

Regular Language Models Part-1



Regular Language Models Part1:

Content :

1. Symbols
2. Alphabets
3. String
4. Length of String
5. Formal Language

Language accepted by FA in Regular Expression

Symbols:- Symbols are undefined concepts or pre-emittives. Symbols are generally letters or digits

Alphabets:- It is finite non-empty set of elements or symbols & it is denoted by Σ

$$\Sigma = \{ 0,1,2,3,4,5,6,\dots \}$$
$$= \{a,e,i,o,u\}$$

String :- A string or a word is finite sequence of symbols chosen from some alphabet.

$$\Sigma = \{a,b,c,d\}$$

$$u = abc, v = aabc, w = abcd$$

Length of String:- Number of symbols in string

$$|u| = 3, |v| = 4, |w| = 4$$



Power of alphabet:- let Σ is alphabet Σ^k be the set of string length k each of whose symbol is in alphabet .

Example:

$$\Sigma = \{0,1\}$$

$$\Sigma^1 = \{0,1\}$$

$$\Sigma^2 = \{00,11,01,10\}$$

$$\Sigma^3 = \{000,001,010,100,101,110,011,111\}$$

$$\Sigma^4, \Sigma^5, \Sigma^6$$

Klew star(*)

$\Sigma^* =$ Set of all possible combination including null

$$\Sigma^* = \Sigma^0 \cup \Sigma^1 \cup \Sigma^2 \cup \Sigma^3 \dots$$

$$\Sigma^* = \{ \Lambda, 0, 1, 00, 11, 01, 10, 000, 010, \dots \}$$

$a^* =$ all possible combination of a including null

$$= \{ \Lambda, a, aa, aaa, aaaa, \dots \}$$

$$b^* = \{ \Lambda, b, bb, bbb, bbbb, \dots \}$$

$$(ab)^* = \{ \Lambda, ab, abab, abababab, \dots \}$$

$$ab^* = \{ a, ab, abb, abbb, \dots \}$$

$$ab^*c^* = \{ a, ab, ac, abc, abbc, abbbc, abbcc, \dots \}$$

$\Sigma^+ =$ All possible combination excluding null .

$a^+ = \{a, aa, aaa, aaaa, \dots\}$

$a+b^* = \{a, ab, aa, abb, aabb, \dots\}$

$ab^*c^+ = \{ac, abc, abbcc, \dots\}$

Formal Language(L):- language is the subset of klew star(*) operator

$L \subseteq \Sigma^*$

$\Sigma = \{0,1\}$

$\Sigma^* = \{\epsilon, 0, 1, 00, 01, 10, 11, \dots\}$

$L =$ All the strings starting with 0 .

$\Sigma = \{0, 00, 01, 000, 010, \dots\}$

$(a + b) \square$ OR $\{a, b\}$

$\{aa + bb\} \quad \{aa, bb\}$

$a^*b(a+b)$

$\{ba/bb, /aba/abb, aab/aabb, aaabb/aaaba, \dots\}$

1. $a+b^*c = a, c, bc, bbc, bbbc, \dots$
2. $ab^*(aa+bb) = aaa, abb, abaa, abbb, abbaa, abbbb, \dots$
3. $ab+c^*(a+n) = ab, aba, abc, abca, abcc, aabcca, abcca, \dots$

$L = \{a^n, b^n, n \geq 0, n \geq 0, \}$

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$\{ \Lambda, a, aa, aaa, \dots, b, bb, \dots \}$

$(a+b)^*$ = All possible combination $a^+ a, b$, including null

$\{n, a, b, aa, ab, ba, \dots\}$

Let $r = a(a+b)^*$

$S = aa^*b$

$T = a^*b$

1. $L(s) \leq L(r) \text{ \& } L(s) \leq L(t)$
2. $L(r) \leq L(s) \text{ \& } L(s) \leq L(t)$


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