

Intermediate Code Generation

(using a Syntax-Directed Translation Scheme)

Assignment and Expressions

Array Expressions

Boolean Expressions

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SDT to Three Address Code

- Attributes for the Non-Terminals, E and S
 - Location (in terms of temporary variable) of the value of an expression: E.place
 - The Code that Evaluates the Expressions or Statement: E.code
 - Markers for beginning and end of sections of the code S.begin, S.end
- Semantic Actions in Productions of the Grammar
 - Functions to create temporaries newtemp, and labels newlabel
 - Use Auxiliary functions to enter symbols and consult types corresponding to declarations in aside data structure that can be built as the code is being parsed - a *symbol table*.
 - To generate the code we use the emit function gen which creates a list of instructions to be emitted later and can generate symbolic labels corresponding to next instruction of a list.
 - Use of append function on lists of instructions.
 - Synthesized and Inherited Attributes

Assignment Statements

```

S → id = E    { p = lookup(id.name);
                if (p != NULL)
                  S.code = gen(p '=' E.place);
                else
                  error;
                S.code = nulllist;
              }

E → E1 + E2  { E.place = newtemp();
                E.code = append(E1.code, E2.code, gen(E.place '=' E1.place '+' E2.place)); }

E → E1 * E2  { E.place = newtemp();
                E.code = append(E1.code, E2.code, gen(E.place '=' E1.place '*' E2.place)); }

E → - E1     { E.place = newtemp();
                E.code = append(E1.code, gen(E.place '=' '-' E1.place)); }

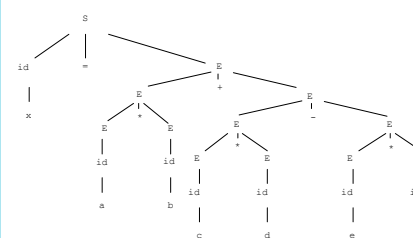
E → (E1)     { E.place = E1.place; E.code = E1.code; }

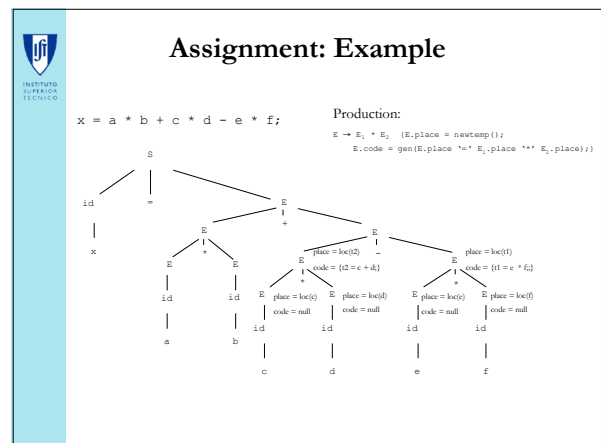
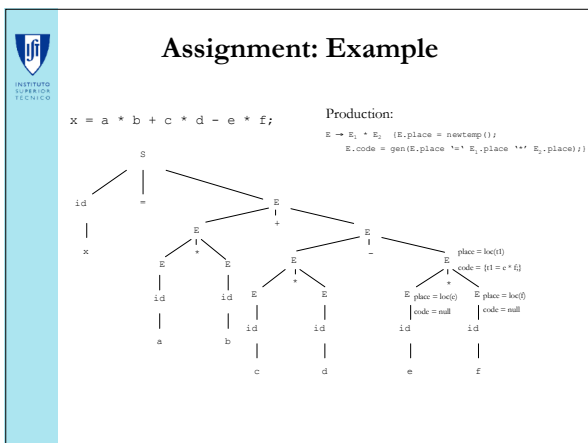
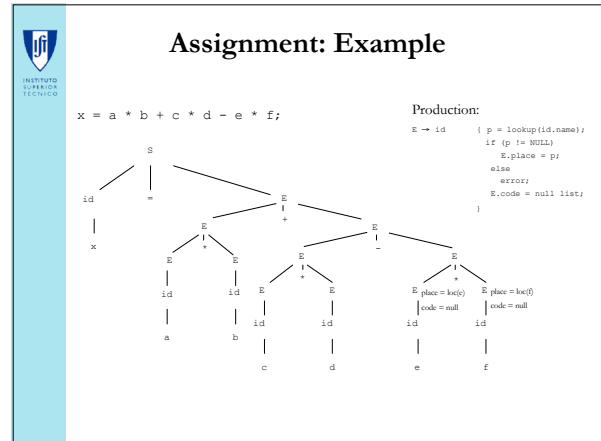
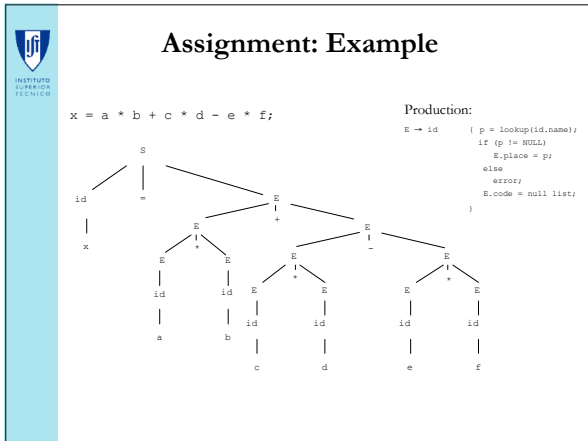
E → id       { p = lookup(id.name);
                if (p != NULL)
                  E.place = p;
                else
                  error;
                E.code = nulllist;
              }

