Homework Assignment 2

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1 Problem 1: CNF

The Chomsky Normal Form (CNF) of the given grammar is as follows:

- $\bullet \ S \to NP \ VP$
- \bullet S \rightarrow X Y
- $\bullet \ \mathrm{X} \to I$
- $Y \rightarrow VP PP$
- $\bullet \ \mathrm{NP} \to \mathrm{Det} \ \mathrm{N}$
- $\bullet \ \mathrm{VP} \to \mathrm{V} \ \mathrm{NP}$
- \bullet V \rightarrow ate
- $PP \rightarrow Pre NP$
- Det $\rightarrow the \mid a$
- $N \rightarrow fork \mid salad$
- \bullet Pre \rightarrow with

2 Problem 2: CYK

2.1 CYK Parsing Table

B:

 $VP \rightarrow V \text{ obj } (0.0600)$

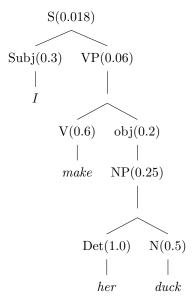
 $VP \rightarrow V Small (0.0096)$

 \mathbf{A} :

 $S \rightarrow Subj VP (0.0180)$

For a small grammar like the one given the CYK algorithm is feasible since it's $\mathcal{O}(n^3)$ parsing in the length of the sentence (and the number of non-terminals in grammar) isn't too large. However for large grammars we need binarization/CNF form of the grammar to make CYK algorithm a feasible parser for them.

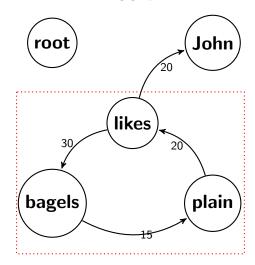
2.2 Most Probable Parse



3 Problem 3: Dependency Parsing / MST

3.1 CLE First Step

In the fist step of Chu-Li-Edmonds(CLE) every node greedily accepts the incoming edge with highest weight. This results in the following graph:



The cycle is indicated by the red dotted box.

3.2 CLE Last Step

Contracting the cycle to a single node and recalculating scores of incoming and outgoing edges:

Incoming arc weights:

$$root \rightarrow likes \rightarrow bagels \rightarrow plain = 60$$

 $root \rightarrow likes \rightarrow plain \rightarrow bagels = 25$
 $root \rightarrow bagels \rightarrow plain \rightarrow likes = 35$
 $root \rightarrow bagels \rightarrow likes \rightarrow plain = 15$

$$root \rightarrow plain \rightarrow likes \rightarrow bagels = 50$$

 $root \rightarrow plain \rightarrow bagels \rightarrow likes = 15$

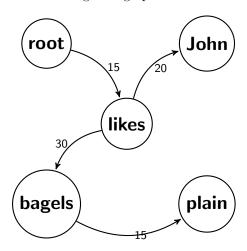
We therefore select $root \rightarrow likes \rightarrow bagels \rightarrow plain$

Outgoing arc weights:

$$likes \rightarrow John = 20 > plain \rightarrow John = 10 > bagels \rightarrow John = 5$$

We therefore select $likes \rightarrow John$

The resulting final graph is as follows:



Problem 4: Dependency parsing / Transition Based 4

Transition	Stack	Buffer	Arcs
	[ROOT]	[A koala eats leafs and barks]	
SHIFT	[ROOT A]	[koala eats barks and leafs]	
SHIFT	[ROOT A koala]	[eats leafs and barks]	
LEFT-ARC (det)	[ROOT koala]	[eats leafs and barks]	$A \cup \det(koala, A)$
SHIFT	[ROOT koala eats]	[leafs and barks]	
LEFT-ARC (nsubj)	[ROOT eats]	[leafs and barks]	$A \cup nsubj(eats,koala)$
SHIFT	[ROOT eats leafs]	[and barks]	
RIGHT-ARC (dobj)	[ROOT eats]	[and barks]	$A \cup dobj(eats, leafs)$
SHIFT	[ROOT eats and]	[barks]	
RIGHT-ARC (cc)	[ROOT eats]	[barks]	$A \cup cc(eats, and)$
SHIFT	[ROOT eats barks]		
RIGHT-ARC (conj)	[ROOT eats]		$A \cup conj(eats, barks)$
RIGHT-ARC (root)	[ROOT]		$A \cup root(root, eats)$

Table 1: Arc-Standard Transition Based Dependency Parser

The arc standard transition based dependency parser in table 1 won't be able to correctly predict the given structure. The dependency arcs cc (eats, and) and conj (eats,barks) are wrongly predicted. The correct dependencies should be cc (leafs, and) and conj (leafs, barks). However since the transitions are not constrained to follow a particular order and are applicable as long as their preconditions are met, the arc standard transition parser that correctly predicts the given structure is presented in table 2.

Table 2: Corrected Arc-Standard Transition Based Dependency Parser

Transition	Stack	Buffer	Arcs	
	[ROOT]	[A koala eats leafs and barks]		
SHIFT	[ROOT A]	[koala eats barks and leafs]		
SHIFT	[ROOT A koala]	[eats leafs and barks]		
LEFT-ARC (det)	[ROOT koala]	[eats leafs and barks]	$A \cup \det(koala, A)$	
SHIFT	[ROOT koala eats]	[leafs and barks]		
LEFT-ARC (nsubj)	[ROOT eats]	[leafs and barks]	$A \cup nsubj(eats,koala)$	
SHIFT	[ROOT eats leafs]	[and barks]		
SHIFT	[ROOT eats leafs and]	[barks]		
RIGHT-ARC (cc)	[ROOT eats leafs]	[barks]	$A \cup cc(leafs, and)$	
SHIFT	[ROOT eats leafs barks]			
RIGHT-ARC (conj)	[ROOT eat leafs]		$A \cup conj(leafs,barks)$	
RIGHT-ARC (dobj)	[ROOT eats]		$A \cup dobj(eats, leafs)$	
RIGHT-ARC (root)	[ROOT]		$A \cup root(root, eats)$	