

Machine Learning Algorithm using KNN

Step 1: Importing the Dataset

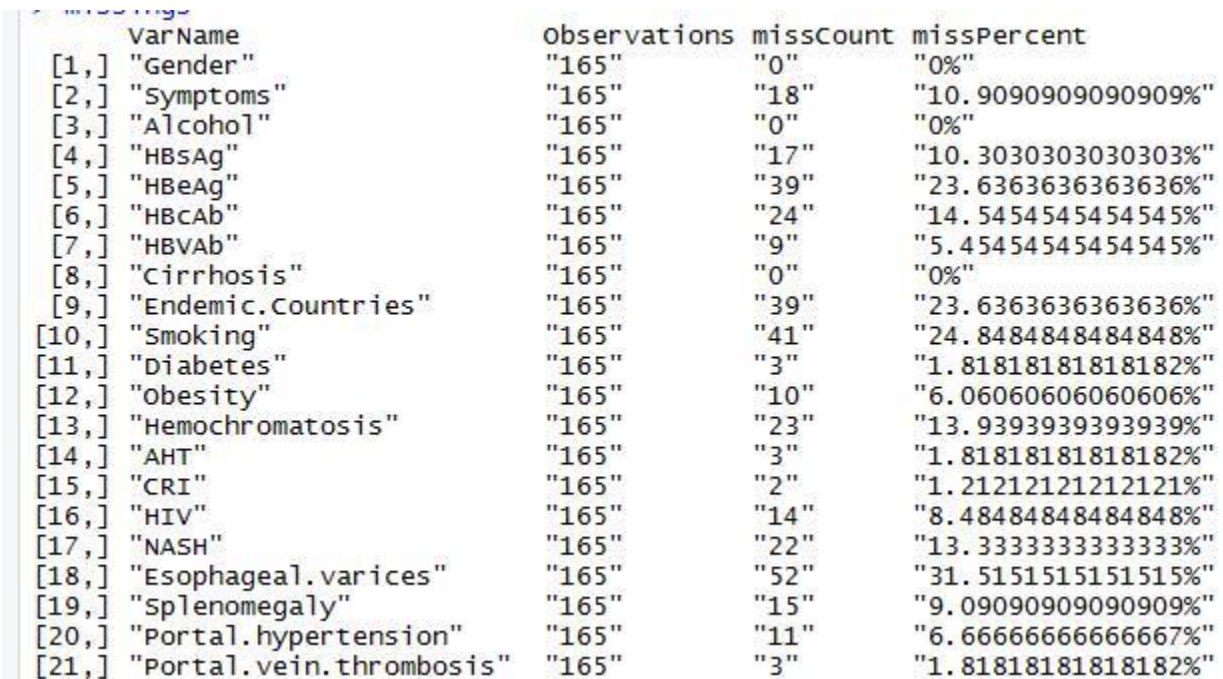
Step 2: Data Imputation

2.1 >>> Imputing '?' with 'NA'

2.2 >>> Un factoring the variables for data imputation

2.3 >>> To check the missing values, and display a missing summary before data imputation.

Screenshot:



	VarName	Observations	missCount	missPercent
[1,]	"Gender"	"165"	"0"	"0%"
[2,]	"Symptoms"	"165"	"18"	"10.909090909090909%"
[3,]	"Alcohol"	"165"	"0"	"0%"
[4,]	"HBsAg"	"165"	"17"	"10.303030303030303%"
[5,]	"HBeAg"	"165"	"39"	"23.636363636363636%"
[6,]	"HBCab"	"165"	"24"	"14.545454545454545%"
[7,]	"HBVAb"	"165"	"9"	"5.454545454545454%"
[8,]	"Cirrhosis"	"165"	"0"	"0%"
[9,]	"Endemic.Countries"	"165"	"39"	"23.636363636363636%"
[10,]	"Smoking"	"165"	"41"	"24.848484848484848%"
[11,]	"Diabetes"	"165"	"3"	"1.8181818181818182%"
[12,]	"Obesity"	"165"	"10"	"6.0606060606060606%"
[13,]	"Hemochromatosis"	"165"	"23"	"13.939393939393939%"
[14,]	"AHT"	"165"	"3"	"1.8181818181818182%"
[15,]	"CRI"	"165"	"2"	"1.2121212121212121%"
[16,]	"HIV"	"165"	"14"	"8.484848484848484%"
[17,]	"NASH"	"165"	"22"	"13.333333333333333%"
[18,]	"Esophageal.varices"	"165"	"52"	"31.515151515151515%"
[19,]	"Splenomegaly"	"165"	"15"	"9.0909090909090909%"
[20,]	"Portal.hypertension"	"165"	"11"	"6.666666666666667%"
[21,]	"Portal.vein.thrombosis"	"165"	"3"	"1.8181818181818182%"

2.4 >>> Using Central Tendency imputing the data

2.5 >>> classifying " Class.1. Year. Survival. " into factors

Step 3: Splitting of the data (training, testing and validation)

Step 4: We have used here KNN classification algorithm machine learning techniques for Model Development

Here The knn() function returns a factor vector of predicted labels for each of the examples in the test dataset, which has been assigned to **y_pred_data**.

