

## HW 6

**1. Convert C to assembly. Assume all variables are integers, and initialized before these code blocks. Assume that there is code before and after these blocks, and that each part is independent of the others.**

- a. Assume a is stored in R0, b is stored in R1, c is stored in R2, and d is stored in R6. Use ONLY registers to hold intermediate values in the assembly for someFunc().**

```
int main() {  
    int a = 4;  
    int b = 2;  
    int c = 5;  
    int d = someFunc(b, a, c);  
}
```

```
int someFunc(int a, int b, int c) {  
    return ((a + c) * b) - c;  
}
```

```
main:  
    // code before function call  
    MOV R0, #4        // a = 4  
    MOV R1, #2        // b = 2  
    MOV R2, #5        // c = 5  
  
    MOV R3, R1        // move b to R3 (to use R3 for first parameter)  
    MOV R4, R0        // move a to R4 (to use R4 for second parameter)  
    MOV R5, R2        // move c to R5 (to use R5 for third parameter)  
    BL someFunc       // Call someFunc  
  
    MOV R6, R0        // store result of someFunc in d (R6)  
    // code after function call  
someFunc:  
    ADD R3, R3, R5    // a + c  
    MUL R3, R3, R4    // (a + c) * b  
    SUB R0, R3, R5    // ((a + c) * b) - c  
  
    MOV PC, LR        // returns to caller
```

- b. Repeat Part a, but this time use the stack to save the previous value of R4 in someFunc() so that it is retained when someFunc() returns to main().**

main:

```
// code before function call

MOV R0, #4          // a = 4
MOV R1, #2          // b = 2
MOV R2, #5          // c = 5

MOV R3, R1          // move b to R3 (to use R3 for first parameter)
MOV R4, R0          // move a to R4 (to use R4 for second parameter)
MOV R5, R2          // move c to R5 (to use R5 for third parameter)
BL someFunc         // Call someFunc

MOV R6, R0          // store result of someFunc in d (R6)
```

```
// code after function call
```

someFunc:

```
PUSH {R4}           // Store R4 on stack

ADD R3, R3, R5       // a + c
MUL R3, R3, R4       // (a + c) * b
SUB R0, R3, R5       // ((a + c) * b) - c

POP {R4}            // Restore R4 from stack

MOV PC, LR          // returns to caller
```

**c. Use registers and/or the stack to implement the following recursive code.**

```
int main() {
    summation(5);
}

int summation(int x) {
    if(x <= 1) {
        return 1;
    }
    return x + summation(x-1);
}

main:
    // code before function call

    MOV R0, #5          // to call summation with #5
    BL summation// call summation function
                      // R0 now contains result of summation

    // code after function call
summation:
    MOV R1, #0          // Ensure R1 starts at 0
    PUSH {LR}           // Push LR back to main onto stack

recursiveCase:
    CMP R0, #1          // CMP for BLE
    BLE baseCase// Branch to baseCase of x <= 1

    ADD R1, R1, R0      // Add current x to previous sum of xs
    SUB R0, R0, #1      // decrement x for next call

    B recursiveCase     // branch to recursive case

baseCase:
    ADD R0, R1, R0      // add R0 (1) to R1 and store in R0

    POP {LR}           // pop LR from stack
    MOV PC, LR          // return to main
```

**2. Represent the following fractions using 8 integer bits and 8 fraction bits:**

**a. 4.25**

00000100.01000000

**b. 218.375**

11011010.01100000

**c. 150.1875**

10010110.00110000

**3. Represent the following base-10 floating-point values in binary, please show your work:**

**a. 26.25**

positive, sign bit is 0

convert to binary, 11010.01

convert to binary scientific notation,  $1.101001 * 2^4$

convert exponent,  $4 + 127 = 131$ , 131 in binary = 10000011

place into 32-bit number, 0 | 10000011 | 101001000000000000000000

0 | 10000011 | 101001000000000000000000

**b. 1250.3125**

positive, sign bit is 0

convert to binary, 10011100010.0101

convert to binary scientific notation,  $1.00111000100101 * 2^{10}$

convert exponent,  $10 + 127 = 137$ , 137 in binary = 10001001

place into 32-bit number, 0 | 10001001 | 001110001001010000000000

0 | 10001001 | 001110001001010000000000

**c. -469.0**

negative, sign bit is 1

convert to binary, 111010101.

convert to binary scientific notation,  $1.11010101 * 2^8$

convert exponent,  $8 + 127 = 135$ , 135 in binary = 10000111

place into 32-bit number, 1 | 10000111 | 110101010000000000000000

1 | 10000111 | 110101010000000000000000

4. Represent the following binary floating-point values in base-10, please show your work (the fields have been separated):

a. 0 | 10000100 | 1100111000000000000000

sign bit is 0, positive

exponent of 10000100 = 132,  $132 - 127 = 5$ ,  $2^5$  is the exponent.

mantissa is  $1 + \frac{1}{2} + \frac{1}{4} + \frac{1}{32} + \frac{1}{64} + \frac{1}{128} = 1.8046875$

$1.8046875 * 2^5 = 57.75$

57.75

b. 1 | 10000111 | 0110100000100000000000

sign bit is 1, negative

exponent of 1000111 = 135,  $135 - 127 = 8$ ,  $2^8$  is the exponent.

mantissa is  $1 + \frac{1}{4} + \frac{1}{8} + \frac{1}{32} + \frac{1}{2048} = 1.406738281$

$1.406738281 * 2^8 = 360.125$

-360.125

c. 1 | 01111110 | 0010000000000000000000

sign bit is 1, negative

exponent of 126,  $126 - 127 = -1$ ,  $2^{-1}$  is the exponent.

mantissa is  $1 + \frac{1}{8} = 1.125$

$1.125 * 2^{-1} = .5625$

-.5625