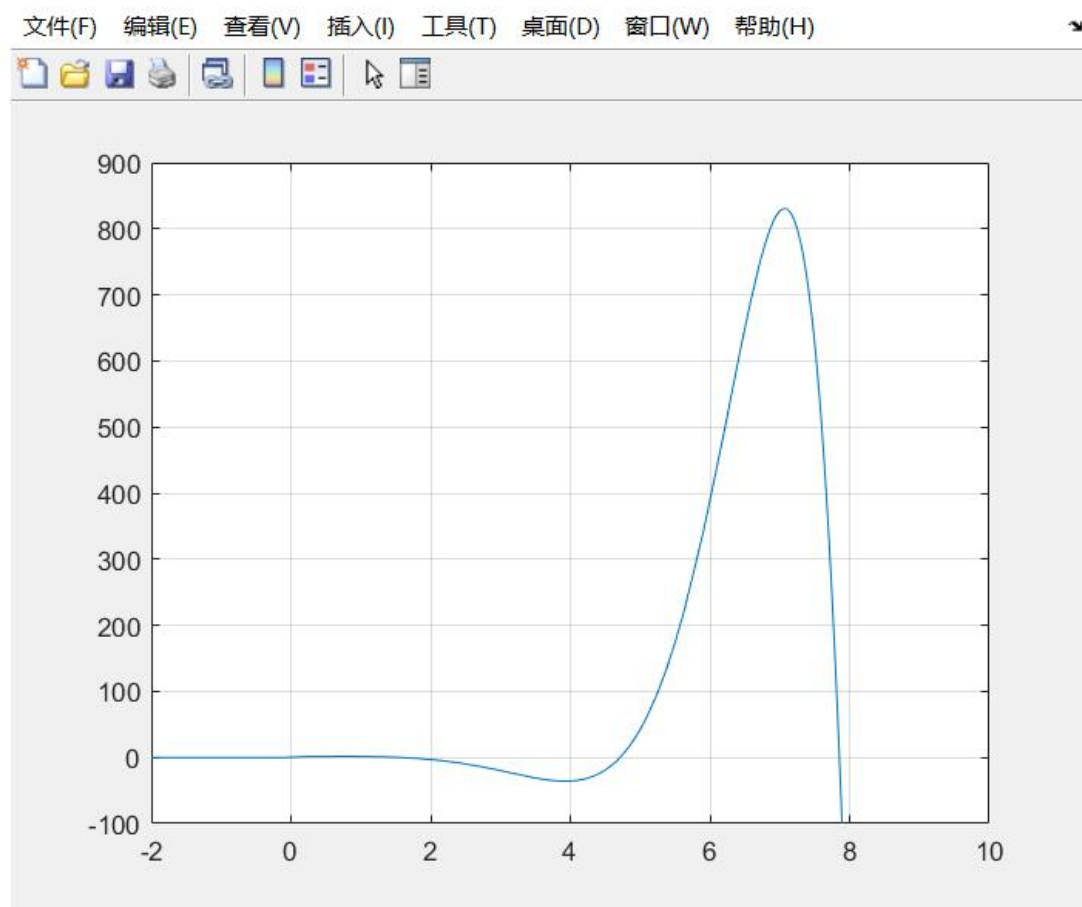
3)  $f(t) = e^t \cos(t) u(t)$

法一：符号法

源码：

```
t = sym('t');  
f = exp(t)*cos(t)*heaviside(t);  
fplot(f, [-2,10]);  
axis([-2,10,-100,900]);  
grid on;
```

