

```
In [1]: ▶ import pandas as pd
import ipykernel
from pathlib import Path
import numpy as np
import matplotlib.pyplot as plt
from matplotlib.backends.backend_pdf import PdfPages
from matplotlib.ticker import MultipleLocator
from matplotlib.ticker import MaxNLocator
from scipy import stats

from sklearn.linear_model import LinearRegression
```

```
In [2]: ▶ # "mock-data" file generated from xls spreadsheets of actual data to be used
df = pd.read_csv('rats_Garb_LU_ED_INC_POP_3.csv')
df.head()
```

Out[2]:

	CD	total_rats	tons_of_refuge	tons_of_MGP	tons_of_paper	tons_res_organics	tons_s
0	01 BRONX	2338	764007.8	32663.3	28960.3	141.5	
1	02 BRONX	2027	582803.0	34424.3	24529.8	NaN	
2	03 BRONX	2522	723072.8	34086.5	28189.1	NaN	
3	04 BRONX	4158	1598950.4	78164.7	61554.6	343.0	
4	05 BRONX	3365	1351276.7	88723.5	58439.9	21.3	

5 rows × 28 columns



```
In [3]: #getting stats for rats

data = df.total_rats

# removing null values to avoid errors
data.dropna(inplace = True)

# percentile list
perc = [.25, .40, .60, .75]

# list of dtypes to include
include = ['object', 'float', 'int']

# calling describe method
desc = data.describe(percentiles = perc, include = include)

# display
desc
```

```
Out[3]: count      59.000000
mean      2897.949153
std       1775.622945
min        522.000000
25%       1572.000000
40%       2160.400000
50%       2517.000000
60%       2970.400000
75%       3625.500000
max       9437.000000
Name: total_rats, dtype: float64
```

```
In [4]: # columnList=['tons_of_MGP', 'tons_of_paper', 'tons_res_organics', 'tons_sch_
#           'tons_xmastrees', 'pct_LU1', 'pct_LU2', 'pct_LU3', 'pct_LU4', '
#           'pct_LU8', 'pct_LU9', 'pct_LU10', 'pct_LU11', 'BDorHigher', 'Ass
#           'LessHS', 'Adults25nOlder', 'Under18', 'eighteentoTwo']
columnList=['tons_of_refuge', 'tons_of_MGP', 'tons_of_paper',
            'tons_xmastrees', 'pct_LU1', 'pct_LU2', 'pct_LU3', 'pct_LU4', 'pc
            'pct_LU8', 'pct_LU9', 'pct_LU10', 'pct_LU11', 'BDorHigher', 'Assoc
            'LessHS', 'Adults25nOlder', 'Under18', '18to24']
```



```
In [6]: for i in columnList:
    cdf=df
    cdf.dropna(axis='columns')
    # The data in the df column must be reshaped into an array with shape (n,1)
    # https://stackoverflow.com/questions/18691084/what-does-1-mean-in-numpy-ndarray
    plt.scatter(cdf.total_rats, cdf[i])
    # plt.xlabel('Rat Reports')
    # plt.ylabel([i])
    #plt.show()
    X = cdf.total_rats.values.reshape(-1, 1)
    # The shape of X is no samples, with a single feature (column)
    X.shape
    y = cdf[i]
    cdf[i].describe()
    # Create a model with scikit-Learn
    model = LinearRegression()
    # Fit the data into the model
    # By convention, X is capitalized and y is lowercase
    model.fit(X, y)
    # The model creates predicted y values based on X values
    y_pred = model.predict(X)

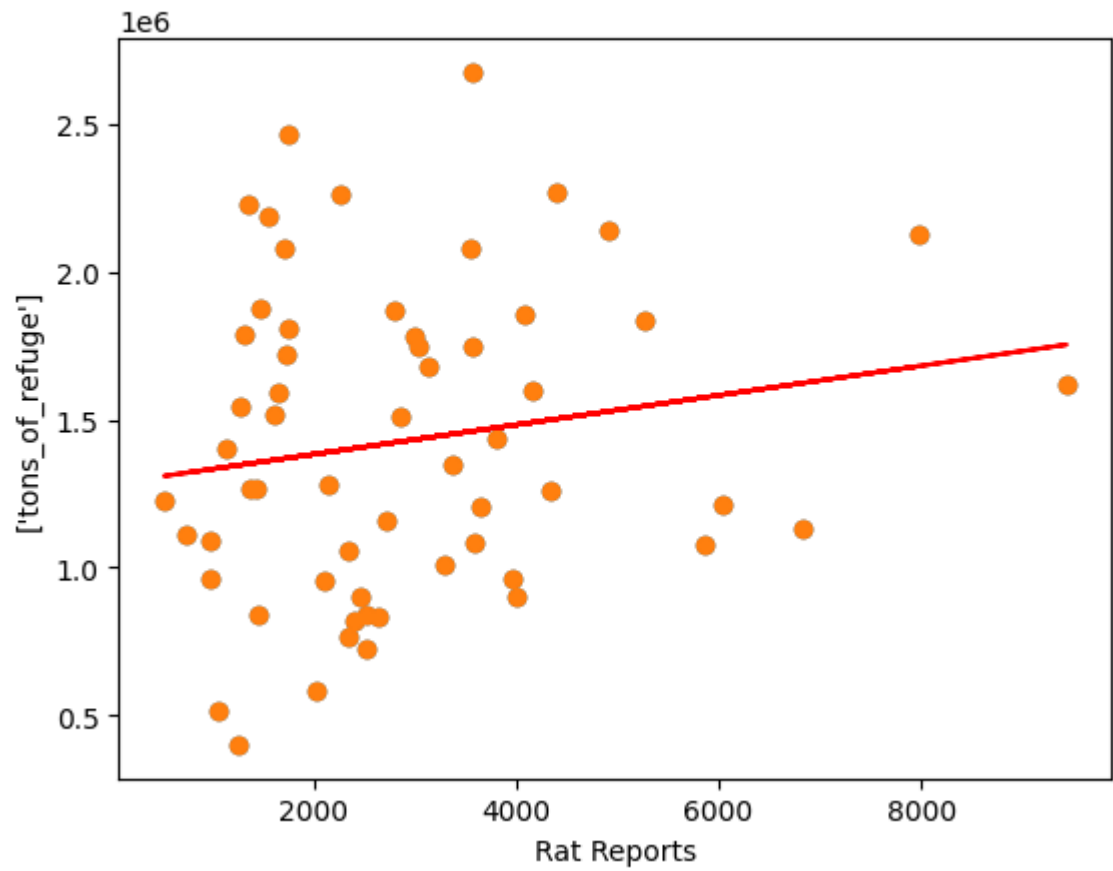
    #calculate R-squared of regression model
    r_squared = model.score(X, y)

    # Plot the results. The best fit line is red.
    plt.scatter(X, y)
    plt.title(f'Y = {round(model.coef_[0], 3)} * x + {round(model.intercept_, 3)}')
    plt.xlabel('Rat Reports')
    plt.ylabel([i])
    plt.plot(X, y_pred, color='red')
    plt.show()

    # The slope
    # The y-intercept
    print((model.coef_))
    print(model.intercept_)
    print(r_squared)
    filename = [i]
    plt.tight_layout()
    #plt.savefig(filename, format='png')
```

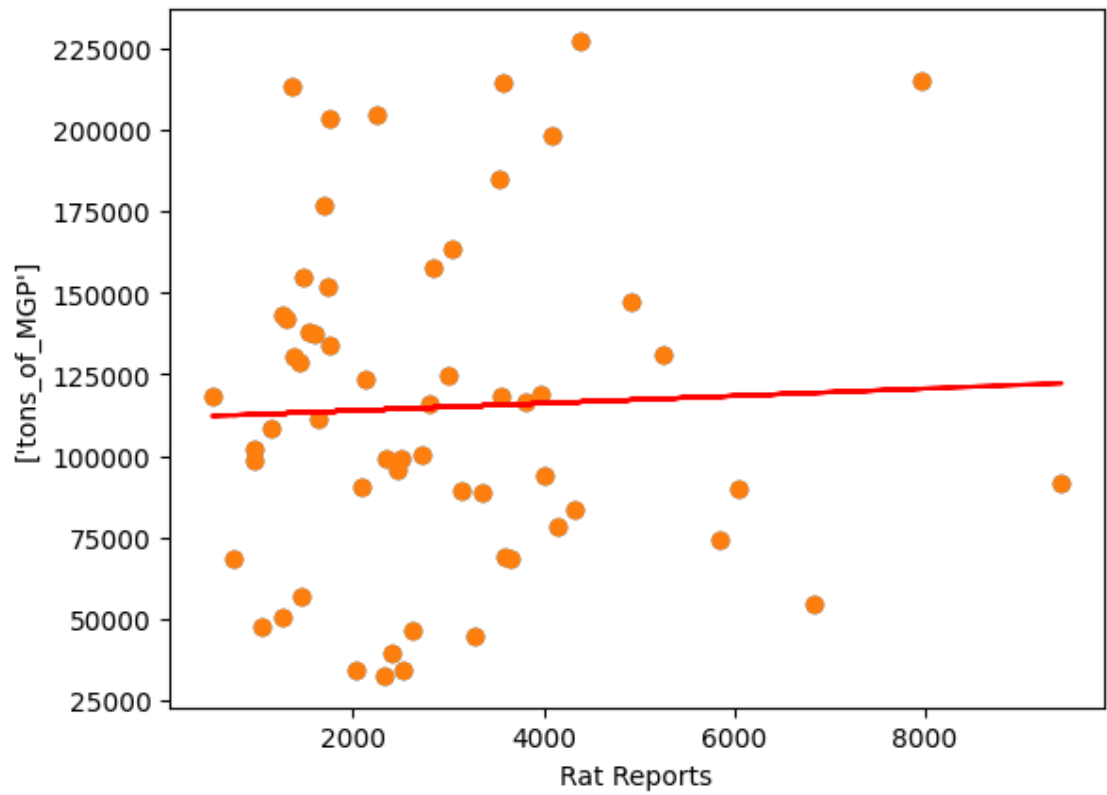


$$Y = 49.794 * x + 1283364.2$$
$$R^2 = 0.028310143696384404$$



```
[49.79434272]  
1283364.2284225286  
0.028310143696384404
```

