Note Template

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Chapter 1

Introduction

Lecture 1: First Lecture

1.1 Useful Environment

13 Oct. 08:00

We now see some common environment you'll need to complete your note.

Definition 1.1.1 (Natural number). We denote the set of *natural numbers* as \mathbb{N} .

Lemma 1.1.1 (Useful lemma). Given the axioms of natural numbers N, we have

 $0 \neq 1$.

An obvious proof. Obvious.

Proposition 1.1.1 (Useful proposition). From Lemma 1.1.1, we have

0 < 1.

Exercise. Prove that 1 < 2.

Answer. We note the following.

Note. We have Proposition 1.1.1! We can use it iteratively!

With the help of Lemma 1.1.1, this holds trivially.

Example. We now can have a < b for a < b!

Proof. Iteratively apply the exercise we did above.

Remark. We see that Proposition 1.1.1 is really powerful. We now give an immediate application of it.

Theorem 1.1.1 (Mass-energy equivalence). Given Proposition 1.1.1, we then have

$$E = mc^2$$
.

Proof. The blank left for me is too small, a hence we put the proof in Appendix A.1.

 $^a \verb|https://en.wikipedia.org/wiki/Richard_Feynman|$

Corollary 1.1.1 (Riemann hypothesis). From Theorem 1.1.1, we then have the following.

The real part of every nontrivial zero of the Riemann zeta function is $\frac{1}{2}$, where the Riemann zeta function is just

$$\zeta(s) = \sum_{n=1}^{\infty} \frac{1}{n^s} = \frac{1}{1^s} + \frac{1}{2^s} + \frac{1}{3^s} + \cdots$$

Proof. The proof should be trivial, we left it to you.

DIY

As previously seen. We see that Lemma 1.1.1 is really helpful in the proof!

Internal Link

You should see all the common usages of internal links. Additionally, we can use citations as [New26], which just link to the reference page!

1.2 Figures

A simple demo for drawing:

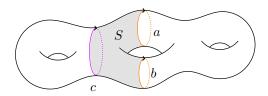


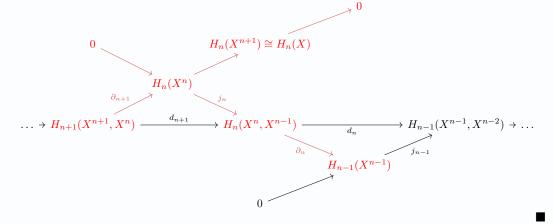
Figure 1.1: A 3-torus.¹

1.3 Commutative Diagram

We can use the package tikz-cd to draw some commutative diagram.

Example. The cellular homology agrees with singular homology.

Proof. The following commutative diagram shows everything.



¹For detailed information, please see https://github.com/sleepymalc/VSCode-LaTeX-Inkscape.

Appendix

Appendix A

Additional Proofs

A.1 Proof of Theorem 1.1.1

We can now prove Theorem 1.1.1.

Proof of Theorem 1.1.1. See https://en.wikipedia.org/wiki/Mass%E2%80%93energy_equivalence.

Bibliography

[New26] I. Newton. *Philosophiae naturalis principia mathematica*. Innys, 1726. URL: https://books.google.com/books?id=WeZ09rjv-1kC.