运行结果：

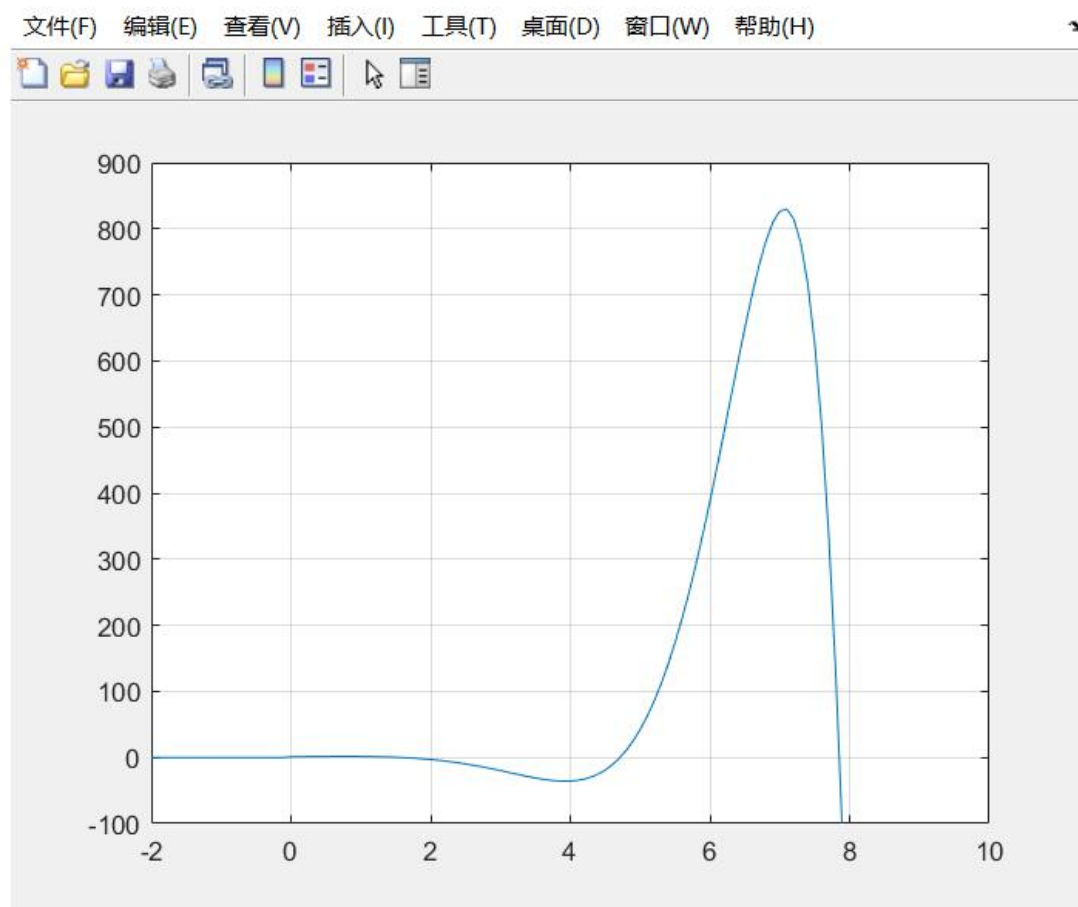


## 法二：数值法

源码：

```
t = -2:0.1:10;  
f = exp(t).*cos(t).*stepfun(t,0);  
plot(t,f);  
axis([-2,10,-100,900]);  
grid on;
```

运行结果：



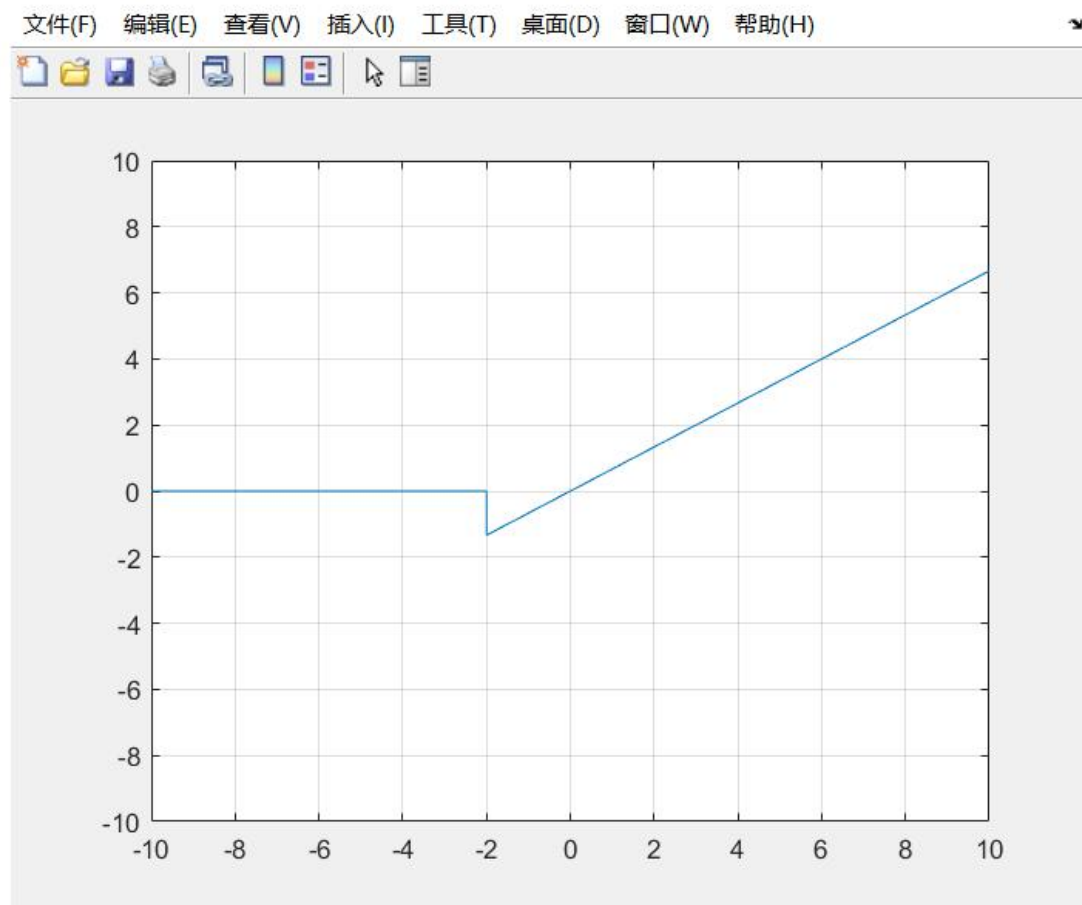
4)  $f(t) = \frac{2}{3}t u(t+2)$

法一：符号法

源码：

```
t = sym('t');  
f = (2/3)*t*heaviside(t+2);  
fplot(f, [-10,10]);  
axis([-10,10,-10,10]);  
grid on;
```

