## ANALYSIS AND PROGRAM DESCRIPTION

This file contains information and description of the Gauss programs used in "Measuring Individual Competitiveness and its Impact on Sporting Success" by Julene Palacios-Saracho and Ander Palacios-Saracho, submitted on December 1, 2023 to the Research Paper competition of MIT's conference SSAC 2024.

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FILE: C:\FILES\EUGENIO\PAPERS\PENN12\*.DEF
 THESE PROGRAMS COMPUTE:
 + A STANDARD PROBIT MODEL WITH LAGGED ENDOGENOUS VARIABLES.
 + A GENERIC ARELLANO-CARRASCO DISCRETE CHOICE MODEL FOR THE CASE OF A
CONSTANT, TWO LAGGED ENDOGENOUS VARIABLES AND A GIVEN CHOICE OF SUBSAMPLE.
 + MARGINAL EFFECTS IN EACH CASE.
new;
library maxlik;
time0=time;
output file =c:\gausswin\Penn12\*.OUT reset;
load exg = exogenas;
load dnames;
** dnames="CONSTANT"~ /* 01 Constant */
        "NAME OF VARIABLE #1 HERE"~ /* 02 Predetermined variable 1*/
* *
         "NAME OF VARIABLE #2 HERE" \sim /* 03 Predetermined variable 2*/
* *
        "NAME OF VARIABLE #3 HERE"~ /* 04 Exogenous variable 1*/
* *
        "NAME OF VARIABLE #32 HERE"~ /* 33 Exogenous variable 30*/
**
        "RHO "; /* 34 Rho */
** dnames=dnames';
/* ============ PROCEDURES ========== */
/* Descriptive Statistics */
proc(0) = Dsa(dsanames,dsaxvar);
local aa,bb,cc,dd,ee,aux,mask,fmt;
  aa = meanc(dsaxvar);
  bb = stdc(dsaxvar);
  cc = minc(dsaxvar);
  dd = maxc(dsaxvar);
  ee = rows(dsaxvar)*ones(rows(dsanames),1);
  aux = dsanames~aa~bb~cc~dd~ee;
  print "-----";
  print "Variable MEAN
                              STDC MIN
Obs.";
  print "----";
  mask = \{0 \ 1 \ 1 \ 1 \ 1\};
  fmt = { "-*.*s " 88, }
          "*.*lf " 12 4,
          "*.*lf " 12 4,
          "*.*lf " 12 4,
          "*.*lf " 12 4,
          "*.*lf " 8 0};
  call printfm (aux, mask, fmt);
  print "-----";
  print "\r\l ";
endp;
tt = 1; r = 1; t = 1;
/* DELTA METHOD */
proc (2) = DMethod(knames, b, cov, f);
local s, p, mask, fmt, oldtrap;
local f:proc, jac, vr;
   r = f(b);
   jac = gradp (&f, b);
   vr = jac*cov*jac';
   oldtrap = trapchk (1);
   trap 1, 1;
```

```
print "----";
   print "Variable Coeff. Std. Err. t-Stat. Prob.";
   print "----";
   s = Sqrt (Diag (vr)); t = abs(r./s); p = 2*Cdfnc (Abs (t));
   mask = \{0 \ 1 \ 1 \ 1 \ 1\};
   fmt = { "-*.*s " 8 8,}
           "*.*lf " 12 4,
           "*.*lf " 12 4,
           "*.*lf " 12 2,
"*.*lf " 8 3};
   call printfm (knames~r~s~t~p, mask, fmt);
   print "\r\l-----";
   trap oldtrap, 1;
   tt = t;
   retp (r, vr);
endp;
xxx = 1;
/* Marginal Effects for Probit at Mean */
proc(1) = mef(b);
local f;
  f = b*pdfn(meanc(xxx)'b);
  retp (f);
endp;
w = 1;
/* Probit Likelihood Function */
proc LProbit(beta, x);
local k, y, xb;
