

Dynamic

Video-117

Programming



Note :- This playlist is only for explanation of Dns & solutions.

See my "DP Concepts & Dns"
Playlist for understanding
DP from scratch...



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← My life behind scenes
+
Tech News/updates

Motivation :-

Tough times only make you
stronger. Never run away from it.



MIK...

2327. Number of People Aware of a Secret

Medium

Topics

Companies

Hint

On day 1, one person discovers a secret.

day + delay

You are given an integer `delay`, which means that each person will **share** the secret with a new person **every day**, starting from `delay` days after discovering the secret. You are also given an integer `forget`, which means that each person will **forget** the secret `forget` days after discovering it. A person cannot share the secret on the same day they forgot it, or on any day afterwards.

Given an integer `n`, return the number of people who know the secret at the end of day `n`. Since the answer may be very large, return it **modulo** $10^9 + 7$.

Example: $n = 6, \text{ delay} = 2, \text{ forget} = 4$

Example:- $n=6$, delay = 2 , forget = 4

Output:- 5

Example 1:

Input: $n = 6$, delay = 2, forget = 4

Output: 5

Explanation:

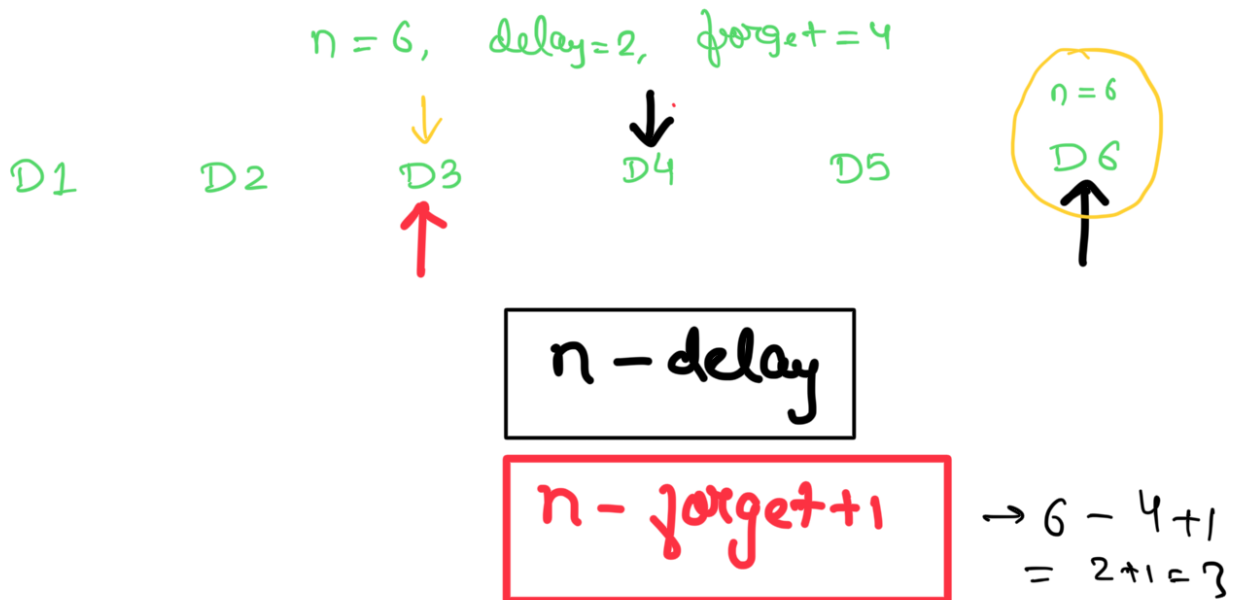
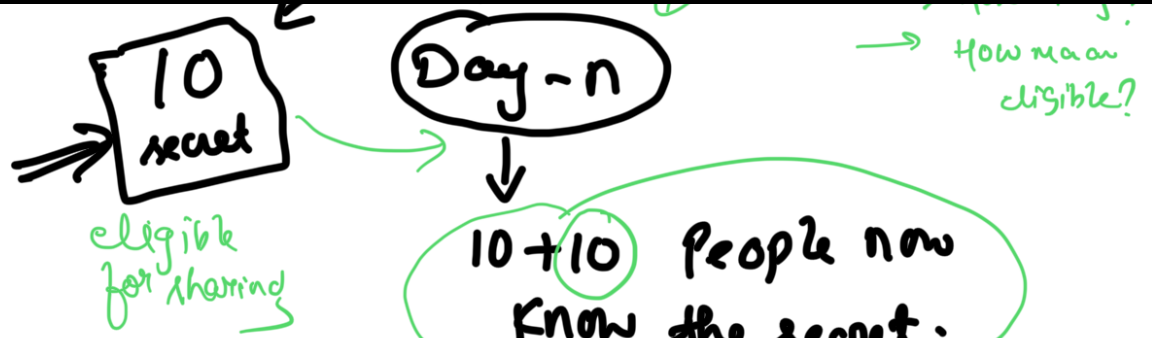
- A → Day 1: Suppose the first person is named A. (1 person)
- Day 2: A is the only person who knows the secret. (1 person)
- B ✓ Day 3: A shares the secret with a new person, B. (2 people)
- ✓ Day 4: A shares the secret with a new person, C. (3 people)
- ✓ Day 5: A forgets the secret, and B shares the secret with a new person, D. (3 people)
- ✓ Day 6: B shares the secret with E, and C shares the secret with F. (5 people)

