

```
%ADM
```

```
%Signal Parameters
```

```
fs = 1000;
```

```
T = 1/fs;
```

```
t = 0:T:1;
```

```
fc = 10;
```

```
Ac = 1;
```

```
m = sawtooth(2*pi*fc*t);
```

```
%ADM parameters
```

```
L = 2;
```

```
delta = 0.5;
```

```
xhat(1) = 0;
```

```
n = length(m);
```

```
%ADM loop
```

```
for i=2:n
```

```
    e(i) = m(i) - xhat(i-1);
```

```
    if e(i)>=0
```

```
        d(i) = L;
```

```
    else
```

```
        d(i) = -L;
```

```
    end
```

```
    xhat(i) = xhat(i-1)+delta*d(i);
```

```
end
```

```
%plotting
```

```
subplot(3,1,1)
```

```
plot(t,m)
title('Original Signal')
xlabel('Time')
ylabel('Amplitude')
subplot(3,1,2)
stairs(t,xhat)
title('Quantized Signal')
xlabel('Time')
ylabel('Amplitude')
subplot(3,1,3)
plot(t,e)
title('Error Signal')
xlabel('Time')
ylabel('Amplitude')
```

```
clear all
%Companding law
%signal parameter
fs = 260;
T = 1/fs;
t = 0:T:1;
f = 100;
A = 1;
x = A*sin(2*pi*f*t);

%uLaw companding
u = 255;
y_u = sign(x).*log(1+u*abs(x))/log(1+u);
x_u = sign(y_u).*((1+u).^abs(y_u)-1)/u;
```

```

%Alaw companding

Amax = 1;

A1 = 87.6;

A2 = 1/(1-A1);

y_A = sign(x).*log(1+A1*abs(x)/Amax)/log(1+A1);

x_A = sign(y_A).*((1+A1).^abs(y_A)-1)/(Amax*A2);

```

```

%plotting

plot(t,x)

title('Original Signal')

plot(t,y_u)

title('u-Law Companded')

plot(t,x_u)

title('u-Law Expanded')

plot(t,y_A)

title('A-Law Companded')

plot(t,x_A)

title('A-Law Expanded')

```

```

clear all

%Define the pulse shape

p_width = 10;

p_amplitude = 1;

p_shape = p_amplitude*ones(1,p_width);

```

```

%Define the signal to be transmitted

signal_length = 100;

signal = randi([0 1], 1, signal_length);

```

```

signal(signal==0) = -1;
txSig = kron(signal, p_shape);

%Add noise to the signal
noise_power = 0.01;
noise = sqrt(noise_power)*randn(size(txSig));
rxSig = txSig + noise;

%Define the matched filter
m_filter = fliplr(p_shape);

%Apply the matched filter to the received signal
filtered_signal = conv(rxSig, m_filter, 'same');

%Plot
subplot(3,1,1)
plot(txSig)
title('Tx Signal')
subplot(3,1,2)
plot(rxSig)
title('Rx Signal')
subplot(3,1,3)
plot(filtered_signal)
title('Filtered Signal')

%%%

%haffman code
clc;

```

```

p=input('enter the probabilities:');
n= length(p);
symbols=[1:n];
[dict,avglen]=huffmandict(symbols,p);
temp=dict;
t=dict;
t=dict(:,2);
for i=1:length(temp)
    temp{i,2}=num2str(temp{i,2});
end
disp('the huffman code dict:');
disp(temp)

```

```

fprintf('enter the symbols between 1 to %d in[]',n);
sym=input(':')
encod=huffmanenco(sym,dict);
disp('the encoded output:');
disp(encod);
bits=input('enter the bit stream in[]');
decod=huffmandeco(bits,dict);
disp(decod);

```

```

H=0;
Z=0;
for(k=1:n)
    H=H+(p(k)*log2(1/p(k)));
end
fprintf(1,'entropy is %f bits',H);

