# **Assignment 4**

# **Sequences In Deep Learning**

#### RNN utils

```
In [0]:
```

```
import numpy as np
def softmax(x):
   e x = np.exp(x - np.max(x))
    return e_x / e_x.sum(axis=0)
def sigmoid(x):
    return 1 / (1 + np.exp(-x))
def initialize adam(parameters) :
   Initializes v and s as two python dictionaries with:
                - keys: "dW1", "db1", ..., "dWL", "dbL"
                - values: numpy arrays of zeros of the same shape as the corresponding gradients/parameters.
   Arguments:
   parameters -- python dictionary containing your parameters.
                    parameters["W" + str(l)] = Wl
                    parameters["b" + str(l)] = bl
   Returns:
   v -- python dictionary that will contain the exponentially weighted average of the gradient.
                    v["dW" + str(l)] = \dots
                    v["db" + str(l)] = \dots
   s -- python dictionary that will contain the exponentially weighted average of the squared gradient.
                    s["d\widetilde{W}" + str(l)] = \dots
                    s["db" + str(l)] = \dots
   L = len(parameters) // 2 # number of layers in the neural networks
   s = \{\}
   # Initialize v, s. Input: "parameters". Outputs: "v, s".
   for l in range(L):
   ### START CODE HERE ### (approx. 4 lines)
        v["dW" + str(l+1)] = np.zeros(parameters["W" + str(l+1)].shape)
        v["db" + str(l+1)] = np.zeros(parameters["b" + str(l+1)].shape)
        s["dW" + str(l+1)] = np.zeros(parameters["W" + str(l+1)].shape)
        s["db" + str(l+1)] = np.zeros(parameters["b" + str(l+1)].shape)
   ### END CODE HERE ###
    return v, s
def update_parameters_with_adam(parameters, grads, v, s, t, learning_rate = 0.01,
                                beta1 = 0.9, beta2 = 0.999, epsilon = 1e-8):
   Update parameters using Adam
   Arguments:
   parameters -- python dictionary containing your parameters:
                    parameters['W' + str(l)] = Wl
                    parameters['b' + str(l)] = bl
   grads -- python dictionary containing your gradients for each parameters:
                    grads['dW'' + str(l)] = dWl
                    grads['db' + str(l)] = dbl
   v -- Adam variable, moving average of the first gradient, python dictionary
   s -- Adam variable, moving average of the squared gradient, python dictionary
   learning_rate -- the learning rate, scalar.
   betal -- Exponential decay hyperparameter for the first moment estimates
   beta2 -- Exponential decay hyperparameter for the second moment estimates
   epsilon -- hyperparameter preventing division by zero in Adam updates
```

```
Returns:
       parameters -- python dictionary containing your updated parameters
       v -- Adam variable, moving average of the first gradient, python dictionary
       s -- Adam variable, moving average of the squared gradient, python dictionary
      L = len(parameters) // 2
                                                                                  # number of layers in the neural networks
      v corrected = {}
                                                                                   # Initializing first moment estimate, python dictionary
       s_corrected = {}
                                                                                  # Initializing second moment estimate, python dictionary
       # Perform Adam update on all parameters
       for l in range(L):
              # Moving average of the gradients. Inputs: "v, grads, beta1". Output: "v".
              ### START CODE HERE ### (approx. 2 lines)
              v["dW" + str(l+1)] = beta1 * v["dW" + str(l+1)] + (1 - beta1) * grads["dW" + str(l+1)]
              v["db" + str(l+1)] = beta1 * v["db" + str(l+1)] + (1 - beta1) * grads["db" + str(l+1)]
              ### END CODE HERE ###
              # Compute bias-corrected first moment estimate. Inputs: "v, beta1, t". Output: "v corrected".
              ### START CODE HERE ### (approx. 2 lines)
              v_{corrected["db" + str(l+1)]} = v["db" + str(l+1)] / (1 - beta1**t)
              ### END CODE HERE ###
              # Moving average of the squared gradients. Inputs: "s, grads, beta2". Output: "s".
              ### START CODE HERE ### (approx. 2 lines)
              s["dW" + str(l+1)] = beta2 * s["dW" + str(l+1)] + (1 - beta2) * (grads["dW" + str(l+1)] ** 2)
              s["db" + str(l+1)] = beta2 * s["db" + str(l+1)] + (1 - beta2) * (grads["db" + str(l+1)] ** 2)
              ### END CODE HERE ###
              # Compute bias-corrected second raw moment estimate. Inputs: "s, beta2, t". Output: "s corrected".
              ### START CODE HERE ### (approx. 2 lines)
              s corrected["dW" + str(l+1)] = s["dW" + str(l+1)] / (1 - beta2 ** t)
              s corrected["db" + str(l+1)] = s["db" + str(l+1)] / (1 - beta2 ** t)
              ### END CODE HERE ###
              # Update parameters. Inputs: "parameters, learning rate, v corrected, s corrected, epsilon". Output:
"parameters".
              ### START CODE HERE ### (approx. 2 lines)
              parameters["W" + str(l+1)] = parameters["W" + str(l+1)] - learning_rate * v_corrected["dW" + str(l+1)]
)] / np.sqrt(s corrected["dW" + str(l+1)] + epsilon)
              parameters["b" + str(l+1)] = parameters["b" + str(l+1)] - learning\_rate * v\_corrected["db" + str(l+1)] + str(l+1) + str
)] / np.sqrt(s corrected["db" + str(l+1)] + epsilon)
              ### END CODE HERE ###
       return parameters, v, s
```

## **RNN Forward**

```
In [0]:
def rnn cell forward(xt, a prev, parameters):
    Implements a single forward step of the RNN-cell as described in Figure (2)
    Arguments:
    xt -- your input data at timestep "t", numpy array of shape (n_x, m).
    a prev -- Hidden state at timestep "t-1", numpy array of shape (n a, m)
    parameters -- python dictionary containing:
                        Wax -- Weight matrix multiplying the input, numpy array of shape (n \ a, \ n \ x)
                        Waa -- Weight matrix multiplying the hidden state, numpy array of shape (n a, n a)
                        Wya -- Weight matrix relating the hidden-state to the output, numpy array of shape (
n_y, n_a)
                        ba -- Bias, numpy array of shape (n a, 1)
                        by -- Bias relating the hidden-state to the output, numpy array of shape (n y, 1)
    Returns:
    a next -- next hidden state, of shape (n a, m)
    yt pred -- prediction at timestep "t", numpy array of shape (n y, m)
    cache -- tuple of values needed for the backward pass, contains (a_next, a_prev, xt, parameters)
    # Retrieve parameters from "parameters"
    Wax = parameters["Wax"]
    Waa = parameters["Waa"]
    Wya = parameters["Wya"]
    ba = parameters["ba"]
    by = parameters["by"]
    ### START CODE HERE ###
    # compute next activation state using the formula given above
    a next = np.tanh(Wax.dot(xt) + Waa.dot(a prev) + ba)
    # compute output of the current cell using the formula given above
    yt pred = softmax(Wya.dot(a next) + by)
    ### END CODE HERE ###
    # store values you need for backward propagation in cache
    cache = (a_next, a_prev, xt, parameters)
    return a next, yt pred, cache
In [60]:
np.random.seed(1)
xt = np.random.randn(3,10)
a prev = np.random.randn(5,10)
Waa = np.random.randn(5,5)
Wax = np.random.randn(5,3)
```

```
Wya = np.random.randn(2,5)
ba = np.random.randn(5,1)
by = np.random.randn(2,1)
parameters = {"Waa": Waa, "Wax": Wax, "Wya": Wya, "ba": ba, "by": by}
a_next, yt_pred, cache = rnn_cell_forward(xt, a_prev, parameters)
print("a_next[4] = ", a_next[4])
print("a_next.shape = ", a_next.shape)
print("yt_pred[1] =", yt_pred[1])
print("yt pred.shape = ", yt_pred.shape)
a_next[4] = [ 0.59584544  0.18141802  0.61311866  0.99808218  0.85016201  0.99980978
 -0.18887155 0.99815551 0.6531151
                                    0.82872037]
a next.shape = (5, 10)
yt_pred[1] = [0.9888161  0.01682021  0.21140899  0.36817467  0.98988387  0.88945212
 0.36920224 0.9966312 0.9982559 0.17746526]
yt_pred.shape = (2, 10)
```

