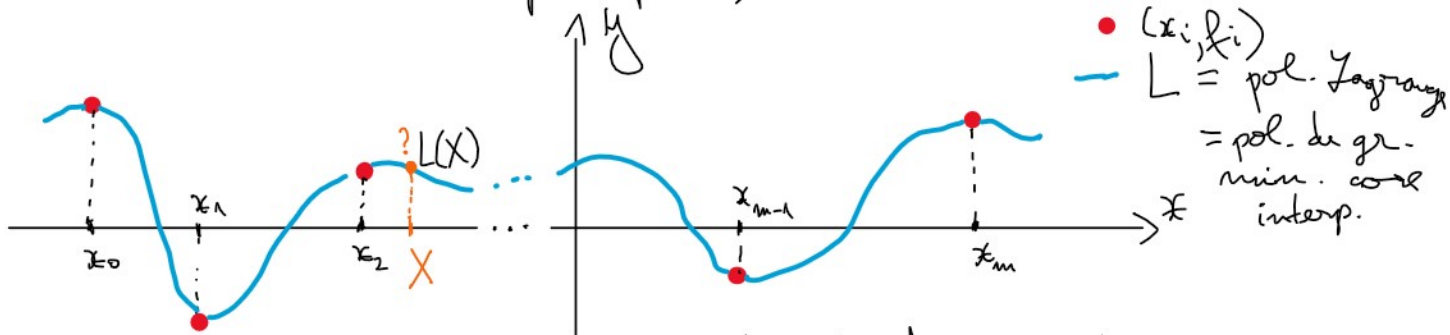


# Interpolare Lagrange

("here prin pte")



Input: • nodes:  $x_0, \dots, x_m \rightarrow$  obiective | Output:  $L(X)$   
 • values:  $f_0, \dots, f_m$   
 •  $X$

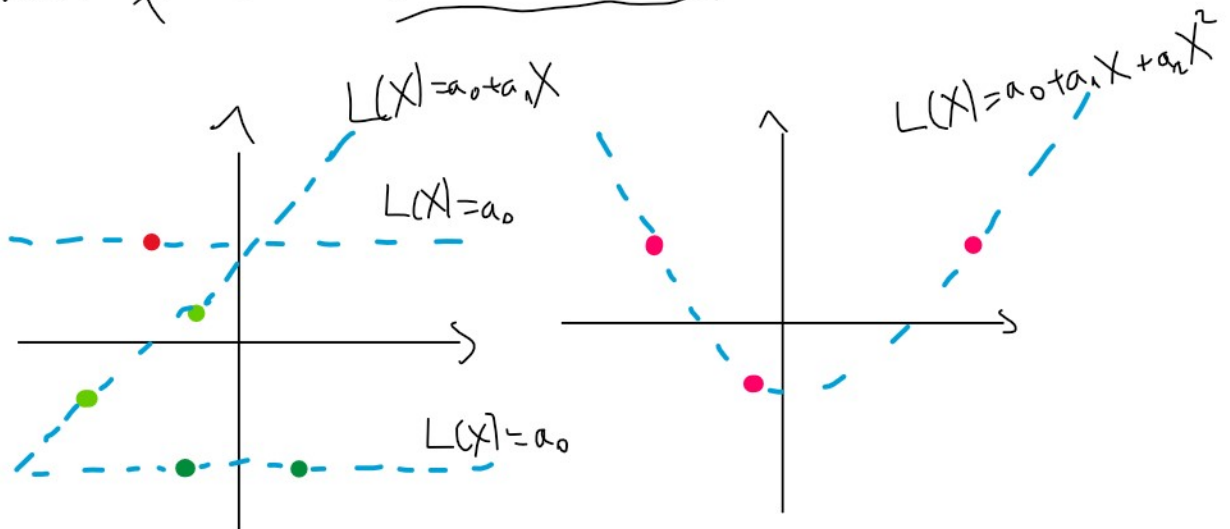
$$L(x_i) = f_i, \quad i=0, \dots, m \quad (*) \rightarrow \text{interp.}$$

$$L(X) = a_0 + a_1 X + \dots + a_m X^m$$

$$\text{grad } L \leq m = \frac{\text{nr. nodes} - 1}{1}$$

$$(*) \Leftrightarrow \underbrace{\begin{bmatrix} 1 & x_0 & \dots & x_0^m \\ 1 & x_1 & \dots & x_1^m \\ \vdots & \vdots & \ddots & \vdots \\ 1 & x_m & \dots & x_m^m \end{bmatrix}}_{\text{Vandermonde}} \cdot \begin{bmatrix} a_0 \\ a_1 \\ \vdots \\ a_m \end{bmatrix} = \begin{bmatrix} f_0 \\ f_1 \\ \vdots \\ f_m \end{bmatrix}$$

Alternativă: formula baricentrică



Temă: implementați simbolic formula clasică  
pt. pol. Lagrange, fol. (1) și (2) din  
fișierul Lagrange.pdf.