```

Assignment: Example

x = a * b + c * d - e * f;





Assignment: Example

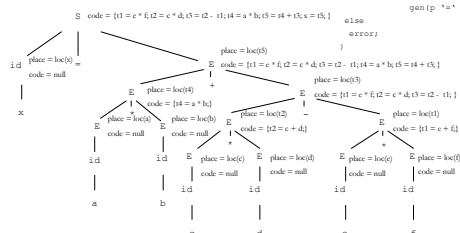
Production:

```
x = a * b + c * d - e * f;
```

```

S → id = E    { p = lookup(id.name);
                  if (p != NULL)
                      E.code = append(E.code,
                                         gen(p '=' E.place));
                  b; t5 = t4 + t3; x = t5; }
                  else
                      error;
                  }

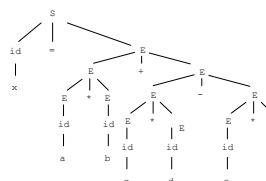
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Assignment: Example

```
x = a * b + c * d - e * f;
```

```
t1 = e * f;  
t2 = c * d;  
t3 = t2 - t1;  
t4 = a * b;  
t5 = t4 + t3;  
x = t5;
```



Reusing Temporary Variables

- **Temporary Variables**
 - Short lived
 - Used for Evaluation of Expressions
 - Clutter the Symbol Table
- **Change the `newtemp` Function**
 - Keep track of when a value created in a temporary is used
 - Use a counter to keep track of the number of active temps
 - When a temporary is used in an expression decrement counter
 - When a temporary is generated by `newtemp` increment counter
 - Initialize counter to zero



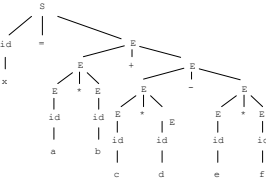
Assignment: Example

```
x = a * b + c * d - e * f;
```

```

// c = 0
t1 = e * f; // c = 1
t2 = c * d; // c = 2
t1 = t2 - t1; // c = 1
t2 = a * b; // c = 2
t1 = t2 + t1; // c = 1
x = t1; // c = 0

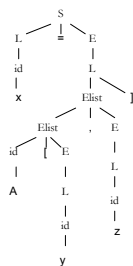
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- Only 2 Temporary Variables and hence only 2 registers are Needed

Code Generation for Array Accesses

...
x = A[y,z];
...



- Questions:
 - What is the Base Type of A?
 - What are the Dimensions of A?

- Answers:
 - Use Symbol Table
 - Check Array Layout
 - t1 = y * 20
 - t1 = t1 * z
 - t2 = baseA - 84
 - t3 = 4 * t1
 - t4 = t2[t3]
 - x = t4

How does the Compiler Handle A[i,j] ?