return a, y pred, caches

```
def rnn forward(x, a0, parameters):
    Implement the forward propagation of the recurrent neural network described in Figure (3).
    x -- Input data for every time-step, of shape (n_x, m, T_x).
    a0 -- Initial hidden state, of shape (n a, m)
    parameters -- python dictionary containing:
                         Waa -- Weight matrix multiplying the hidden state, numpy array of shape (n_a, n_a)
                         Wax -- Weight matrix multiplying the input, numpy array of shape (n \ a, \ n \ x)
                         Wya -- Weight matrix relating the hidden-state to the output, numpy array of shape (
n_y, n_a)
                         ba -- Bias numpy array of shape (n a, 1)
                         by -- Bias relating the hidden-state to the output, numpy array of shape (n y, 1)
    Returns:
    a -- Hidden states for every time-step, numpy array of shape (n_a, m, T_x)
    y_pred -- Predictions for every time-step, numpy array of shape (n_y, m, T_x)
    caches -- tuple of values needed for the backward pass, contains (list of caches, x)
    # Initialize "caches" which will contain the list of all caches
    caches = []
    \# Retrieve dimensions from shapes of x and Wy
    n_x, m, T_x = x.shape
    n_y, n_a = parameters["Wya"].shape
    ### START CODE HERE ###
    # initialize "a" and "y" with zeros
    a = np.zeros((n_a, m, T_x))
    y_pred = np.zeros((n_y, m, T_x))
    # Initialize a_next
    a next = a0
    # loop over all time-steps
    for t in range(T x):
        # Update next hidden state, compute the prediction, get the cache
        a_next, y, cache = rnn_cell_forward(x[:, :, t], a_next, parameters)
# Save the value of the new "next" hidden state in a
        a[:, :, t] = a_next
        # Save the value of the prediction in y
        y_pred[:, :, t] = y
# Append "cache" to "caches"
        caches.append(cache)
    ### END CODE HERE ###
    # store values needed for backward propagation in cache
    caches = (caches, x)
```

```
In [62]:

np.random.seed(1)
x = np.random.randn(3,10,4)
a0 = np.random.randn(5,50)
Wax = np.random.randn(5,5)
Wax = np.random.randn(2,5)
ba = np.random.randn(2,5)
ba = np.random.randn(2,1)
parameters = {"Waa": Waa, "Wax": Wax, "Wya": Wya, "ba": ba, "by": by}
a, y_pred, caches = rnn_forward(x, a0, parameters)
print("a[4][1] = ", a[4][1])
print("a.shape = ", a.shape)
print("y_pred[1][3] = ", y_pred[1][3])
print("y_pred[1][3] = ", caches[1][1][3])
print("caches[1][1][3] = ", caches[1][1][3])
print("len(caches) = ", len(caches))
a[4][1] = [-0.99999375 0.77911235 -0.99861469 -0.99833267]
```

```
a.shape = (5, 10, 4)

y_pred[1][3] = [0.79560373 0.86224861 0.11118257 0.81515947]

y_pred.shape = (2, 10, 4)

caches[1][1][3] = [-1.1425182 -0.34934272 -0.20889423 0.58662319]

len(caches) = 2
```

### **LSTM Forward**

```
def lstm cell forward(xt, a prev, c prev, parameters):
    Implement a single forward step of the LSTM-cell as described in Figure (4)
    Arguments:
    xt -- your input data at timestep "t", numpy array of shape (n_x, m).
    a_prev -- Hidden state at timestep "t-1", numpy array of shape (n_a, m) c_prev -- Memory state at timestep "t-1", numpy array of shape (n_a, m)
    parameters -- python dictionary containing:
                         Wf -- Weight matrix of the forget gate, numpy array of shape (n \ a, \ n \ a + n \ x)
                         bf -- Bias of the forget gate, numpy array of shape (n a, 1)
                         Wi -- Weight matrix of the update gate, numpy array of shape (n_a, n_a + n_x)
                         bi -- Bias of the update gate, numpy array of shape (n a, 1)
                         Wc -- Weight matrix of the first "tanh", numpy array of shape (n \ a, \ n \ a + n \ x)
                         bc -- Bias of the first "tanh", numpy array of shape (n a, 1)
                         Wo -- Weight matrix of the output gate, numpy array of shape (n \ a, \ n \ a + n \ x)
                         bo -- Bias of the output gate, numpy array of shape (n a, 1)
                         Wy -- Weight matrix relating the hidden-state to the output, numpy array of shape (n
_y, n_a)
                         by -- Bias relating the hidden-state to the output, numpy array of shape (n_y, 1)
    Returns:
    a_next -- next hidden state, of shape (n_a, m)
    c next -- next memory state, of shape (n a, m)
    yt pred -- prediction at timestep "t", numpy array of shape (n y, m)
    cache -- tuple of values needed for the backward pass, contains (a_next, c_next, a_prev, c_prev, xt, par
ameters)
    Note: ft/it/ot stand for the forget/update/output gates, cct stands for the candidate value (c tilde),
          c stands for the memory value
    # Retrieve parameters from "parameters"
    Wf = parameters["Wf"]
    bf = parameters["bf"
    Wi = parameters["Wi"]
    bi = parameters["bi"]
    Wc = parameters["Wc"]
    bc = parameters["bc"]
    Wo = parameters["Wo"]
    bo = parameters["bo"]
    Wy = parameters["Wy"]
    by = parameters["by"]
    # Retrieve dimensions from shapes of xt and Wy
    n \times m = xt.shape
    n_y, n_a = Wy.shape
    ### START CODE HERE ###
    # Concatenate a_prev and xt
    concat = np.concatenate((a_prev, xt), axis = 0)
    # Compute values for ft, it, cct, c_next, ot, a_next using the formulas given figure (4)
    ft = sigmoid(Wf.dot(concat) + bf)
    it = sigmoid(Wi.dot(concat) + bi)
    cct = np.tanh(Wc.dot(concat) + bc)
    c_next = ft * c_prev + it * cct
    ot = sigmoid(Wo.dot(concat) + bo)
    a next = ot * np.tanh(c next)
    # Compute prediction of the LSTM cell
    yt pred = softmax(Wy.dot(a next) + by)
    ### END CODE HERE ###
    # store values needed for backward propagation in cache
    cache = (a_next, c_next, a_prev, c_prev, ft, it, cct, ot, xt, parameters)
    return a next, c next, yt pred, cache
```

