Part !! Integral Calculus

6. Antidenivatives & Riemann Intepl. 5 YES (everything in 6.)

The Riemann Sum, Leibniz-Newton etc.

7. Measurable sets & multiple integral § 7.1. NO

§ 7.2. YES (= Jordan Meanmability)
Geverything

§ 7.3. The multiple Integral: YES

8. Computation of multiple integrals MYES & NOws no theory questions Go you wild it for exercises Jacobi Matrix: YES Polar coords: YES, spherical: NO

9. The Ricmann Integral: Related topics \$ 3.1. Numerical computation of Ifixde Traperidal & composite trapes. rule YES

§ 9.2 Integrals & Probability: No Buffor needle: NO

§ 9.3. Monte-Carlo Integration: No & Manhattan Project

10. Extensions of the Riemann Integral & lo.1. Impoper) (Trancty) YES § 10.2. Testing (CONV): YES Additional § 10.3. Improper) w. parameter only Det, No Thus. Part III: Sequences & Series M. Series of real numbers §11.1 Sequences & YES (all) \$12.2 Seves YES especially CAUCHY'S Integral Cut' [] } Applications: Zqn, Zi, Zi, Zi YES §.11.3. CONV Criteria / Files) YES additional material (Files) 12. Sequences & Series of functions & 12.1. Sequences of functions Defs & Example YES TI's (1,2,3) NO

(TI 4 (WETERSTRASS) YES (Rest: NO) § 12.2. Power series

13. Fornier Series
\$13.1 Recap: NO (first def)
\$13.2. Fornier Series & 13.3 Convergnee: \$ 13.4. Z= # YES Gibbs (Idea) YES

Part I: Diff. Calulus

1. Diff. Calc for f: [a, b] - R & TAYLOR

§1.1. Limits & continuity E-8 Defs NO MI Weinstrass YES

§ 1.2. Diff. calc. & Mean Value II's

All II's YES (with geom. interpr.)

Examples YES

§ 1.3. Taylor's Formula Traylor YES (Proof: YES)

2. Calculus for $f: \mathbb{R}^d \rightarrow \mathbb{R}$ I des, etc., \$2.1. Geometry of \mathbb{R}^d YEs (all.) \$2.2. Partial derivatives -1 ($\nabla f!!!$)

3. Calculus Rd II

(III CHAIN YES (HW/Proof: NO!!!)

(Proof: YES)

TI Schwarz YES

§ 3.3. Fréchet diff Linear & Ruadratic functions YES Ref of F-diff: NO! 4. Optimitation I: Least Squares & ML

§4.1. Optimitation for f: Rd - R

"I" Fermat Rd YES

"14& III Sylvester YES

Examples: YES

\$ 4.2. Least Squares Mith Formal Statemen: YES (up to E(qB) = ...) Rest: NO

\$1.3. Deep Learning: NO

5. Contraint Optimization

\$5.1. Planar curves & Implicit F Thun

arves: YES

The Implicit Fet. Thun: No

\$5.2. Level Sets YES (everything)

\$ 5.3 The Lagrange Multiplier Meth.

1973 YES (= Lagr. Multipl-Meth.)

Geometric Insight: YES

Proof: No (untains typo)

Ploof: No (untains typo)

Ploof: Yes (x)

Box of minimal surface: YES
C (see also Exercises)