Step 5 : -> Performance Measurement:-

Here in this step KNN evaluates how well the predicted classes in the `y_pred_data` vector match up with the known values in the `my_test_data[,50]` dataframe.

With the help of function **CrossTable()** we have created the confusion matrix.

Cell Contents			
			N
	N / Row Total		
	N / Col Total		
	N / Table Total		

Total Observations in Table: 42

my_test_data[, 50]	y_pred_data		
	dies	lives	Row Total
dies	5 0.312 0.556 0.119	11 0.688 0.333 0.262	16 0.381
lives	4 0.154 0.444 0.095	22 0.846 0.667 0.524	26 0.619
Column Total	9 0.214	33 0.786	42

Above output explained below:

The cell percentages in the table indicate the proportion of values that fall into four Categories.

The top-left cell indicates the true negative results. These 5 of 42 values are cases where the patient survival was died and the k-NN algorithm correctly identified it.

The bottom-right cell indicates the true positive results, where the classifier and the survival determined label agree that the patient lived. A total of 22 of 42 predictions were true positives.

The cells falling on the other diagonal contain counts of examples where the k-NN

approach disagreed with the true label.

The examples in the

lower-left cell are false negative results, in this case, the predicted value was died, but the patient lived.

Here 4 cases happened out of 42 cases.

Although such errors are less dangerous as they

might lead a patient to believe that one is going to die, but in reality, the patient may continue to live. Moreover this could lead to additional financial

burden on the health care system or additional stress for the patient as additional tests or treatment may have to be provided.

The top-right cell contain the false positive results

there were 11 cases out of 42, when the model classifies a patient as living, but in reality, it was that patient died.

Although such errors are very dangerous than a false negative result, they should also be avoided as this causes the patient to die due to wrong prediction.

Performance:

Measure of Performance:

The **sensitivity** of a model (also called the true positive rate) measures the proportion of positive examples that were correctly classified.

$\text{Sensitivity} = \text{TP} / (\text{TP} + \text{FN})$

sensitivity ##0.8148148

The **specificity** of a model (also called the true negative rate) measures the proportion of negative examples that were correctly classified.

$\text{Specificity} = \text{TN} / (\text{TN} + \text{FP})$

Specificity 0.2666667

The **Accuracy**:-

The accuracy is $(\text{TP} + \text{TN}) / (\text{TP} + \text{TN} + \text{FP} + \text{FN})$

64 % is the accuracy

Step 5.1:- Now we have to decrease false positive. So, performing the Z scale standardization

Step 5.2 : Again did the data splitting after performing the Z scale standardization over the HCC dataset. Created the Model and checked the Model performance of KNN

So, after this process Accuracy increased to 69%

Total observations in Table: 42

my_test_data[, 50]	y_pred_data		Row Total
	dies	lives	
dies	3	13	16
	0.188	0.812	0.381
	1.000	0.333	
	0.071	0.310	
lives	0	26	26
	0.000	1.000	0.619
	0.000	0.667	
	0.000	0.619	
Column Total	3	39	42
	0.071	0.929	

SVM:

Step 6:

SVMs use a boundary called a hyperplane to partition data into

groups of similar class values, In two dimensions, the task of the SVM algorithm is to identify a line that separates the two classes SVM uses Maximum Margin Hyperplane (MMH) creates the greatest separation between the two classes.

```
> HCC_classifier
Support Vector Machine object of class "ksvm"

SV type: C-svc (classification)
parameter : cost C = 1

Linear (vanilla) kernel function.

Number of Support Vectors : 51

Objective Function value : -15.6394
Training error : 0.04065
> |
```

Step 6.1: checking the Performance using Confusion Matrix:

D:/AMRIT/PGCBAMD/courses/ML/ML_Assignm

```
> conf_matrix
```

```
HCC_predictions dies lives
              dies    9    2
              lives    7   24
```

Now percentage of correction: 78 %

```
> table(HCC_agree)
```

```
HCC_agree
FALSE  TRUE
     9    33
```

```
> prop.table(table(HCC_agree))
```

```
HCC_agree
      FALSE      TRUE
0.2142857 0.7857143
```

```
> |
```

Step 7:- Improving the Accuracy using kernel as Radial

So using Radial we are getting Accuracy of 78 %

```
> HCC_agree <- HCC_predictions == my_
```

```
> table(HCC_agree)
```

```
HCC_agree
FALSE  TRUE
     9    33
```

```
> prop.table(table(HCC_agree))
```

```
HCC_agree
      FALSE      TRUE
0.2142857 0.7857143
```

```
> |
```