   k = cols(x);
   xb = beta[1]+x[.,2:k]*beta[2:k];
   y = 2*x[.,1]-1;
   retp(w.*ln(cdfn(y.*xb)));
endp;
/* Probit Gradient */
proc GProbit(beta, x);
local k, s, y, l, xb;
   k = cols(x);
   xb = beta[1] + x[.,2:k]*beta[2:k];
   y = 2*x[.,1]-1;
   l = pdfn(y.*xb)./cdfn(y.*xb);
   retp(w.*(y.*1).*(ones(rows(x), 1)~x[.,2:k]));
endp;
/* Probit Hessian Expectation */
proc HProbit(beta, x);
local k, s, y, l, xb;
   k = cols(x);
   xb = beta[1]+x[.,2:k]*beta[2:k];
   1 = sqrt(w.*(pdfn(xb)^2)./(cdfn(xb).*(1-cdfn(xb))));
   y = 1.*(ones(rows(x), 1)~x[.,2:k]);
   retp(-y'y);
endp;
/* Computing Orthogonal Deviations */
proc adev1(x);
  local xdev,xm,no,t,a,l;
  t=rows(x); l=ones(t-1,1);
  a=ones(1,cols(x)); no=seqa(t-1,-1,t-1)*a;
  if t>3;
  xm=recserar(-x[1:t-1,.],1'x[2:t,.],a);
  elseif t==3;
  xm = (x[2,.]+x[3,.])|x[3,.];
  elseif t==2;
  xm=x[2,.];
  endif;
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xdev=x[1:t-1,.]-xm./no; xdev=sqrt(no./(no+1)).*xdev;
retp(xdev);endp;
TABLE 7&8: ARELLANO AND CARRASCO ___
print "\r\l\l ___
sav = exg[.,35:37];
cutoffs = 0;
i1 = dummy(sav[.,1],cutoffs);
i2 = dummy(sav[.,2],cutoffs);
i3 = dummy(sav[.,3],cutoffs);
savi = i1[.,2]~i2[.,2]~i3[.,2];
exg[.,26:28] = usgi;
bkpexg = exg~savi;
case = 0;
do while case .<= 32;
   if case .== 1;
      exg = selif(bkpexg[.,.], bkpexg[.,1] .== 1);
     print "\r\l CASE 1: NAME OF VARIABLE1 = 1 ";
   elseif case .== 2;
      exg = selif(bkpexg[.,.], 1-bkpexg[.,1]-bkpexg[.,2] .== 1);
      print "\r\l CASE 2: NAME OF VARIABLE2 = 1 ";
   elseif case .== 3;
      exg = selif(bkpexg[.,.], bkpexg[.,2] .== 1);
      print "\r\l CASE 3: NAME OF VARIABLE3 = 1 ";
/* DO FOR AS MANY VARIABLES AS DESIRED */
      exg = bkpexg;
     print "\r\l CASE 0: COMPLETE SAMPLE ";
   endif;
/* EXAMPLES FOR DIFFERENT SETS OF VARIABLES */
savi = exg[.,cols(bkpexg)-2:cols(bkpexg)];
exg = exg[.,1:cols(bkpexg)-3];
datos1 = exg[.,29 20:22 26:28];
datos2 = exg[.,32 23:25 29:31];
xm = exg[.,1:19];
dsai = 1;
xxx1 = (exg[.,20]|exg[.,21]|exg[.,22]) \sim
       (exg[.,26] exg[.,27] exg[.,28])~
       (exg[.,29]|exg[.,30]|exg[.,31]);
xxx2 = (exg[.,23]|exg[.,24]|exg[.,25]) \sim
       (exg[.,29] exg[.,30] exg[.,31])~
       (exg[.,32]|exg[.,33]|exg[.,34]);
qexg = \{ 3,7,8,10,11,12,13,14,15,16,17,19 \};
qq = rows(qexg);
do while qq .<= rows(qexg);</pre>
exg = xm[.,1:qexg[qq]];
cexg = cols(exg);
table = 7;
do while table .<= 8;
/* Extract matrix of predetermined and exogenous variables */
if table .== 7;
   datos = datos1[.,5:7 1:4];
  xxx = xxx1;
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datos = datos2[.,5:7 1:4];
   xxx = xxx2;
endif;
cdts = cols(datos)-1;
/* Number of support points */
nc = 0;
1 = 1;
do while 1 .<= cdts;
  nc = nc+2^1;