运行结果：

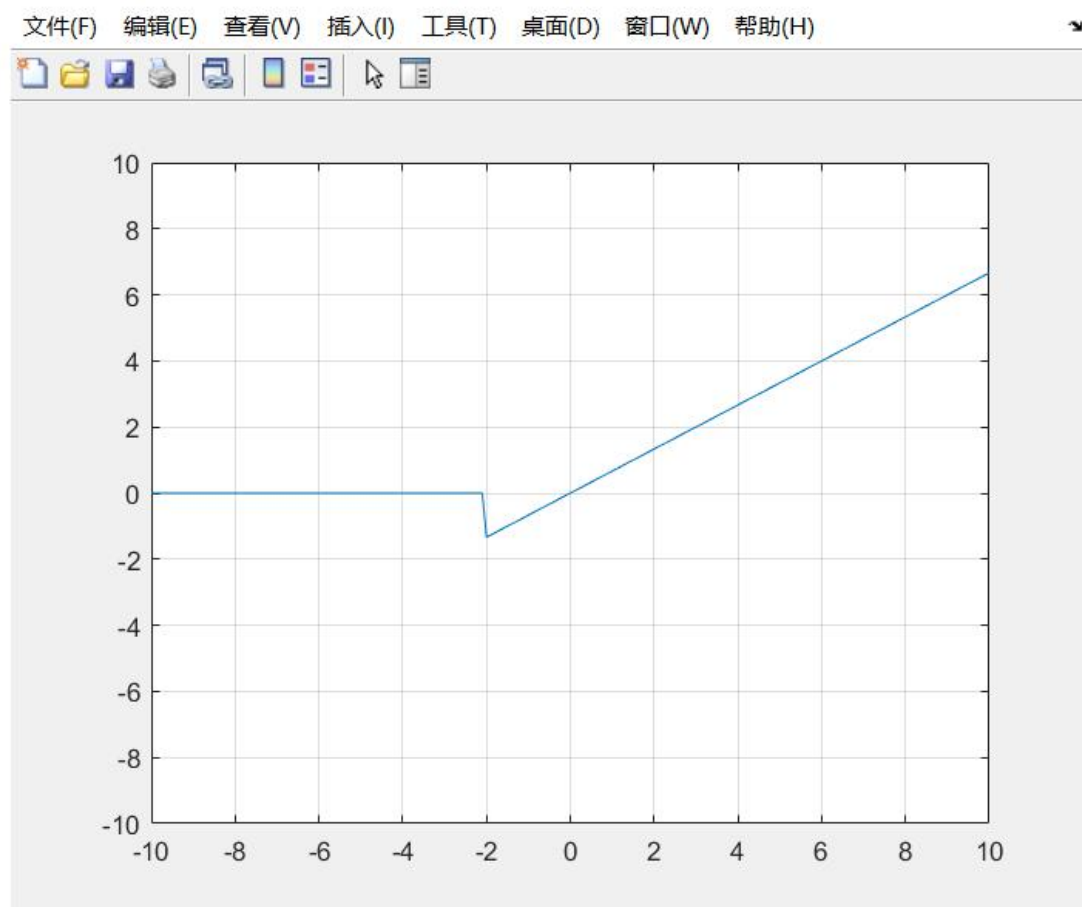


## 法二：数值法

源码:

```
t = -10:0.1:10;  
f = (2/3)*t.*stepfun(t,-2);  
plot(t,f);  
axis([-10,10,-10,10]);  
grid on;
```

运行结果:



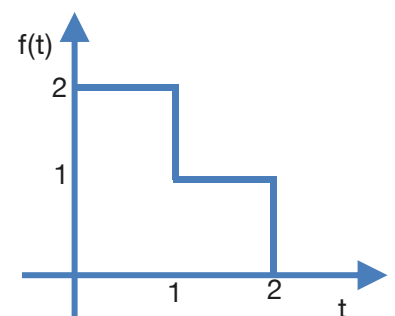
3、已知信号  $f(t)$  的波形如右图所示，绘出满足下列要求的信号波形。

(1)  $f(-t)$

(2)  $f(t-2)$

(3)  $f(at)$  (其中  $a$  的值分别取 0.5 和 2)