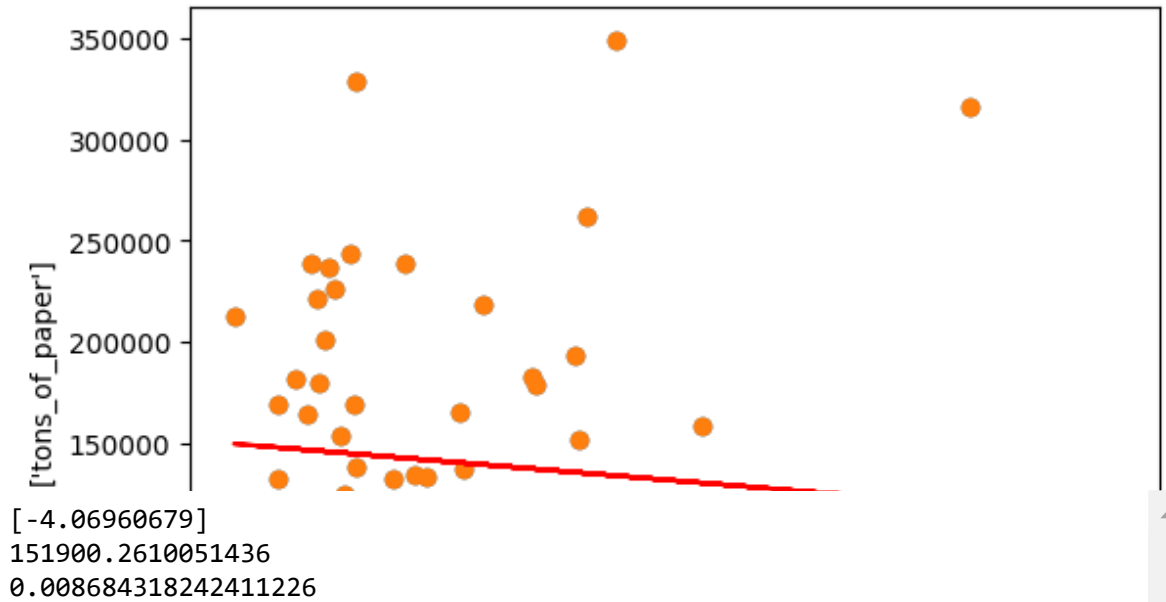
$$Y = 1.126 * x + 111602.9$$
$$R^2 = 0.0015287475382064208$$



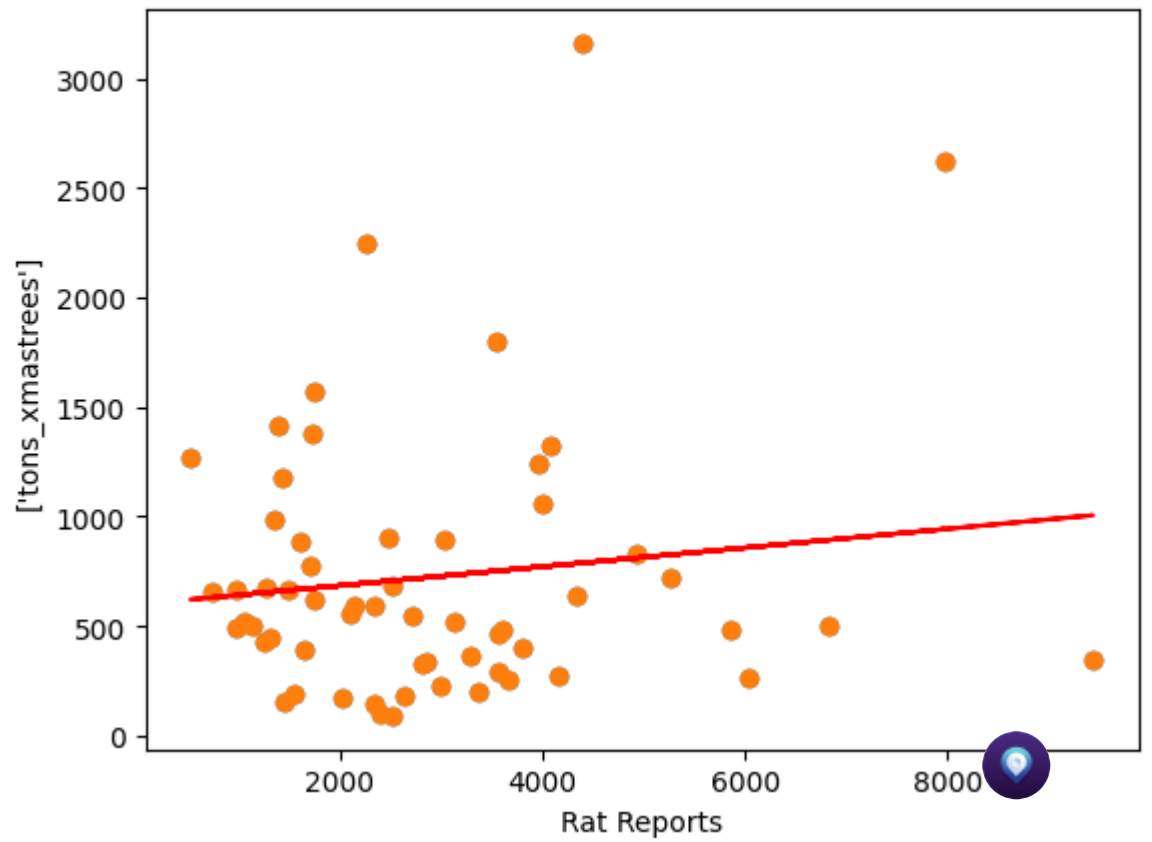
```
[1.12634825]  
111602.86274860674  
0.0015287475382064208
```



