

# Getting started with the `glmmTMB` package

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## 1 Introduction/quick start

`glmmTMB` is an R package built on the Template Model Builder automatic differentiation engine, for fitting generalized linear mixed models and extensions.

(Not-yet-implemented features are denoted *like this*)

- response distributions: Poisson, binomial, negative binomial (NB1 and NB2 parameterizations), Gamma, Beta, Gaussian; *truncated Poisson and negative binomial; Student t; Tweedie*
- link functions: log, logit, probit, complementary log-log, inverse, identity
- zero-inflation with fixed and random-effects components; *hurdle models via truncated Poisson/NB*
- single or multiple (nested or crossed) random effects
- offsets
- fixed-effects models for dispersion
- diagonal, compound-symmetric, or unstructured random effects variance-covariance matrices

In order to use `glmmTMB` effectively you should already be reasonably familiar with generalized linear mixed models (GLMMs), which in turn requires familiarity with (i) generalized linear models (e.g. the special cases of logistic, binomial, and Poisson regression) and (ii) ‘modern’ mixed models (those working via maximization of the marginal likelihood rather than by manipulating sums of squares). Bolker et al. (2009) and Bolker (2015) are reasonable starting points in this area (especially geared to biologists and less-technical readers), as are Zuur et al. (2009), Millar (2011), and Zuur et al. (2013).

In order to fit a model in `glmmTMB` you need to:

- specify a model for the conditional effects, in the standard R (Wilkinson-Rogers) formula notation (see `?formula` or Section 11.1 of the Introduction to R. Formulae can also include *offsets*).

- specify a model for the random effects, in the notation that is common to the `nlme` and `lme4` packages. Random effects are specified as `x|g`, where `x` is an effect and `g` is a grouping factor (which must be a factor variable, or a nesting of/interaction among factor variables). For example, the formula would be `1|block` for a random-intercept model or `time|block` for a model with random variation in slopes through time across groups specified by `block`. A model of nested random effects (block within site) would be `1|site/block`; a model of crossed random effects (block and year) would be `(1|block)+(1|year)`.
- choose the error distribution by specifying the family
- optionally specify a zero-inflation model with fixed and/or random effects
- optionally specify a dispersion model with fixed effects

This document was generated using R Under development (unstable) (2015-11-29 r69717) and package versions:

```
##    bbmle glmmTMB
## 1.0.18 0.0.2
```

The current citation for `glmmTMB` is:

Magnusson A, Skaug H, Nielsen A, Berg C, Kristensen K, Maechler M, van Benthem K, Bolker B and Brooks M (2015). *glmmTMB: Generalized Linear Mixed Models using Template Model Builder*. R package version 0.0.2, <https://github.com/glmmTMB>.

## 2 Preliminaries: packages and data

Load required packages:

```
library("glmmTMB")
library("bbmle")    ## for AICtab
library("ggplot2")
## cosmetic
theme_set(theme_bw()+
  theme(panel.margin=grid::unit(0,"lines")))
```

The data, taken from Zuur et al. (2009) and ultimately from Roulin and Bersier (2007), quantify the number of negotiations among owlets (owl chicks) in different nests *prior* to the arrival of a provisioning parent as a function of food treatment (deprived or satiated), the sex of the parent, and arrival time. The total number of calls from the nest is recorded, along with the total brood size, which is used as an offset to allow the use of a Poisson response.

