

IDENTIFYING THE MODEL OF AR AND MA PROCESS USING ACF AND PACF

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INTRODUCTION

An autoregressive (AR) model predicts future behavior based on past behavior. It's used for forecasting when there is some correlation between values in a time series and the values that precede and succeed them.

The moving-average model specifies that the output variable depends linearly on the current and various past values of a stochastic (imperfectly predictable) term.

AIM

The aim of this experiment is to identify the AR and MA models using auto correlation function (acf) and partial auto correlation function (pacf).

PROCEDURE

Getting the simulated observations

```
AR2 = arima.sim(model = list(ar = c(-0.6, 0.2)), n=1000)
```

Creating the ACF Plot

```
acf(AR2)
```

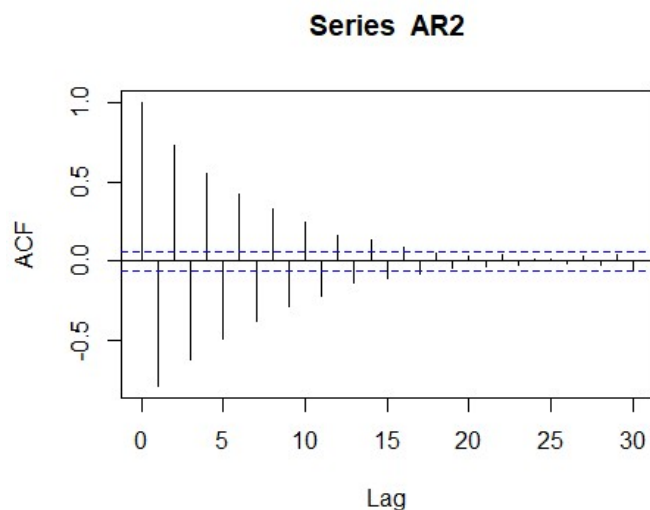


Figure 1: ACF Plot for the simulated phi values

Creating the PACF Plot

```
pacf(AR2)
```

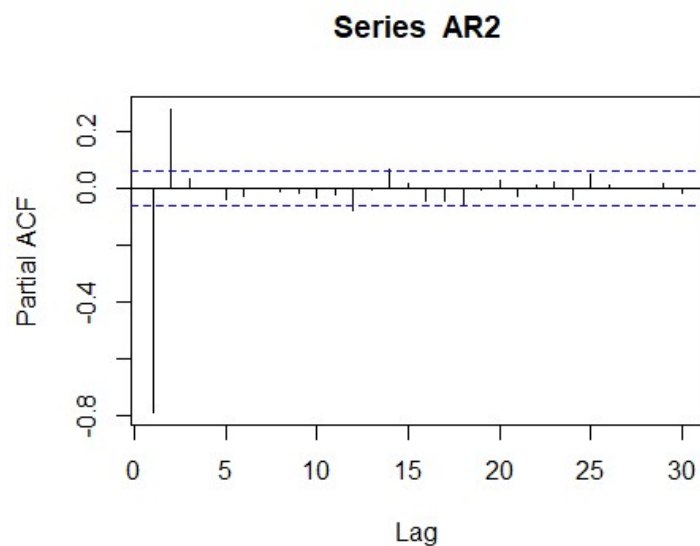


Figure 2: PACF Plot the simulation

Simulating 500 observations from an MA(3) Process

```
MA3 = arima.sim(model = list(ma=c(7,2,-3)),n=500)
```

Creating an ACF Plot for the MA(3) simulation

```
acf(MA3)
```

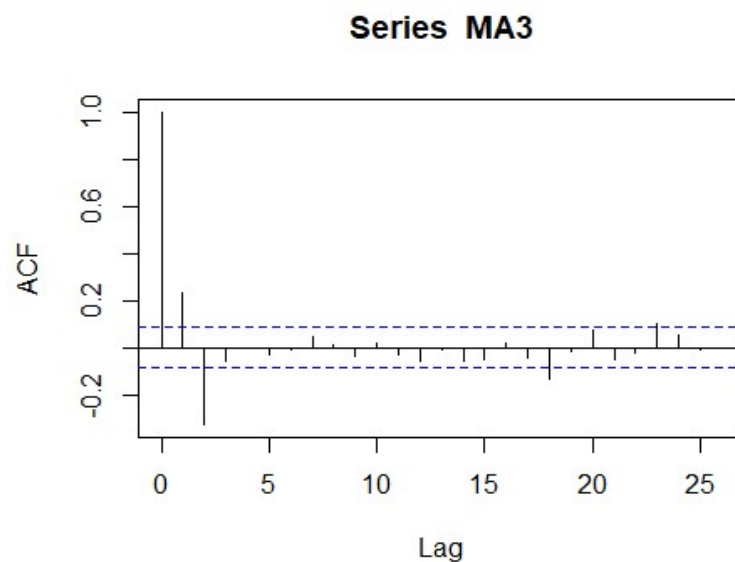


Figure 3: ACF Plot for the MA(3) simulation

Creating a PACF Plot for the MA(3) simulation

```
pacf(MA3)
```

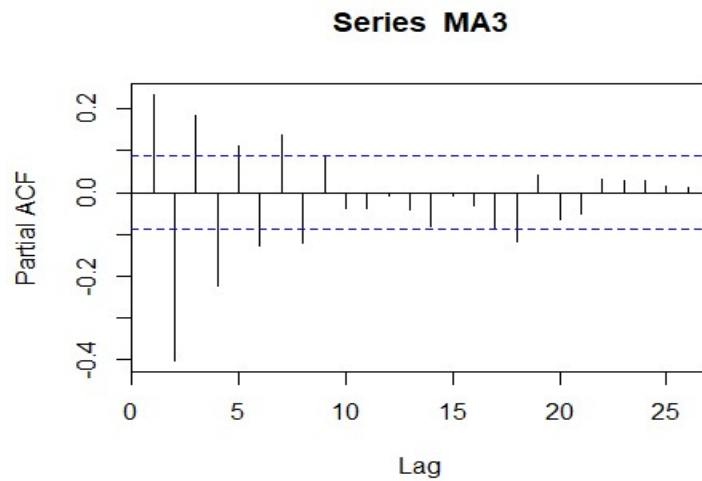


Figure 4: PACF Plot for the MA(3) simulation

CONCLUSION

From Figure 1, we can conclude that the ACF Plot for the phi values is oscillatory.

From figure 2, we can conclude that the PACF Plot for AR(2) cuts off after lag 2.

Since ACF plot decays slowly or gradually and PACF plot has a sharp or sudden drop after 2 lags, the process with given sets of parameters is stationary.

From Figure 3, we can conclude that the ACF Plot simulated from MA(3).

From Figure 4, we can conclude that the PACF Plot is oscillatory.

Moving average model is always stationary as it is a linear combination of white noise sequence.