$$Y = -4.07 * x + 151900.3$$
$$R^2 = 0.008684318242411226$$

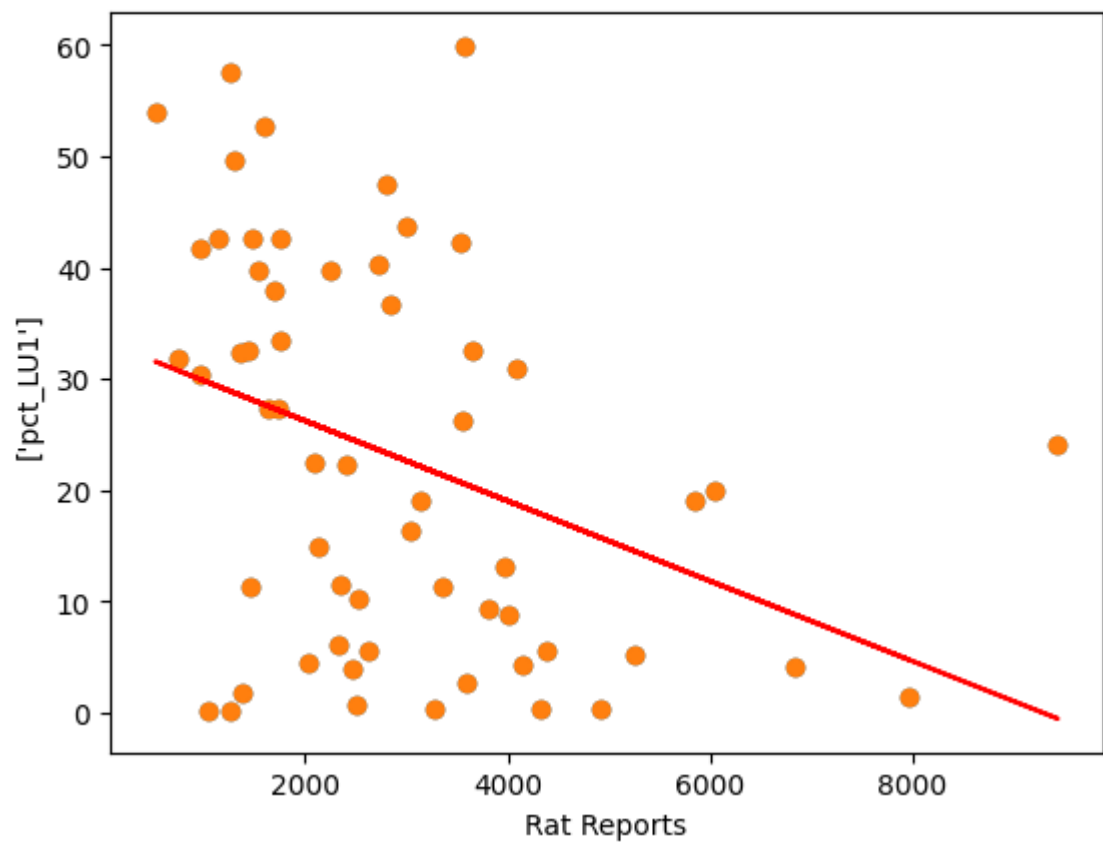


$$Y = 0.043 * x + 599.1$$
$$R^2 = 0.016009384915131486$$

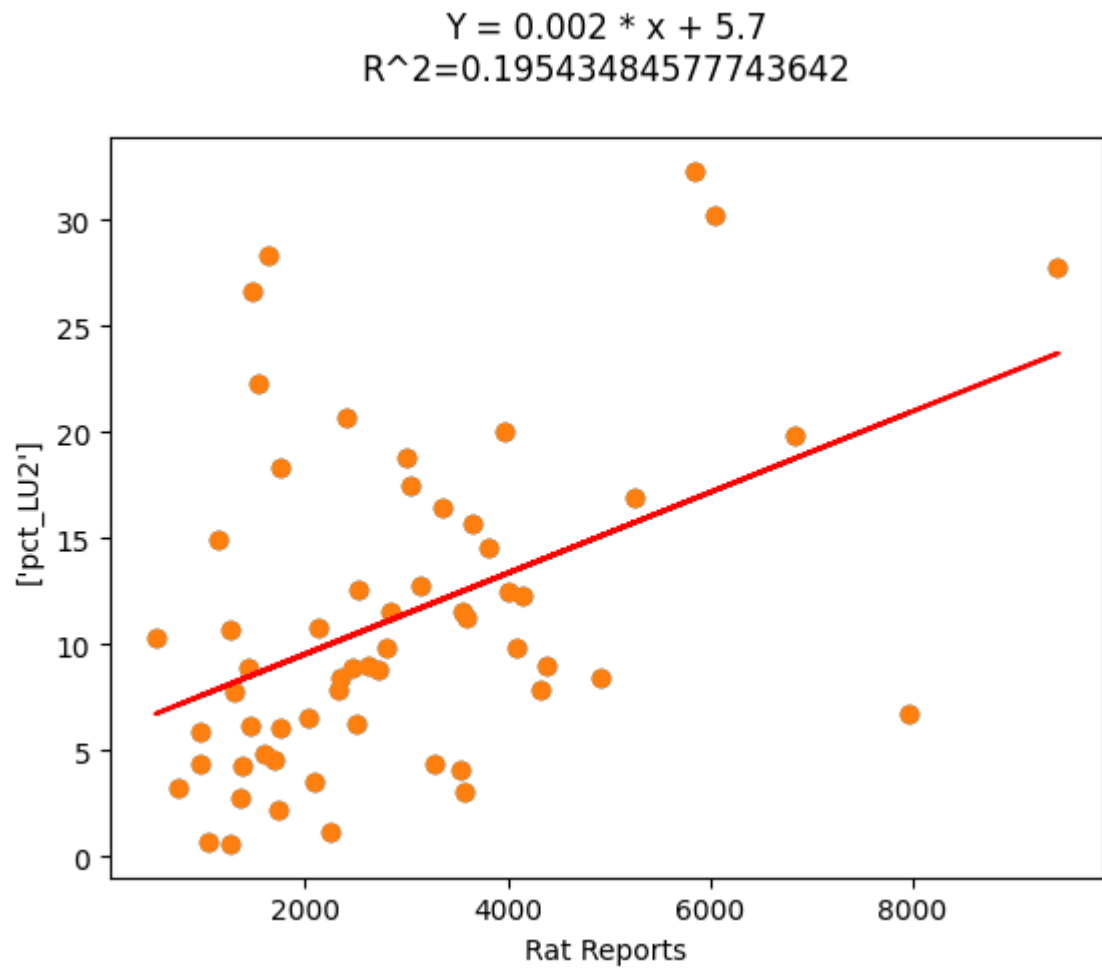


```
[0.04313309]  
599.0702826728844  
0.016009384915131486
```

$$Y = -0.004 * x + 33.4$$
$$R^2 = 0.1307572364800612$$

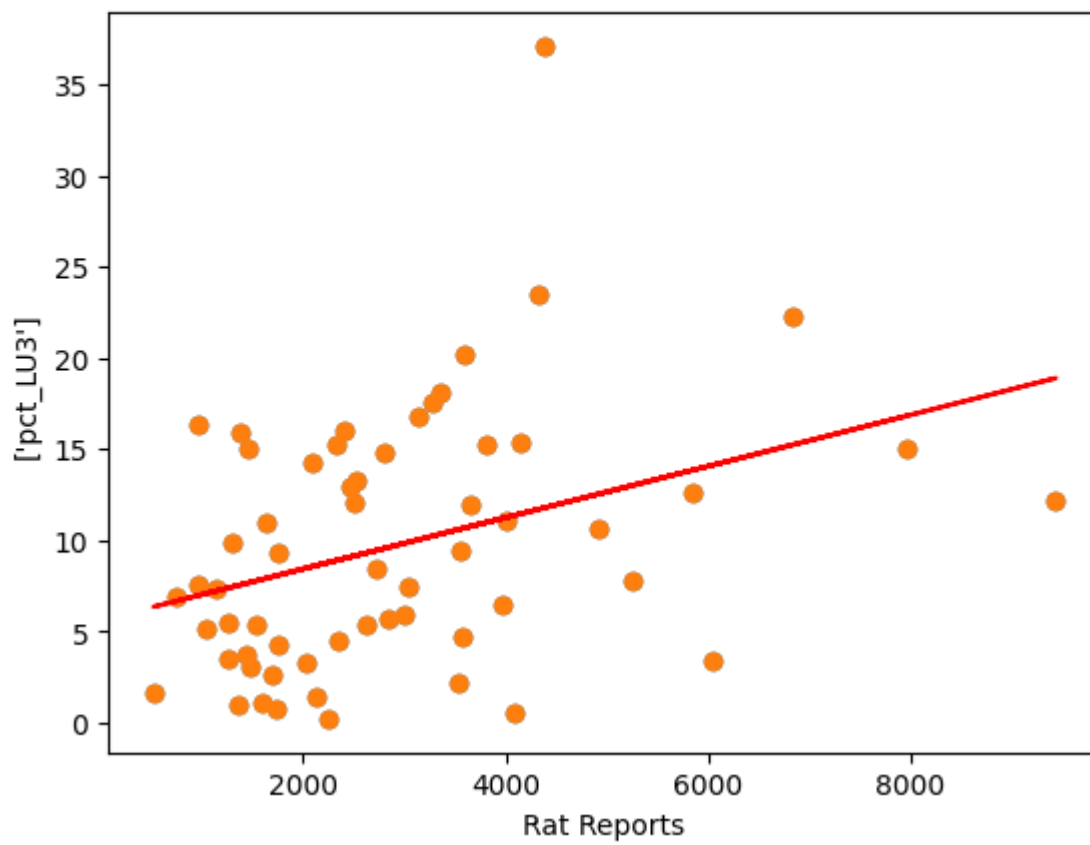


```
[-0.00360162]  
33.42374069608063  
0.1307572364800612
```



