CTML Take-Home Test

Challenge 1: Breast Cancer Dataset EDA

The dataset

The dataset is stored in the wdbc.data CSV file, which has 569 comma-separated lines and no headers.

The meaning of the columns is specified in the wdbc.names text file:

After the necessary imports, we define the column names.

```
import pandas as pd
import matplotlib.pyplot as plt
import os
from math import sqrt, exp, log, pi
from sklearn import svm, metrics, ensemble
import numpy as np
import itertools
from IPython.display import Markdown as md, Image, HTML
import IPython.core.display as di
```

a. What are the mean, median and standard deviation of the "perimeter" feature?

```
df = pd.read_csv(dataset_fpath, names=column_names)
    perimeter_mean_entries = df["perimeter mean"].tolist()
    perimeter_mean_overall = sum(perimeter_mean_entries) / len(perimeter_mean_entries)
    md("Perimeter mean = {}".format(str(round(perimeter_mean_overall,2))))
```

Out[3]: Perimeter mean = 91.97

```
# median
perimeter_mean_entries_sorted = sorted(perimeter_mean_entries)
midpoint = len(perimeter_mean_entries) // 2
perimeter_median = perimeter_mean_entries_sorted[midpoint]

md("Perimeter median = {}".format(str(round(perimeter_median, 2))))
```

Out[4]: Perimeter median = 86.24

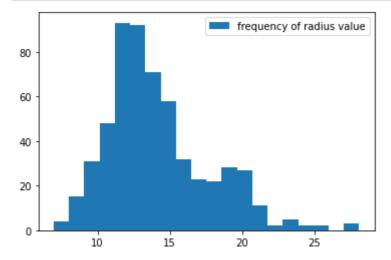
```
In [5]: # standard deviation
squared_diffs = [(x_i - perimeter_mean_overall)**2 for x_i in perimeter_mean_entries
```

```
num_samples = len(squared_diffs)
perimeter_std_dev = sqrt(sum(squared_diffs) / num_samples)
md("Perimeter standard deviation = {}<br/>".format(str(round(perimeter_std_dev, 2)))
```

Out[5]: Perimeter standard deviation = 24.28

b. Is the first feature in this data set (the "radius") normally distributed?

```
In [6]:
         radius_mean_entries = df["radius mean"].tolist()
         radius_sample_mean = round(sum(radius_mean_entries) / len(radius_mean_entries),2)
         radius_squared_diffs = [(x_i - radius_sample_mean)**2 for x_i in radius_mean_entries
         radius_std_dev = sqrt(sum(radius_squared_diffs) / len(radius_squared_diffs))
         # plot bins
         n,bins,patches = plt.hist(radius_mean_entries, bins=20, label="frequency of radius v
         plt.legend()
         plt.savefig("Radius_frequency.png")
         plt.show()
         skew_coefficient = (sum([(x_i - radius_sample_mean)**3 for x_i in radius_mean_entrie
                             / len(radius_mean_entries))
                             /(radius_std_dev**3)
         md("""After representing the radius feature with a histogram, we state that it does
         This is confirmed by the fact that the Fisher-Pearson skewness coefficient is differ
         <br>Skewness coeff.={}""".format(round(skew_coefficient,2)))
```

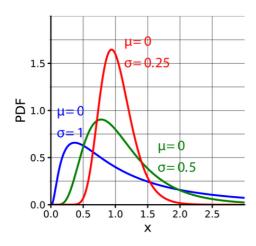


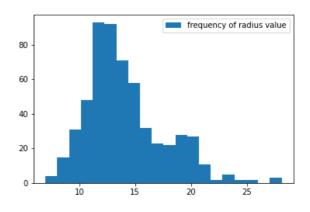
Out[6]: After representing the radius feature with a histogram, we state that it does not follow a normal distribution, because it is not symmetric.

This is confirmed by the fact that the Fisher-Pearson skewness coefficient is different from 0. Skewness coeff.=0.94

```
In [7]: md("We hypothesize that the log-normal distribution would be a better fit for the ra
```

Out[7]: We hypothesize that the log-normal distribution would be a better fit for the radius feature, as seen in the following image:





c. Train a classifier to predict the diagnosis of malignant or benign. Compare two classifiers

We start by standardizing the data columns to have mean=0 and standard deviation=1, since several classification models are sensitive to numerical scale and would place undue importance on numerically larger features.

