# avocado: A Variant Caller, Distributed

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### Background

Three stages in modern DNA processing pipelines:

- 1. **Sequencing:** Generate 100-250 base pair reads
- 2. Alignment: Align these reads to the reference genome
- 3. Variant Calling: Determine gene variants & genotypes

Variant calling is an interesting area: "Accurate" algorithms are slow and don't scale (60 hrs/genome), and are inaccurate for high complexity regions (error is > 75%).

#### **Goals:**

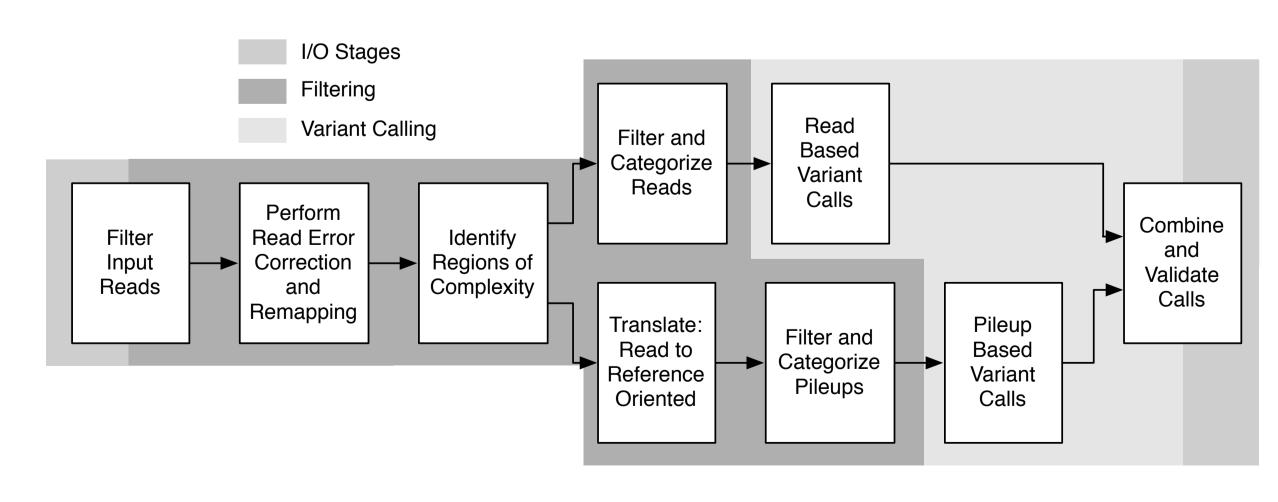
- 1. Build a variant caller designed for distributed computing
- 2. Develop an open-source alternative to the GATK

## Pipeline

### **Tech Specs:**

- Built in Scala on top of Parquet and BDAS Spark
- Leverages new ADAM read/pileup/variant call format
- Scalability well past 30+ nodes; other pipelines are limited to 26 (1/chromosome)

### Pipeline:



#### Design Principles:

- Reuse read processing stages from ADAM
- Use mapping quality/coverage as filtering heuristic
- Design is modular: easy to add new calling algorithms

### Performance

## Local Assembly

### Base SNP Calling

For calling SNPs on a single sample, we look at genome loci that show evidence of a SNP (at least one non-reference base). Genotype likelihoods are calculated by:

$$\mathcal{L}(g) = \frac{1}{m^k} \prod_{j=1}^l (m-g)\epsilon + g(1-\epsilon) \prod_{j=l+1}^k (m-g)(1-\epsilon) + g\epsilon$$

m= ploidy, g= genotype state,  $\epsilon=$  likelihood of error, l= bases matching reference, k= bases at locus

Genotyping is biased towards the reference. We compensate by the allele frequency and call a non-reference genotype if  $g \in (1,2)$  has the highest probability.

## Sufficient Statistics/Joint Calling

For a few samples, one may look-up the MAF  $\phi$  in a reference and compensate the the single sample likelihood

$$\hat{g} = \arg \max_{g} \mathcal{L}(g) \mathbf{P}(g|\phi)$$

When many samples are collected it can be desirable to compute a population MAF while performing genotype calling. For each SNP a, this is done via EM:

$$\phi_{a,t+1} = \frac{1}{M} \sum_{i=1}^{N} \frac{\sum_{g_i} g_i \mathcal{L}(g_i) \mathbf{P}(g_i | \phi_{a,t})}{\sum_{g_i} \mathcal{L}(g) \mathbf{P}(g | \phi_{a,t})}$$

 $M = \sum_i m_i = ext{total number of chromosomes } N = ext{number of individuals}$