len(cache) = 10

```
In [64]:
np.random.seed(1)
xt = np.random.randn(3,10)
a_prev = np.random.randn(5,10)
c prev = np.random.randn(5,10)
Wf = np.random.randn(5, 5+3)
bf = np.random.randn(5,1)
Wi = np.random.randn(5, 5+3)
bi = np.random.randn(5,1)
Wo = np.random.randn(5, 5+3)
bo = np.random.randn(5,1)
Wc = np.random.randn(5, 5+3)
bc = np.random.randn(5,1)
Wy = np.random.randn(2,5)
by = np.random.randn(2,1)
parameters = {"Wf": Wf, "Wi": Wi, "Wo": Wo, "Wc": Wc, "Wy": Wy, "bf": bf, "bi": bi, "bo": bo, "bc": bc, "by"
: by}
a_next, c_next, yt, cache = lstm_cell_forward(xt, a_prev, c_prev, parameters)
print("a_next[4] = ", a_next[4])
print("a_next.shape = ", c_next.shape)
print("c_next[2] = ", c_next[2])
print("c_next.shape = ", c_next.shape)
print("yt[1] = ", yt[1])
print("yt.shape = ", yt.shape)
print("cache[1][3] =", cache[1][3])
print("len(cache) = ", len(cache))
a_next[4] = [-0.66408471 0.0036921]
                                        0.02088357 \quad 0.22834167 \quad -0.85575339 \quad 0.00138482
  0.76566531 0.34631421 -0.00215674 0.43827275]
a_next.shape = (5, 10)
c_{\text{next}[2]} = [0.63267805 \ 1.00570849 \ 0.35504474 \ 0.20690913 \ -1.64566718 \ 0.11832942
  0.76449811 -0.0981561 -0.74348425 -0.26810932]
c next.shape = (5, 10)
yt[1] = [0.79913913 \ 0.15986619 \ 0.22412122 \ 0.15606108 \ 0.97057211 \ 0.31146381
 0.00943007 \ 0.12666353 \ 0.39380172 \ 0.07828381]
0.07651101 -1.03752894 1.41219977 -0.37647422]
```

```
In [0]:
```

return a, y, c, caches

```
def lstm forward(x, a0, parameters):
    Implement the forward propagation of the recurrent neural network using an LSTM-cell described in Figure
(3).
   Arauments:
   x -- Input data for every time-step, of shape (n_x, m, T_x).
   a0 -- Initial hidden state, of shape (n_a, m)
   parameters -- python dictionary containing:
                        Wf -- Weight matrix of the forget gate, numpy array of shape (n \ a, \ n \ a + n \ x)
                        bf -- Bias of the forget gate, numpy array of shape (n a, 1)
                        Wi -- Weight matrix of the update gate, numpy array of shape (n_a, n_a + n_x)
                        bi -- Bias of the update gate, numpy array of shape (n a, 1)
                        Wc -- Weight matrix of the first "tanh", numpy array of shape (n \ a, \ n \ a + n \ x)
                        bc -- Bias of the first "tanh", numpy array of shape (n a, 1)
                        Wo -- Weight matrix of the output gate, numpy array of shape (n \ a, \ n \ a + n \ x)
                        bo -- Bias of the output gate, numpy array of shape (n a, 1)
                        Wy -- Weight matrix relating the hidden-state to the output, numpy array of shape (n
_y, n_a)
                        by -- Bias relating the hidden-state to the output, numpy array of shape (n_y, 1)
   Returns:
   a -- Hidden states for every time-step, numpy array of shape (n_a, m, T_x)
   y -- Predictions for every time-step, numpy array of shape (n y, m, T x)
   caches -- tuple of values needed for the backward pass, contains (list of all the caches, x)
   # Initialize "caches", which will track the list of all the caches
   caches = []
   ### START CODE HERE ###
   \# Retrieve dimensions from shapes of x and Wy
   n_x, m, T_x = x.shape
   n_y, n_a = parameters["Wy"].shape
   # initialize "a", "c" and "y" with zeros
a = np.zeros((n_a, m, T_x))
   c = np.zeros((n_a, m, T_x))
   y = np.zeros((n y, m, T x))
   # Initialize a_next and c_next
   a next = a0
   c_next = c[:, :, 0].copy()
    # loop over all time-steps
   for t in range(T x):
        # Update next hidden state, next memory state, compute the prediction, get the cache
        a_next, c_next, yt_pred, cache = lstm_cell_forward(x[:,:,t], a_next, c_next, parameters)
        # Save the value of the new "next" hidden state in a
        a[:,:,t] = a next
        # Save the value of the prediction in y
        y[:,:,t] = yt_pred
        # Save the value of the next cell state
        c[:,:,t] = c next
        # Append the cache into caches
        caches.append(cache)
   ### END CODE HERE ###
   # store values needed for backward propagation in cache
   caches = (caches, x)
```

```
In [66]:
np.random.seed(1)
x = np.random.randn(3,10,7)
a0 = np.random.randn(5,10)
Wf = np.random.randn(5, 5+3)
bf = np.random.randn(5,1)
Wi = np.random.randn(5, 5+3)
bi = np.random.randn(5,1)
Wo = np.random.randn(5, 5+3)
bo = np.random.randn(5,1)
Wc = np.random.randn(5, 5+3)
bc = np.random.randn(5,1)
Wy = np.random.randn(2,5)
by = np.random.randn(2,1)
parameters = {"Wf": Wf, "Wi": Wi, "Wo": Wo, "Wc": Wc, "Wy": Wy, "bf": bf, "bi": bi, "bo": bo, "bc": bc, "by"
a, y, c, caches = lstm_forward(x, a0, parameters)
print("a[4][3][6] = ", a[4][3][6])
print("a.shape = ", a.shape)
print("y[1][4][3] =", y[1][4][3])
print("y.shape = ", y.shape)
print("caches[1][1[1]] =", caches[1][1][1])
print("c[1][2][1]", c[1][2][1])
print("len(caches) = ", len(caches))
```

#### **GRU Forward**

return c next, yt pred, cache

```
def gru cell forward(xt, c prev, parameters):
   Implement a single forward step of the GRU-cell
   Arguments:
   xt -- your input data at timestep "t", numpy array of shape (n_x, m).
   c prev -- Memory state at timestep "t-1", numpy array of shape (n_a, m)
   parameters -- python dictionary containing:
                        Wu -- Weight matrix of the relevant gate, numpy array of shape (n_a, n_a + n_x)
                        bu -- Bias of the relevant gate, numpy array of shape (n_a, 1)
                        Wr -- Weight matrix of the reset gate, numpy array of shape (n \ a, \ n \ a + n \ x)
                        br -- Bias of the reset gate, numpy array of shape (n_a, 1)
                        Wc -- Weight matrix of the first "tanh", numpy array of shape (n_a, n_a + n_x)
                        bc -- Bias of the first "tanh", numpy array of shape (n a, 1)
                        Wy -- Weight matrix relating the hidden-state to the output, numpy array of shape (n
_y, n_a)
                        by -- Bias relating the hidden-state to the output, numpy array of shape (n y, 1)
   Returns:
   c_next -- next memory state, of shape (n_a, m)
   yt pred -- prediction at timestep "t", numpy array of shape (n y, m)
   cache -- tuple of values needed for the backward pass, contains (a_next, c_next, a_prev, c_prev, xt, par
ameters)
   Note: ut/rt stand for the relevant/reset gates, cct stands for the candidate value (c tilde),
          c stands for the memory value
   # Retrieve parameters from "parameters"
   Wu = parameters["Wu"]
   bu = parameters["bu"]
   Wr = parameters["Wr"]
   br = parameters["br"]
   Wc = parameters["Wc"]
   bc = parameters["bc"
   Wy = parameters["Wy"]
   by = parameters["by"]
   # Retrieve dimensions from shapes of xt and Wy
   n_x, m = xt.shape
   n_y, n_a = Wy.shape
   ### START CODE HERE ###
   # Concatenate c prev and xt
   concat = np.concatenate((c_prev, xt), axis = 0)
   # Compute values for ut, rt, cct, c next, a next
   ut = sigmoid(Wu.dot(concat) + bu)
   rt = sigmoid(Wr.dot(concat) + br)
   cct = np.tanh(Wc.dot(np.concatenate((rt * c_prev, xt), axis = 0)) + bc)
   c_next = ut * cct + (1 - ut) * c_prev
   a next = c next
   # Compute prediction of the GRU cell
   yt_pred = softmax(Wy.dot(a_next) + by)
   ### END CODE HERE ###
   # store values needed for backward propagation in cache
   cache = (a_next, c_next, c_prev, ut, rt, cct , xt, parameters)
```

```
In [68]:
```