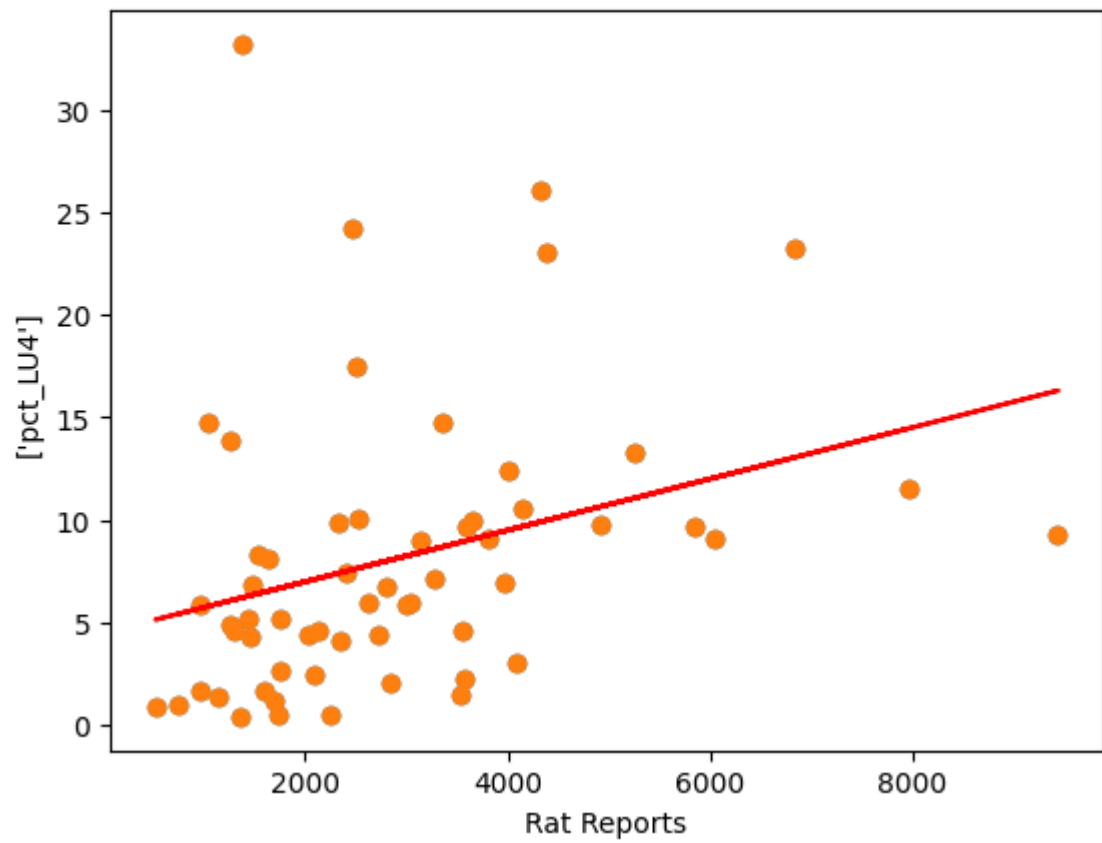
```
[0.00190677]  
5.720035065914443  
0.19543484577743642
```


$$Y = 0.001 * x + 5.6$$
$$R^2 = 0.12784596440689933$$



[0.00140806]
5.599177914932682
0.12784596440689933

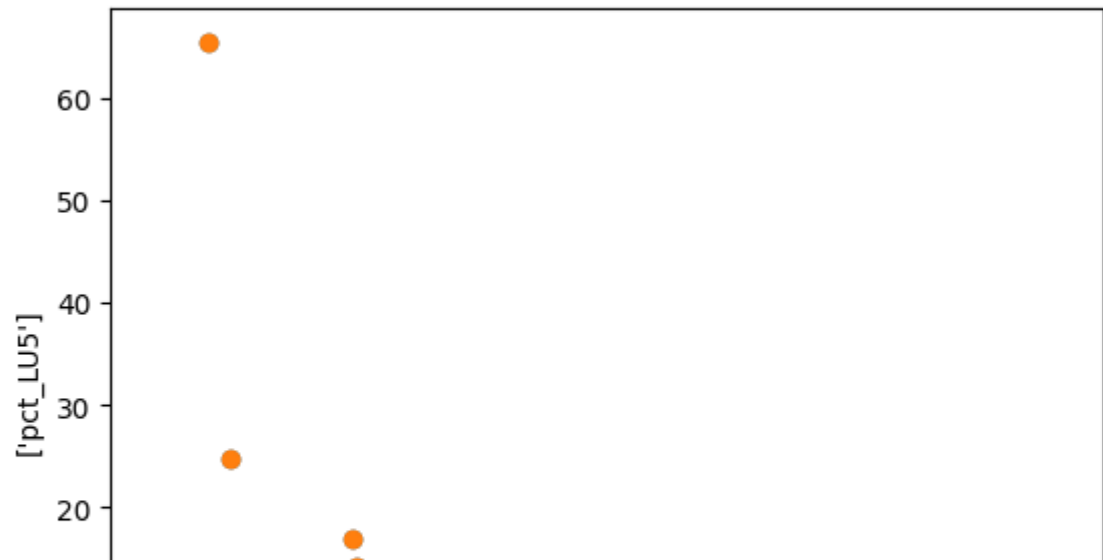
$$Y = 0.001 * x + 4.5$$
$$R^2 = 0.10407515932303324$$



```
[0.00125325]  
4.4766254327441315  
0.10407515932303324
```

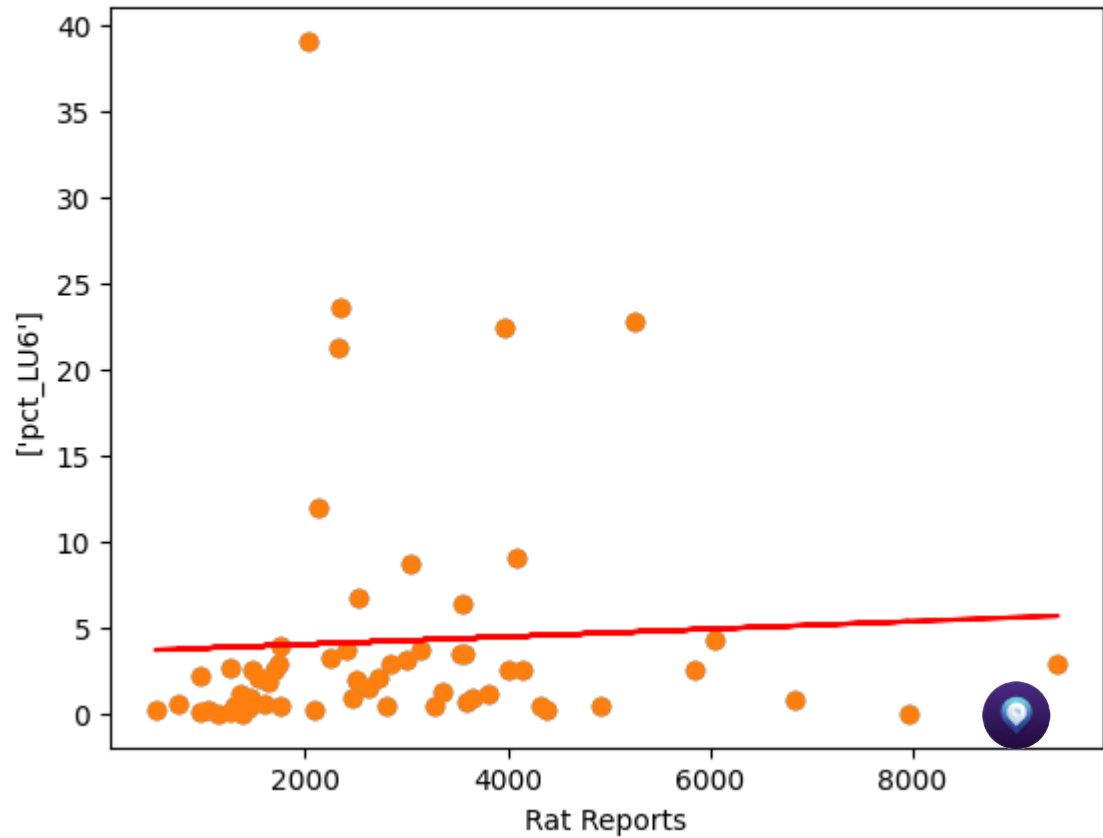


$$Y = -0.001 * x + 9.2$$
$$R^2 = 0.04207433361436819$$



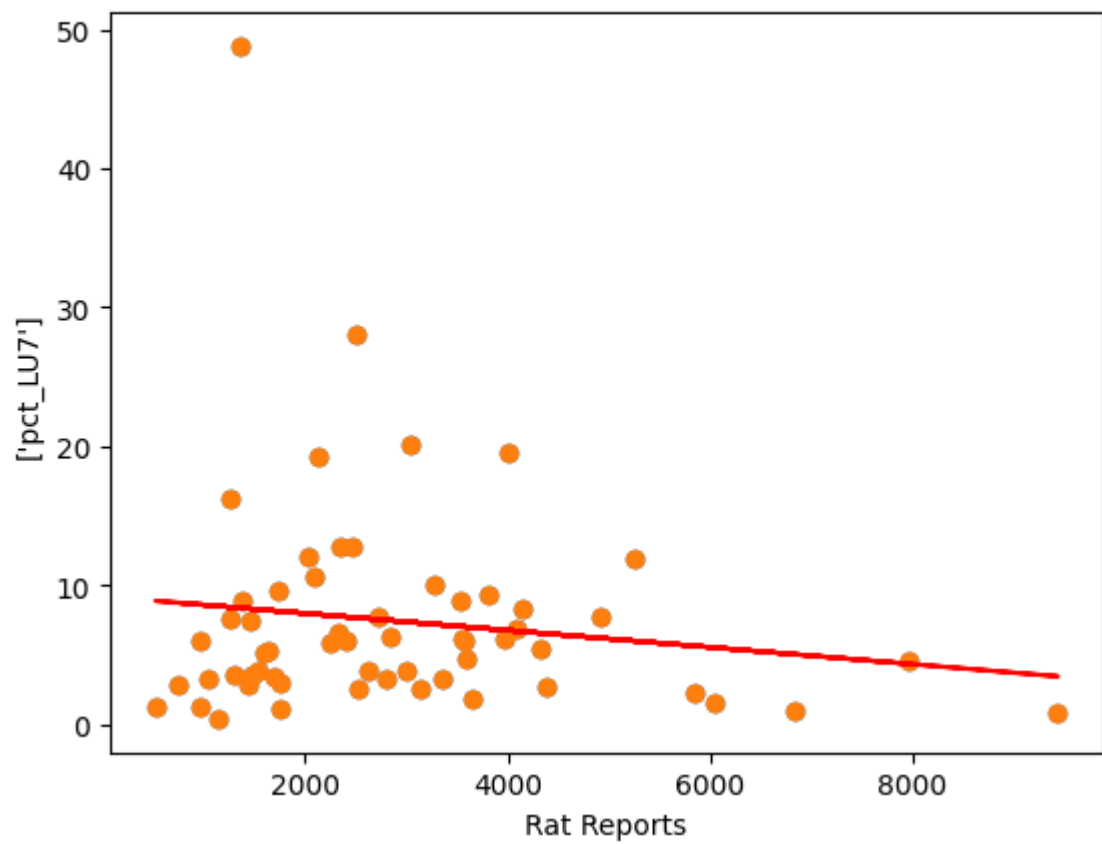
```
[-0.00100988]  
9.231664784512414  
0.04207433361436819
```