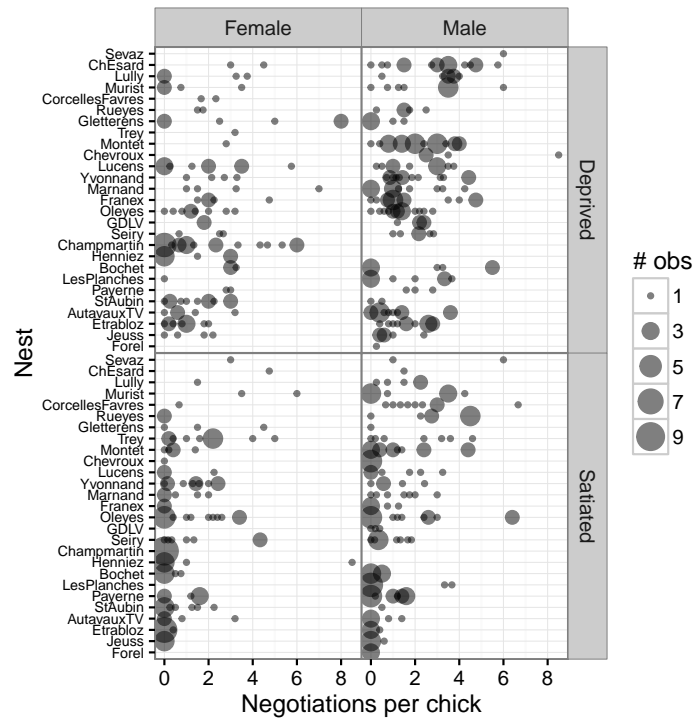


Figure 1: Basic view of owl data from Roulin and Bersier (2007).

Since the same nests are measured repeatedly, the nest is used as a random effect. The model can be expressed as a zero-inflated generalized linear mixed model (ZIGLMM).

First we draw a picture (Figure 1).

Various small manipulations of the data set: (1) reorder nests by mean negotiations per chick, for plotting purposes; (2) add log brood size variable (for offset); (3) rename response variable and abbreviate one of the input variables.

```
Owls <- transform(Owls,
  Nest=reorder(Nest,NegPerChick),
  NCalls=SiblingNegotiation,
  FT=FoodTreatment)
```

(If you were really using this data set you should start with `summary(Owls)` to explore the data set.)

We should explore the data further, e.g. by visualizing the effect of arrival time, but this is a vignette about `glmmTMB`, not data visualization ...

Now fit some models:

The basic `glmmTMB` fit — a zero-inflated Poisson model with a single zero-inflation parameter applying to all observations ( $zi \sim 1$ ). (Excluding zero-inflation is `glmmTMB`'s default: to exclude it explicitly, use  $zi \sim 0$ .)

```
fit_zipoisson <- glmmTMB(NCalls~(FT+ArrivalTime)*SexParent+
                        offset(log(BroodSize))+(1|Nest),
                        data=Owls,
                        zi=~1,
                        family=poisson)
```

```
summary(fit_zipoisson)

## Family: poisson ( log )
## Formula:
## NCalls ~ (FT + ArrivalTime) * SexParent + offset(log(BroodSize)) +
## (1 | Nest)
## Data: Owls
##
##      AIC      BIC   logLik deviance df.resid
##  4015.6   4050.8  -1999.8   3999.6     591
##
## Random effects:
##
## Conditional model:
## Groups Name      Variance Std.Dev.
## Nest (Intercept) 0.1291   0.3593
## Number of obs: 599, groups: Nest, 27
##
## Conditional model:
##
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept)      2.53995    0.35656   7.123 1.05e-12 ***
## FTSatiated       -0.29111    0.05961  -4.884 1.04e-06 ***
## ArrivalTime      -0.06808    0.01427  -4.771 1.84e-06 ***
## SexParentMale     0.44885    0.45002   0.997  0.319
## FTSatiated:SexParentMale 0.10473    0.07286   1.437  0.151
## ArrivalTime:SexParentMale -0.02140    0.01835  -1.166  0.244
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Zero inflation:
##
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept)  -1.05753    0.09412  -11.24 <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

We can also try a standard zero-inflated negative binomial model; the default is the “NB2” parameterization (variance =  $\mu(1 + \mu/k)$ : Hardin and Hilbe (2007)). To use families (Poisson, binomial, Gaussian) that are defined in R, you should specify them as in `?glm` (as a string referring to the family function, as the family function itself, or as the result of a call to the family function: i.e. `family="poisson"`, `family=poisson`, `family=poisson()`, and `family=poisson(link="log")` are all allowed and all equivalent (the log link is the default for the Poisson family). Some of the additional families that are *not* defined in base R (at this point `nbinom2` and `nbinom1`) can be specified using the same format. Otherwise, for families that are implemented in `glmmTMB` but for which `glmmTMB` does not provide a function, you should specify the `family` argument as a list containing (at least) the (character) elements `family` and `link`, e.g. `family=list(family="nbinom2",link="log")`. (In order to be able to retrieve Pearson (variance-scaled) residuals from a fit, you also need to specify a `variance` component; see `?family_glmmTMB`.)