(4)  $f(0.5t+1)$



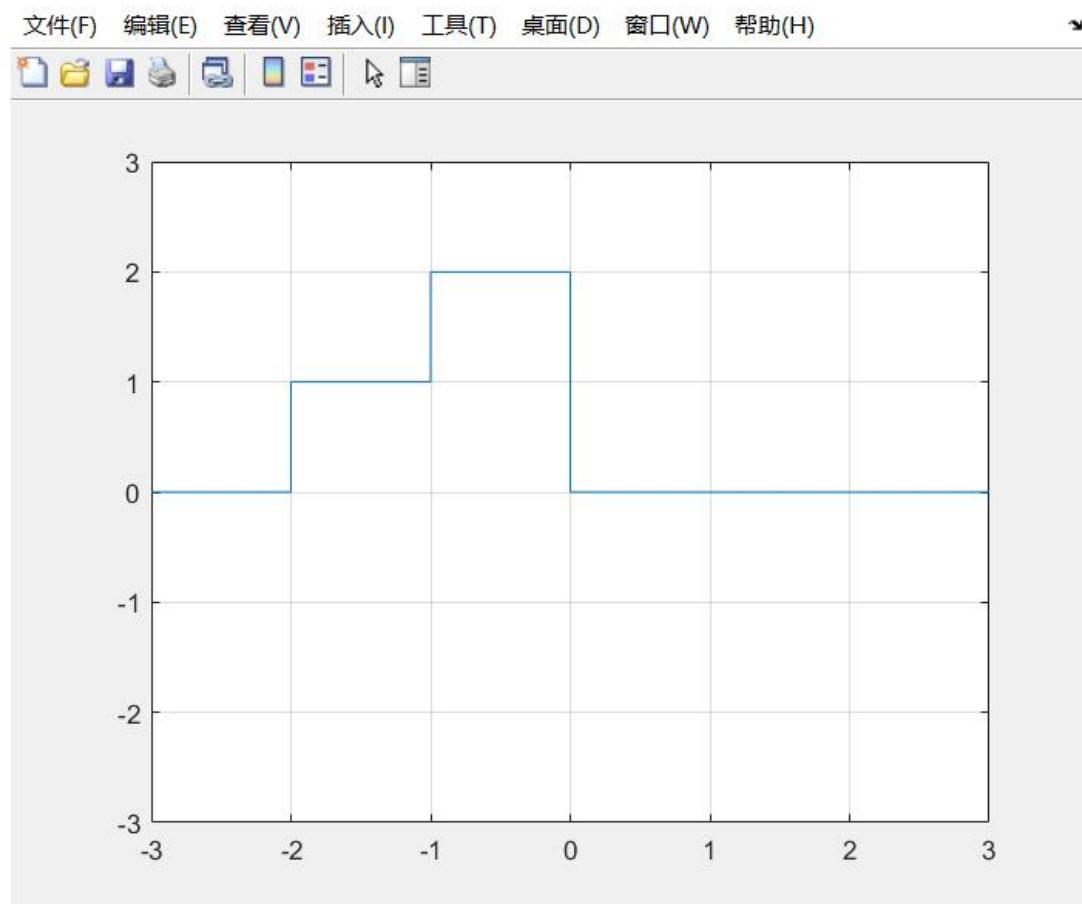
1)  $f(-t)$

源码:

```
t = sym('t');
ft =
2*heaviside(-t)-1*heaviside(-t-1)-1*heaviside(-t-2);
```

```
fplot(ft, [-3, 3]);  
axis([-3, 3, -3, 3]);  
grid on;
```

运行结果

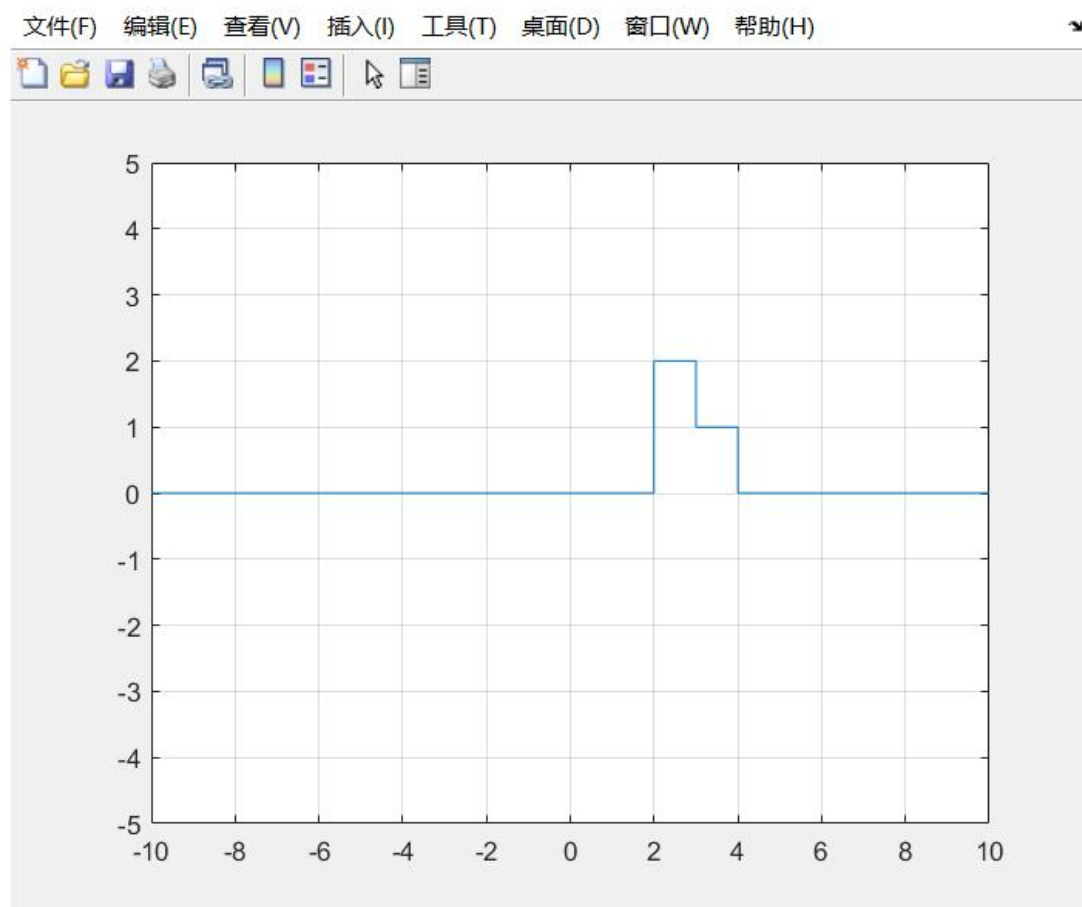


## 2) $f(t-2)$

源码:

```
t = sym('t');  
ft =  
2*heaviside(t-2)-1*heaviside(t-1-2)-1*heaviside(t-2-2  
);  
fplot(ft, [-10, 10]);  
axis([-10, 10, -5, 5]);  
grid on;
```