   1 = 1+1;
endo;
/* Routine to compute the number of observations per cell */
datost = datos[.,1 4 2 5 3 6];
dt = zeros(rows(datost),nc);
dt[.,1] = datost[.,1];
dt[.,2] = 1-datost[.,1];
ac=0;
1 = 2;
do while 1 .<= cols(datost);</pre>
   bc = ac;
   ac = ac+2^{(1-1)};
   dt[.,ac+1:ac+2^{(1-1)}] = dt[.,bc+1:bc+2^{(1-1)}].*(datost[.,1]);
   dt[.,ac+2^{(1-1)+1}:ac+2^1] = dt[.,bc+1:bc+2^{(1-1)}].*(1-datost[.,1]);
   1 = 1+1;
endo;
/* Matrix D selects relevant columns of DT */
q = \{4, 16, 64\};
d = zeros(rows(dt),sumc(q));
d[.,1:4] = dt[.,3:6];
d[.,5:20] = dt[.,15:30];
d[.,21:84] = dt[.,63:126];
clear dt;
/* This routine computes the number of individual observations */
let rg = {};
1k = 1;
s = sumc(d);
i = 1;
do while lk .<= 3;
   j = 1;
   v1 = zeros(q[lk],1);
   do while i .<= sumc(q[1:lk]);</pre>
      if s[i] .> 4; v1[j] = i;
         j = j+1; endif;
      i=i+1;
   endo;
   v1 = selif(v1, v1[.,1] .> 0);
   df=submat(d,0,v1);
   g1=sumc(df');
   g1=selif(g1, g1[.,1] .> 0);
   rg=rg~rows(g1);
   1k = 1k+1;
clear i,j,lk,v1,df,g1;
/* Relative Frequency, P */
s=sumc(d);
num=zeros(rows(d),cols(d));
num[.,1:4] = datos[.,5].*d[.,1:4];
num[.,5:20] = datos[.,6].*d[.,5:20];
num[.,21:84] = datos[.,7].*d[.,21:84];
n=sumc(num);
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```
clear num;
p=zeros(rows(s),1);
j=1;
do while j .<= rows(s);
   if s[j] .== 0;</pre>
     p[j] = 0;
   else;
     p[j] = n[j]/s[j];
   endif;
   j=j+1;
endo;
/* Matrix H */
h=zeros(rows(d),3);
j = 1;
do while j .<= 84;
   if j .<= 4;
      h[.,1] = h[.,1]+p[j]*d[.,j];
   else;
      if j .<= 20;
         h[.,2] = h[.,2]+p[j]*d[.,j];
      else;
        h[.,3] = h[.,3]+p[j]*d[.,j];
      endif;
   endif;
   j=j+1;
endo;
/* Matrix V */
v = zeros(rows(d),3);
j=1;
do while j .<= 84;
   if j .<= 4;
      if s[j] .== 0;
         v[.,1] = v[.,1];
      else;
         v[.,1] = v[.,1]+(2*s[j])^{(-1)*d[.,j]};
      endif;
   else;
      if j .<= 20;
         if s[j] == 0;
            v[.,2] = v[.,2];
         else;
            v[.,2] = v[.,2]+(2*s[j])^{(-1)}*d[.,j];
         endif;
      else;
         if s[j] == 0;
            v[.,3] = v[.,3];
            v[.,3] = v[.,3] + (2*s[j])^{(-1)}*d[.,j];
         endif;
      endif;
   endif;
   j=j+1;
endo;
/* Matrix W */
w = ln((h+v)./(1-h+v));
/* Orthogonal deviations of predetermined variables */
wst = adev1(w');
wst = wst';
k12 = datos[.,1:3];
k12st = adev1(k12');
k12st = k12st';
if table .== 6;
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ytm1 = datos[.,4:6];
else;
   ytm1 = savi;
endif;
ytm1st = adev1(ytm1');
ytmlst = ytmlst';
/\! Sum of columns of K12, YTM1, W */
c3 = zeros(rows(d),cols(d));
c5 = zeros(rows(d),cols(d));
b2 = zeros(rows(d),cols(d));
j = 1;
