Tutorial 5

Research Methods for Political Science - PO3110

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20 & 30 October 2019

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Brief Recap of Previous Concepts

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How do you calculate those in SPSS?

For a given statistic calculated from a sample, **the confidence interval is a range of values around that statistic that are believed to contain, with a certain probability, the true value of that statistic (population value)**. A 95% confidence interval will contain the population mean 19 out of 20 times.

In short:

$$CI95 = \bar{x} \pm 1.96 * sd(\bar{X})$$

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Since the true mean (population mean μ) is an unknown value, we don't know if we are in the 5% or the 95%.

One sample T-test

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- $\alpha = 0.05$

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- Two-tailed test!
- Let's find our critical value:

Critical Values

one-tail	0.50	0.25	0.20	0.15	0.10	0.05	0.025
two-tails	1.00	0.50	0.40	0.30	0.20	0.10	0.05
df							
1	0.000	1.000	1.376	1.963	3.078	6.314	12.71
2	0.000	0.816	1.061	1.386	1.886	2.920	4.303
3	0.000	0.765	0.978	1.250	1.638	2.353	3.182
4	0.000	0.741	0.941	1.190	1.533	2.132	2.776
5	0.000	0.727	0.920	1.156	1.476	2.015	2.571
6	0.000	0.718	0.906	1.134	1.440	1.943	2.447
7	0.000	0.711	0.896	1.119	1.415	1.895	2.365
8	0.000	0.706	0.889	1.108	1.397	1.860	2.306
9	0.000	0.703	0.883	1.100	1.383	1.833	2.262
10	0.000	0.700	0.879	1.093	1.372	1.812	2.228
11	0.000	0.697	0.876	1.088	1.363	1.796	2.201
12	0.000	0.695	0.873	1.083	1.356	1.782	2.179
13	0.000	0.694	0.870	1.079	1.350	1.771	2.160
14	0.000	0.692	0.868	1.076	1.345	1.761	2.145
15	0.000	0.691	0.866	1.074	1.341	1.753	2.131
16	0.000	0.690	0.865	1.071	1.337	1.746	2.120
17	0.000	0.689	0.863	1.069	1.333	1.740	2.110
18	0.000	0.688	0.862	1.067	1.330	1.734	2.101
19	0.000	0.688	0.861	1.066	1.328	1.729	2.093
20	0.000	0.687	0.860	1.064	1.325	1.725	2.086
21	0.000	0.686	0.859	1.063	1.323	1.721	2.080
22	0.000	0.686	0.858	1.061	1.321	1.717	2.074
23	0.000	0.685	0.858	1.060	1.319	1.714	2.069
24	0.000	0.685	0.857	1.059	1.318	1.711	2.064
25	0.000	0.684	0.856	1.058	1.316	1.708	2.060
26	0.000	0.684	0.856	1.058	1.315	1.706	2.056
27	0.000	0.684	0.855	1.057	1.314	1.703	2.052
28	0.000	0.683	0.855	1.056	1.313	1.701	2.048
29	0.000	0.683	0.854	1.055	1.311	1.699	2.045
30	0.000	0.683	0.854	1.055	1.310	1.697	2.042

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- $t = 5.47$

Problems in the assignments

- Low quality graphs

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  - $\sqrt{\frac{30}{9-1}} = 1.94$
- Table formatting
  - Avoid reporting unnecessary info.
  - Tables should be readable!

Problems in the assignments

Research Design

- Don't: Is there a correlation between X and Y.
- Don't: What are the factors that resulted in Y.
- Don't: The impact of X on A, B, C, D

Conceptualization of variables

- Be precise.
- Define what you want to measure.
- Don't mix up independent and dependent variable
- Hypothesis should be clear and testable!

In-class Exercise

T-test in practice

- Download the following dataset on simulated rent prices in Dublin [1]: `https://tinyurl.com/MT4dublinrent`
- Area: North Dublin; South Dublin; price: simulated price
- Create a box-plot that shows the distribution of north and south rents.
- Observed value of 400; conduct one-sample t-test (for entire sample)
- Conduct independent samples t-test (compare means of South and North Dublin)

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[1]Credits to Stefan Mueller

In-class Exercise 2

- Download "UCDP.sav" `https://tinyurl.com/ucdp-mt5`
- You can work in pairs

- Create a new syntax file and store your output there!
- Paste the following into the syntax file: what does that do?

```
DATASET ACTIVATE DataSet1.
COMPUTE duration=end_year - start_year.
EXECUTE.
```

In-class Exercise 2

- Subset the data in order to select just the following conflicts (hint: "type_of_conflict"): "Internal armed conflict occurs between the government of a state and one or more groups (no int)".
- Subset the data in order to select just conflict occurring in Africa and Middle-East
- Plot a histogram of your choice that conveys meaningful information.
- Have a look at the visualization options in SPSS. Any hints on which ones suits our data?

In-class Exercise 2

- Get rid of cases with missing values in the duration variable.
- "Split" the data-set based on the "region" variable (Hint: Data -> Split File). Now try to calculate the mean, standard deviation and Standard Error of the Mean for the "duration" variable. What happened?
- Conduct a independent sample t-test to compare the duration in Africa and in the Middle East. Are they significantly different?