```

```
N=H/avglen;  
fprintf('\n efficiency is:%f',N);
```

```
clear all  
  
% Define the signal parameters  
N = 100; % Number of symbols  
M = 16; % Modulation order  
pilot_idx = 10; % Index of the pilot symbol  
pilot_value = 1 + 1i; % Value of the pilot symbol  
SNR = 20; % Signal-to-Noise Ratio (dB)
```

```
% Generate the random data symbols  
data = randi([0 M-1], 1, N);
```

```
% Modulate the data symbols  
mod_data = qammod(data, M);
```

```
% Insert the pilot symbol  
mod_data(pilot_idx) = pilot_value;
```

```
% Generate the noise  
sigma2 = 10^(-SNR/10); % Noise variance  
noise = sqrt(sigma2/2)*(randn(1,N)+1i*randn(1,N));
```

```
% Add the noise to the modulated data  
rx_data = mod_data + noise;
```

```
% Estimate the channel using the pilot symbol
```

```
H_est = rx_data(pilot_idx)/pilot_value;
```

```
% Equalize the received data
```

```
eq_data = rx_data/H_est;
```

```
% Demodulate the received data
```

```
demod_data = qamdemod(eq_data, M);
```

```
% Calculate the entropy of the data symbols
```

```
p = histcounts(demod_data, 0:M-1, 'Normalization', 'probability');
```

```
entropy = -sum(p.*log2(p));
```

```
% Plot the results
```

```
subplot(3,1,1);
```

```
stem(real(mod_data));
```

```
hold on;
```

```
stem(real(rx_data));
```

```
title('Real part of modulated and received data');
```

```
legend('Modulated data', 'Received data');
```

```
xlabel('Symbol index');
```

```
ylabel('Amplitude');
```

```
subplot(3,1,2);
```

```
stem(imag(mod_data));
```

```
hold on;
```

```
stem(imag(rx_data));
```

```
title('Imaginary part of modulated and received data');
```

```
legend('Modulated data', 'Received data');  
xlabel('Symbol index');  
ylabel('Amplitude');  
  
subplot(3,1,3);  
stem(data);  
hold on;  
stem(demod_data);  
title('Original and demodulated data');  
legend('Original data', 'Demodulated data');  
xlabel('Symbol index');  
ylabel('Data symbol');  
  
fprintf('Entropy of the data: %.4f bits/symbol\n', entropy);
```



```

% Define the input voltage range
Vin = linspace(0, 1, 1000);

% Define the mu values to plot
mu_values = [1, 10, 50, 100, 255];

% Loop over the  $\mu$  values and calculate the output voltage for each one
for i = 1:length(mu_values)
    mu = mu_values(i);

    Vout = sign(Vin) .* log(1 + mu*abs(Vin)) ./ log(1 + mu);

    % Plot the output voltage vs input voltage for the current mu value
    plot(Vin, Vout);
    hold on;
end

% Add axis labels and a title
xlabel('Input Voltage (V)');
ylabel('Output Voltage (V)');
title('μ-Law Companding Curve');

```

```
% Add a legend
```

```
legend('μ=1', 'μ=10', 'μ=50', 'μ=100', 'μ=255', "Location", "best");
```

```
%Define the pulse shape
```

```
p_width = 10;
```

```
p_amplitude = 1;
```

```
p_shape = p_amplitude*ones(1,p_width);
```

```
%Define the signal to be transmitted
```

```
signal_length = 100;
```

```
signal = randi([0 1], 1, signal_length);
```

```
signal(signal==0) = -1;
```

```
txSig = kron(signal, p_shape);
```

```
%Add noise to the signal
```

```
noise_power = 0.01;
```

```
noise = sqrt(noise_power)*randn(size(txSig));
```

```
rxSig = txSig + noise;
```

```
%Define the matched filter
```

```
m_filter = fliplr(p_shape);
```

```
%Apply the matched filter to the received signal
```

```
filtered_signal = conv(rxSig, m_filter, 'same');
```

```
%Plot
```

```
subplot(3,1,1)
```

```
plot(txSig)
```

```
title('Tx Signal')
```

```
subplot(3,1,2)
```

```
plot(rxSig)
```

```
title('Rx Signal')
```

```
subplot(3,1,3)
```

```
plot(filtered_signal)
```

```
title('Filtered Signal')
```

```
clear all
```

```
N_bits = 1000; % number of bits to transmit
```

```
EbNo_dB = 0:0.25:10; % SNR values in dB
```

```
Pe = zeros(size(EbNo_dB)); % initialize bit error rate vector
```

```

bpskModulator = comm.BPSKModulator;
bpskDemodulator = comm.BPSKDemodulator;
channel = comm.AWGNChannel('NoiseMethod', 'Signal to noise ratio (Eb/No)', 'EbNo', 0);