do while j . <= 84;
   if j .<= 4;
      c3[.,j] = d[.,j].*k12[.,1];
      c5[.,j] = d[.,j].*ytm1[.,1];
      b2[.,j] = d[.,j].*w[.,1];
   else;
      if j .<= 20;
         c3[.,j] = d[.,j].*k12[.,2];
         c5[.,j] = d[.,j].*ytm1[.,2];
         b2[.,j] = d[.,j].*w[.,2];
         c3[.,j] = d[.,j].*k12[.,3];
         c5[.,j] = d[.,j].*ytm1[.,3];
         b2[.,j] = d[.,j].*w[.,3];
      endif;
   endif;
   j=j+1;
endo;
f1 = zeros(4,1);
f2 = zeros(16,1);
f3 = zeros(64,1);
j = 1; jj = 1; jjj = 1;
i = 1;
do while i .<= 84;
   if i .<= 4;
      if s[i] .> 4;
         f1[j] = i;
         j=j+1;
      else; endif;
   else;
      if i .<= 20;
         if s[i] .> 4;
            f2[jj] = i;
             jj=jj+1;
         else; endif;
      else;
         if s[i] \rightarrow 4;
            f3[jjj] = i;
            jjj=jjj+1;
         else;endif;
      endif;
   endif;
   i=i+1;
endo;
f1=selif(f1, f1[.,1] .> 0);
f2=selif(f2, f2[.,1] .> 0);
f3=selif(f3, f3[.,1] .> 0);
c31=submat(c3,0,f1);
c31=sumc(c31');
c32=submat(c3,0,f2);
c32=sumc(c32');
c33=submat(c3,0,f3);
c33=sumc(c33');
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```
c3 = (sumc(c31) | sumc(c32) | sumc(c33));
clear c31,c32,c33;
c51=submat(c5,0,f1);
c51=sumc(c51');
c52=submat(c5,0,f2);
c52=sumc(c52');
c53=submat(c5,0,f3);
c53=sumc(c53');
c5 = (sumc(c51) | sumc(c52) | sumc(c53));
clear c51,c52,c53;
b21=submat(b2,0,f1);
b21=sumc(b21');
b22=submat(b2,0,f2);
b22=sumc(b22');
b23=submat(b2,0,f3);
b23=sumc(b23');
b2=(sumc(b21)|sumc(b22)|sumc(b23));
clear b21,b22,b23;
let cxx = {};
i = 1;
do while i .<= cexg;
   j = 1;
   do while j .<= 84;
      cx = zeros(rows(d),cols(d));
      cx[.,j] = d[.,j].*exg[.,i];
      j = j+1;
   endo;
   cx1 = sumc((submat(cx, 0, f1))');
   cx2 = sumc((submat(cx,0,f2))');
   cx3 = sumc((submat(cx,0,f3))');
   cxx = cxx \sim (sumc(cx1) | sumc(cx2) | sumc(cx3));
   i = i+1;
endo;
clear cx1,cx2,cx3,cx;
/* Computing matrices C1, C22, B1 */
c1 = zeros(rows(d), 4+16);
c22 = zeros(rows(d), 4+16);
b1 = zeros(rows(d), 4+16);
j=1;
do while j .<= 20;
   if j .<= 4;
      c1[.,j] = d[.,j].*k12st[.,1];
      c22[.,j] = d[.,j].*ytmlst[.,1];
      b1[.,j] = d[.,j].*wst[.,1];
   else;
      c1[.,j] = d[.,j].*k12st[.,2];
      c22[.,j] = d[.,j].*ytm1st[.,2];
      b1[.,j] = d[.,j].*wst[.,2];
   endif;
   j=j+1;
endo;
/* Sum of columns of C1, C22 and B1 */
sv=s[1:(4+16),.];
i = 1;
j = 1;
v1 = zeros(4+16,1);
do while i \cdot <= 4+16;
   if sv[i] .> 4;
      v1[j] = i;
      j=j+1;
   else; endif;
   i=i+1;
endo;
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```
v1 = selif(v1, v1[.,1] .> 0);
cv1=submat(c1,0,v1);
cv1=sumc(cv1);
bv1=submat(b1,0,v1);
bv1=sumc(bv1);
cv22=submat(c22,0,v1);
cv22=sumc(cv22);
