```
%AE 510 Class
%Author: Your instructor
clear
close all
clc
%coordinate matrix [x,y] for each node
A = 0.0001;
alpha = 5E-6;
D T = 100;
co = [1, 1;
     1, 0;
     0, 0;
     0, 1];
E = 70E9;
%element-node connectivity matrix (and area for each truss in column 3)
e = [4 \ 1 \ A;
    2 4
           2*A;
    1 2
           A;
    3 2
           Al;
Nel = size(e,1);%number of elements
Nnodes = size(co,1); %number of nodes
nne = 2; %number of nodes per element
dof = 2; %degree of freedom per node
%%%%%%%%%%%%PREPROCESSING END%%%%%%%%%%%%%
%%%Generic block: Initializes global stiffness matrix 'K' and force vector 'F'
K = zeros(Nnodes*dof, Nnodes*dof);
F = zeros(Nnodes*dof,1);
%%%Assemble Global system - generic FE code for 2D and 3D trusses
for A = 1:Nel
   n = (co(e(A,2),:) - co(e(A,1),:)); %n = [x2-x1;y2-y1]
   n 2 = co(e(A, 2), :);
   n_1 = co(e(A,1),:);
   L = norm(n); %length of truss
   n = n./L; %n = [sin,cos]
   Area = e(A,3); %area
   k11 = (E*Area/L)*(n'*n);%k matrix part = EA/L*[c^2 cs:sc s^2]
```

```
%local stiffness matrix and force vector
   localstiffness = [k11 -k11;-k11 k11];
                                     %full local stiffness matrix
   localforce = zeros(nne*dof,1); % external forces are added at the end, so
leave as zeros. If temp changes, modify for thermal expansion
   localforce = localforce + ((E.*Area*alpha*D_T).*[-n./L n./L])';
   %DONT TOUCH BELOW BLOCK!! Assembles the global stiffness matrix, Generic
block which works for any element
   for B = 1: nne
      for i = 1: dof
          nK1 = (e(A, B)-1)*dof+i;
          nKe1 = (B-1)*dof+i;
          F(nK1) = F(nK1) + localforce(nKe1);
          for C = 1: nne
             for j = 1: dof
                nK2 = (e(A, C)-1)*dof+j;
                 nKe2 = (C-1)*dof+j;
                 K(nK1, nK2) = K(nK1, nK2) + localstiffness(nKe1, nKe2);
             end
          end
      end
   end
   end
K copy = K;
%external forces
P = 100;
F(3) = F(3) + P.*cosd(60);
F(4) = F(4) - P.*sind(60);
%Apply displacement BC by eliminating rows and columns of nodes 3-4
(corresponding to
%degrees of freedom 5 to 8) - alternative (and more generic method) is the
penalty approach, or
%static condensation approach - see later class notes
deletedofs = [5:8];
K(deletedofs,:) = [];
K(:,deletedofs) = [];
F(deletedofs,:) = [];
%solve for displacement unknowns (uk)
uk = K \setminus F
%expand u to include deleted displacement bcs
u = ones(Nnodes*dof,1);
u(deletedofs) = 0;
```

```
I = find(u == 1);
u(I) = uk;
u copy = [uk; zeros(4,1)];
%%Step 6:Postprocess results
for i = 1:Nel
   %get data about truss i
   n = (co(e(i,2),:) - co(e(i,1),:));
   L = norm(n);
   n = n./L;
   Area = e(i,3);
   n1 = e(i,1); n2 = e(i,2); %global numbers for node 1 and 2 of truss i
   d = [u(n1*dof-1) \ u(n1*dof) \ u(n2*dof-1) \ u(n2*dof)]';%displacements of the
 two nodes
   sigma(i) = E*([-n./L n./L]*d) - E*Area*alpha*D_T; stress formula, If temp
 changes, modify for thermal expansion
end
sigma
% Area = [1E-4, 2E-4, 1E-4, 1E-4];
% sigma.*Area
% K_copy(5:8,:)*u_copy
uk =
  1.0e-03 *
   0.5000
   0.2702
   0.4948
   -0.2298
sigma =
  1.0e+07 *
   3.4996
             2.5354
                     3.4996
                                3.4630
```

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