Advanced Cloth Simulation Using C++ and OpenGL

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Demo

Overview

- The project implementation can be explained in 2 steps:
 - 1. Simulating Cloth
 - 2. Rendering Scene

 Mass-spring systems provide a simple yet practical method for simulating cloths

• However, obtaining realistic material behaviors typically requires constitutive parameters that result in numerically stiff systems.

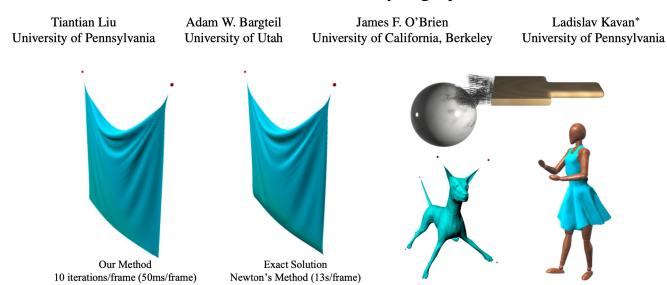
 Explicit time integration methods are fast but when applied to these stiff systems they have stability problems and are prone to failure

• Traditional methods for implicit integration remain stable but require solving large systems of equations.

 The high cost of solving these systems of equations limits their utility for real-time applications.

 However, the following research paper proposes a fast implicit solver for standard mass- spring systems with spring forces governed by Hooke's law

Fast Simulation of Mass-Spring Systems



http://graphics.berkeley.edu/papers/Liu-FSM-2013-11/Liu-FSM-2013-11.pdf

• Main idea: The implicit Euler method can be expressed as an <u>energy</u> <u>minimization problem</u>. This minimization problem, then, can be solved using <u>block coordinate descent method</u>

The equation (a discretized version of Newton's second law F = Ma)

$$\mathbf{q}_{n+1} - 2\mathbf{q}_n + \mathbf{q}_{n-1} = h^2 \mathbf{M}^{-1} \mathbf{f}(\mathbf{q}_{n+1})$$

 q_{n-1} : Vertices in the previous time step

q_n: Vertices in the current time step

 \mathbf{q}_{n+1} : Vertices in the next time step

H: Time step

 $f(q_{n+1})$: Forces acting on the vertices in the next time step

M⁻¹: Inverse Mass Matrix

Is turned into an optimization problem

$$\min_{\mathbf{x} \in \mathbf{R}^{3m}, \ \mathbf{d} \in U} \ \frac{1}{2} \mathbf{x}^\mathsf{T} (\mathbf{M} + h^2 \mathbf{L}) \mathbf{x} - h^2 \mathbf{x}^\mathsf{T} \mathbf{J} \mathbf{d} + \mathbf{x}^\mathsf{T} \mathbf{b}$$

The value of x that will minimize the above equation is the vertices in the next time step

 Differentiating the equation and equating it to zero results in the final equation to be implemented:

$$\left(M+h^2L\right)\cdot \chi = h^2\cdot JJ-b$$

This linear equation will be solved using the technique Block Coordinate Descent (explained in the paper)

- The project features:
 - Physically-Based Rendering (PBR):
 - PBR simulates the way light interacts with surfaces, providing a more realistic and dynamic range of visual effects.
 - Used for rendering direct lighting and radiance, PBR enhances the realism of the cloth texture and its interaction with light.

- Image-Based Lighting (IBL):
 - IBL is a technique that uses images to create realistic lighting effects, particularly for indirect light sources
 - Implements indirect lighting and irradiance, adding depth and richness to the scene, especially in shadows and reflections

• HDR Skybox:

- An HDR (High Dynamic Range) Skybox creates a more lifelike and vibrant background, offering a broader range of light and color intensities.
- The HDR Skybox contributes to the overall lighting and ambiance of the scene, affecting how the cloth appears in different environmental settings.

• Fog Rendering:

- Utilizes a simple exponential function to simulate fog, adding a layer of atmospheric depth to the scene
- Fog rendering enhances the sense of realism and scale, particularly in large or outdoor scenes

Resources

- Fast Simulation of Mass-Spring Systems:
 http://graphics.berkeley.edu/papers/Liu-FSM-2013-11/Liu-FSM-2013-11.pdf
- 3D Models: https://www.cgtrader.com
- PBR Materials: https://freepbr.com/c/base-metals/
- HDR Skybox: https://polyhaven.com/hdris/skies

Questions?

Thank You