```
fit_zinbinom <- update(fit_zipoisson,family=nbinom2)
```

Alternatively, we can use an “NB1” fit (variance =  $\phi\mu$ ).

```
fit_zinbinom1 <- update(fit_zipoisson,family=nbinom1)
```

*we should have a `getFamily` function: ideally it would also specify which are really implemented (although that’s harder), and specify default links*

Relax the assumption that total number of calls is strictly proportional to brood size (i.e. using `log(brood size)` as an offset):

```
fit_zinbinom1_bs <- update(fit_zinbinom1,
  . ~ (FT+ArrivalTime)*SexParent+
  BroodSize+(1|Nest))
```

Every change we have made so far improves the fit — changing distributions improves it enormously, while changing the role of brood size makes only a modest (-1 AIC unit) difference:

```
AICtab(fit_zipoisson,fit_zinbinom,fit_zinbinom1,fit_zinbinom1_bs)

##           dAIC  df
## fit_zinbinom1_bs    0.0 10
## fit_zinbinom1       1.2  9
## fit_zinbinom       68.7  9
## fit_zipoisson     666.0  8
```

## 2.1 Hurdle models

In contrast to zero-inflated models, hurdle models treat zero-count and non-zero outcomes as two completely separate categories, rather than treating the

zero-count outcomes as a mixture of structural and sampling zeros.

`glmmTMB` includes truncated Poisson and negative binomial families and hence can fit hurdle models. The two parts of the model have to be fitted separately, however. First we fit a truncated distribution to the non-zero outcomes:

```
fit_hnbinom1 <- update(fit_zinbinom1_bs,
                      data=subset(Owls, NCalls>0),
                      family=list(family="truncated_nbinom1", link="log"))
```

*Truncated families aren't there yet. Once they are, we might not actually need to fit two separate models – if we simply ignore zero values rather than giving them a 0 likelihood, we could fit a zero-inflated model and let the zero-inflation handle the zero/not-zero stuff automatically (should there be a flag to allow ignoring zeros for this purpose? Should we implement a `control` argument soon??)*

### 3 Sample timings

To get a rough idea of `glmmTMB`'s speed relative to `lme4` (the most commonly used mixed-model package for R), we try a few standard problems, enlarging the data sets by cloning the original data set (making multiple copies and sticking them together).

Figure 2 shows the results of replicating the `Contraception` data set (1934 observations, 60 levels in the random effects grouping level) from 1 to 40 times. `glmmADMB` is sufficiently slow ( $\approx 1$  minute for a single copy of the data) that we didn't try replicating very much. On average, `glmmTMB` is about 2.3 times faster than `glmer` for this problem.

Figure 3 shows equivalent timings for the `InstEval` data set, although in this case since the original data set is large (73421 observations) we subsample the data set rather than cloning it: in this case, the advantage is reversed and `lmer` is about 5 times faster.

In general, we expect `glmmTMB`'s advantages over `lme4` to be (1) greater flexibility (zero-inflation etc.); (2) greater speed for GLMMs, especially those with large number of “top-level” parameters (fixed effects plus random-effects variance-covariance parameters). In contrast, `lme4` should be faster for LMMs (for maximum speed, you may want to check the `MixedModels.jl` package for Julia); `lme4` is more mature and at present has a wider variety of diagnostic checks and methods for using model results, including downstream packages.

## References

Bolker, B. M. (2015). Linear and generalized linear mixed models. In G. A. Fox, S. Negrete-Yankelevich, and V. J. Sosa (Eds.), *Ecological Statistics: Contemporary theory and application*, Chapter 13. Oxford University Press.

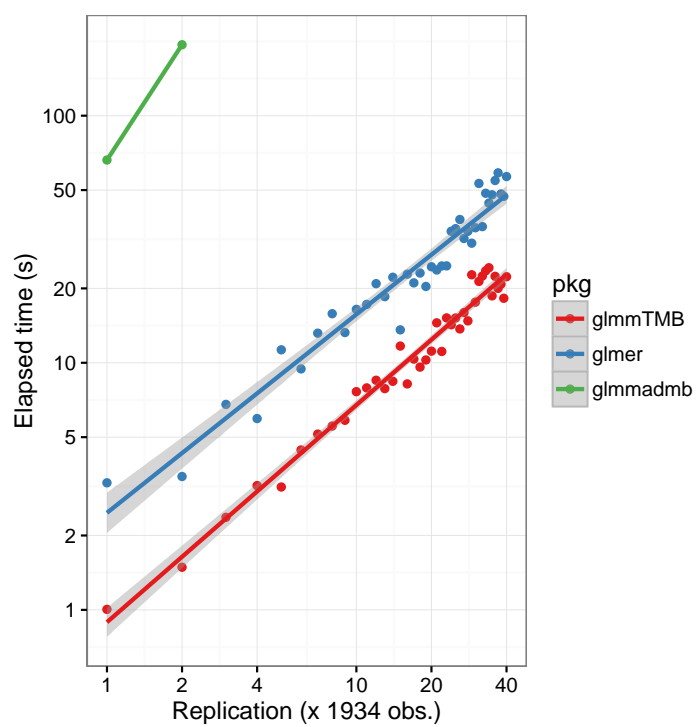


Figure 2: Timing for fitting the replicated Contraception data set.

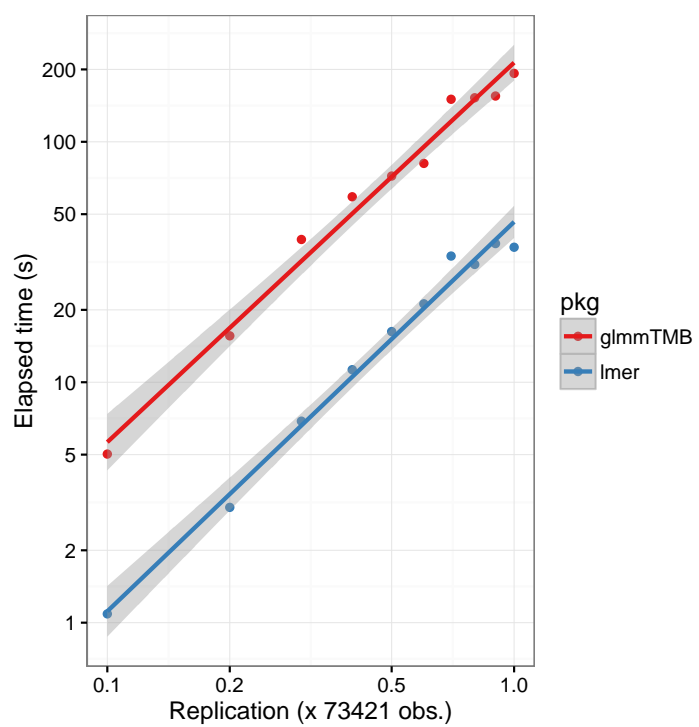


Figure 3: Timing for fitting subsets of the InstEval data set.



- Bolker, B. M., M. E. Brooks, C. J. Clark, S. W. Geange, J. R. Poulsen, M. H. H. Stevens, and J. S. White (2009). Generalized linear mixed models: a practical guide for ecology and evolution. *Trends in Ecology & Evolution* 24, 127–135.
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