$$Y = 0.0 * x + 3.6$$
$$R^2 = 0.0029231159111855476$$



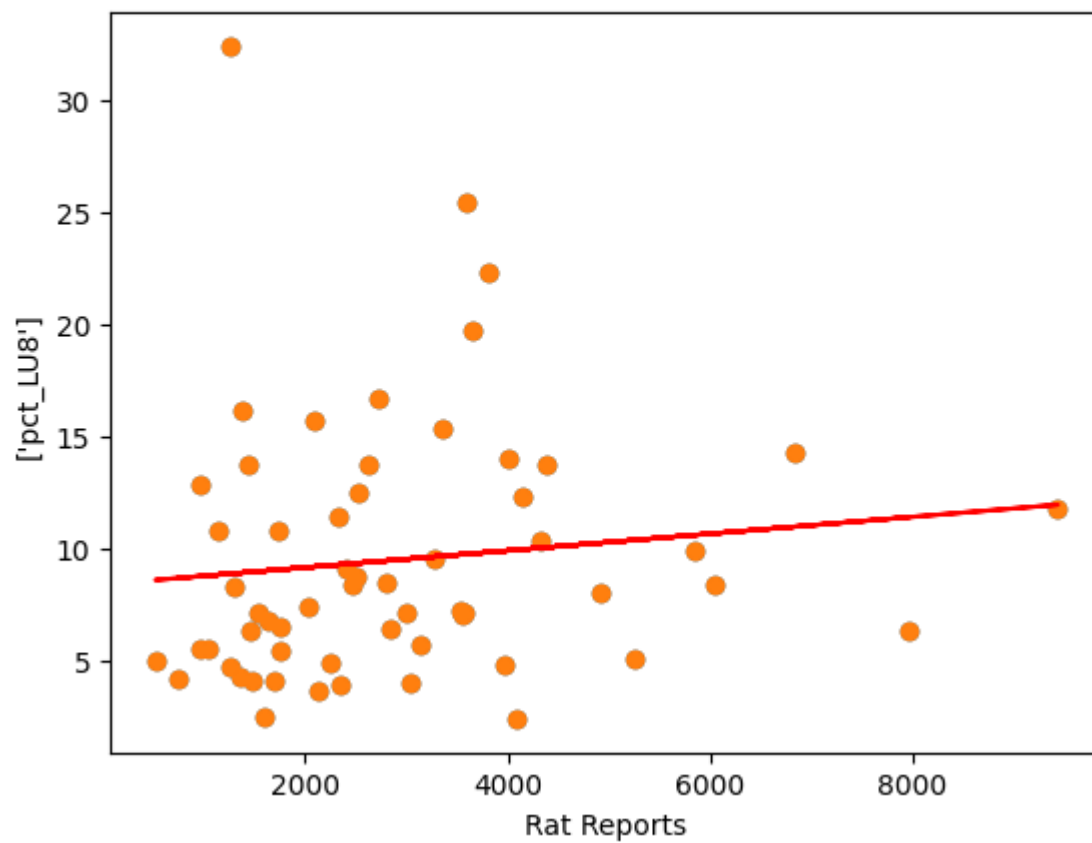
```
[0.00022246]  
3.59092873347047  
0.0029231159111855476
```

$$Y = -0.001 * x + 9.2$$
$$R^2 = 0.01973822446050988$$



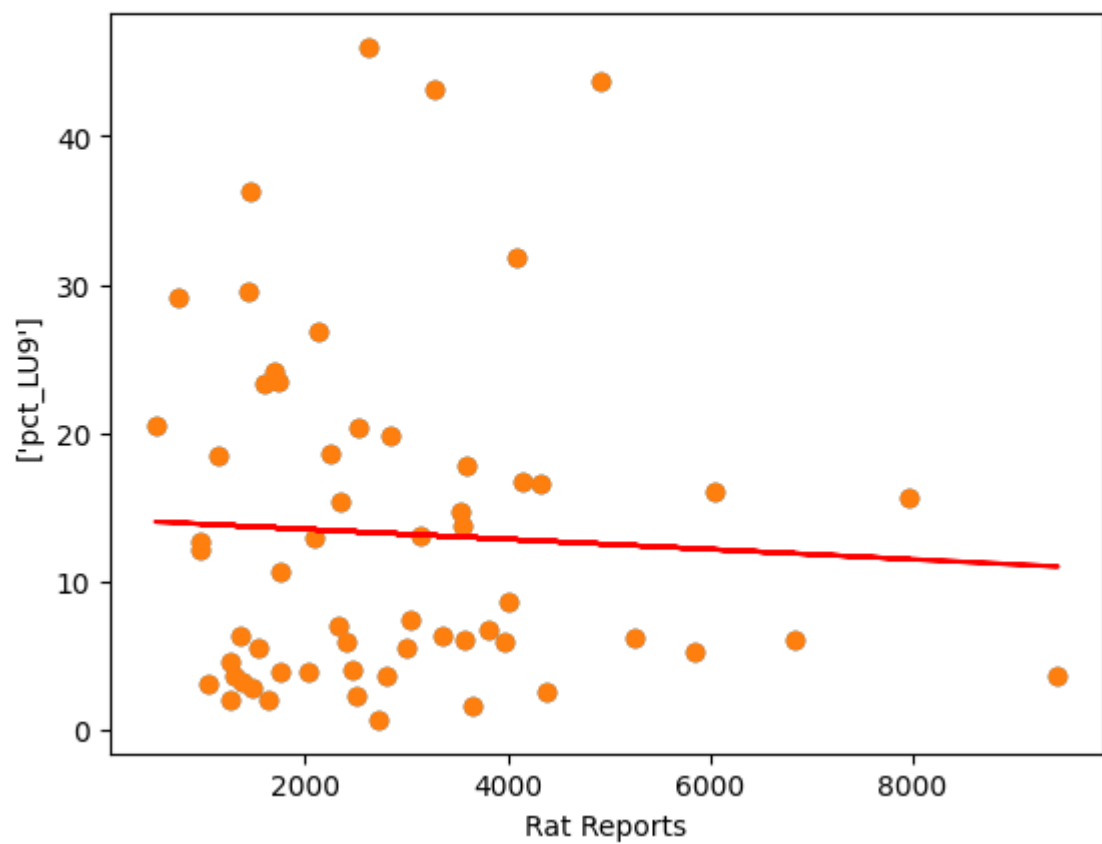
```
[-0.00060975]  
9.200928299339719  
0.01973822446050988
```

$$Y = 0.0 * x + 8.4$$
$$R^2 = 0.013521006930075186$$



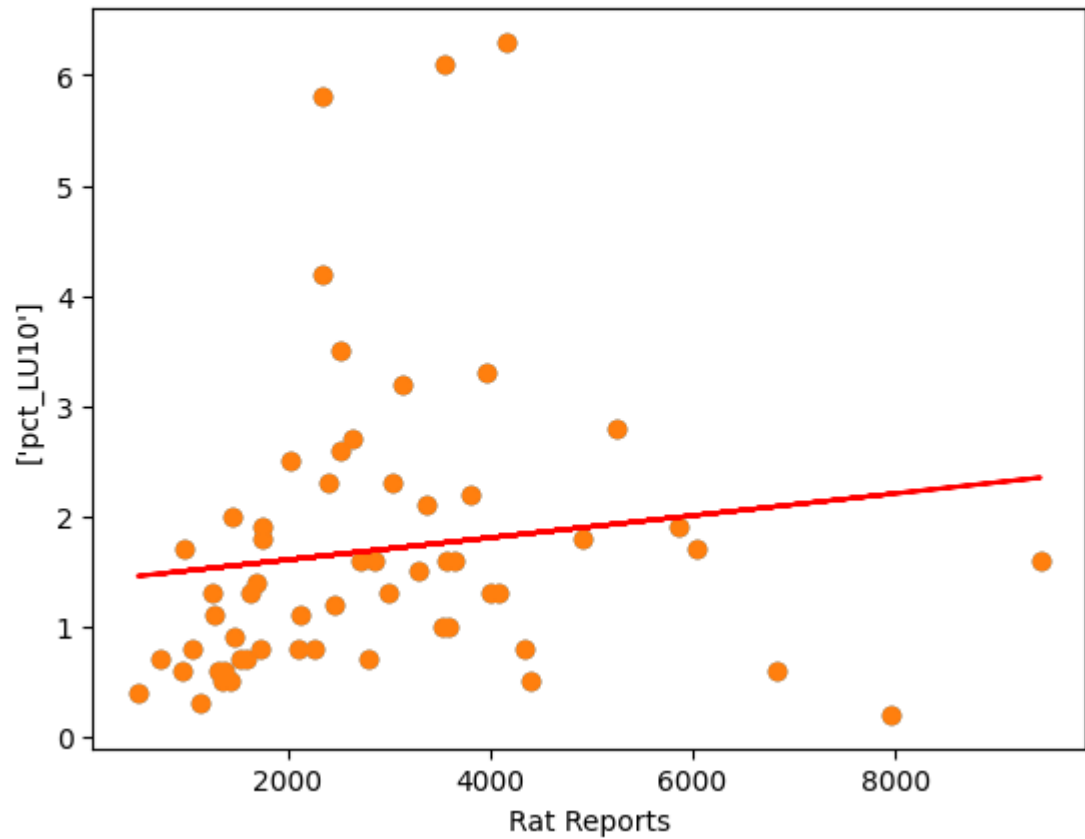
```
[0.00037634]  
8.39073217194562  
0.013521006930075186
```

$$Y = -0.0 * x + 14.2$$
$$R^2 = 0.002822091158191209$$



```
[-0.00033876]  
14.212203751538457  
0.002822091158191209
```

$$Y = 0.0 * x + 1.4$$
$$R^2 = 0.017757409072682306$$



```
[0.00010015]  
1.4046856247328312  
0.017757409072682306
```

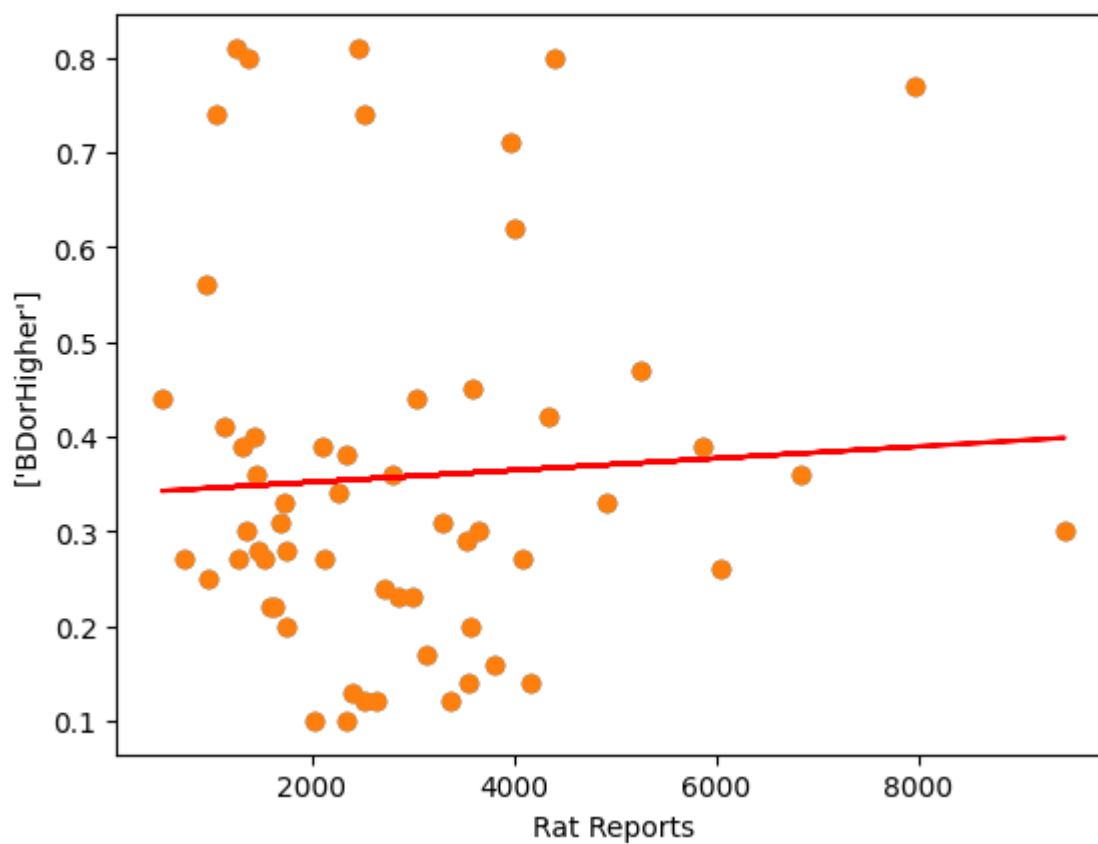


$$Y = 0.0 * x + 4.8$$
$$R^2 = 0.005631553889120067$$

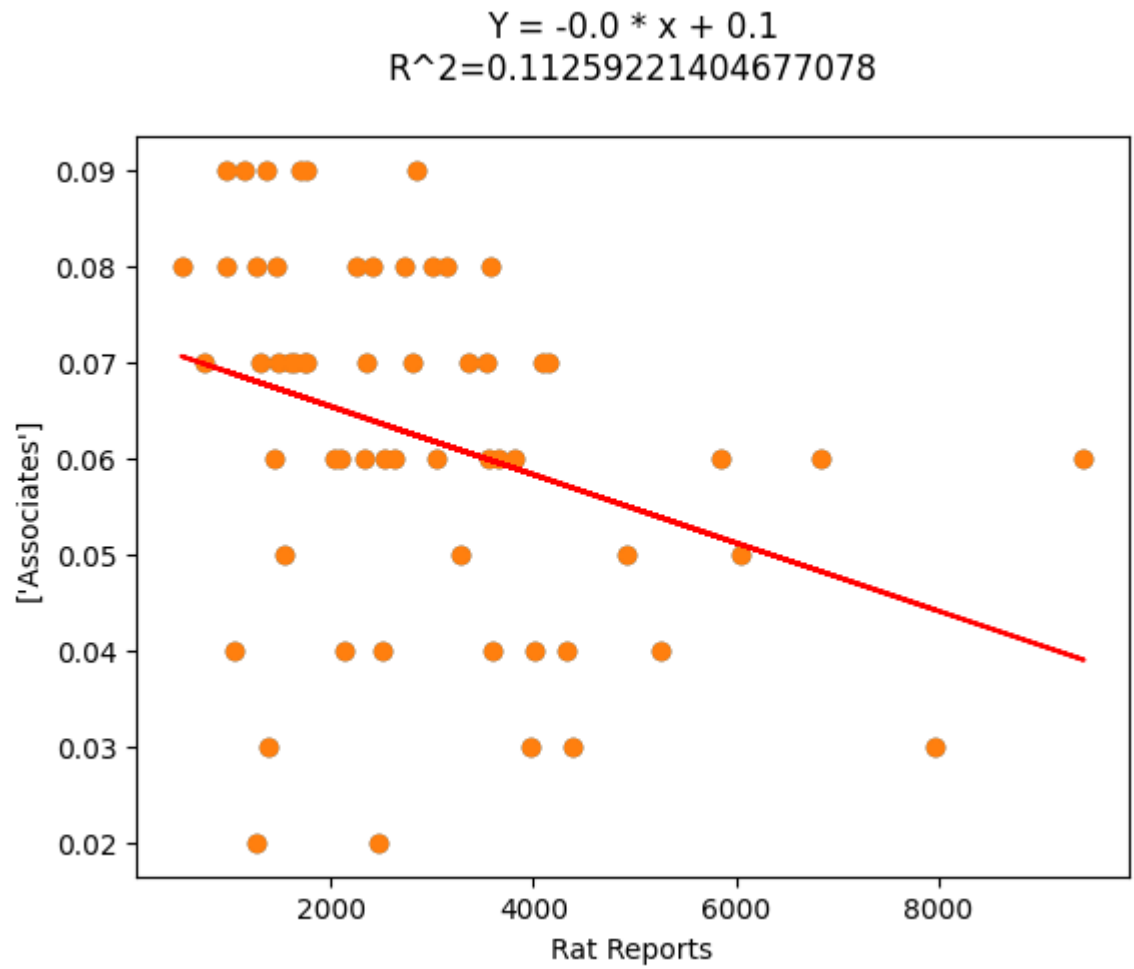


```
[0.00029175]  
4.769775715695724  
0.005631553889120067
```

$$Y = 0.0 * x + 0.3$$
$$R^2 = 0.003140210110514796$$



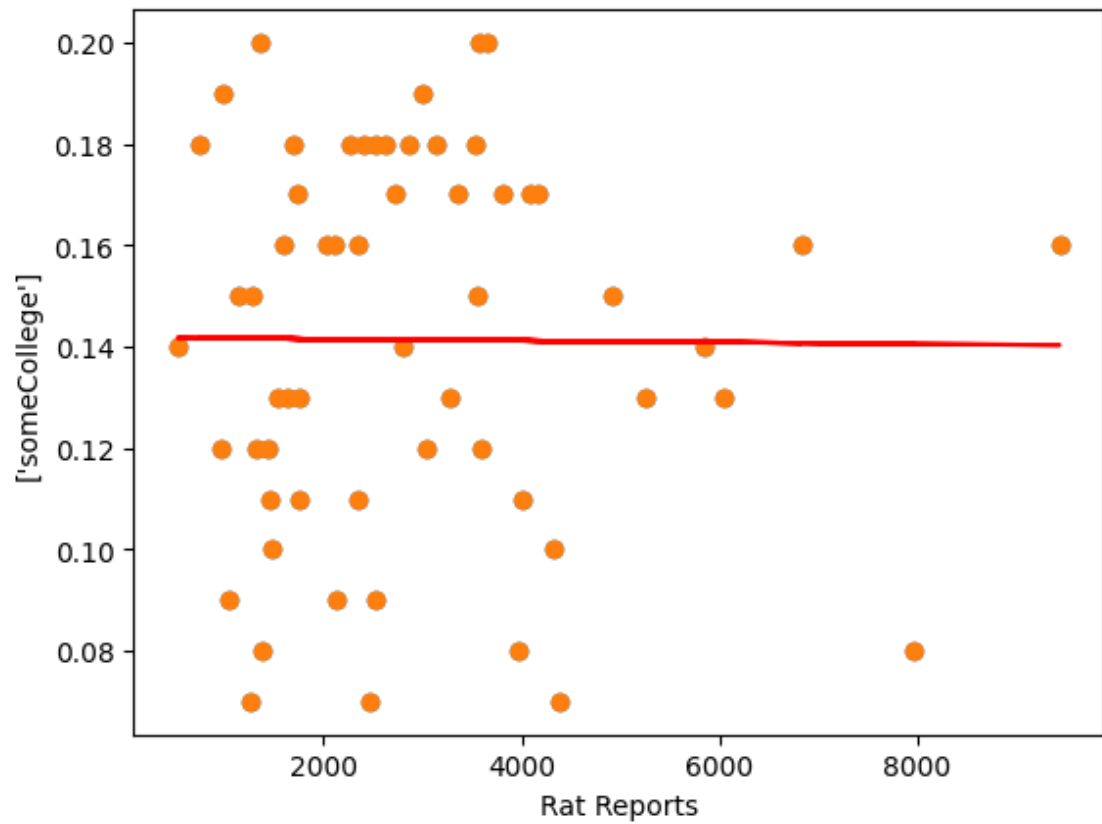

```
[6.27547797e-06]  
0.3392716110473312  
0.003140210110514796
```



```
[-3.54526581e-06]  
0.07247738987195385  
0.11259221404677078
```



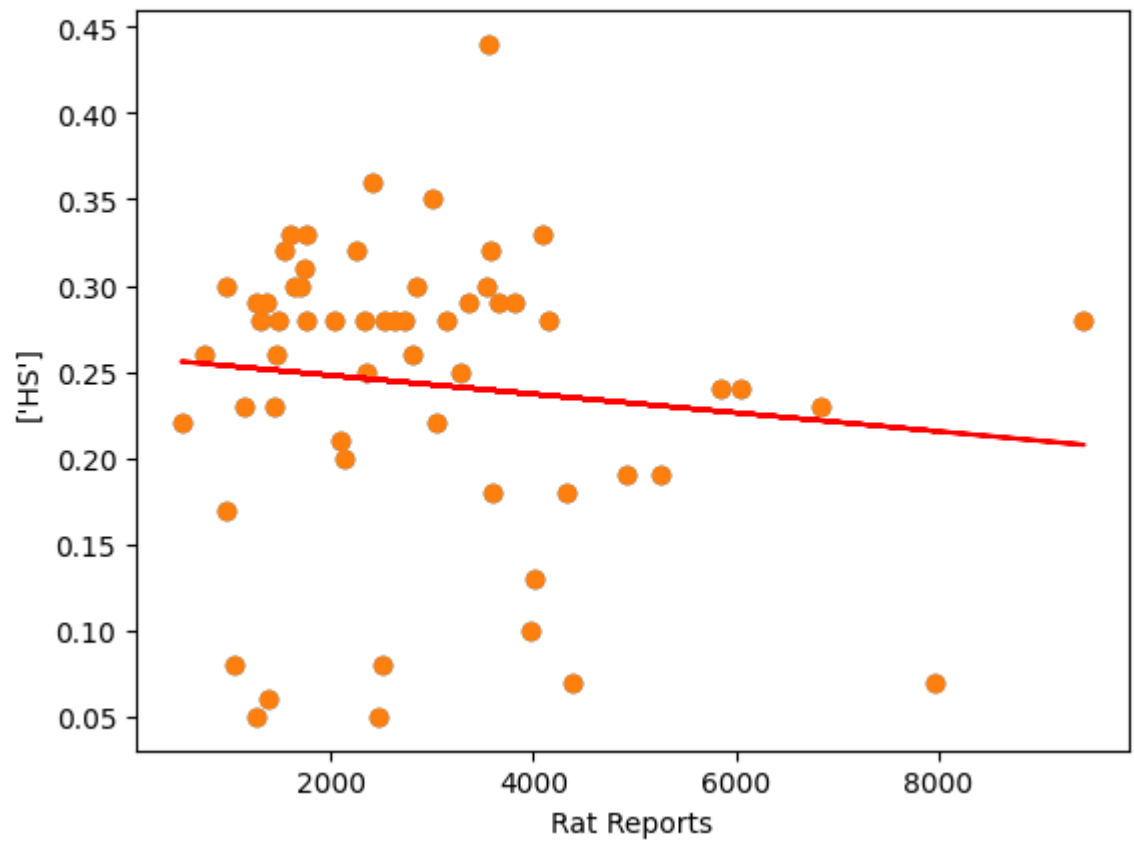
$$Y = -0.0 * x + 0.1$$
$$R^2 = 5.8562156140973265e-05$$



$[-1.60752504e-07]$
 0.14182178478632154
 $5.8562156140973265e-05$



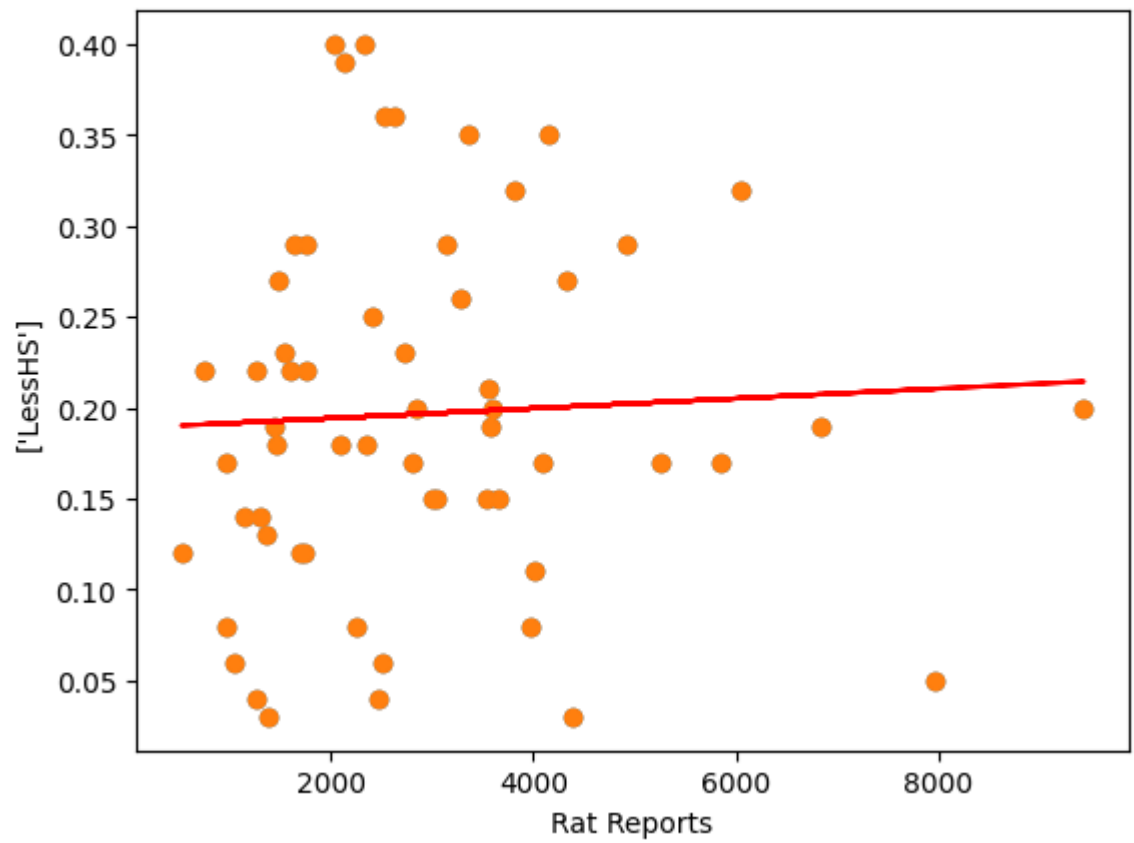
$$Y = -0.0 * x + 0.3$$
$$R^2 = 0.01248818032322574$$



```
[-5.41805899e-06]  
0.2587521069104024  
0.01248818032322574
```