len(cache) = 8

```
np.random.seed(1)
xt = np.random.randn(3,10)
c_{prev} = np.random.randn(5,10)
Wu = np.random.randn(5, 5+3)
bu = np.random.randn(5,1)
Wr = np.random.randn(5, 5+3)
br = np.random.randn(5,1)
Wc = np.random.randn(5, 5+3)
bc = np.random.randn(5,1)
Wy = np.random.randn(2,5)
by = np.random.randn(2,1)
parameters = {"Wu": Wu, "Wr": Wr, "Wc": Wc, "Wy": Wy, "bu": bu, "br": br, "bc": bc, "by": by}
c_next, yt, cache = gru_cell_forward(xt, c_prev, parameters)
print("c_next[2] = ", c_next[2])
print("c_next.shape = ", c_next.shape)
print("yt[1] =", yt[1])
print("yt.shape = ", yt.shape)
print("cache[1][3] =", cache[1][3])
print("len(cache) = ", len(cache))
c_{\text{next}[2]} = [0.96835301 - 0.88762039 0.62503132 0.01958295 0.97551784 0.38587312]
  0.88733595 0.24367956 0.82957926 0.92582788]
c_{\text{next.shape}} = (5, 10)
yt[1] = [0.75531427 0.00261152 0.04392701 0.03915876 0.09527215 0.2514967
 0.1331264 0.10993315 0.01768743 0.53323971]
yt.shape = (2, 10)
```

0.54871199 -0.97785524

cache[1][3] = [-0.45979987 0.95361345 0.44527489 -0.9784312

 $0.92927724 \ -0.68982212 \ 1.99551341 \ -0.49854442]$ 

return y, c, caches

```
def gru forward(x, c0, parameters):
   Implement the forward propagation of the recurrent neural network using an GRU-cell.
   x -- Input data for every time-step, of shape (n_x, m, T_x).
   c0 -- Initial hidden state, of shape (n a, m)
   parameters -- python dictionary containing:
                        Wu -- Weight matrix of the relevant gate, numpy array of shape (n_a, n_a + n_x)
                        bu -- Bias of the relevant gate, numpy array of shape (n_a, 1)
                        Wr -- Weight matrix of the reset gate, numpy array of shape (n_a, n_a + n_x)
                        br -- Bias of the reset gate, numpy array of shape (n_a, 1)
                        Wc -- Weight matrix of the first "tanh", numpy array of shape (n_a, n_a + n_x)
                        bc -- Bias of the first "tanh", numpy array of shape (n a, 1)
                        Wy -- Weight matrix relating the hidden-state to the output, numpy array of shape (n
_y, n_a)
                        by -- Bias relating the hidden-state to the output, numpy array of shape (n y, 1)
   Returns:
   c -- Hidden states for every time-step, numpy array of shape (n_a, m, T_x)
   y -- Predictions for every time-step, numpy array of shape (n_y, m, T_x)
   caches -- tuple of values needed for the backward pass, contains (list of all the caches, x)
   # Initialize "caches", which will track the list of all the caches
   caches = []
   ### START CODE HERE ###
   \# Retrieve dimensions from shapes of x and Wy
   n x, m, T x = x.shape
   n_y, n_a = parameters["Wy"].shape
   # initialize "a", "c" and "y" with zeros
   c = np.zeros((n_a, m, T_x))
   y = np.zeros((n_y, m, T_x))
   # Initialize a next and c next
   c next = c0
   # loop over all time-steps
   for t in range(T x):
       # Update next hidden state, next memory state, compute the prediction, get the cache
       c_next, yt_pred, cache = gru_cell_forward(x[:,:,t], c_next, parameters)
        # Save the value of the prediction in y
       y[:,:,t] = yt_pred
        # Save the value of the next cell state
       c[:,:,t] = c_next
       # Append the cache into caches
        caches.append(cache)
   ### END CODE HERE ###
   # store values needed for backward propagation in cache
   caches = (caches, x)
```

```
In [70]:
np.random.seed(1)
x = np.random.randn(3,10,7)
c0 = np.random.randn(5,10)
Wu = np.random.randn(5, 5+3)
bu = np.random.randn(5,1)
Wr = np.random.randn(5, 5+3)
br = np.random.randn(5,1)
Wc = np.random.randn(5, 5+3)
bc = np.random.randn(5,1)
Wy = np.random.randn(2,5)
by = np.random.randn(2,1)
parameters = {"Wr": Wr, "Wu": Wu, "Wc": Wc, "Wy": Wy, "br": br, "bu": bu, "bc": bc, "by": by}
y, c, caches = gru_forward(x, c0, parameters)
print("y[1][4][3] =", y[1][4][3])
print("y.shape = ", y.shape)
print("caches[1][1[1]] =", caches[1][1][1])
print("c[1][2][1]", c[1][2][1])
print("len(caches) = ", len(caches))
y[1][4][3] = 0.41095408633521757
y.shape = (2, 10, 7)
```

### **RNN Backward**

c[1][2][1] 1.5179668926616001

0.41005165]

len(caches) = 2

```
In [0]:
```

```
def rnn cell backward(da next, cache):
    Implements the backward pass for the RNN-cell (single time-step).
    Arguments:
    da_next -- Gradient of loss with respect to next hidden state
    cache -- python dictionary containing useful values (output of rnn_cell_forward())
    Returns:
    gradients -- python dictionary containing:
                         dx -- Gradients of input data, of shape (n x, m)
                         da_prev -- Gradients of previous hidden state, of shape (n_a, m)
                         dWax -- Gradients of input-to-hidden weights, of shape (n_a, n_x)
                         dWaa -- Gradients of hidden-to-hidden weights, of shape (n a, n a)
                         dba -- Gradients of bias vector, of shape (n a, 1)
    # Retrieve values from cache
    (a_next, a_prev, xt, parameters) = cache
    # Retrieve values from parameters
    Wax = parameters["Wax"]
    Waa = parameters["Waa"]
    Wya = parameters["Wya"]
    ba = parameters["ba"]
    by = parameters["by"]
    ### START CODE HERE ###
   # compute the gradient of tanh with respect to a_next
    dtanh = 1 - (a next ** 2)
    # compute the \overline{g}radient of the loss with respect to Wax
    dxt = np.dot(Wax.T, da next * dtanh)
    dWax = np.dot(da_next * dtanh, xt.T)
    # compute the gradient with respect to Waa
    da_prev = np.dot(Waa.T, da_next * dtanh)
dWaa = np.dot(da_next * dtanh, a_prev.T)
    # compute the gradient with respect to b
    dba = np.sum(dtanh * da_next, axis = 1).reshape((a_next.shape[0],1))
    ### END CODE HERE ###
    # Store the gradients in a python dictionary
    gradients = {"dxt": dxt, "da_prev": da_prev, "dWax": dWax, "dWaa": dWaa, "dba": dba}
    return gradients
```

```
In [72]:
np.random.seed(1)
xt = np.random.randn(3,10)
a_prev = np.random.randn(5,10)
Wax = np.random.randn(5,3)
Waa = np.random.randn(5,5)
Wya = np.random.randn(2,5)
b = np.random.randn(5,1)
by = np.random.randn(2,1)
parameters = {"Wax": Wax, "Waa": Waa, "Wya": Wya, "ba": ba, "by": by}
a next, yt, cache = rnn cell forward(xt, a prev, parameters)
da next = np.random.randn(5,10)
gradients = rnn cell backward(da next, cache)
print("gradients[\"dxt\"][1][2] =", gradients["dxt"][1][2])
print("gradients[\"dxt\"].shape =", gradients["dxt"].shape)
print("gradients[\"da_prev\"][2][3] =", gradients["da_prev"][2][3])
print("gradients[\"da_prev\"].shape =", gradients["da_prev"].shape)
print("gradients[\"dWax\"][3][1] =", gradients["dWax"][3][1])
print("gradients[\"dWax\"].shape =", gradients["dWax"].shape)
print("gradients[\"dWaa\"][1][2] =", gradients["dWaa"][1][2])
print("gradients[\"dWaa\"].shape =", gradients["dWaa"].shape)
print("gradients[\"dba\"][4] =", gradients["dba"][4])
print("gradients[\"dba\"].shape =", gradients["dba"].shape)
gradients["dxt"][1][2] = -0.4605641030588796
gradients["dxt"].shape = (3, 10)
gradients["da_prev"][2][3] = 0.08429686538067724
gradients["da_prev"].shape = (5, 10)
gradients["dWax"][3][1] = 0.39308187392193034
```

