

1 Баллы
1. With Poisson regression, we use the log link function so that $\log(\mathrm{E}(y))=\log(\lambda)=eta_0+eta_1x_1+\ldots+eta_kx_k$ .
Suppose we have two covariate values $x_{1,i}=0.8$ and $x_{2,i}=1.2$ and we know the values of the coefficients: $eta_0=1.5$ , $eta_1=-0.3$ , and $eta_2=1.0$ .
Calculate $\mathrm{E}(y_i)$ in this case. Round your answer to one decimal place.
11.7
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2. Re-run the JAGS model for the Poisson regression on doctor visits from the lesson. Calculate the DIC for the original model. Now remove the interaction term from the model and fit the simpler additive model. Again compute the DIC. If we use predictive performance as a criterion for selecting models, what do we conclude?
The original model with interaction has a <b>higher</b> value of DIC than the simpler model, so we retain the <b>simpler</b> model.
The original model with interaction has a <b>lower</b> value of DIC than the simpler model, so we retain the <b>simpler</b> model.
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3. In the original model, the posterior mean estimate of the coefficient for <b>badh</b> (bad health) was 1.56. What is the correct interpretation of this coefficient if this were the true value?
Being in bad health is associated with a 1.56 increase in the log of the expected number of doctor visits.
Being in bad health is associated with a 1.56 decrease in the log of the expected number of doctor visits.
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1 Sanny

In the previous course, we briefly discussed Poisson processes. The mean of a Poisson distribution can be thought of as a rate at which the events we count are occur in a cocur in a second processes. The mean of a Poisson distribution can be thought of as a rate at which the events we count are occur in a second processes. The mean of a Poisson distribution can be thought of as a rate at which the events we count about twice as many events (assuming the rate of events). If t is the amount of time that we observe, and t is the rate of events per unit of time, then the expected number of events is t and the distribution of the number of events in this time interval is t.

Suppose that a retail store receives an average of 15 customer calls per hour, and that the calls approximately follow a Poisson process. If we monitor calls for two hours, what is the probability that there will be fewer than 22 calls in this time period? Round your answer to two decimal places.

0.05

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5

On average, this retailer receives 0.01 calls per customer per day. They notice, however, that one particular group of customers tends to call more frequently.

To test this, they select 90 days to monitor 224 customers, 24 of which belong to this group (call it group 2). Not all customers had accounts for the full 90 day period, but we do know how many of the 90 days each was active. We also have the age of the customer, the group to which the customer belongs, and how many calls the customer placed during the period they were active. The data are attached as callers.csv.

callers.csv

Download and read the data into R using the following code.

```
1 dat = read.csv(file="callers.csv", header=TRUE)|
2 ## set R's working directory to the same directory
3 ## as this file, or use the full path to the file.
```

Try plotting some of the variables to understand some of the relationships. If one of the variables is categorical, a box plot is a good choice.

Which of the following plots would be most useful to the retailer to informally explore their hypothesis that customers from group 2 call at a higher rate than the other customers?

age vs. isgroup2

calls/days\_active vs. isgroup2

calls / days\_active vs. age

calls vs. isgroup2

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6.

Since we know how many days each customer was active and the data are counts, it seems reasonable to use a Poisson process model. We will assume that the customers' calls are independent, and that the calling rate per day active for person i,  $\lambda_i$  is unique to each customer and does not change throughout the monitoring period.

It makes sense to model  $\lambda_i$  using our two covariates, age and isgroup2. How would the likelihood specification for this model look in JAGS?

```
1  for (i in 1:length(calls)) {
2    calls[i] ~ dpois( days_active[i] * lam[i] )
3    lam[i] = b0 + b[1]*age[i] + b[2]*isgroup2[i]
4  }
```

```
1 for (i in 1:length(calls)) {
2    calls[i] ~ dpois( days_active[i] * lam[i] )
3    log(lam[i]) = b0 + b[1]*age[i] + b[2]*isgroup2[i]
4    }
```

)19	Bayesian Statistics: Techniques and Models — главная   Coursera
	1 for (i in 1:length(calls)) { 2 Length[i] 10 dpois( lam[i] ) 3 Length[i] = 00 + b[1]*age[i] + b[2]*isgroup2[i] 4 Text, 8 Bonpoca
	<pre>1  for (i in 1:length(calls)) { 2    calls[i] ~ dpois( lam[i] ) 3    log(lam[i]) = b0 + b[1]*age[i] + b[2]*isgroup2[i] 4  }</pre>
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	ete fit the model in JAGS using $N(0,10^2)$ priors for the intercept and both coefficients. Be sure to check for MCMC convergence and look at the als (don't forget to multiply ${f lam\_hat}$ by ${f days\_active}$ to obtain the model's predicted mean number of calls).
What i	s the posterior probability that $eta_2$ , the coefficient for the indicator ${ t isgroup2}$ is greater than 0? Round your answer to two decimal places.
1.0	
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8. <b>What</b> f	ormal conclusions should be made about the retailer's hypothesis?
	While accounting for time active and age, customer membership in group 2 is associated with higher call rates than for customers not in group 2.
	While accounting for time active and age, customer membership in group 2 is associated with lower call rates than for customers not in group 2.
	We are unable to conclude whether the calling rate discrepancy is due to group membership or age because members of group 2 are generally of different age than customers not in group 2.
	The data contain no evidence of association between call rates and group membership.

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