Then, we split the dataset into 90% training set and 10% test set, to verify the models' perforance on data they were not trained on.

```
In [8]:
         # Preliminary step 1: normalize/standardize the data columns
         # Choosing: standardization to \mu=0 and \sigma=1
         df_standardized = df.copy()
         for feature_col in column_names[2:]: # skip "ID" and "Diagnosis"
             col_ls = df[feature_col].tolist()
             col_avg = sum(col_ls) / len(col_ls)
             col_squared_diffs = [(x_i - col_avg)**2 for x_i in col_ls]
             col_std_dev = sqrt(sum(col_squared_diffs) / len(col_squared_diffs))
             df_standardized[feature_col] = df_standardized[feature_col].map(lambda val: (val
         df_standardized['diagnosis'] = df_standardized['diagnosis'].map(lambda label: 1 if l
         # Preliminary step 2: split into training and test sets
         n = df standardized.index.stop
         training_df = df_standardized.iloc[:int(9/10*n),].copy()
         training_labels_df = training_df["diagnosis"]
         training_df.drop(columns=["ID", "diagnosis"], inplace=True)
         test_df = df_standardized.iloc[int(9/10*n):n,].copy()
         test_labels_df = test_df["diagnosis"]
         test_df.drop(columns=["ID", "diagnosis"], inplace=True)
```

```
# transform columns into numpy arrays for the SVC
training_x = training_df.to_numpy()
training_y = training_labels_df.to_numpy()
test_x = test_df.to_numpy()
test_y = test_labels_df.to_numpy()

svc = svm.SVC(cache_size=500)
svc.fit(training_x, training_y)
predicted_labels = svc.predict(test_x)

md("""test labels: # benign={}; # malignant={}
```

```
**Classifier : Support Vector Machine** (exponential kernel) <br/>
          Accuracy={}
          """.format(np.count_nonzero(test_y==0), np.count_nonzero(test_y==1),
                    round(metrics.accuracy_score(test_y, predicted_labels),3)))
Out[9]: test labels: # benign=43; # malignant=14
         Classifier : Support Vector Machine (exponential kernel)
         Accuracy=0.947
In [10]:
          print("Confusion matrix :\n \t true benign | false malignant \n \t false benign
          print(str(metrics.confusion_matrix(test_y, predicted_labels)))
         Confusion matrix :
                  true_benign | false malignant
                  false benign | true malignant
         [[41 2]
          [ 1 13]]
In [11]:
         randforest = ensemble.RandomForestClassifier(max_depth=2, random_state=0)
          randforest.fit(training_x, training_y)
          y_pred = randforest.predict(test_x)
          md("""**Classifier : Random forest** <br/>
          Accuracy={}
          """.format(round(metrics.accuracy_score(test_y, y_pred), 3)))
Out[11]: Classifier : Random forest
         Accuracy=0.982
In [12]:
          print("Confusion matrix:\n" + str(metrics.confusion_matrix(test_y, y_pred)))
         Confusion matrix:
         [[43 0]
```

There are several ways the classifiers' performance could be improved:

- 1. Train them on a larger dataset, and run inference on a larger test dataset as well. While the classification accuracy and confusion matrix in this small experiment are satisfactory, it would be opportune to have better quarantees of the generalization capability
- 2. Use grid-search to find the best model hyperparameters: tree number and maximum depth for Random Forests, kernel function parameters for Support Vector Machines
- 3. Early stopping: make a validation dataset and use it to stop training when the performance on non-training data stops improving

Challenge 2: Spearman's Footrule Distance

Spearman's Footrule Distance computes the distance between two rankings.

The objective is to implement the function sumSpearmanDistances(scores, proposedRanking)

To this end, we write the functions:

[1 13]]

- test_case_generator() : get score dictionaries, proposed rankings, and intended results for 3 test cases
- computeSpearmanDistance(metric_score_dict, proposedRanking) : compute the Spearman distance for the set of scores from one metric and the proposed ranking
- sumSpearmanDistances(scores, proposedRanking): the target function
- test_sumSpearmanDistances(): apply the target function to the provided test cases

```
In [13]:
          def test_case_generator():
              """ For our examples, get several score dictionaries, proposed rankings, and int
              scores_1 = {'A': [100, 0.1], 'B': [90, 0.3], 'C': [20, 0.2]}
              scores_2 = {'A': [50, 0.5], 'B': [70, 0.3], 'C': [30, 0.1], 'D': [90, 0.5], 'E':
              scores_ls = [scores_1, scores_2]
              proposed_ranking_1a = ['A','B','C']
              # distance metric 1: 0 ; distance metric 2: 2+1+1=4
              expected_sum_1a = 4
              proposed_ranking_1b = ['C','B','A']
              # distance metric 1: 2+0++2=4; distance metric 2: 1+1+0=2
              expected_sum_1b = 6
              proposed_ranking_2a = ['A','B','C','D','E']
              # distance metric 1: 3+0+2+3+2=10 ; distance metric 2: 0+2+2+3+3=8
              expected_sum_2a = 18
              test_cases = [(scores_1, proposed_ranking_1a, expected_sum_1a),
                          (scores_1, proposed_ranking_1b, expected_sum_1b),
                          (scores_2, proposed_ranking_2a, expected_sum_2a)]
              for i in range(len(test cases)):
                  yield test_cases[i]
          def computeSpearmanDistance(metric_score_dict, proposedRanking):
              """metric_score: a dict with key=item_name and value=score according to one metr
              scored_items = list(metric_score_dict.keys())
              scored_items.sort(key=lambda x: metric_score_dict[x], reverse=True)
              # print("Proposed ranking: " + str(proposedRanking))
              # print("Sorted according to metric: " + str(scored_items)) Debugging
              spearman_distance = 0
              for i, elem in enumerate(proposedRanking):
                  place_in_metric = scored_items.index(elem)
                  spearman_distance = spearman_distance + (abs(i-place_in_metric))
              print("Spearman distance = " + str(spearman distance))
              return spearman_distance
          def sumSpearmanDistances(scores, proposedRanking):
              items = list(scores.keys())
              num_metrics = len(scores[items[0]])
              sum_spearman_distances = 0
              for metric_i in range(0,num_metrics): # for each metric in the scores' dictional
                  metric_score = dict()
```

In [14]:

```
test_sumSpearmanDistances()
```

```
Spearman distance = 0
Spearman distance = 4
Computed sum of Spearman distances = 4; Expected = 4
Test OK

Spearman distance = 4
Spearman distance = 2
Computed sum of Spearman distances = 6; Expected = 6
Test OK

Spearman distance = 10
Spearman distance = 8
Computed sum of Spearman distances = 18; Expected = 18
Test OK
```