Design and Analysis
Of Algorithms Name: Anchet Stuke CST-SPLL Rouno .: 55 Tutosfal-1 Q1-Asymptotic Notation -> They help you find the Complexity of an algorithm when Enput 86 very large. 1)- Beg OL f(n) 20(q(n)) Eff ton) Z.C.g(on) ₩ nzno for some weight Constant CXO =>gon) es tight upper bound of 12)- Beg Omega(12) f(n) = -2(q(n)) g(n) & tight lower bound off(n) f(n)2-e(g(n)) eff fin) zegin) 4 nzno for some constant C>0. 3)- Theta(0) fbn) = 0 (g(zn)) g (ni) 85 both stepht, upper and loves bound for for) fln) 20(gln)) y Gg(m) & ten) & G.gen) 4 n2 (max (n1202) for some constant 4>0 and 620 4)- Small 0607 gtn) & upper bound of fn fln). fint fln) = 0(gtn)) when fln) L C g(n) H-n>no. and + C>0 flon = 0 (960)

5)-Small Omegalio) ftn)=w(g(m)) Atm to lower bound of friftin) flanz wigan) when for) > (gtn) + n>no and 4 exo. Q2- to for (lz1 ton) & eze*25 forcez ton) 1/ (21,2/4,8 --- n-Elze*233 110(1) → 2 1+2+4+8+--2 GP Kth Value => TK= Q JK+1 =>1X2KH 2) 722K 2>2122K 2) log 2nz Klog2 2) log2 +ologn zklog2 logni zk OLK) = OLHlogn) z Ollogn) Q3- T(n) 223T(n-1) of n>0, otherwise 13 T(II)=3T(IH) -(1) put nint TLn-1) 23TLn-2)-2) from 1 and 2, >> Too) = 3(37(01-21) 29 TCn-2) -3 putting nen-2 bill, TO023(TO1-3) -0 => T(2) = 27(T(21-3)) => TO9=3K (TC1-K))

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putting n-K20
                 zynzk.
       T(n) = 3n [T(n-n]]
       T(n) =3"T(o)
                            [T(0)21]
       T(n) = 3nx1
        T(n) = 0(8n)
4- T(n)= 22T(n-1)-1 ef no , other wese 13
      T(n) = 2T(n-1)
      TO1-122T(91-2)
       T(n-2) = 2T(n-3)
       T(1) =2T(0)
       T(0) = 1
    Substituting value of T(n-1) then T(n-2) -- tillT(1)
     en egn Toi).
     veget,
        T(n)=2"XT(0)
        T(n)=2nx1
              =0(2^n)
   ent 621,521;
   while (SLZn)
   E ett;
    g pointf (et #1);
     E21 23456
     52 1+3+6+10+15+
  Sum of 621+3+6+10+ -- +n -0
     also 6 = 1+3+6+10+ - Truth -2
       from 0-0,
        0=1+2+3+4+--n-Tn-
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1+2+3+--+KZZN => KCK+1) LZn 2) k2+K Lzn. Z) OCK9 LZn => K=O(Vn) => T(n)=0(Vn) 6- Voed function (ontn) 2 But es count 20; borcezi sexecznien Count++3 110(1) y 08 22 LZn Z) 8/2VT Cz1, 12, 3, 4---, Vi 2 1+2+3+4+ ---+Vn 821 \Rightarrow T(n)= $\frac{\sqrt{n}\times(\sqrt{n}+i)}{2}$ Tongenson TO1)20(11) 7- voed function (Britin) Ent logok, Count 20; for (827/2; 84275 847) 加付了了上河过了数 for CKZI 3 KZZn3 KZKXZ) Count ++ Z

Z>TK=1+2+ 3+4 +---K

TK= 1/2 K(KH)

=> For K Elexadions,

$$k=1,2,4,8,-n$$

$$\Rightarrow GP \Rightarrow 0z1,0z2$$

$$= 0x 0(5n+1)$$

$$x+1$$

$$= 1(2k-1)$$

$$n=2k$$

$$= > log n=k$$

$$logn logn * logn * logn * logn$$

$$2 logn logn * klogn$$

$$1 logn logn * klogn$$

$$2 logn klogn$$

$$2 logn | logn * klogn$$

$$2 logn | logn | log$$

for K=K*2

3 71°21 > (f(n)2n2)

=> T(n) = O(n2)

9- Weed function (Entrn) ?

for (2=1+to n)?

for (3=1; J(2n); g=3+1)

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$$J(2n)$$
; $J(2n)$; $J(2n$