```
In [1]: p = 2^24 - 2^96 + 1 \# NIST P-224
In [2]: p
Out[2]: 26959946667150639794667015087019630673557916260026308143510066298881
In [3]: Zp = IntegerModRing(p)
In [4]: a, b = -3, 18958286285566608000408668544493926415504680968679321075787234672564
 In [5]: E = EllipticCurve(Zp, [a, b])
Out[5]: Elliptic Curve defined by y^2 = x^3 + 26959946667150639794667015087019630673557916
         260026308143510066298878*x + 18958286285566608000408668544493926415504680968679321
         075787234672564 over Ring of integers modulo 2695994666715063979466701508701963067
         3557916260026308143510066298881
In [6]: P = E(19277929113566293071110308034699488026831934219452440156649784352033, 1992680)
In [7]: P
Out[7]: (19277929113566293071110308034699488026831934219452440156649784352033 : 1992680875
         8034470970197974370888749184205991990603949537637343198772 : 1)
In [8]: E.order()
Out[8]: 26959946667150639794667015087019625940457807714424391721682722368061
 In [9]:
         P.order()
         N = P.order()
         Ν
Out[9]: 26959946667150639794667015087019625940457807714424391721682722368061
In [10]: e_A = randint(2, N-1)
         e_B = randint(2, N-1)
In [11]: #Alice calcula e_A*P
         #Bob calcula e_B*P
         P1 = e_A*P
         P2 = e B*P
In [12]: #Alice calcula e_A*P2
         #Bob calcula e_B*P1
         P11 = e A*P2
         P22 = e_B*P1
In [13]: P11, P22
Out[13]: ((25055568003832945606535096908213452461808172344803469183224470995587 : 182885465
         65377080497437026218107513170176841519117555025822354846857 : 1),
          (25055568003832945606535096908213452461808172344803469183224470995587 : 182885465
         65377080497437026218107513170176841519117555025822354846857 : 1))
In [14]: P11 == P22
```

Out[14]: True

In [ ]: