# Tooth Growth data analysis

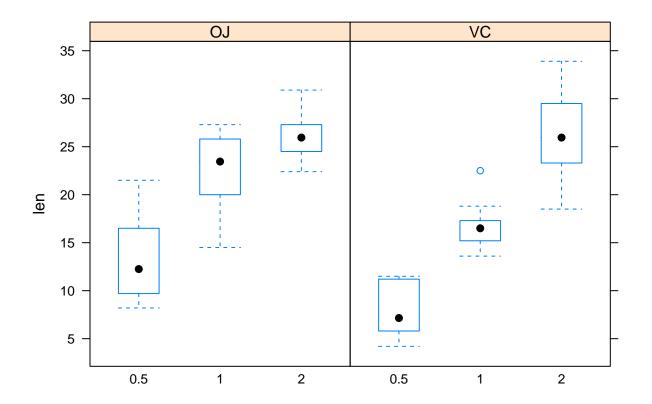
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### Introduction

This is a project for the statistical inference class hold by coursera. In this part of the project, I will analyze the ToothGrowth data in the R datasets packages

## 1. Load the ToothGrowth data and perform some basic exploratory data analyses



## 2. Provide a basic summary of the data

```
data(ToothGrowth)
len <- data.frame(ToothGrowth$len)
colnames(len) <- "len"
mean_len<- aggregate(len, list(supp = ToothGrowth$supp, dose = ToothGrowth$dose), mean)
sd_len <- aggregate(len, list(supp = ToothGrowth$supp, dose = ToothGrowth$dose), sd)</pre>
```

The mean of the dataset by supp is shownd below

```
mean_len
```

```
## supp dose len
## 1 OJ 0.5 13.23
## 2 VC 0.5 7.98
## 3 OJ 1.0 22.70
## 4 VC 1.0 16.77
## 5 OJ 2.0 26.06
## 6 VC 2.0 26.14
```

The standard deviation of the dataset by supp is shownd below

```
sd_len
```

```
## supp dose len
## 1 OJ 0.5 4.459709
## 2 VC 0.5 2.746634
## 3 OJ 1.0 3.910953
## 4 VC 1.0 2.515309
## 5 OJ 2.0 2.655058
## 6 VC 2.0 4.797731
```

### 3. Use confidence intervals and/or hypothesis tests to compare tooth growth by supp and dose

Calculate the confidence interval of the tooth growth by different supp

```
g1_supp <- mean_len[mean_len$supp == "OJ", ]$len
g2_supp <- mean_len[mean_len$supp == "VC", ]$len
t.test(g1_supp - g2_supp)</pre>
```

```
##
## One Sample t-test
##
## data: g1_supp - g2_supp
## t = 1.9472, df = 2, p-value = 0.1909
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -4.475757 11.875757
## sample estimates:
## mean of x
## 3.7
```

Calculate the confidence interval of the tooth growth by different dose

```
g_dose_2 <- mean_len[mean_len$dose == 2.0, ]$len</pre>
g_dose_1 <- mean_len[mean_len$dose == 1.0, ]$len</pre>
g dose 0.5 \leftarrow mean len[mean len$dose == 0.5, ]$len
t.test(g_dose_2 - g_dose_1)
##
##
    One Sample t-test
##
## data: g_dose_2 - g_dose_1
## t = 2.1181, df = 1, p-value = 0.2808
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -31.81715 44.54715
## sample estimates:
## mean of x
##
       6.365
t.test(g_dose_1 - g_dose_0.5)
##
##
    One Sample t-test
##
## data: g_dose_1 - g_dose_0.5
## t = 26.8529, df = 1, p-value = 0.0237
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
    4.80989 13.45011
## sample estimates:
## mean of x
        9.13
t.test(g_dose_2 - g_dose_0.5)
##
    One Sample t-test
##
##
## data: g_dose_2 - g_dose_0.5
## t = 5.8143, df = 1, p-value = 0.1084
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -18.36704 49.35704
## sample estimates:
## mean of x
##
      15.495
```

## 4. State your conclusions and the assumptions needed for your conclusions

From the results we can observed that the **change in supp is the least efficient one**. The efficient of dose increasing is better then the change of supp. If we set the unit of increasing dose to 0.5. Then the dose increasing from 0.5 to 1 is the most efficient one. And the confidence interval of the dose increasing from dose 0.5 to 1 is the narrowest.