First, must agree on a storage scheme

Row-major order

(most languages)

Lay out as a sequence of consecutive rows
Rightmost subscript varies fastest
A[1,1], A[1,2], A[1,3], A[2,1], A[2,2], A[2,3]

Column-major order

(Fortran)

Lay out as a sequence of columns
Leftmost subscript varies fastest
A[1,1], A[2,1], A[1,2], A[2,2], A[1,3], A[2,3]

Indirection vectors

(Java)

Vector of pointers to pointers to ... to values
Takes much more space, trades indirection for arithmetic
Not amenable to analysis

Laying Out Arrays

The Concept

A	1,1	1,2	1,3	1,4
	2,1	2,2	2,3	2,4

These have distinct & different cache behavior

Row-major order

A	1,1	1,2	1,3	1,4	2,1	2,2	2,3	2,4
---	-----	-----	-----	-----	-----	-----	-----	-----

Column-major order

A	1,1	2,1	1,2	2,2	1,3	2,3	1,4	2,4
---	-----	-----	-----	-----	-----	-----	-----	-----

Indirection vectors

A	→	1,1	1,2	1,3	1,4
	→	2,1	2,2	2,3	2,4

Computing an Array Address

A[i]

- $\text{baseA} + (i - \text{low}) \times \text{sizeof}(\text{baseType}(\text{A}))$
- In general: $\text{base}(\text{A}) + (i - \text{low}) \times \text{sizeof}(\text{baseType}(\text{A}))$

Computing an Array Address

$A[i]$

- $\text{baseA} + (i - \text{low}) \times \text{sizeof}(\text{baseType}(A))$
- In general: $\text{base}(A) + (i - \text{low}) \times \text{sizeof}(\text{baseType}(A))$

Almost always a power of 2, known at compile-time and use a shift for speed

int A[1:10] where low is 1; Make low 0 for faster access (saves a -) as in the C language

Computing an Array Address

$A[i]$

- $\text{baseA} + (i - \text{low}) \times \text{sizeof}(\text{baseType}(A))$
- In general: $\text{base}(A) + (i - \text{low}) \times \text{sizeof}(\text{baseType}(A))$

What about $A[i_1, i_2]$?

This stuff looks expensive!
Lots of implicit +, -, x ops

Row-major order, two dimensions

$$\text{baseA} + ((i_1 - \text{low}_1) \times (\text{high}_2 - \text{low}_2 + 1) + i_2 - \text{low}_2) \times \text{sizeof}(\text{baseType}(A))$$

Column-major order, two dimensions

$$\text{baseA} + ((i_2 - \text{low}_2) \times (\text{high}_1 - \text{low}_1 + 1) + i_1 - \text{low}_1) \times \text{sizeof}(\text{baseType}(A))$$

Indirection vectors, two dimensions

$*(A[i_1])[i_2]$ — where $A[i_1]$ is, itself, a 1-d array reference

Optimizing Address Calculation for $A[i, j]$

In row-major order

where $w = \text{sizeof}(\text{baseType}(A))$

$$\text{baseA} + (i - \text{low}_1)(\text{high}_2 - \text{low}_2 + 1) \times w + (j - \text{low}_2) \times w$$

Which can be factored into

$$\text{baseA} + i \times (\text{high}_2 - \text{low}_2 + 1) \times w + j \times w - (\text{low}_1 \times (\text{high}_2 - \text{low}_2 + 1) \times w) + (\text{low}_2 \times w)$$

If low_1 , high_1 , and w are known, the last term is a constant

Define baseA_0 as

$$\text{baseA} - (\text{low}_1 \times (\text{high}_2 - \text{low}_2 + 1) \times w + \text{low}_2 \times w)$$

and len_2 as $(\text{high}_2 - \text{low}_2 + 1)$

Then, the address expression becomes

$$\text{baseA}_0 + (i \times \text{len}_2 + j) \times w$$

Compile-time constants

Address Calculation for $A[i_1, i_2, \dots, i_k]$

- $A[i_1, i_2, \dots, i_k]$

Addressing generalizes to

$$((\dots((i_1 n_2 + i_2) n_3 + i_3) \dots) n_k + i_k) \times w + \text{baseA} - ((\dots((\text{low}_1 n_2 + \text{low}_2) n_3 + \text{low}_3) \dots) n_k + \text{low}_k) \times w$$

where $n_i = \text{high}_i - \text{low}_i + 1$ and $w = \text{sizeof}(\text{baseType}(A))$

Compile-time constants

First term can be computed using the recurrence

$$c_1 = i_1$$

$$c_m = c_{m-1} \times n_m + i_m$$

at the end multiply by w and add compile-time constant term



SDT for Addressing Arrays Elements

- Three Attributes
 - place: just the name or base address of the array
 - offset: the index value into the array
 - ndim: the number of dimensions
- Use the recurrence to compute offset
 - $offset_1 = i_1$
 - $offset_m = offset_{m-1} \times n_m + i_m$
 - At the end multiply by $w = \text{sizeof}(\text{baseType}(A))$
 - Add the compile-time constant term
 - Keep track of which dimension at each level
 - Use the auxiliary function $n_m = \text{numElem}(A, m)$



