## Tarea Corta Nº1

**Estudiante Andreas Laffert** 

2024-12-08

## Introduction

In a famous paper, @BC64 introduced a family of transformations ...

```
library(tidyverse)
Warning: package 'ggplot2' was built under R version 4.2.3
Warning: package 'tidyr' was built under R version 4.2.3
Warning: package 'dplyr' was built under R version 4.2.3
-- Attaching core tidyverse packages ----- tidyverse 2.0.0 --
v dplyr 1.1.4
                    v readr
                                 2.1.4
v forcats 1.0.0
                   v stringr 1.5.0
v ggplot2 3.5.1 v tibble 3.2.1
                               1.3.1
v lubridate 1.9.2
                   v tidyr
           1.0.2
v purrr
-- Conflicts ----- tidyverse conflicts() --
x dplyr::filter() masks stats::filter()
x dplyr::lag()
                masks stats::lag()
i Use the conflicted package (<a href="http://conflicted.r-lib.org/">http://conflicted.r-lib.org/</a>) to force all conflicts to
set.seed(2022-12-20)
df \leftarrow tibble(x = rnorm(200))
df |>
  ggplot(aes(x=x)) +
  geom_density(bw = "SJ") +
 geom_rug()
```

Warning: Computation failed in `stat\_density()`.

Caused by error in `precompute bw()`:

- ! `bw` must be one of "nrd0", "nrd", "ucv", "bcv", "sj", "sj-ste", or "sj-dpi", not "SJ".
- i Did you mean "sj"?

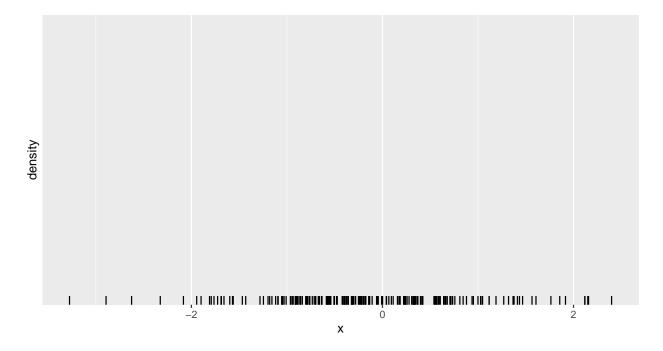


Figura 1: Simulated data from a N(0,1) distribution.

Figura 1 shows a kernel density estimate of simulated data from a N(0,1) distribution. The sample variance is given by

$$s^{2} = \frac{1}{n-1} \sum_{i=1}^{n} (x_{i} - \bar{x})^{2} = 0.98.$$
 (1)

Note that Ecuación 1 is an unbiased estimate of the variance, but it is not the maximum likelihood estimate [@Rice2007, p.269].