gradients["dWax"].shape = (5, 3) gradients["dWaa"][1][2] = -0.28483955786960663 gradients["dWaa"].shape = (5, 5)

gradients["dba"][4] = [0.80517166]
gradients["dba"].shape = (5, 1)

```
In [0]:
def rnn backward(da, caches):
    Implement the backward pass for a RNN over an entire sequence of input data.
   Arguments:
    da -- Upstream gradients of all hidden states, of shape (n_a, m, T_x)
    caches -- tuple containing information from the forward pass (rnn forward)
    Returns:
    gradients -- python dictionary containing:
                        dx -- Gradient w.r.t. the input data, numpy-array of shape (n x, m, T x)
                        {\it da0} -- {\it Gradient w.r.t the initial hidden state, numpy-array of shape (n_a, m)}
                        dWax -- Gradient w.r.t the input's weight matrix, numpy-array of shape (n a, n x)
                        dWaa -- Gradient w.r.t the hidden state's weight matrix, numpy-arrayof shape (n a, n
_a)
                        dba -- Gradient w.r.t the bias, of shape (n a, 1)
    .....
    ### START CODE HERE ###
    # Retrieve values from the first cache (t=1) of caches
    (caches, x) = caches
    (a1, a0, x1, parameters) = caches[0]
    # Retrieve dimensions from da's and x1's shapes
    n_a, m, T_x = da.shape
    n \times m = x1.shape
    # initialize the gradients with the right sizes
    dx = np.zeros(x.shape)
    dWax = np.zeros(parameters['Wax'].shape)
    dWaa = np.zeros(parameters['Waa'].shape)
    dba = np.zeros(parameters['ba'].shape)
    da0 = np.zeros(a0.shape)
    da prevt = np.zeros(a0.shape)
    # Loop through all the time steps
    for t in reversed(range(T x)):
        # Compute gradients at time step t. Choose wisely the "da_next" and the "cache" to use in the backwa
rd propagation step.
        gradients = rnn_cell_backward(da[:,:,t] + da_prevt, caches[t])
        # Retrieve derivatives from gradients
        dxt, da prevt, dWaxt, dWaat, dbat = gradients["dxt"], gradients["da prev"], gradients["dWax"], gradi
ents["dWaa"], gradients["dba"]
        # Increment global derivatives w.r.t parameters by adding their derivative at time-step t
        dx[:, :, t] = dxt
        dWax += dWaxt
        dWaa += dWaat
        dba += dbat
    # Set da0 to the gradient of a which has been backpropagated through all time-steps
    da0 = da prevt
    ### END CODE HERE ###
    # Store the gradients in a python dictionary
    gradients = {"dx": dx, "da0": da0, "dWax": dWax, "dWaa": dWaa, "dba": dba}
    return gradients
```

```
In [74]:
```

```
np.random.seed(1)
x = np.random.randn(3,10,4)
a0 = np.random.randn(5,10)
Wax = np.random.randn(5,3)
Waa = np.random.randn(5,5)
Wya = np.random.randn(2,5)
ba = np.random.randn(5,1)
by = np.random.randn(2,1)
parameters = {"Wax": Wax, "Waa": Waa, "Wya": Wya, "ba": ba, "by": by}
a, y, caches = rnn_forward(x, a0, parameters)
da = np.random.randn(5, 10, 4)
gradients = rnn backward(da, caches)
print("gradients[\"dx\"][1][2] =", gradients["dx"][1][2])
print("gradients[\"dx\"].shape =", gradients["dx"].shape)
print("gradients[\"da0\"][2][3] =", gradients["da0"][2][3])
print("gradients[\"da0\"].shape =", gradients["da0"].shape)
print("gradients[\"dWax\"][3][1] =", gradients["dWax"][3][1])
print("gradients[\"dWax\"].shape =", gradients["dWax"].shape)
print("gradients[\"dWaa\"]][1][2] =", gradients["dWaa"].shape)
print("gradients[\"dWaa\"].shape =", gradients["dWaa"].shape)
print("gradients[\"dba\"][4] =", gradients["dba"][4])
print("gradients[\"dba\"].shape =", gradients["dba"].shape)
gradients["dx"][1][2] = [-2.07101689 -0.59255627 0.02466855 0.01483317]
gradients["dx"].shape = (3, 10, 4)
gradients["da0"][2][3] = -0.31494237512664996
gradients["da0"].shape = (5, 10)
gradients["dWax"][3][1] = 11.264104496527777
```

## **GRU Backward**

gradients["dWax"].shape = (5, 3)

gradients["dba"][4] = [-0.74747722] gradients["dba"].shape = (5, 1)