SDT for Addressing Arrays Elements

```

L → Elist {
    L.place = newtemp();
    L.offset = newtemp();
    code1 = gen(L.place 'e' constTerm(Elist.array));
    code2 = gen(L.offset 'e' Elist.place * sizeof(baseType(Elist.array)));
    L.code = append(Elist.code, code1, code2);
}

Elist → Elist, E {
    t = newtemp();
    m = Elist.ndim + 1;
    code1 = gen(t = Elist.place * numElem(Elist.array, m));
    code2 = gen(t = t + E.place);
    Elist.array = Elist.array;
    Elist.place = t;
    Elist.ndim = m;
    Elist.code = append(Elist.code, E.code, code1, code2);
}

Elist → id { E {
    Elist.array = id.place;
    Elist.place = E.place;
    Elist.ndim = 1;
    Elist.code = E.code;
}

```



SDT for Addressing Arrays Elements

```

E → L { if (L.offset = NULL) then
    E.place = L.place;
else
    E.place = newtemp();
    E.code = gen(E.place = L.place[L.offset]);
}

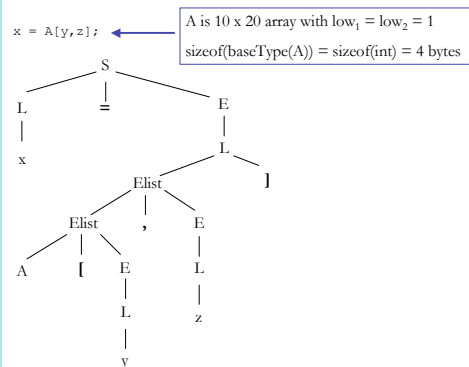
S → L = E { if L.offset = NULL then
    E.code = gen(L.place = E.place);
else
    S.code = append(E.code, gen(L.place[L.offset] = E.place);
}

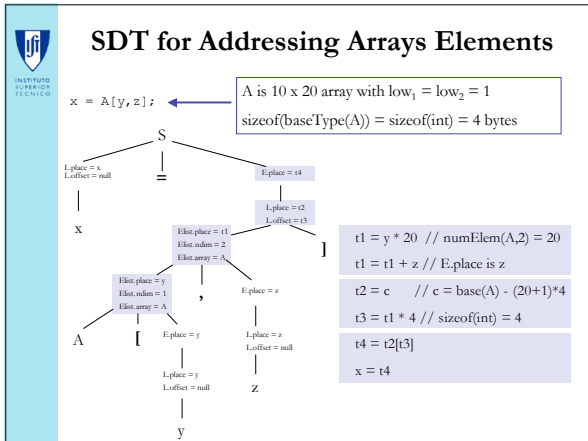
L → id { L.place = id.place;
    L.offset = null;
}

```



SDT for Addressing Arrays Elements





Array References

What about arrays as actual parameters?

Whole arrays, as call-by-reference parameters

- Need dimension information \Rightarrow build a *dope vector*
- Store the values in the calling sequence
- Pass the address of the dope vector in the parameter slot
- Generate complete address polynomial at each reference

Some improvement is possible

- Save len_i and low_i rather than low_i and $high_i$
- Pre-compute the fixed terms in prologue sequence

What about call-by-value?

- Most c-b-v languages pass arrays by reference
- This is a language design issue

Array References

What about $A[12]$ as an actual parameter?

If corresponding parameter is a scalar, it's easy

- Pass the address or value, as needed
- Must know about both formal & actual parameter
- Language definition must force this interpretation

What is corresponding parameter is an array?

- Must know about both formal & actual parameter
- Meaning must be well-defined and understood
- Cross-procedural checking of conformability

\Rightarrow Again, we're treading on language design issues

Array References

What about variable-sized arrays?

Local arrays dimensioned by actual parameters

- Same set of problems as parameter arrays
- Requires dope vectors (or equivalent)
 - dope vector at fixed offset in activation record \Rightarrow Different access costs for textually similar references

This presents a lot of opportunity for a good optimizer

- Common sub-expressions in the address polynomial
- Contents of dope vector are fixed during each activation
- Should be able to recover much of the lost ground

\Rightarrow Handle them like parameter arrays



Array Address Calculations in a Loop

```
DO J = 1, N
  A[I,J] = A[I,J] + B[I,J]
END DO
```

