Bernoulli(p): Consider an experiment with **only two possible outcomes**, encoded as a random variable X taking values 1, with probability p; and 0, with probability (1-p). $X \sim Bernoulli(p)$.

Pmf: $p(x) = p^{x}(1-p)^{1-x}, x = 0$, 1. Mean: u = p, Variance: $\sigma^{2} = 0$

Notable Discrete Distributions

obtained, p = 1/2.

p(1-p).

E.g. tossing a coin with probability p for heads: X = 1 for heads; X = 0 for tails.

Binomial(n, p): Consider n identical, independent Bernoulli(p) trials $X_1, ..., X_n$. Let $X = \sum_{i=1}^n X_i$ be the total number of 1s observed in the n trials. X is a random variable taking values in

 $\{0,1,2,\ldots,n\} \colon X \sim Binomial(n,p).$ $\mathsf{Pmf} \colon p(x) = \binom{n}{x} p^x (1-p)^{n-x}, x = 0,1,2,\ldots,n. \ \mathsf{Mean} \colon \mu = np.$

Variance: $\sigma^2 = np(1-p)$. Skewness: $\gamma_1 = \frac{1-2p}{mn(1-p)}$.

Variance: $\sigma^2 = np(1-p)$. Skewness: $\gamma_1 = \frac{1-np}{\sqrt{np(1-p)}}$. E.g. tossing a fair coin n times, X may be the number of heads