```
In [35]: p = random_prime(2^64, 2^60)
         Zp = IntegerModRing(p)
         Zp
Out[35]: Ring of integers modulo 3203672931176972929
In [36]: | a, b = Zp.random_element(), Zp.random_element()
         E = EllipticCurve(Zp, [a, b])
         E, a, b
Out[36]: (Elliptic Curve defined by y^2 = x^3 + 2499296702048346838*x + 978187736268
         658107 over Ring of integers modulo 3203672931176972929,
          2499296702048346838,
          978187736268658107)
In [37]: P = E.random_element()
In [38]: E.order(), P.order()
Out[38]: (3203672931050669160, 533945488508444860)
In [39]: mens = Zp(1234)
In [40]: k = 30
In [41]: j = 0
         x = k*mens + j
         while legendre_symbol(x^3+a*x+b, p) == -1:
             j += 1
             x = k*mens + j
         print(j, x)
         3 37023
In [42]: y = sqrt(Zp(x^3+a*x+b))
         У
Out[42]: 867481172839543729
In [43]: y^2 == x^3+a*x+b
Out[43]: True
In [45]: E(x,y)
Out[45]: (37023 : 867481172839543729 : 1)
In [48]: floor(ZZ(E(x,y)[0])/k)
Out[48]: 1234
In [ ]:
```