gradients["dWaa"][1][2] = 2.303333126579893 gradients["dWaa"].shape = (5, 5)

```
def gru cell backward(da next, cache):
        Implements the backward pass for the RNN-cell (single time-step).
        Arguments:
        da next -- Gradient of loss with respect to next hidden state
        cache -- python dictionary containing useful values (output of rnn cell forward())
        Returns:
        gradients -- python dictionary containing:
                                                dx -- Gradients of input data, of shape (n x, m)
                                                da prev -- Gradients of previous hidden state, of shape (n a, m)
                                                dWax -- Gradients of input-to-hidden weights, of shape (n_a, n_x)
                                                dWaa -- Gradients of hidden-to-hidden weights, of shape (\overline{n} \ a, \overline{n} \ a)
                                                dba -- Gradients of bias vector, of shape (n a, 1)
        # Retrieve values from cache
        (a_next, c_next, c_prev, ut, rt, cct , xt, parameters) = cache
        # Retrieve parameters from "parameters"
        Wu = parameters["Wu"]
        bu = parameters["bu"]
        Wr = parameters["Wr'
        br = parameters["br"]
        Wc = parameters["Wc"]
        bc = parameters["bc"]
        Wy = parameters["Wy"]
        by = parameters["by"]
        n \times m = xt.shape
        n c, = c prev.shape
        ### START CODE HERE ###
        c_diff = (cct - c_prev)
        cx = np.concatenate((c_prev, xt), axis = 0)
        rcx = np.concatenate((c prev * rt, xt), axis = 0)
        c0 = np.concatenate((c_prev, np.zeros(xt.shape)), axis = 0)
        r0 = np.concatenate((rt, np.zeros(xt.shape)), axis = 0)
        dWu = (da next * c diff * ut * (1 - ut)).dot(cx.T)
        dbu = np.sum(da_next * c_diff * ut * (1 - ut), axis = 1).reshape((-1, 1))
        dWc = (da_next * ut * (1 - cct**2)).dot(rcx.T)
        dbc = np.\overline{sum}(da \ next * ut * (1 - cct**2), axis = 1).reshape((-1, 1))
         da\_prev = da\_next * (1 - ut) + Wu[:,:n\_c].T.dot(da\_next * c\_diff * ut * (1 - ut)) + da\_next * ut * 
cct**2) * Wc.dot(r0) + Wr[:,:n_c].T.dot(da_next * ut * (1 - cct ** 2) * Wc.dot(c0) * rt * (1 - rt)) 
dxt = Wu[:,n_c:].T.dot(da_next * c_diff * ut * (1 - ut)) + Wc[:,n_c:].T.dot(da_next * ut * (1 - cct**2))
+ Wr[:,n c:].T.dot(da next * ut * (1 - cct**2) * Wc.dot(c0) * rt * (1-rt))
        ### END CODE HERE ###
        # Store the gradients in a python dictionary
        gradients = {"dxt": dxt, "da_prev": da_prev, "dc_prev": da_prev, "dWu": dWu, "dWr": dWr, "dWc": dWc, "db
c": dbc, "dbu": dbu, "dbr": dbr}
        return gradients
```

```
In [212]:
np.random.seed(1)
xt = np.random.randn(3,10)
c_{prev} = np.random.randn(5,10)
\overline{Wu} = np.random.randn(5, 5+3)
bu = np.random.randn(5,1)
Wr = np.random.randn(5, 5+3)
br = np.random.randn(5,1)
Wc = np.random.randn(5, 5+3)
bc = np.random.randn(5,1)
Wy = np.random.randn(2,5)
by = np.random.randn(2,1)
parameters = {"Wu": Wu, "Wr": Wr, "Wc": Wc, "Wy": Wy, "bu": bu, "br": br, "bc": bc, "by": by}
c next, yt, cache = gru cell forward(xt, c prev, parameters)
da next = np.random.randn(5,10)
gradients = gru_cell_backward(da_next, cache)
print("gradients[\"dxt\"][1][2] =", gradients["dxt"][1][2])
print("gradients[\"dxt\"].shape =", gradients["dxt"].shape)
print("gradients[\"da_prev\"][2][3] =", gradients["da_prev"][2][3])
print("gradients[\"da_prev\"].shape =", gradients["da_prev"].shape)
print("gradients[\"dWu\"][3][1] =", gradients["dWu"][3][1])
print("gradients[\"dWu\"].shape =", gradients["dWu"].shape)
print("gradients[\"dWc\"][1][2] =", gradients["dWc"][1][2])
print("gradients[\"dWc\"].shape =", gradients["dWc"].shape)
print("gradients[\"dbr\"][4] =", gradients["dbr"][4])
print("gradients[\"dbr\"].shape =", gradients["dbr"].shape)
gradients["dxt"][1][2] = -0.5587102488376965
gradients["dxt"].shape = (3, 10)
gradients["da_prev"][2][3] = 0.07043422916503733
gradients["da_prev"].shape = (5, 10)
```

```
gradients["dxt"][1][2] = -0.5587102488376965
gradients["dxt"].shape = (3, 10)
gradients["da_prev"][2][3] = 0.07043422916503733
gradients["da_prev"].shape = (5, 10)
gradients["dWu"][3][1] = -0.0907624548994332
gradients["dWu"].shape = (5, 8)
gradients["dWc"][1][2] = -0.28268841181863846
gradients["dWc"].shape = (5, 8)
gradients["dbr"][4] = [0.08794573]
gradients["dbr"].shape = (5, 1)
```

```
def gru backward(da, caches):
   Implement the backward pass for a RNN over an entire sequence of input data.
   Arguments:
   da -- Upstream gradients of all hidden states, of shape (n a, m, T x)
   caches -- tuple containing information from the forward pass (rnn forward)
   Returns:
   gradients -- python dictionary containing:
                        dx -- Gradient w.r.t. the input data, numpy-array of shape (n x, m, T x)
                        da0 -- Gradient w.r.t the initial hidden state, numpy-array of shape (n a, m)
                        dWax -- Gradient w.r.t the input's weight matrix, numpy-array of shape (n a, n x)
                        dWaa -- Gradient w.r.t the hidden state's weight matrix, numpy-arrayof shape (n a, n
_a)
                        dba -- Gradient w.r.t the bias, of shape (n a, 1)
    .....
   ### START CODE HERE ###
    # Retrieve values from the first cache (t=1) of caches
    (caches, x) = caches
    (a_next, c_next, c_prev, ut, rt, cct , xt, parameters) = caches[0]
   # Retrieve dimensions from da's and x1's shapes
   n_a, m, T_x = da.shape
   n \times m = xt.shape
   # initialize the gradients with the right sizes
   dx = np.zeros(x.shape)
   dWu = np.zeros(parameters['Wu'].shape)
   dWr = np.zeros(parameters['Wr'].shape)
   dWc = np.zeros(parameters['Wc'].shape)
   dbu = np.zeros(parameters['bu'].shape)
   dbr = np.zeros(parameters['br'].shape)
   dbc = np.zeros(parameters['bc'].shape)
   dc0 = np.zeros(c prev.shape)
   dc prevt = np.zeros(c prev.shape)
   # Loop through all the time steps
   for t in reversed(range(T x)):
       # Compute gradients at time step t. Choose wisely the "da_next" and the "cache" to use in the backwa
rd propagation step.
       gradients = gru_cell_backward(da[:,:,t] + dc_prevt, caches[t])
        # Retrieve derivatives from gradients
       dxt, dc prevt, dWut, dWrt, dWct, dbut, dbrt, dbct = gradients["dxt"], gradients["dc prev"], gradient
s["dWu"], gradients["dWr"], gradients["dWc"], gradients["dbu"], gradients["dbr"], gradients["dbc"]
        # Increment global derivatives w.r.t parameters by adding their derivative at time-step t
        dx[:, :, t] = dxt
        dWu += dWut
        dWr += dWrt
        dWc += dWct
       dbu += dbut
        dbr += dbrt
        dbc += dbct
   # Set da0 to the gradient of a which has been backpropagated through all time-steps
   dc0 = dc prevt
   ### END CODE HERE ###
   # Store the gradients in a python dictionary
   gradients = {"dx": dx, "dc0": dc0, "dWu": dWu, "dWr": dWr, "dWc": dWc, "dbc": dbc, "dbu": dbu, "dbr": db
r}
    return gradients
```

```
In [214]:
```

```
np.random.seed(1)
x = np.random.randn(3,10,7)
c0 = np.random.randn(5,10)
Wu = np.random.randn(5, 5+3)
bu = np.random.randn(5,1)
Wr = np.random.randn(5, 5+3)
br = np.random.randn(5,1)
Wc = np.random.randn(5, 5+3)
bc = np.random.randn(5,1)
Wy = np.random.randn(2,5)
by = np.random.randn(2,1)
parameters = {"Wr": Wr, "Wu": Wu, "Wc": Wc, "Wy": Wy, "br": br, "bu": bu, "bc": bc, "by": by}
y, c, caches = gru forward(x, c0, parameters)
da = np.random.randn(5, 10, 4)
gradients = gru_backward(da, caches)
print("gradients[\"dx\"][1][2] = ", gradients["dx"][1][2])
print("gradients[\"dx\"].shape =", gradients["dx"].shape)
print("gradients[\"dc0\"][2][3] =", gradients["dc0"][2][3])
print("gradients[\"dWc\"][1][2] =", gradients["dWc"][1][2])
print("gradients[\"dWc\"].shape =", gradients["dWc"].shape)
print("gradients[\"dbr\"][4] =", gradients["dbr"][4])
print("gradients[\"dbr\"].shape =", gradients["dbr"].shape)
gradients["dx"][1][2] = [-0.53193461 - 0.4208328 - 0.507653
                                                           -0.54948361 0.
                                                                                    0.
gradients["dx"].shape = (3, 10, 7)
gradients["dc0"][2][3] = -2.464280256218576
gradients["dc0"].shape = (5, 10)
gradients["dWu"][3][1] = 1.6118495631921883
gradients["dWu"].shape = (5, 8)
gradients["dWc"][1][2] = 0.04836978742650893
gradients["dWc"].shape = (5, 8)
gradients["dbr"][4] = [0.77298005]
gradients["dbr"].shape = (5, 1)
```

# **Sentiment Analysis**

```
In [0]:
```

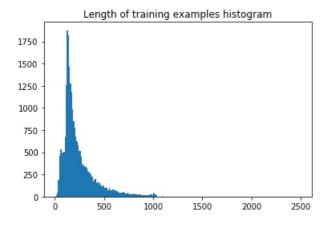
```
from tensorflow.keras.datasets import imdb
from tensorflow.keras.preprocessing import sequence
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from tensorflow.keras.layers import SimpleRNN, LSTM, GRU
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import Dense, Activation, Dropout
from tensorflow.keras.layers import Input
from tensorflow.train import AdamOptimizer
from tensorflow.keras.layers import Embedding
import tensorflow as tf
import numpy as np
import os
```

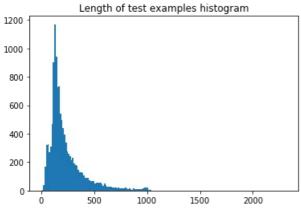
```
In [0]:
```

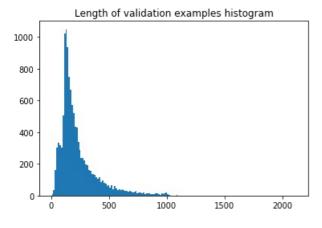
```
num_words = 2000
(x_train, y_train), (x_test, y_test) = imdb.load_data(path="imdb.npz", num_words = num_words)
```

```
x_test, x_val, y_test, y_val = train_test_split(x_test, y_test, test_size=0.5, random_state=1)
print('training samples size : ', x train.shape)
print('test samples size : ', x_test.shape)
print('validation samples size : ', x_val.shape)
lens = [len(x) for x in x_train]
plt.hist(lens, bins='auto')
plt.title('Length of training examples histogram')
plt.show()
maxlen = 0
maxlen = max(maxlen, np.max(lens))
lens = [len(x) for x in x_test]
plt.hist(lens, bins='auto')
plt.title('Length of test examples histogram')
plt.show()
maxlen = max(maxlen, np.max(lens))
lens = [len(x) for x in x val]
plt.hist(lens, bins='auto')
plt.title('Length of validation examples histogram')
plt.show()
maxlen = max(maxlen, np.max(lens))
```

training samples size : (25000,) test samples size : (12500,) validation samples size : (12500,)







```
In [23]:
print('current max : ', maxlen)
maxlen = 500
print('our max : ', maxlen)
x_train = sequence.pad_sequences(x_train, maxlen=maxlen)
x_test = sequence.pad_sequences(x_test, maxlen=maxlen)
x_val = sequence.pad_sequences(x_val, maxlen=maxlen)
current max: 2494
our max : 500
In [24]:
print('training samples size : ', x train.shape)
print('test samples size : ', x test.shape)
print('validation samples size : ', x val.shape)
training samples size : (25000, 500)
test samples size : (12500, 500)
validation samples size : (12500, 500)
In [25]:
try:
    device name = os.environ['COLAB TPU ADDR']
    TPU ADDRESS = 'grpc://' + device name
    print('Found TPU at: {}'.format(TPU ADDRESS))
except KeyError:
    print('TPU not found')
batch_size = 64
epochs = 3
learning_rate = 0.001
TPU not found
In [0]:
def RnnModel(input shape):
    model = Sequential()
    model.add(Embedding(num words, 32, input length=input shape[1]))
    model.add(Dropout(0.2))
    model.add(SimpleRNN(1, activation = 'sigmoid'))
    return model
def LstmModel(input_shape):
    model = Sequential()
    model.add(Embedding(num words, 32, input length=input shape[1]))
    model.add(Dropout(0.2))
    model.add(LSTM(1, activation = 'sigmoid'))
    return model
def GruModel(input_shape):
    model = Sequential()
    model.add(Embedding(num words, 32, input length=input shape[1]))
    model.add(Dropout(0.2))
    model.add(GRU(1, activation = 'sigmoid'))
    return model
def DRnnModel(input shape):
    model = Sequential()
    model.add(Embedding(num_words, 32, input_length=input_shape[1]))
    model.add(Dropout(0.2))
    model.add(SimpleRNN(100))
    model.add(Dropout(0.2))
    model.add(Dense(1,kernel initializer = 'normal'))
    model.add(Activation('sigmoid'))
    return model
def DLstmModel(input shape):
    model = Sequential()
    model.add(Embedding(num_words, 32, input_length=input_shape[1]))
    model.add(Dropout(0.2))
    model.add(LSTM(100))
    model.add(Dropout(0.2))
    model.add(Dense(1, kernel_initializer = 'normal'))
    model.add(Activation('sigmoid'))
    return model
def DGruModel(input_shape):
    model = Sequential()
    model.add(Embedding(num_words, 32, input_length=input_shape[1]))
    model.add(Dropout(0.2))
    model add(GRII(100))
```

```
model.add(Dropout(0.2))
    model.add(Dense(1, kernel_initializer = 'normal'))
    model.add(Activation('sigmoid'))
    return model
def test_model(train_X, train_y, val_X, val_y, test_X, test_y, Model, epochs=150, batch_size = 256, verbose
= 0, learning rate = 0.001):
  tup = ()
  tup = tup + (batch_size, )
  tup = tup + train X.shape[1:]
  model = Model(tup)
  model.compile(loss='binary crossentropy', metrics=['accuracy'], optimizer=AdamOptimizer(learning rate))
  model.summary()
   model = tf.contrib.tpu.keras_to_tpu_model(
      model,
#
      strategy=tf.contrib.tpu.TPUDistributionStrategy(
          tf.contrib.cluster_resolver.TPUClusterResolver(TPU_ADDRESS)))
#
 history = model.fit(train_X, train_y, batch_size=batch_size, epochs=epochs, validation data=(val X, val y)
,verbose = verbose)
  # Plot training & validation accuracy values
  plt.plot(history.history['acc'])
  plt.plot(history.history['val_acc'])
  plt.title('Model accuracy')
  plt.ylabel('Accuracy')
  plt.xlabel('Epoch')
  plt.legend(['Train', 'Test'], loc='upper left')
  plt.show()
  # Plot training & validation loss values
  plt.plot(history.history['loss'])
  plt.plot(history.history['val_loss'])
  plt.title('Model loss')
  plt.ylabel('Loss')
  plt.xlabel('Epoch')
  plt.legend(['Train', 'Test'], loc='upper left')
  plt.show()
  print('Last validation loss : ', history.history['val loss'][-1], ' | last training loss : ', history.hist
ory['loss'][-1])
 print('Last validation accuracy : ', history.history['val_acc'][-1], ' | last training accuracy : ', histo
ry.history['acc'][-1])
  score, accuracy = model.evaluate(test_X, test_y, batch_size=batch_size, verbose=0)
  print("Test fraction correct (NN-Score) = {:.2f}".format(score))
  print("Test fraction correct (NN-Accuracy) = {:.2f}".format(accuracy))
```