运行结果



(3)  $f(at)$  (其中  $a$  的值分别取 0.5 和 2)

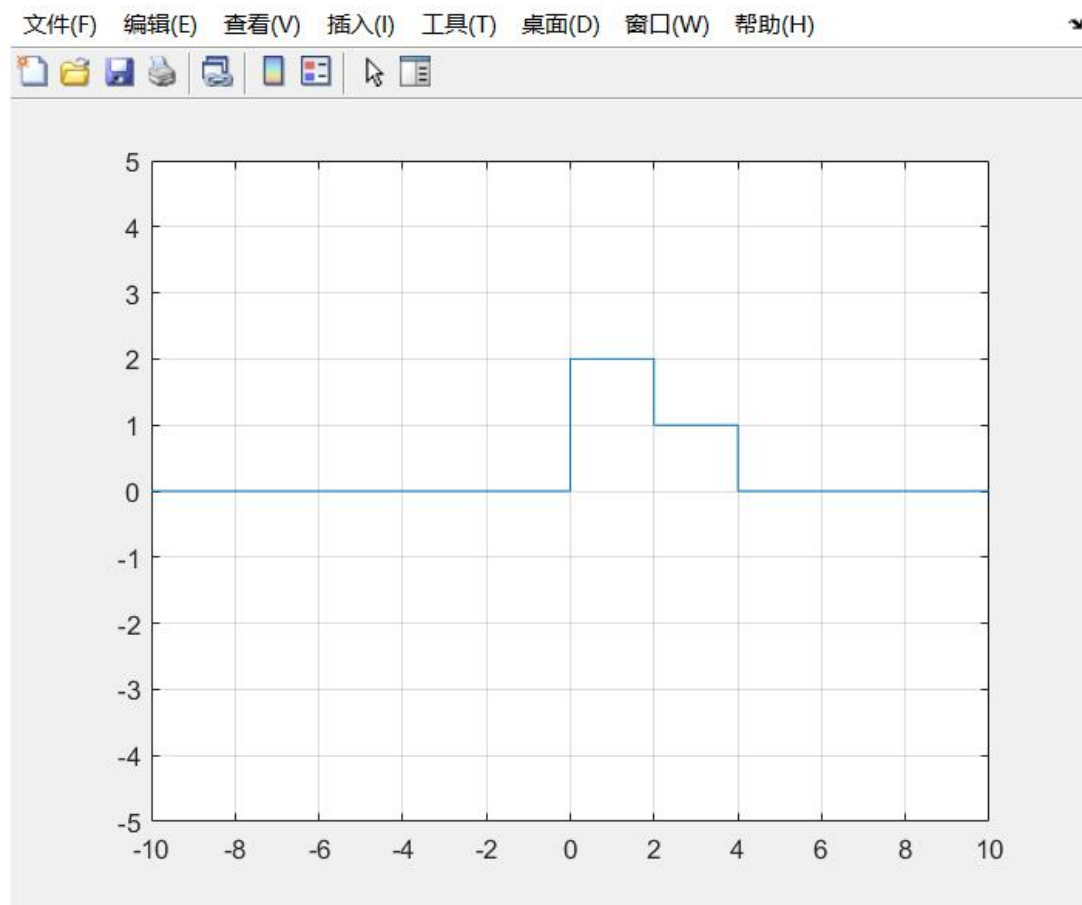
$a = 0.5$

源码:

```
t = sym('t');  
a = 0.5;  
ft =  
2*heaviside(a*t)-1*heaviside(a*t-1)-1*heaviside(a*t-2  
);  
fplot(ft, [-10,10]);  
axis([-10,10,-5,5]);  
grid on;
```