/* Definition of matrix C and vector B */
ca = cv1'\sim c3';
ccc = rg;
cc = zeros(1,rows(cv1))~ccc;
cx = zeros(cexg,rows(cv1))~cxx';
cd = cv22' \sim c5';
c = ca | cd | cc | cx;
c = ca|cd|cc;
b = bv1'\sim b2';
clear ca,ccc,cc,bv1,b2;
/* Computing matrices A1, A, and its inverse Ai*/
a1 = zeros(20,20);
a1[1:4,1:4] = d[.,1:4]'*d[.,1:4];
a1[5:20,5:20] = d[.,5:20]'*d[.,5:20];
i = 1;
j = 1;
v1 = zeros(20,1);
do while i .<= 20;
   if sv[i] .> 4;
     v1[j] = i;
      j = j+1;
   else; endif;
   i=i+1;
endo;
v1 = selif(v1, v1[.,1] .> 0);
a1 = submat(a1,v1,v1);
af = rg';
af = diagrv(eye(3),af);
a = (a1 \sim zeros(rows(a1),3)) | (zeros(3,rows(a1)) \sim af);
ai = inv(a);
clear a1,a;
/* Consistent estimator. First stage */
/* ----- */
k=pinv(c*ai*c')*(c*ai*b');
k=inv(c*ai*c')*(c*ai*b');
_b=b';
/* Covariance of the joint optimal estimator */
e1 = wst-k[1]*k12st[.,1:2]-k[2]*ytm1st[.,1:2];
@ e2 = w-k[1]*k12[.,1:3]-k[2]*ytm1[.,1:3]-k[3]-exg[.,1:cexg]*k[4:cexg+3]; @
e2 = w-k[1]*k12[.,1:3]-k[2]*ytm1[.,1:3]-k[3];
m0 = zeros(rows(d), 20);
m02 = zeros(rows(d), 84);
j=1;
do while j .<= 84;
   if j .<= 4;
      m0[.,j] = d[.,j].*e1[.,1];
      m02[.,j] = d[.,j].*e2[.,1];
   elseif j .> 16;
      m02[.,j] = d[.,j].*e2[.,3];
   else;
      m0[.,j] = d[.,j].*e1[.,2];
      m02[.,j] = d[.,j].*e2[.,2];
   endif;
```

```
j = j+1;
endo;
m0 = submat(m0,0,v1);
m021 = submat(m02, 0, f1);
m021 = sumc(m021');
m022 = submat(m02, 0, f2);
m022 = sumc(m022');
m023 = submat(m02,0,f3);
m023 = sumc(m023');
m02 = m021 \sim m022 \sim m023;
m1 = m0 \sim m02;
clear m0, m02, m021, m022, m023;
fi1 = m1'*m1;
e3 = zeros(rows(datos),84);
e3[.,1:4] = datos[.,5] - p[1:4]';
e3[.,5:20] = datos[.,6] - p[5:20]';
e3[.,21:84] = datos[.,7] - p[21:84]';
m2 = d.*e3;
i = 1;
j = 1;
v2 = zeros(rows(s),1);
do while i .<= rows(s);
  if s[i] .> 4;
    v2[j] = i;
      j = j+1;
   else; endif;
   i=i+1;
endo;
v2 = selif(v2, v2[.,1] .> 0); /* More than 4 observations per cell indicator
* /
m2 = submat(m2,0,v2);
fi2 = m2'*m2;
fi3 = m1'*m2;
fi4 = fi3';
fi = (fi1~fi3)|(fi4~fi2);
clear fi1,fi2,fi3,fi4,m1,m2;
/* ---> Derivatives of fi2 w.r.t. p */
s2 = submat(s, v2, 0);
cd2 = diagrv(eye(rows(s2)),s2);
clear s2;
/* ---> Derivatives of fi1(1-20) w.r.t. p1-p4 */
cpt1 = zeros(4,20);
f = 1;
j = 1;
do while j <= 4;
   cp1 = zeros(rows(d), 20);
   ac = 0;
   1 = 1;
   do while 1 \cdot <= 4;
      ac = ac+1;
      rt1 = sqrt(2/3);
      cp1[.,ac] = (d[.,ac].*d[.,j])*rt1;
      cp1[.,ac] = cp1[.,ac].*(1+2*v[.,1])
                    ./((h[.,1]+v[.,1]).*(1-h[.,1]+v[.,1]));
      1 = 1+1;
   endo;
   cp1 = sumc(cp1);
   cpt1[.,f] = cp1[1:4];
   f = f+1;
   j = j+1;
endo;
clear cp1;
```

```
/* ---> Derivatives of fil(1-20) w.r.t. p5-p20 */
cpt2 = zeros(16,20);
f = 1;
j = 5;
