EXCUSE MY FOLLOWING «BAD» PRESENTATION OF THE TOO GREAT EVENT AS UNEXPECTED FRUIT OF 40 HARD YEARS OF SO THEORICAL RESEARCHES, EQUAL TO A UNIQUE GENERAL LOGICAL-MATHEMATICAL PHYSICALISATION AS TOTAL ONE AND FIRST COMPLETE AND DECIDABLE PHYSICAL SO UNEXPECTED NEW MATHEMATIC (OF FOLLOWING PART I PROMISING ITS CONSEQUENT NEXT PART II FOR SALE):

$n)$: $\#x = \#\#\#x = \#(x \cup \varnothing) \in \#\{\#x\} = \#\{x\}$ = the contrast of any $\{x\}$, where $\#x$ is one «$\#y$ or $\#$\{y\}» in the new absolutely general set $\#\varnothing$(in 1)) where : $\overline{\mathbb{Z}}^K \equiv \overline{\mathbb{Z}}^K \cup \overline{X}$, for the further K = 15;

1) $x. \subset \#\varnothing \in \#\varnothing = \#\varnothing \cup y = \mathcal{P}(\#\varnothing) = \{z; z \in \{z\}\} \cup \{\{z\}; z \in \{z\}\} \in \{\#\varnothing\} \in \{\{\#\varnothing\}\} = \{\{\#\varnothing\}_\pm\}_\pm \wedge \{x_\pm\}_\pm = \{x_\pm\}_\mp = \{x_\mp\}_\pm = \{x_\mp\}_\pm \in \{\text{Card }_\pm x, \#\text{Card }_\pm x\} = \{(x \in_+ \{x\}), (x \notin_+ \{x\})\}_\pm = \{(x \in \{x\}), (x \notin \{x\})\}_\pm = \{(x \in_- \{x\}), (x \notin_- \{x\})\}_\pm = \{\int(x \in \{x\}), \int(x \notin \{x\})\}_\pm = \{\overrightarrow{x}, \overrightarrow{\#x}_\pm = \{\overrightarrow{\{x\}}, \overrightarrow{\#\{x\}}\}_\pm \neq \#\{\varnothing\} = \{\varnothing\} = 0\langle 0_\pm = 0_\mp = \{0\}_\pm = \{0\}_\mp = -1 \in -2 = \{-\text{Card } 0\}$, for 2):

2) $S_+ = S_+ \cup \{0\} = \{\int x; \int x_\pm = \int \complement_{x \cup \{0,\varnothing\}} \{0, \varnothing\} = \int \{x_\mp\}_\pm \in \{(x_\pm)_+, \{x_\mp\}_{\pm 1}\} = \{(x_\pm)_+, \{\{x_\pm\}_\mp\}_{\pm 1}\} \subset \left(\{\int(x_2)_\mp; \int \equiv \int_{\pm 1}\} \cup \{x_\mp\}_{\pm 1} \cup \{\{x_\pm\}_{\mp 1}\}_\pm\right) \cap x_- S_-\}\}_+$
$= \complement_S S_- = \complement_{\#\varnothing} S_- = \complement_{\#\varnothing}\Big(\{\rceil_- \rceil_\pm\}+, \{\dot{\rceil}_- \rceil_\pm\}_+, \{\dot{\rceil}_- \dot{\rceil}_\pm\}_+, \ldots, \varnothing \in \{\varnothing\}\}\cup$
$\{\rceil\{\rceil_\pm \rceil_\pm\}_+, \dot{\rceil}\{\rceil_\pm \rceil_\pm\}_+, \dot{\rceil}\{\dot{\rceil}_\pm \rceil_\pm\}_+, \dot{\rceil}\{\dot{\rceil}_\pm \dot{\rceil}_\pm\}, \ldots, \varnothing \in \{\varnothing\}\}\Big) =$
$\complement_{\#\varnothing}\{\{x_\pm\}_+; \{y_\pm\}_+ \in \{(y_\mp \dot{\in} \#\varnothing), (y_\mp \dot{\in} \#\varnothing)\}\} = \complement_{S_+ \cup S_- \cup \{\varnothing\}} S_- =$
the general Euclydian space S_+;

3) $\text{Card } \varnothing = 0 < 1 + n = (1+n)_\pm = \text{Card}_\pm\{1, \ldots, 1+n\} \in \overline{\mathbb{N}} = \overline{\mathbb{N}}_+ \cup \{\varnothing\} \subset \overline{\mathbb{N}} \cup \#\mathbb{N} = \#(\mathbb{N} \cup \#\mathbb{N}) = \#(\mathbb{Z} \cup \overline{\mathbb{Z}}) = \#\overline{\mathbb{Z}} = \big(\{\text{Card } x;$
$\text{Card}_\pm x \in \{(x \in \{x\})\}_\pm = \{(x \in_- \{x\})\}_+ = \{\int_\pm \text{Card}_\pm x\}_\pm\} \cup \{\#\text{Card } y;$
$\text{Card } y \in \mathbb{N} \cap \overline{\mathbb{N}}\}\big) \subset \#(\overline{\mathbb{N}} \cup \#\mathbb{N}) = \#(\overline{\mathbb{N}} \cup \#\overline{\mathbb{N}}) = \#\overline{\mathbb{Z}} \cup$
$\complement^{15}_{\#\overline{\mathbb{Z}}} \#\mathbb{Z} = \complement_{\overline{\mathbb{RC}} \cup^{15} \#(\overline{\mathbb{RC}})}(\overline{\mathbb{RC}} \cup \#(\overline{\mathbb{RC}})) = (\overline{\mathbb{RC}} \cup^{15}_\pm \#(\overline{\mathbb{RC}})) \cup$
$\{\varnothing\} = (\overline{\mathbb{RC}} \cup^{14} \#(\overline{\mathbb{RC}}))$ where $\cup^{14}$ is the set already known highest 14-th category of so own $\underset{\text{absolute}}{\text{smallest}}$ unlimited state a for $\cup^1 5$ of so smaller 15 dimensions as fictive absolute states of their $\underset{\text{larger approximative}}{\text{so}}$ «real» relative ones $\cup^{14} : \cup^{14}_1 : (\ )^{14}_1(\cup)$, for 6);

4) $\#\varnothing_+ \cup \varnothing_+ \cup \#\varnothing_- \cup \varnothing_- = \#_+\varnothing \cup \#\#_+\varnothing \cup \#_-\varnothing \cup \#_-\varnothing \cup \#\#_-\varnothing = \complement_{\#\varnothing}\{0, \varnothing\} = \{0, \varnothing\} \cup \left(\complement_{\#\varnothing}\{0, \varnothing\}\right)$

5) $x_\pm = \{(\{x_\pm\}_{\mp 1})_2; \{y_\pm\}_{\mp 3} = \{\{\{y_\pm\}_{\mp 3}\}_{\pm 3}\}_{\mp 3} \in \{\{y_+\}_{\mp 3}, \{y_-\}_{\pm 3}\}_\pm \cap S_\pm = \{\{y_+ \cap S_+\}$
$\{y_- \cap S_-\}_{\pm 3}\}_\pm = \{\int_\mp y_+, \{\mathcal{P}_-(y_+)\}_{\pm 3}\}_\pm = \{\int_{\mp 3}, \{\mathcal{P}_-(\mathcal{P}_+(y_-))\}_{\pm 3}\}_\pm = \{\int^{\mp 3}_{\pm 3} y,$
$\{y_-\}_{\pm 3}\}_\pm = \{\int_\mp y_+, \{y_-\}_{\pm 3}\}_\pm = \{\int_- y_+, \rceil\rceil\{y_-\}_+\}_\pm = \{\int_- \{y_\pm\}_+, \rceil\rceil\{y_-\}\}_\pm$
$= \rceil_- \rceil\{y_-\}_+, \rceil\rceil\{y_-\}_+\}_\pm \cup S_\pm\}_\pm \in \{x_\pm\}_{\mp 1} \cap S_\mp \cap \mathcal{P}_\mp(S_\mp) \cap S \in \{\{$
$\in \mathcal{P}_\pm(x_{\mp 1}) \in S_\mp = S_\mp \cap S = S \cap \mathcal{P}_\mp(S_\pm) \subset S = \#\varnothing$; for all $6 + n$):

6) As high technical revolutionary definition of a complete AND decidable general; system $(\ )^{15}_- S_- = S_- = \varnothing_- \cup \varnothing_-$ as so-pure mental unlimited meaning $(\ )^{15}_- \in)$ of the general pure light as relative «real» $(^5)(\ )S_-$ or fictive absolute $(\ )^c(\ )S_-$ as 2 pure limited symbols of the total new-general physicalisation $(\ )^{15}S_-$ of its parts $()^6 + nS$.