运行结果



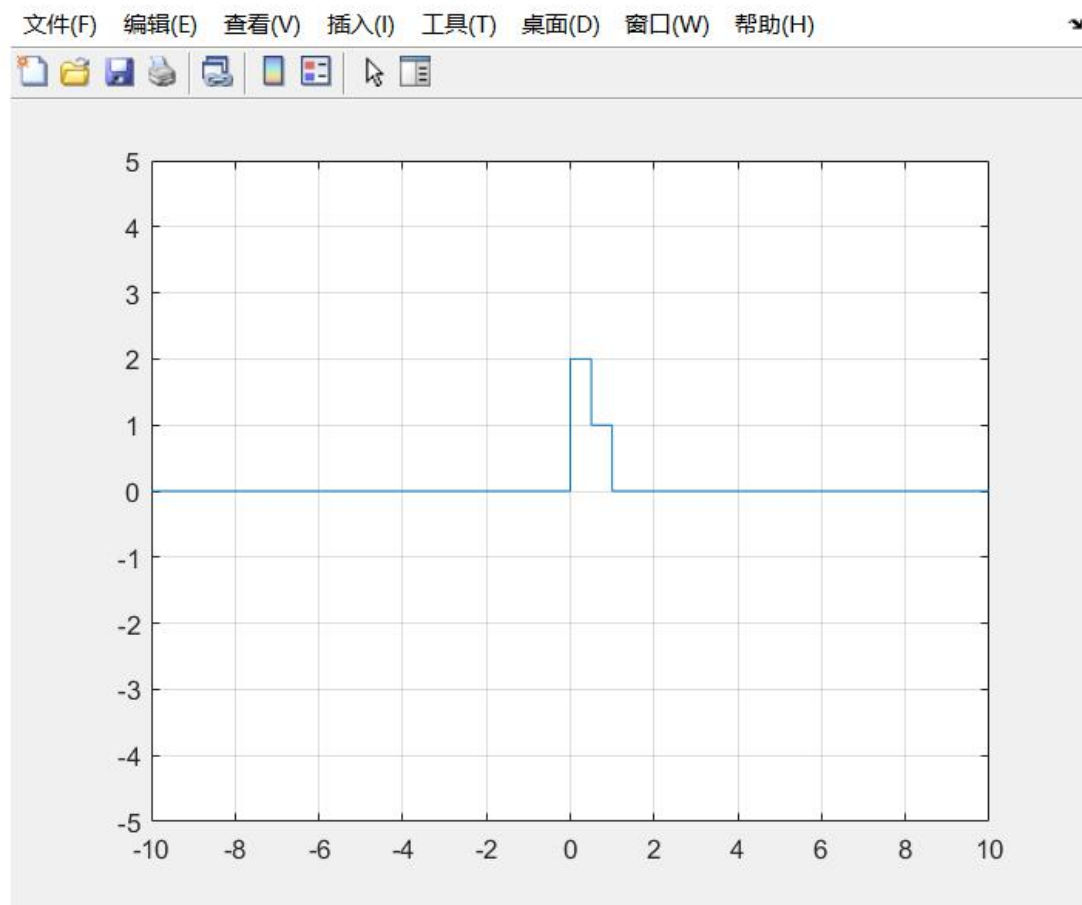


a=2

源码:

```
t = sym('t');  
a = 2;  
ft =  
2*heaviside(a*t)-1*heaviside(a*t-1)-1*heaviside(a*t-2  
);  
fplot(ft, [-10,10]);  
axis([-10,10,-5,5]);  
grid on;
```

运行结果

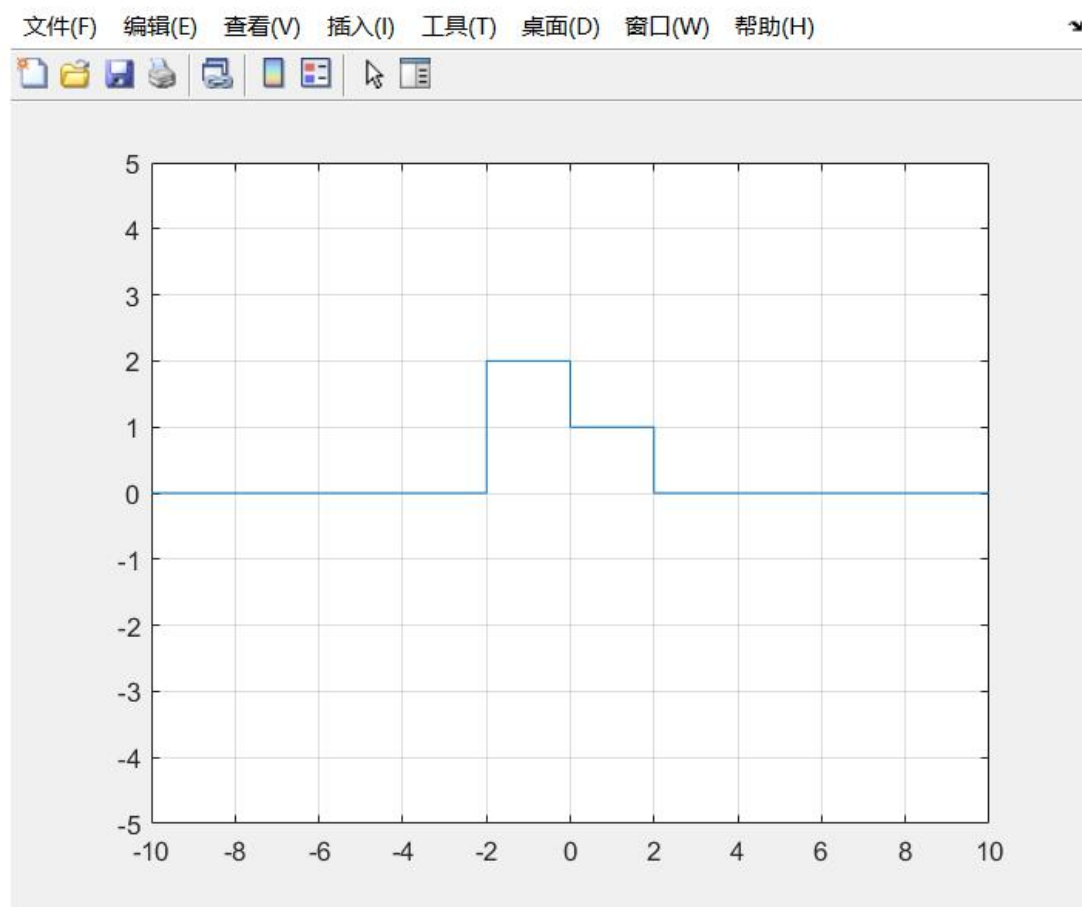


#### (4) $f(0.5t + 1)$

源码:

```
t = sym('t');  
a = 0.5;  
ft =  
2*heaviside(a*t+1)-1*heaviside(a*t+1-1)-1*heaviside(a  
*t+1-2);  
fplot(ft, [-10,10]);  
axis([-10,10,-5,5]);  
grid on;
```