do while j .<= 20;
   cp2 = zeros(rows(d), 20);
   ac = 0;
   1 = 1;
   do while 1 \cdot <= 20;
      ac = ac+1;
      rt2 = sqrt(1/2);
      if ac .<= 4;
         cp2[.,ac] = (d[.,ac].*d[.,j])*(-rt1)*(1/2);
         cp2[.,ac] = cp2[.,ac].*(1+2*v[.,2])
                      ./((h[.,2]+v[.,2]).*(1-h[.,2]+v[.,2]));
      else;
         cp2[.,ac] = (d[.,ac].*d[.,j])*rt2;
         cp2[.,ac] = cp2[.,ac].*(1+2*v[.,2])
                     ./((h[.,2]+v[.,2]).*(1-h[.,2]+v[.,2]));
      endif;
      1 = 1+1;
   endo;
   cp2 = sumc(cp2);
   cpt2[f,.] = cp2';
   f=f+1;
   j=j+1;
endo;
clear cp2;
/* ---> Derivatives of fil(1-20) w.r.t. p21-p84 */
cpt3 = zeros(84,20);
f = 1;
i = 21;
do while j .<= 84;
   cp3 = zeros(rows(d), 20);
   ac = 0;
   1 = 1;
   do while 1 .<= 20;
      ac = ac+1;
      rt2 = sqrt(1/2);
      if ac .<= 4;
         cp3[.,ac] = (d[.,ac].*d[.,j])*(-rt1)*(1/2);
         cp3[.,ac] = cp3[.,ac].*(1+2*v[.,3])
                      ./((h[.,3]+v[.,3]).*(1-h[.,3]+v[.,3]));
      else;
         cp3[.,ac] = (d[.,ac].*d[.,j])*rt2;
         cp3[.,ac] = cp3[.,ac].*(1+2*v[.,3])
                      ./((h[.,3]+v[.,3]).*(1-h[.,3]+v[.,3]));
      endif;
      1 = 1+1;
   endo;
   cp3 = sumc(cp3);
   cpt3[f,.] = cp3';
   f=f+1;
   j=j+1;
endo;
clear cp3;
/* ---> Derivatives of fil(1-20) w.r.t. p1-p84 */
c61 = cpt1|cpt2|cpt3;
clear cpt1,cpt2,cpt3;
/* ---> Derivatives of fil(85-87) w.r.t. pl-p84 */
cpt11=zeros(84,3);
f = 1;
r = 0;
j = 1;
do while j .<= 84;
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if j .<= 4;
           r = 1;
      elseif j .> 4 and j.<= 20;
          r = 2;
      else;
          r = 3;
      endif;
      cp11 = zeros(rows(d),3);
      cp11[.,r] = d[.,j].*(1+2*v[.,r])
                            ./((h[.,r]+v[.,r]).*(1-h[.,r]+v[.,r]));
      cp11 = sumc(cp11);
     cpt11[f,.] = cp11';
      f = f+1;
      j = j+1;
endo;
clear cp11;
c61 = submat(c61, v2, v1);
c62 = submat(cpt11, v2, 0);
c6 = c61 \sim c62;
clear c61,c62;
/* Covariance matrix for the non-optimal non-joint estimator */
vf1 = (eye(rows(c6'))\sim(c6'*pinv(cd2)))*fi*(eye(rows(c6'))|(pinv(cd2))*c6);
vano = pinv((-c)*ai*(-c'))*(-c)*ai*vf1*ai*(-c')*pinv((-c)*ai*(-c'));
/* Covariance matrix of the optimal non-joint estimator */
/* vao = inv((-c)*inv(vf1)*(-c')); */
if table .== 7;
      gmmnames = dnames[1 7:cexg+6 2:3];
      gmmnames = dnames[1 2:3];
print; "GMM Estimation with predetermined variables and orthogonal
deviations";
print; "Endogenous Variable: SCORE";
endif;
colk = rows(gmmnames);
bb = k[3:colk 1:2,.];
varb = sqrt(diag(vano));
varb = varb[3:colk 1:2];
tb = abs(bb./sqrt(diag(varb)));
aux = gmmnames~bb~tb;
auxn = aux[1:colk,.];
print "\r\l VAR
                                               EST.
