Group Number 278: Rossmann Store Sale Analysis

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1. Introduction

Rossmann Store Sales data describes various features related to Store, Sales, Customers, StoreType, Open, StateHoliday, SchoolHoliday, Assortment, CompetitionDistance, Promo. Store Sales are influenced by many factors. We are tasked with predicting their daily sales for up to six weeks in advance. Reliable sales forecasts enable store managers to create effective staff schedules that increase productivity.

2. Data

The dataset hosted by Rossmann company.

This data has been collected from kaggle.com(https://www.kaggle.com/c/rossmann-store-sales/data) and is available in csv format (7 MB). There are 10,17,209 instances(records) and 15 attributes(columns) in the dataset.

Attributes in this dataset are as follows:

- Id an Id that represents a (Store, Date) duple within the test set
- Store a unique Id for each store
- Sales the turnover for any given day (this is what you are predicting)
- Customers the number of customers on a given day
- Open an indicator for whether the store was open: 0 = closed, 1 = open
- StateHoliday indicates a state holiday. Normally all stores, with few exceptions, are closed on state holidays. Note that all schools are closed on public holidays and weekends. a = public holiday, b = Easter holiday, c = Christmas, 0 = None
- SchoolHoliday indicates if the (Store, Date) was affected by the closure of public schools
- StoreType differentiates between 4 different store models: a, b, c, d
- Assortment describes an assortment level: a = basic, b = extra, c = extended
- CompetitionDistance distance in meters to the nearest competitor store
- CompetitionOpenSince [Month/Year] gives the approximate year and month of the time the nearest competitor was opened
- Promo indicates whether a store is running a promo on that day
- Promo2 Promo2 is a continuing and consecutive promotion for some stores: 0 = store is not
 participating, 1 = store is participating
- Promo2Since [Year/Week] describes the year and calendar week when the store started participating in Promo2
- PromoInterval describes the consecutive intervals Promo2 is started, naming the months the
 promotion is started anew. E.g. "Feb, May, Aug, Nov" means each round starts in February, May,
 August, November of any given year for that store

3. Problems to be Solved

- 1. How sales are affected based on -School Holiday, Promo, Promo Interval, state holidays.
- 2. Analyze effect of promotion on sales.
- 3. Predicting the future sales based on the transactions performed.

4. Solutions

Make sure your solutions can solve the problems in part 3 one by one

If you are going to build predictive models, clearly indicate the dependent and independent variables

- 1. We will use Multiple linear regression to predict the sales on given day based on the above-mentioned factors.
- 2. ANOVA is performed on stores participating in promotion has high number of sales or not
- 3. From the models build accuracy is tested based on which we predict the future sales, dependent variable is Sales and independent variables were School Holiday, Promo, Promo Interval, State holidays

5. Experiments and Results

5.1. Methods and Process

Solve the problems your proposed one by one

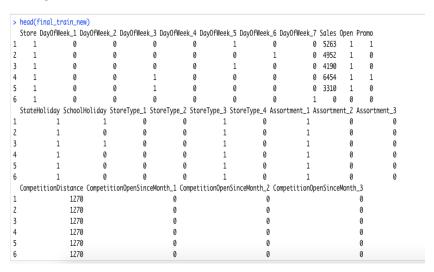
1. Data Preprocessing

Missing values in the data set are replaced with mean

Creating N-1 variables for categorical values like StoreType

Converting nominal to numerical variables: Yes/No to 0/1 for Promo, State Holiday, School Holiday

Remodelled the date to MM/DD/YYYY format using date function to maintain symmetric pattern throughout.



2. ANOVA:

Null Hypothesis: Average sales with promo and without promo are same Alternate Hypothesis: Average sales with promo and without are not same

```
> anov=lm(sales~promo)
> summary(anov)
Call:
lm(formula = sales ~ promo)
Residuals:
10 Median
                                   3Q
                             1852 37145
 -7991 -2278
Coefficients:
                Estimate Std. Error t value Pr(>|t|)
                                    4.329 1017.8
7.008 511.5
                                                           <2e-16 ***
(Intercept) 4406.051
                 3585.101
                                                           <2e-16 ***
promo
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 3434 on 1017207 degrees of freedom
Multiple R-squared: 0.2046, Adjusted R-squared: 0.2046
F-statistic: 2.617e+05 on 1 and 1017207 DF, p-value: < 2.2e-16
20000
  10000
                       factor(Promo)
```

As p-value is less than 0.05 we reject Null hypothesis and accept alternate Hypothesis

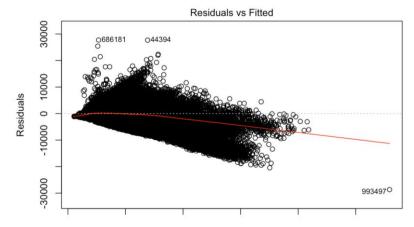
3. Multiple Linear Regression

At 95% confidence level, P value is less than 0.05. There is **60.11**% variation in Sales can be explained by the variations in dependent variables

```
Call:
lm(formula = Sales ~ ., data = new_train_data)
Residuals:
            1Q Median
                           3Q
-2.7496 -0.3799 -0.0616 0.2595 8.9750
Coefficients: (8 not defined because of singularities)
                               Estimate Std. Error t value Pr(>|t|)
                             -9.978e-15 6.262e-04
                                                     0.000 1.000000
(Intercept)
                              1.650e-02 2.254e-03 7.318 2.52e-13 ***
DayOfWeek 1
                             -8.048e-02 2.268e-03 -35.480 < 2e-16 ***
DayOfWeek 2
                             -1.100e-01 2.275e-03 -48.367 < 2e-16 ***
-1.055e-01 2.242e-03 -47.044 < 2e-16 ***
DayOfWeek 3
DayOfWeek 4
                             -7.838e-02 2.277e-03 -34.430 < 2e-16 ***
DayOfWeek 5
                             -8.096e-02 2.259e-03 -35.830 < 2e-16 ***
DayOfWeek 6
```

```
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Residual standard error: 0.6316 on 1017113 degrees of freedom Multiple R-squared: 0.6011, Adjusted R-squared: 0.6011 F-statistic: 1.614e+04 on 95 and 1017113 DF, p-value: < 2.2e-16



4. K- Nearest Neighbor

PreProcessing

We have added one more column sale status by calucalting the mean and checking all the sale values which are above mean or not.



By performing KNN we get the impact of variables on sales. School Holiday and Promo has major impact on the Sales.