#### In [27]:

```
print('Simple Rnn model')
test_model(x_train, y_train, x_val, y_val, x_test, y_test, RnnModel, epochs=epochs, batch_size = batch_size,
verbose = 1)
```

#### Simple Rnn model

Layer (type)	Output Shape	Param #
embedding_4 (Embedding)	(None, 500, 32)	64000
dropout_4 (Dropout)	(None, 500, 32)	0
simple_rnn_4 (SimpleRNN)	(None, 1)	34

Total params: 64,034 Trainable params: 64,034 Non-trainable params: 0

Train on 25000 samples, validate on 12500 samples

Epoch 1/3

25000/25000 [============] - 180s 7ms/sample - loss: 0.6856 - acc: 0.5340 - v

al\_loss: 0.6688 - val\_acc: 0.5692

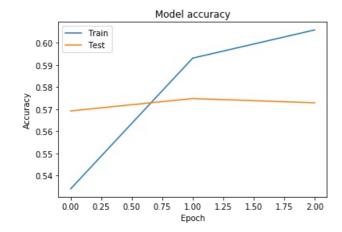
Epoch 2/3

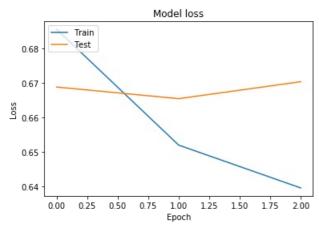
al\_loss: 0.6655 - val\_acc: 0.5748

Epoch 3/3

25000/25000 [=============== ] - 177s 7ms/sample - loss: 0.6396 - acc: 0.6058 - v

al\_loss: 0.6704 - val\_acc: 0.5729





Last validation loss: 0.6703737602424622 | last training loss: 0.6395859066390991

Last validation accuracy: 0.57288 | last training accuracy: 0.60584

Test fraction correct (NN-Score) = 0.67

Test fraction correct (NN-Accuracy) = 0.57

#### In [28]:

print('Simple Lstm model')
test\_model(x\_train, y\_train, x\_val, y\_val, x\_test, y\_test, LstmModel, epochs=epochs, batch\_size = batch\_size
, verbose = 1)

#### Simple Lstm model

Layer (type)	Output Shape	Param #
embedding_5 (Embedding)	(None, 500, 32)	64000
dropout_5 (Dropout)	(None, 500, 32)	0
lstm (LSTM)	(None, 1)	136

Total params: 64,136 Trainable params: 64,136 Non-trainable params: 0

Train on 25000 samples, validate on 12500 samples

Epoch 1/3

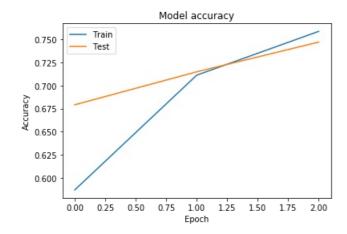
val loss: 0.6214 - val acc: 0.6792

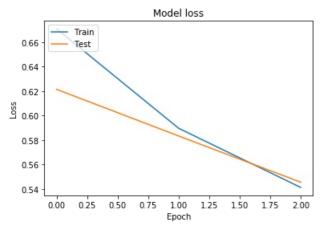
Epoch 2/3

val\_loss: 0.5833 - val\_acc: 0.7149

Epoch 3/3

val\_loss: 0.5456 - val\_acc: 0.7470





Last validation loss : 0.5455560908126831 | last training loss : 0.5412869456672669

Last validation accuracy: 0.74704 | last training accuracy: 0.75864

Test fraction correct (NN-Score) = 0.54

Test fraction correct (NN-Accuracy) = 0.75

#### In [29]:

```
print('Simple Gru model')
test_model(x_train, y_train, x_val, y_val, x_test, y_test, GruModel, epochs=epochs, batch_size = batch_size,
verbose = 1)
```

#### Simple Gru model

Layer (type)	Output Shape	Param #
embedding_6 (Embedding)	(None, 500, 32)	64000
dropout_6 (Dropout)	(None, 500, 32)	0
gru (GRU) 	(None, 1)	102

Total params: 64,102 Trainable params: 64,102 Non-trainable params: 0

Train on 25000 samples, validate on 12500 samples

Epoch 1/3

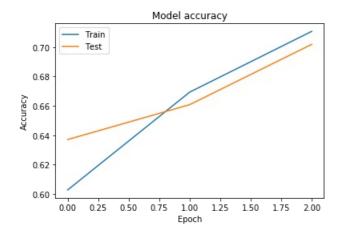
val loss: 0.6319 - val acc: 0.6370

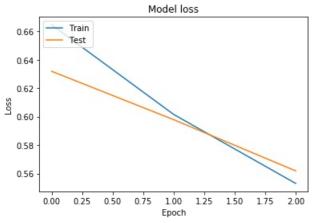
Epoch 2/3

val\_loss: 0.5978 - val\_acc: 0.6608

Epoch 3/3

val\_loss: 0.5618 - val\_acc: 0.7018





Last validation loss : 0.5618470436668396 | last training loss : 0.553029577217102

Last validation accuracy: 0.70184 | last training accuracy: 0.71068

Test fraction correct (NN-Score) = 0.56

Test fraction correct (NN-Accuracy) = 0.71

#### In [30]:

```
print('Rnn model with final dense layer')
test_model(x_train, y_train, x_val, y_val, x_test, y_test, DRnnModel, epochs=epochs, batch_size = batch_size
, verbose = 1)
```

#### Rnn model with final dense layer

Layer (type)	Output Shape	Param #
embedding_7 (Embedding)	(None, 500, 32)	64000
dropout_7 (Dropout)	(None, 500, 32)	0
simple_rnn_5 (SimpleRNN)	(None, 100)	13300
dropout_8 (Dropout)	(None, 100)	0
dense (Dense)	(None, 1)	101
activation (Activation)	(None, 1)	0

Total params: 77,401 Trainable params: 77,401 Non-trainable params: 0

Train on 25000 samples, validate on 12500 samples

Epoch 1/3

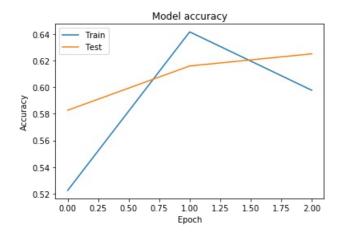
al\_loss: 0.6675 - val\_acc: 0.5827

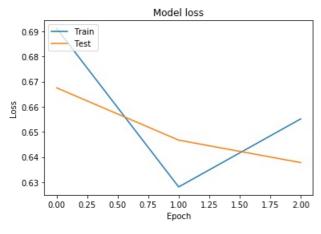
Epoch 2/3

al\_loss: 0.6467 - val\_acc: 0.6160

Epoch 3/3

al\_loss: 0.6378 - val\_acc: 0.6251





Last validation loss: 0.6377987948989868 | last training loss: 0.6551706651687622

Last validation accuracy : 0.62512 | last training accuracy : 0.59776

Test fraction correct (NN-Score) = 0.64 Test fraction correct (NN-Accuracy) = 0.62