                                                                 t-STAT";
print "-----;
mask={ 0 1 1 };
fmt={ "*.*s " 8 8, "*.*lf " 10 4, "*.*lf " 10 2 };
call printfm(auxn, mask, fmt);
ort = round(4032*rows(xxx)/11850)*(_b-c'k)'*pinv(vf1)*(_b-c'k);
ort = round(4032*rows(xxx)/11850)*(_b-c'k)'*ai*(_b-c'k);
print "Overidentifying Restriction Test = " ort;
print "p-value ..... = " cdfchic(ort,(rows(vf1)-rows(k)));
print "Number of Moments ..... = " rows(vf1);
print "DG = Degrees of Freedom..... " (rows(vf1)-rows(k));
print "Chi-Sq(0.90,DG) = "cdfchii(0.90,(rows(vf1)-rows(k)));
print "Chi-Sq(0.95,DG) = "cdfchii(0.95,(rows(vf1)-rows(k)));
print "Chi-Sq(0.99,DG) = "cdfchii(0.99,(rows(vf1)-rows(k)));
if case :== 0;
fromm = "From ("|"From (""|"From ("")"From 
(";
tto = ") to ("|") to ("|")
prntss = ") "|") "|") "|") "|") "|") "|;
deltaxx = \{0 1, 1 0, 0 0, 1 1, 1 1, 0 0, 1 0, 0 1\};
xit = k12~ytm1;
inphi = ln((h+0.0000001)./(1.0000001-h[.,.]));
```

```
let acmef = {};
ixx = 1;
do while ixx .<= 8;
   bdxx = ((deltaxx[ixx,.]-xit[.,1 4])*bb[2:3])~
          ((deltaxx[ixx,.]-xit[.,2 5])*bb[2:3])~
          ((deltaxx[ixx,.]-xit[.,3 6])*bb[2:3]);
   bdxx = bdxx+inphi;
   bdxx = exp(bdxx)./(1+exp(bdxx));
   bdx = ((deltax[ixx,.]-xit[.,1 4])*bb[2:3])~
         ((deltax[ixx,.]-xit[.,25])*bb[2:3])~
         ((deltax[ixx,.]-xit[.,3 6])*bb[2:3]);
   bdx = bdx + inphi;
   bdx = exp(bdx)./(1+exp(bdx));
   ds = meanc(bdxx-bdx);
   ds = (ds | meanc(ds))';
   acmef = acmef | ds;
   ixx = ixx+1;
endo;
acmef = acmef*100;
aux = fromm~deltax~tto~deltaxx~prntss~acmef;
print "\r\l Marginal Effects Team1: Round2 Round3 Round4 Round 5";
print "-----";
mask = { 0 1 1 0 1 1 0 1 1 1};
fmt={ "*.*s " 6 6, "*.*lf " 1 0, "*.*lf " 1 0,
      "*.*s " 6 6, "*.*lf " 1 0, "*.*lf " 1 0,
"*.*s " 2 2, "*.*lf " 8 2, "*.*lf " 10 2, "*.*lf " 10 2, "*.*lf " 10 2
};
call printfm(aux,mask,fmt);
else;endif;
w = ones(rows(xxx), 1);
yxxx = xxx[.,1];
zxxx = w~xxx[.,2:3];
pbeta1 = inv(zxxx'zxxx)*(zxxx'yxxx);
MaxSet;
_max_ParNames = gmmnames;
_max_GradProc = &GProbit;
_max_HessProc = &HProbit;
_max_GradTol = 1e-3;
_max_Options = { NEWTON ONE SCREEN HETCON };
{ b,f,g,cov,ret } = maxlik(xxx,0,&LProbit,pbeta1);
{ b,f,g,cov,ret } = maxprt(b,f,g,cov,ret);
print "-lnL = " -rows(xxx)*f;
print "Actual Sample = " round(4032*rows(xxx)/11850);
if case .== 0;
                _____ ESTIMATES OF MARGINAL EFFECTS AT MEAN _____
print "\r\l\l __
call DMethod(gmmnames,b,cov,&mef);
if dsai .< 100;
   print "\r\l ";
   dsa(dnames[7:25],exg[.,1:19]);
else; endif;
dsai = -1*dsai;
else; endif;
table = table+1;
endo;
qq = qq+1;
endo;
case = case+1;
endo;
print "\r\l\l Computation Time:";
dtime=time-time0;
```

```
dtime=3600*dtime[1]+60*dtime[2]+dtime[3]+dtime[4]/100;dtime;
output off;
end;
```