```
k-Nearest Neighbors

5143 samples
6 predictor
2 classes: 'no', 'yes'

Pre-processing: centered (6), scaled (6)
Resampling: Cross-Validated (10 fold, repeated 3 times)
Summary of sample sizes: 4628, 4628, 4629, 4629, 4629, ...
Resampling results across tuning parameters:

k Accuracy Kappa
1 0.6504620 0.2956611
3 0.6675120 0.3264492
4 0.6720454 0.3350319
5 0.6789808 0.3467064
6 0.6846204 0.3572214
7 0.6928504 0.3730133
8 0.6947313 0.3765735
9 0.6992042 0.3850284
10 0.7003688 0.3871562
11 0.7003688 0.3871562
11 0.703968 0.4037098
14 0.7102869 0.4061333
15 0.7098974 0.4048302
16 0.7117118 0.4085577
17 0.7140456 0.4130137
18 0.7165731 0.4179507
19 0.7181954 0.4209264
20 0.7176106 0.41901171
```

5. Naïve Bayes

```
train<- train[,-c(1,4,9)]
#Naive bayes
  34
35
       model <- naiveBayes(SalesStatus ~., data=train) model
  36
37
  38
       plot(model)
  39
  41
42
      train %>%
  filter(salesStatus == "1") %>%
  summarise(mean(Promo), sd(Promo))
plot(model)
  43
  45
  47
 48
      (Top Level) ‡
Console Terminal × Jobs ×
          Naive Bayes Classifier for Discrete Predictors
naiveBayes.default(x = x, y = y, laplace = laplace)
A-priori probabilities:
0
0.4631068 0.5368932
DayOfweek
Y [,1] [,2]
O 3.763941 1.645884
1 4.076311 1.940961
Y [,1] [,2]
```

6. Decision Tree:

```
> summary(dt regressor 1)
rpart(formula = Sales ~ ., data = new train, control = rpart.control(minsplit = 1))
 n= 1017209
   CP nsplit rel error xerror xstd
1 0.01 0 1 0 0
Node number 1: 1017209 observations
 mean=5773.819, MSE=1.482192e+07
> head(dt pred 1)
[1] 5773.819 5773.819 5773.819 5773.819 5773.819
```

7. Random Forest:

Give the necessary codes, snapshots and explanations

5.2. Evaluations and Results

Given a same problem, you may have several solutions or build several models

1. MLR

```
> # MLR Model Prediction Summary
> MAE(predictions, new_test$Sales)
[1] 1711.394
> RMSE(predictions, new_test$Sales)
[1] 2431.425
```

2. K- Nearest Neighbor

```
RMSE was used to select the optimal model using the smallest value. The final value used for the model was k = 60.

> plot(fit)
> varImp(fit)
loess r-squared variable importance

Overall
SchoolHoliday 100.00
Promo 99.62
DayOfWeek 31.86
Open 27.46
```

3. Decision Tree

```
> # Decision Tree Prediction Summary
> MAE(dt_pred_1,new_test$Sales)
[1] 2887.725
> RMSE(dt_pred_1,new_test$Sales)
[1] 3849.924
```

4. Random Forest

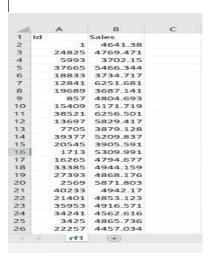
Adjusted R square value is 89.55% from which we can say this is the best model so far.

Model Summary:
MSE: 0.01888739

RMSE: 0.1374314 MAE: 0.09929556 RMSLE: 0.01420444

Mean Residual Deviance : 0.01888739

Adj.R^2: 0.895532



Evaluate your solutions based on selected metrics and compare them

5.3. Findings

- Provide the summary of your findings, explanations, conclusions
- Sales depends on Promo, store with promotion have highest number of sales.
- School Holidays does not impact much on sales.
- Among all the models p value got for Random Forest is highest hence we are predicting future sales with this model.

6. Conclusions and Future Work

6.1. Conclusions

- A short summary of your whole project and conclusions, such as what you want to, why you want to do so, which solutions you use, and which findings or final results you get finally.
- One can make a simple machine learning model that predicts the sales of the Rossmann stores with a 13.7% error.
- Model only uses a fraction of the features provided by Rossmann. The model can therefore be implemented in a simple app and easily accessed by store managers to accurately forecast sales.

6.2. Limitations

- Applied only three algorithms i.e. MLR, KNN, Naïve Bayes, random forest. So, there are scope for applying more algorithms like time series linear models, XGBoost, Unobserved Component Model, Principal Component Regression,
- By taking the regression of all the models for all the sales data may predict the sales better. We would have weighted average of two or more models we would have got better result.

6.3. Potential Improvements or Future Work

- We believe the sales number of a day is also related to the sales number before that day. Adding time series to the model can improve accuracy.
- We will try adding time series to the feature vector to see what we can achieve.
- Different machine learning algorithm such as GLM Poisson model can also be interesting to explore.