A, B
A, B, C
BCD
BCDE F

Thought Process

$n = 6$, delay = 2 , forget = 4

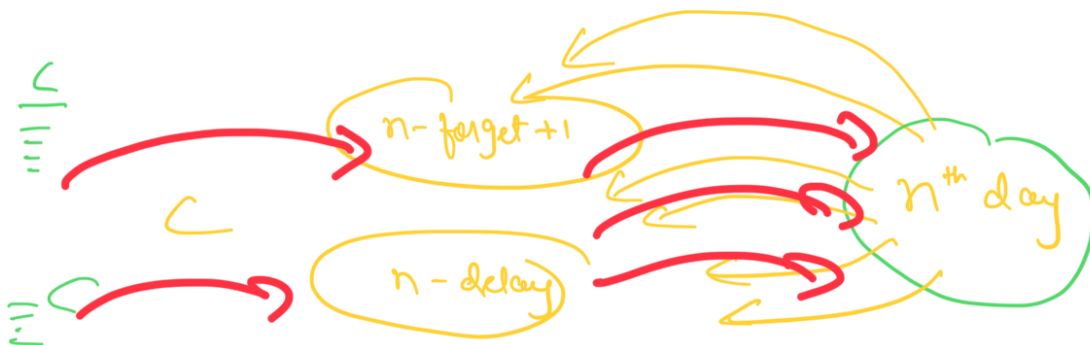
→ How many?



People who learned the secret on

$$\text{Days} = [n - \text{forget} + 1, n - \text{delay}]$$

will contribute to n^{th} day.



Similar smaller sub-problem.

(Recursion + Memo
+ Bottom up) } DP.

Days = $[n - \text{forget} + 1, n - \text{delay}]$

// returns no of people from the sect on "day"

int Solve (day) {

if (day == 1)

return 1; // only 1 person from sect.

result = 0;

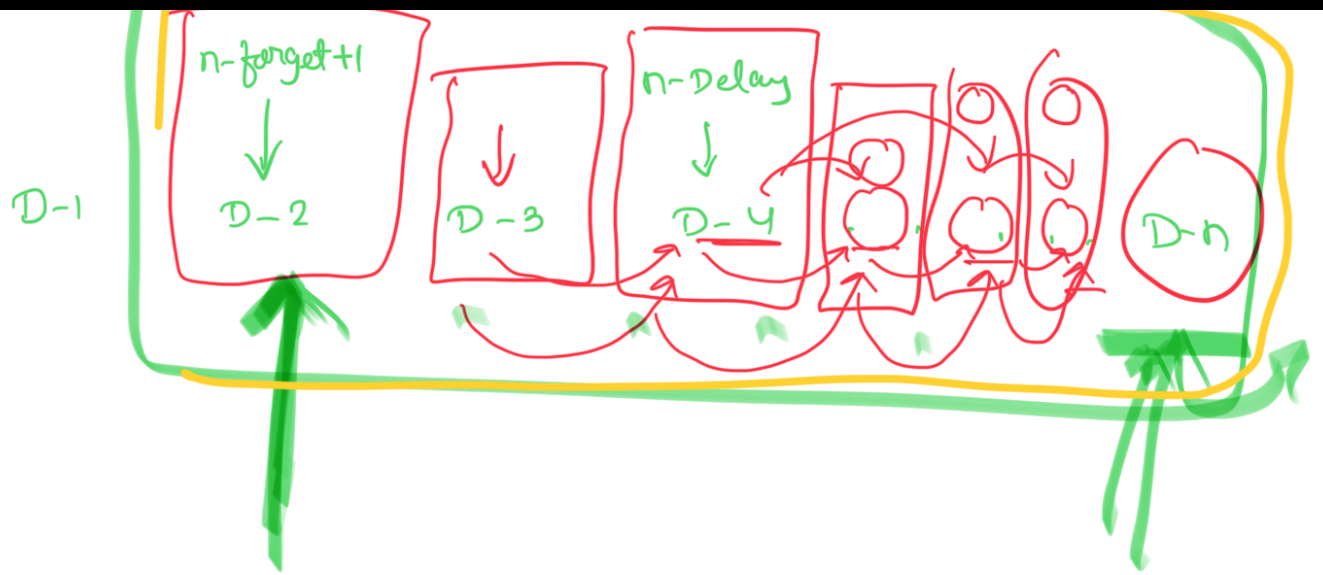
for (d = day - forget + 1; d <= day - delay; d++) {

result = (result + Solve(d)) % M;

}

return result;

}



total = 0

for (day = n-forget+1; day <= n; day++) {

total = (total + Solve(day)) % M;

}

or total;

n-delay = (forget - delay)

Time Complexity : $O(n * (\text{forget} - \text{delay}))$

S.C = $O(n)$

Bottom UP:-

Recur + Memo \rightarrow Memoization $t[\text{day}]$ 1-D

Solve (day) = no of people who know the secret on "day"

// State definition.

$t[\text{day}]$ = no of people who will know the secret on "day".

$t[n+1, -1]$

$t[1] = 1$;

```
for (int day = 2 ; day <= n ; day++) {  
    int count = 0
```

T.C = $O(n \times (\text{day} - \text{del} - 1))$;

```
    for (int prev = day - forget + 1 ; prev <= day - day ; prev++) {  
        count = (count + t[prev]) % M ;  
    }
```

```
    t[day] = count ;  
}
```

$T = O(n!)$

```
int result = 0
```

```
for (int day = n - forget + 1; day <= n; day++) {  
    if (day > 0) {  
        result = (result + t[day]) % M;  
    }  
}  
  
return result;
```

Optimising Bottom up.

```
t[1] = 1;  
  
for (int day = 2; day <= n; day++) {  
    long long count = 0; start  
    for (int prev = day - forget + 1; prev <= day - delay; prev++) { end  
        if (prev > 0) {  
            count = (count + t[prev]) % M;  
        }  
    }  
    t[day] = count;  
}  
  
int result = 0;
```



start

end

count +=

count -=

t[day-delay];

t[day-forget];

count = 0;

for (day = 2; day <= n; day++) {

range day-forget to day-delay {

count = (count + t[day-delay]) % M;

count = (count - t[day-forget]) % M

t[day] = count;

}