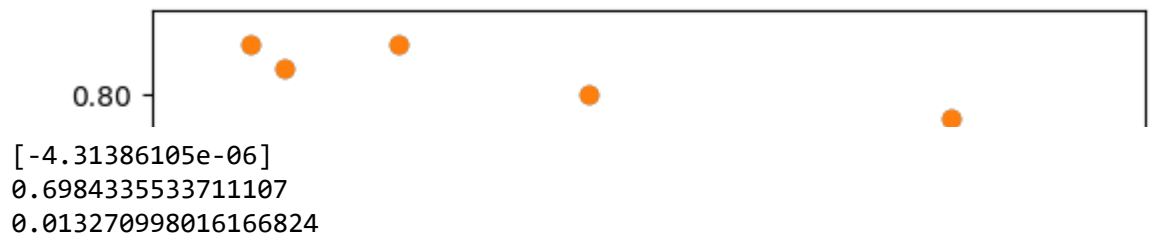
$$Y = 0.0 * x + 0.2$$
$$R^2 = 0.002402076316182611$$



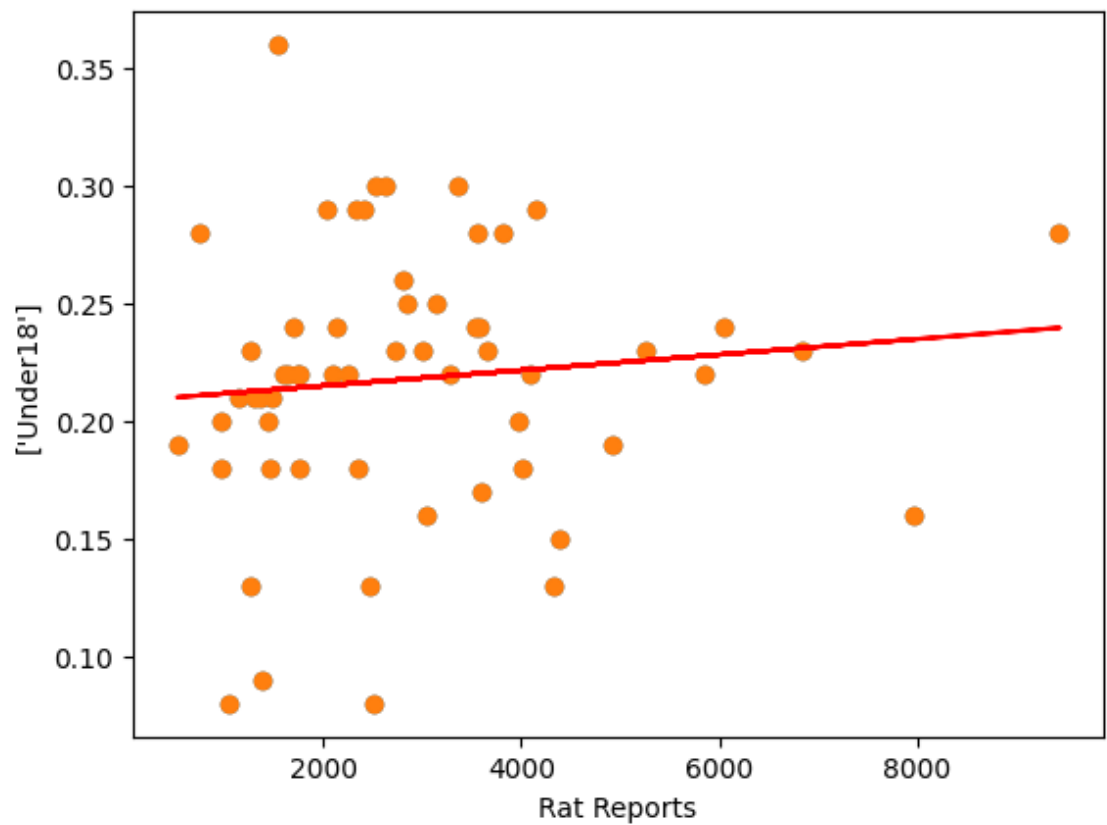
[2.71588925e-06]
0.1887396605303406
0.002402076316182611



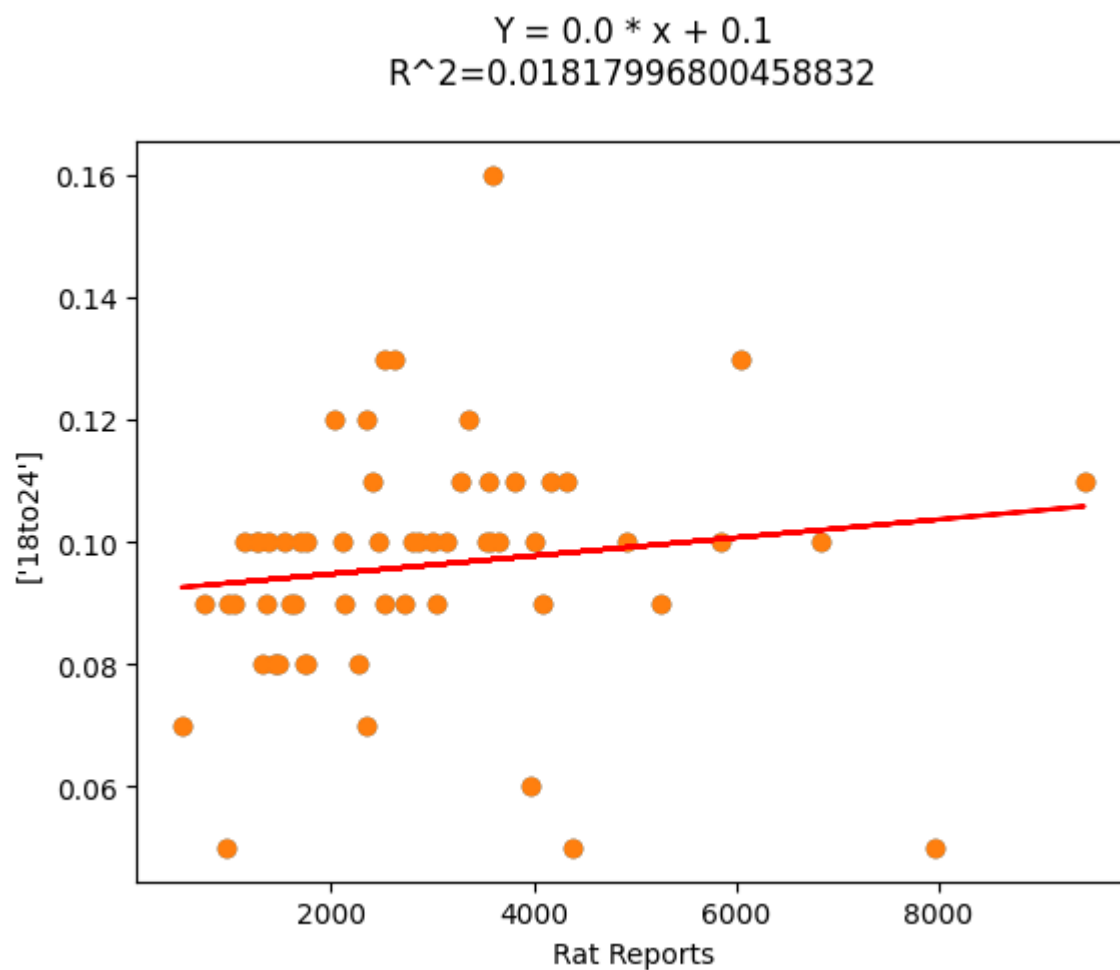
$$Y = -0.0 * x + 0.7$$
$$R^2 = 0.013270998016166824$$



$$Y = 0.0 * x + 0.2$$
$$R^2 = 0.0108176252572596$$



```
[3.30777038e-06]  
0.2083803513290559  
0.0108176252572596
```



```
[1.48573534e-06]  
0.09179610944171435  
0.01817996800458832
```

<Figure size 640x480 with 0 Axes>



In []:  `#plt.savefig('NYCrats_linear_regression.png')`

In []: 

In []: 

