

# Economics 7103 - Homework 2

Ana Mazmishvili

January 29, 2024

## Python

**Note:** *While working on this homework, I received assistance from Afi solely with some Python code.*

### Question 1.1

**Response:** Randomization worked which is demonstrated by comparison across control and treatment groups that indicates statistical balance in observables. Column 3 presents the differences in means and the standard errors of the differences in brackets. The differences are small and in case of electricity consumption statistically significant.

	Control	Treatment	P-value
Monthly electricity usage by HHs (kWh)	1181.33 (454.31)	1086.75 (423.96)	0.001 [3.403]
Square feet of home	1633.05 (682.90)	1657.55 (686.27)	0.572 [-0.566]
Outdoor average temperature (°F)	79.89 (2.16)	79.89 (1.97)	0.987 [-0.016]
Observations	501	499	

Table 1: Summary Statistics for the treated and control groups.

### Question 1.2

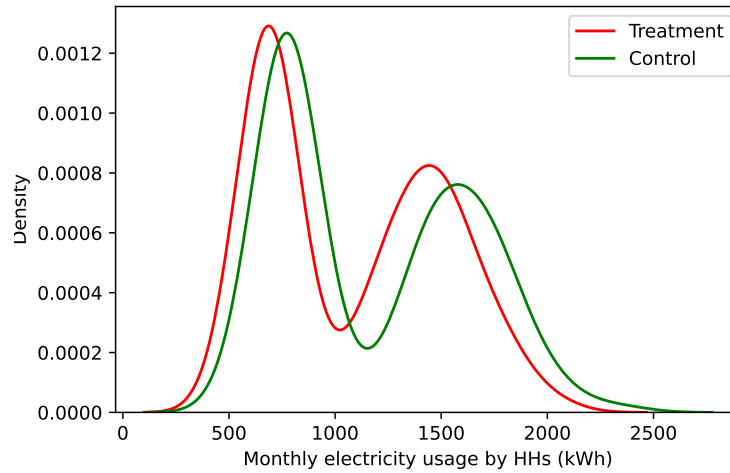


Figure 1: Kernel density plots of the electricity use for treated group and control group.

### Question 1.3

(a) I used the Numpy package in Python to create an array  $X$  that is the  $1000 \times 4$  matrix of the predictor variables (3) and a column of ones and an array  $Y$  that is the  $1000 \times 1$  vector of the dependent variable. The codes are provided in the Python code file. I used matrix operations to calculate  $\hat{\beta}$ . Recall that

$$\hat{\beta} = (X'X)^{-1}X'Y$$

I obtained  $\hat{\beta}$  that are presented in the first column of Table 2. (b) I was not able to solve this part according to your instructions. I used `LinearRegression` function from `sklearn.linear_model` to estimate  $\hat{\beta}$ , but I did not apply `Scipy.optimize.minimize()` as was suggested. I do not understand this part, but I will review solutions.

(c) I used `StatsModels` package to estimate  $\hat{\beta}$  and the results are presented in the third column.

	By hand	LeastSquare	StatsModels
Square feet of home	0.615	0.615	0.615
=1 if house received retrofit	-109.666	-109.666	-109.666
Outdoor average temperature (°F)	3.255	3.255	3.255
Constant	-83.603	0.000	-83.603

Table 2: Linear Regression Coefficients using three approaches

## Stata

### Question 2.1

I created a table that displays each variable's sample mean, sample standard deviation, and p-values for the two-way t-test between treatment and control group means. Please see the Table ??

### Question 2.2

I created a two-way scatterplot of electricity consumption and square feet of home data using Stata. Please refer to the Figure below.

	Control	Treatment	P-value
electricity	1181.33 (454.31)	1086.75 (423.96)	0.001 [3.404]
sqft	1633.05 (682.90)	1657.55 (686.27)	0.572 [-0.566]
temp	79.89 (2.16)	79.89 (1.97)	0.987 [-0.016]
Observations	501	499	1,000

Table 3: Summary statistics produced using Stata

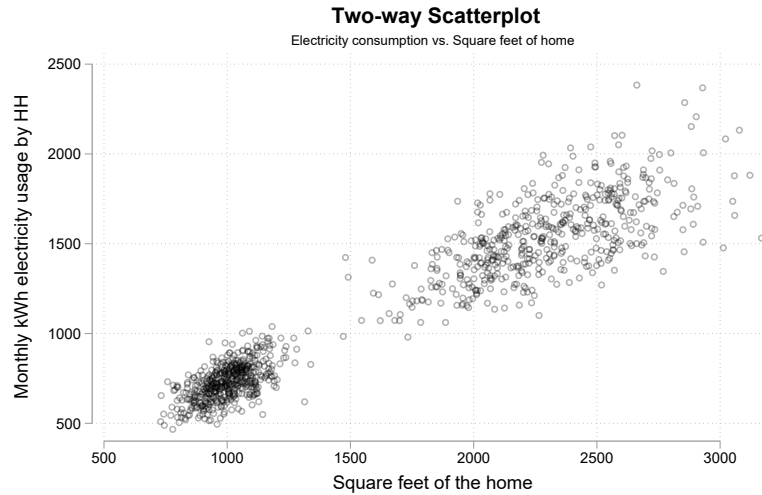


Figure 2: Scatterplot with electricity consumption and square feet of home

### Question 2.3

I estimated model using OLS and obtained heteroskedasticity robust standard errors and coefficients. Please refer to the Table below.

VARIABLES	(1) electricity
retrofit	-109.7*** (7.943)
sqft	0.615*** (0.00678)
temp	3.255* (1.932)
Constant	-83.60 (154.7)
Observations	1,000
R-squared	0.919
Robust standard errors in parentheses	
*** p<0.01, ** p<0.05, * p<0.1	

Table 4: OLS regression results using Stata