```

```

txData = randi([0 1], N_bits, 1); %Generate Data
txSig = bpskModulator(txData); %Modulate data
for i = 1:length(EbNo_dB)
    channel.EbNo = EbNo_dB(i);
    rxSig = channel(txSig);      % Pass through AWGN
    rxData = bpskDemodulator(rxSig); % Demodulate
    err = comm.ErrorRate;
    x = err(txData, rxData);
    Pe(i) = x(1);
    %PE(i) = mean(abs(txData - rxData));
end

```

```

scatterplot(rxSig)
%display(Pe)
%display(PE)
%Pe = Pe./N_bits
EbNo = 10.^(EbNo_dB/10);
Pe_theoretical = (0.5)*erfc(sqrt(EbNo));
semilogy(EbNo_dB, Pe, 'bo', EbNo_dB, Pe_theoretical, 'r-')
%semilogy(EbNo_dB, PE, 'bo', EbNo_dB, Pe_theoretical, 'r-')
title ('Probaboly of Error vs Eb/No');
xlabel ('Eb/No (dB)');
ylabel ('Probability of Error');
legend('Practical curve','Theoratical curve');

```

```
grid on;
```

Hoffman

```
%Binary Huffman Code
```

```
symbols = (1:5); % Alphabet vector
```

```
prob = [.3 .3 .2 .1 .1]; % Symbol probability vector
```

```
[dict,avglen] = huffmandict(symbols,prob)
```

```
samplecode = dict{5,2} % Codeword for fifth signal value
```

```
clc;
```

```
clear all;
```

```
s=input('Enter symbols- ') %format ['a','b','c','d','e','f'];
```

```
p=input('Enter value of probabiltiy- ') %format [0.22,0.20,0.18,0.15,0.13,0.12];
```

```
if length(s)~=length(p)
```

```
    error('Wrong entry.. enter again- ')
```

```
end
```

```
i=1;
```

```
for m=1:length(p)
```

```
    for n=1:length(p)
```

```
        if(p(m)>p(n))
```

```
            a=p(n); a1=s(n);
```

```
            p(n)=p(m);s(n)=s(m);
```

```

        p(m)=a; s(m)=a1;
    end
end
end
display(p) %arranged prob. in descending order.

tempfinal=[0];
sumarray=[];
w=length(p);
lengthp=[w];
b(i,:)=p;

while(length(p)>2)
    tempsum=p(length(p))+p(length(p)-1);
    sumarray=[sumarray,tempsum];
    p=[p(1:length(p)-2),tempsum];
    p=sort(p,'descend');
    i=i+1;
    b(i,:)=[p,zeros(1,w-length(p))];
    w1=0;
    lengthp=[lengthp,length(p)];

    for temp=1:length(p)
        if p(temp)==tempsum;
            w1=temp;
        end
    end
end
tempfinal=[w1,tempfinal]; % Find the place where tempsum has been inserted
display(p);

```

end

sizeb(1:2)=size(b);

tempdisplay=0;

temp2=[];

for i= 1:sizeb(2)

temp2=[temp2,b(1,i)];

end

sumarray=[0,sumarray];

var=[];

e=1;

for ifinal= 1:sizeb(2)

code=[s(ifinal),' ']

for j=1:sizeb(1)

tempdisplay=0;

for i1=1:sizeb(2)

if( b(j,i1)==temp2(e))

tempdisplay=b(j,i1);

end

if(tempdisplay==0 & b(j,i1)==sumarray(j))

tempdisplay=b(j,i1);

end

end

var=[var,tempdisplay];

if tempdisplay==b(j,lengthp(j)) %assign 0 & 1

code=[code,'1'];

elseif tempdisplay==b(j,lengthp(j)-1)

```
        code=[code,'0'];
else
    code=[code,""];
end
    temp2(e)=tempdisplay;
end
display(code) %display final codeword
    e=e+1;
end
```