- Naïve: Perform the address calculation twice

```
DO J = 1, N
  R1 = baseA0 + (J x len1 + I) x floatsize
  R2 = baseB0 + (J x len1 + I) x floatsize
  MEM(R1) = MEM(R1) + MEM(R2)
END DO
```



Array Address Calculations in a Loop

```
DO J = 1, N
  A[I,J] = A[I,J] + B[I,J]
END DO
```

- Sophisticated: Move common calculations out of loop

```
R1 = I x floatsize
c = len1 x floatsize ! Compile-time constant
R2 = baseA0 + R1
R3 = baseB0 + R1
DO J = 1, N
  a = J x c
  R4 = R2 + a
  R5 = R3 + a
  MEM(R4) = MEM(R4) + MEM(R5)
END DO
```



Array Address Calculations in a Loop

```
DO J = 1, N
  A[I,J] = A[I,J] + B[I,J]
END DO
```

- Very sophisticated: Convert multiply to add (Operator Strength Reduction)

```
R1 = I x floatsize
c = len1 x floatsize ! Compile-time constant
R2 = baseA0 + R1 ; R3 = baseB0 + R1
DO J = 1, N
  R2 = R2 + c
  R3 = R3 + c
  MEM(R2) = MEM(R2) + MEM(R3)
END DO
```



SDT Scheme for Boolean Expressions

- Two Basic Code Generation Flavors
 - Use boolean **and**, **or** and **not** instructions (like arithmetic)
 - Control-flow (or positional code) defines **true** or **false** of predicate
- Arithmetic Evaluation
 - Simpler to generate code as just eagerly evaluate the expression
 - Associate '1' or '0' with outcome of predicates and combine with logic instr.
 - Use the same SDT scheme explained for arithmetic operations.
- Control Flow Evaluation (**short circuit evaluation**)
 - More efficient in many cases
 - Complications
 - Need to Know Address to Jump To in Some Cases
 - Solution: Two Additional Attributes
 - *nextstat* (Inherited) Indicates the next location to be generated
 - *laststat* (Synthesized) Indicates the last location filled
 - As code is generated the attributes are filled with the correct value

Arithmetic Scheme: Grammar and Actions

```

E → false      || E.place = newtemp()
                  E.code = (gen(E.place = 0))
                  E.laststat = E.nextstat + 1

E → true       || E.place = newtemp()
                  E.code = (gen(E.place = 1))
                  E.laststat = E.nextstat + 1

E → (E1)      || E.place = E1.place;
                  E.code = E1.code;
                  E1.nextstat = E.nextstat
                  E.laststat = E1.laststat

E → not E1    || E.place = newtemp()
                  E.code = append(E1.code, gen(E.place = not E1.place))
                  E1.nextstat = E.nextstat
                  E.laststat = E1.laststat + 1

```

Arithmetic Scheme: Grammar and Actions

```

E → E1 or E2 || E.place = newtemp()
                  E.code = append(E1.code, E2.code, gen(E.place = E1.place or E2.place))
                  E1.nextstat = E.nextstat
                  E2.nextstat = E1.laststat
                  E.laststat = E2.laststat + 1

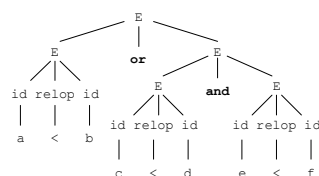
E → E1 and E2 || E.place = newtemp()
                  E.code = append(E1.code, E2.code, gen(E.place = E1.place and E2.place))
                  E1.nextstat = E.nextstat
                  E2.nextstat = E1.laststat
                  E.laststat = E2.laststat + 1

E → id1 relop id2 || E.place = newtemp()
                  E.code = gen(if id1.place relop id2.place goto E.nextstat+3)
                  E.code = append(E.code, gen(E.place = 0))
                  E.code = append(E.code, gen(goto E.nextstat+2))
                  E.code = append(E.code, gen(E.place = 1))
                  E.laststat = E.nextstat + 4

```

Boolean Expressions: Example

a < b or c < d and e < f



```

00: if a < b goto 03
01: t1 = 0
02: goto 04
03: t1 = 1
04: if c < d goto 07
05: t2 = 0
06: goto 08
07: t2 = 1
08: if e < f goto 11
09: t3 = 0
10: goto 12
11: t3 = 1
12: t4 = t2 and t3
13: t5 = t1 or t4

```

Summary

- Intermediate Code Generation
 - Using Syntax-Directed Translation Schemes
 - Expressions and Assignments
 - Array Expressions and Array References
 - Boolean Expressions (Arithmetic Scheme)