运行结果



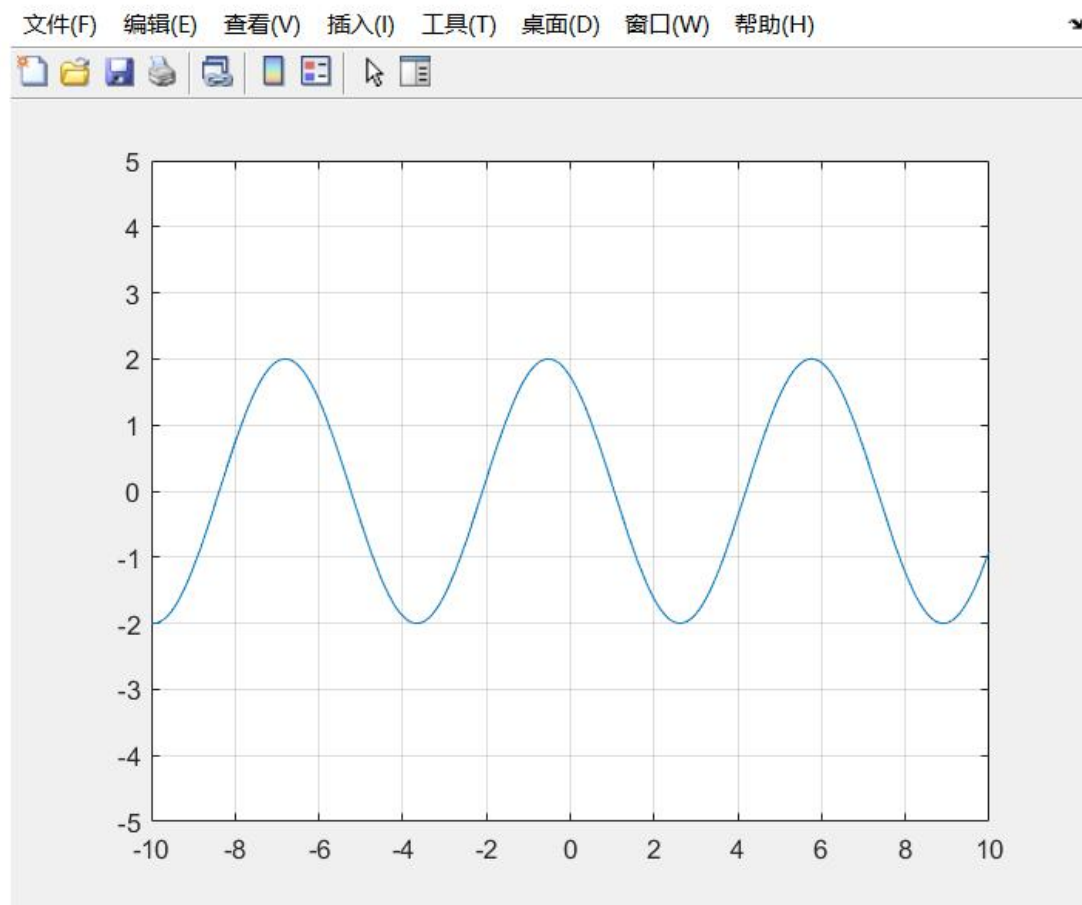
4、利用 Matlab 画出复信号  $f(t) = 2e^{j(t+\frac{\pi}{4})}$  的实部、虚部、模和辅角。

实部:

源码:

```
t = sym('t');  
ft = real(2*exp(1i*(t+pi/6)));  
fplot(ft, [-10,10]);  
axis([-10,10,-5,5]);  
grid on;
```

运行结果

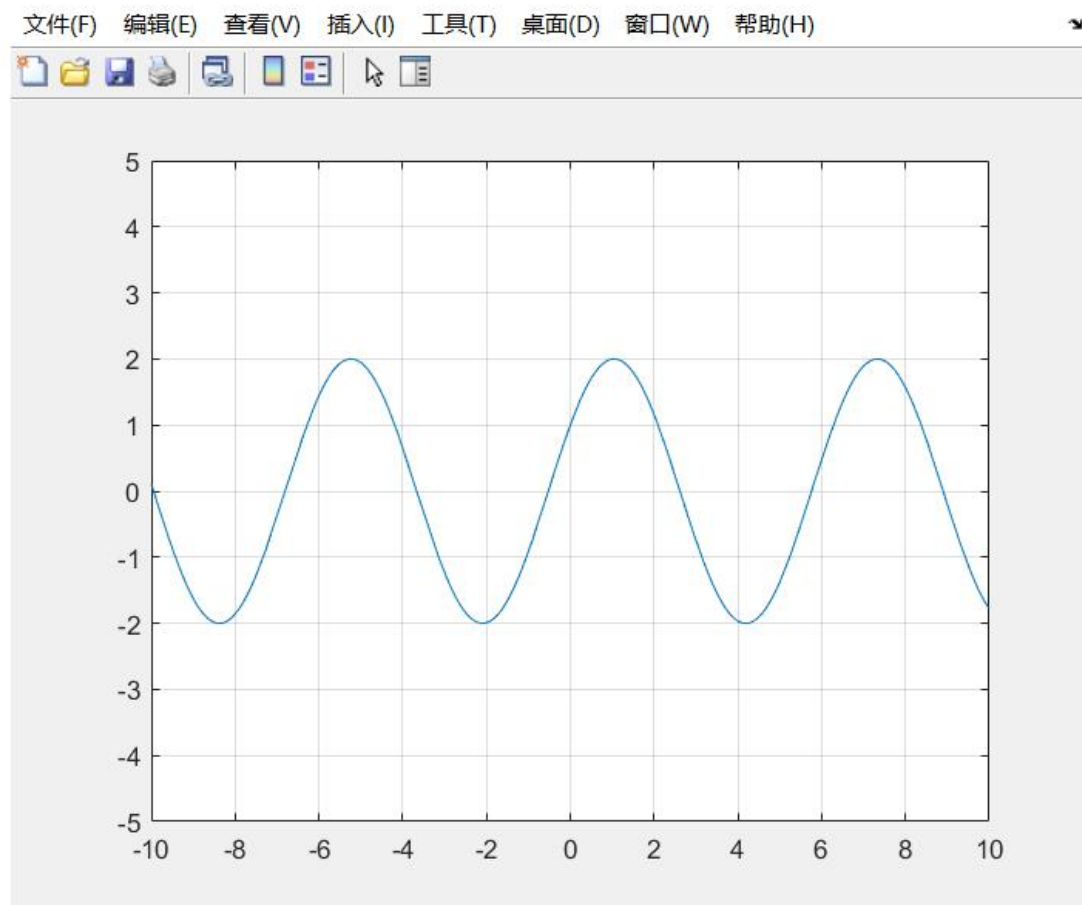


虚部:

源码:

```
t = sym('t');  
ft = imag(2*exp(1i*(t+pi/6)));  
fplot(ft, [-10,10]);  
axis([-10,10,-5,5]);  
grid on;
```

运行结果

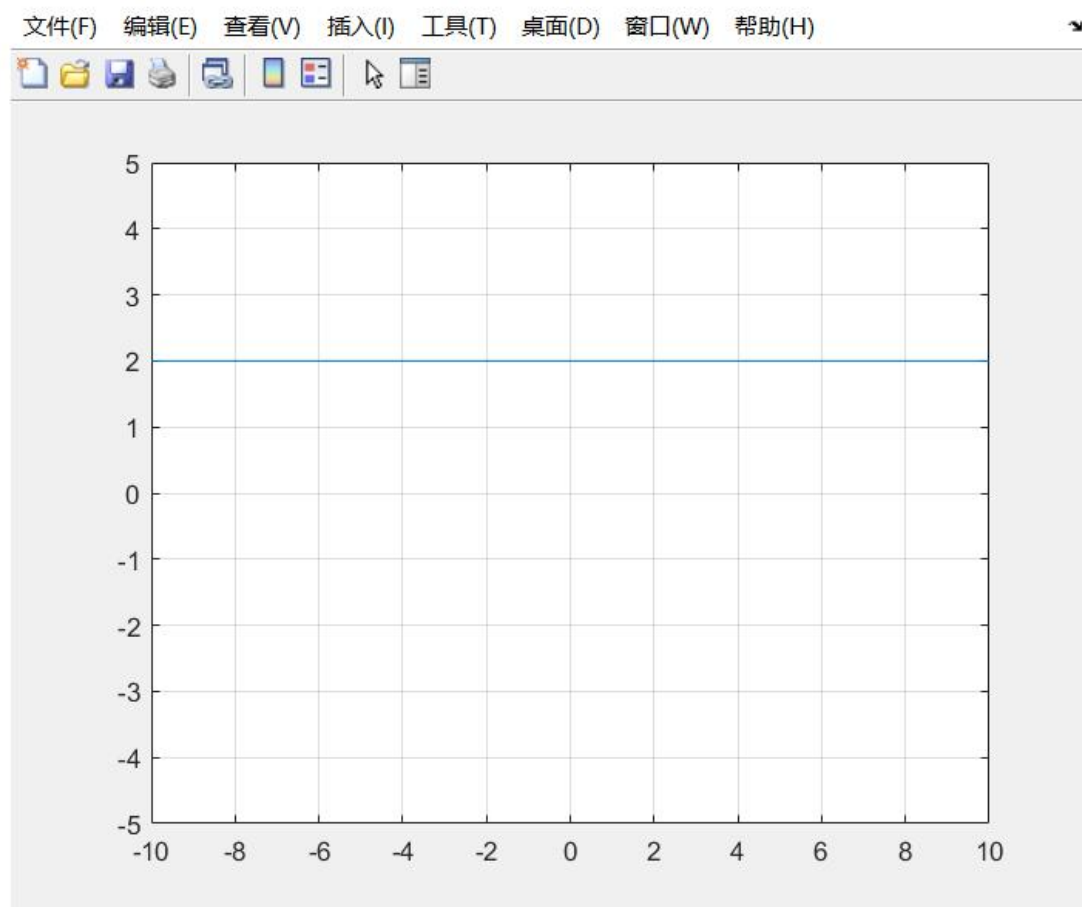


模:

源码:

```
t = sym('t');  
ft = abs(2*exp(1i*(t+pi/6)));  
fplot(ft, [-10,10]);  
axis([-10,10,-5,5]);  
grid on;
```

运行结果



辐角:

源码:

```
t = sym('t');  
ft = angle(2*exp(1i*(t+pi/6)));  
fplot(ft, [-10,10]);  
axis([-10,10,-5,5]);  
grid on;
```

运行结果

