

Dive into Deep Learning for NLP

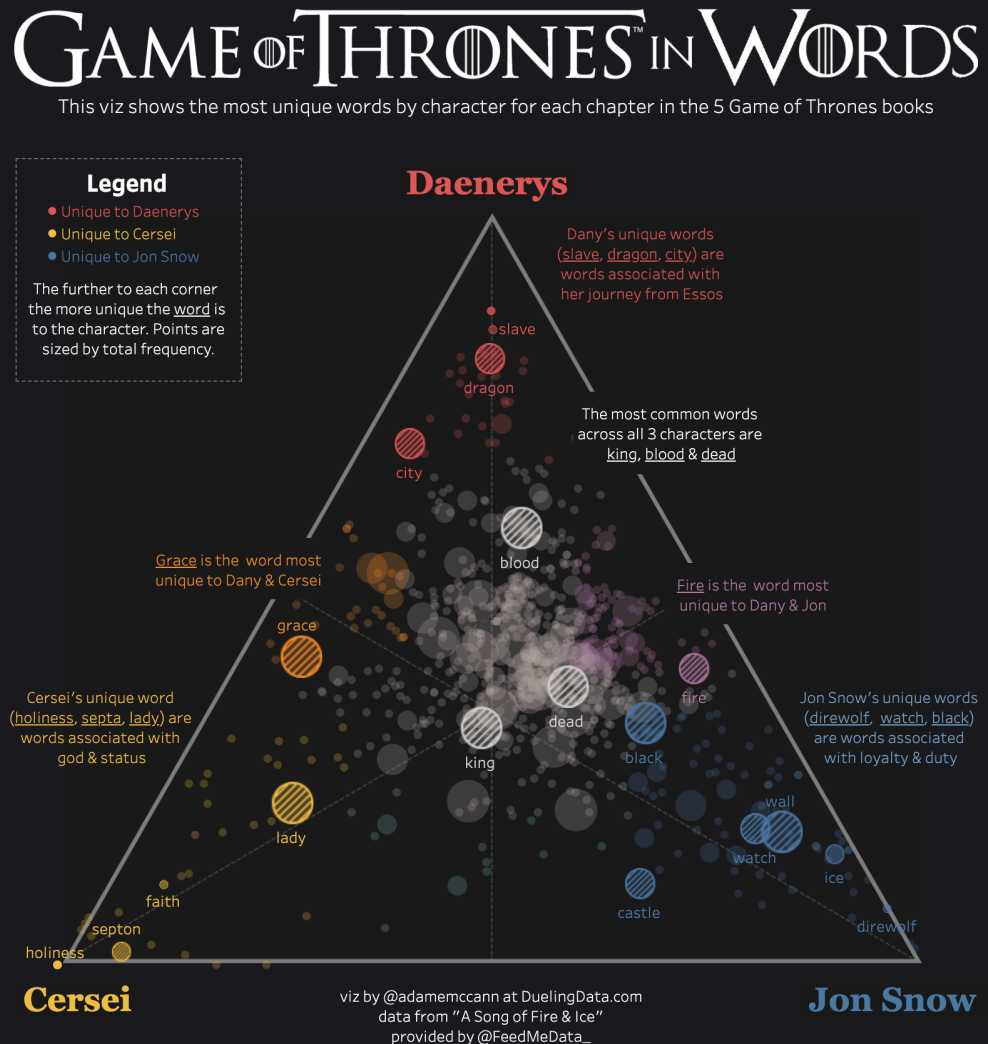
4. Context-Free Representations

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13:15-14:15	Natural Language Processing and Deep Learning Basics
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14:25-15:15	Context-free Representations with Word Embeddings
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Word Embeddings



Motivation

- One-hot vectors map objects/ words into fixed-length vectors
- These vectors only contain the identity information, not semantic meaning, e.g.

$$\langle \mathbf{x}, \mathbf{y} \rangle = \langle \mathbf{z}, \mathbf{y} \rangle = 0$$




	\mathbf{x}	\mathbf{y}	\mathbf{z}
	1	0	0
	0	1	0
\vdots	\vdots	\vdots	\vdots
	0	0	1

Word2vec

- Learn an embedding vector for each word
- Use $\langle \mathbf{x}, \mathbf{y} \rangle$ to measure the similarity

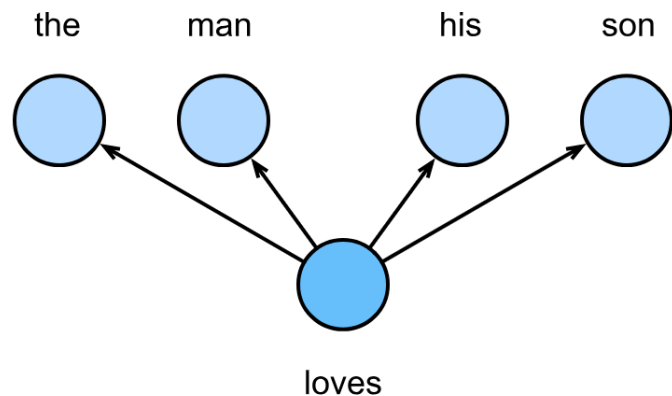
$$\langle \mathbf{x}, \mathbf{y} \rangle > \langle \mathbf{z}, \mathbf{y} \rangle$$

- Build a probability model
- Maximize the likelihood function to learn the model

	\mathbf{x}	\mathbf{y}	\mathbf{z}
	1	0	0
	0	1	0
	\vdots	\vdots	\vdots
	0	0	1

The Skip-Gram Model

- A word can be used to generate the words surround it
- Given the center word, the context words are generated independently



$$\begin{aligned} & \mathbb{P}(\text{"the", "man", "his", "son" | "loves"}) \\ &= \mathbb{P}(\text{"the" | "loves"}) \cdot \mathbb{P}(\text{"man" | "loves"}) \\ & \quad \cdot \mathbb{P}(\text{"his" | "loves"}) \cdot \mathbb{P}(\text{"son" | "loves"}) \end{aligned}$$

Likelihood Function

Summing over all words
is too expensive

	Word	Embedding
Center	w_c	$\mathbf{v}_c \in \mathbb{R}^d$
Context	w_o	$\mathbf{u}_o \in \mathbb{R}^d$

$$\mathbb{P}(w_o \mid w_c) = \frac{\exp(\mathbf{u}_o^\top \mathbf{v}_c)}{\sum_{i \in \mathcal{V}} \exp(\mathbf{u}_i^\top \mathbf{v}_c)}$$

\mathcal{V} : all context words

- Given length T sequence, context window m , the likelihood function:

$$\prod_{t=1}^T \prod_{-m \leq j \leq m, j \neq 0} \mathbb{P}(w^{(t+j)} \mid w^{(t)})$$

Negative Sampling

- Treat a center word and a context word appear in the same context window as an event

$$\mathbb{P}(D = 1 | w_c, w_o) = \sigma(\mathbf{u}_c^T \mathbf{v}_o) \quad \sigma(x) = \frac{1}{1 + \exp(-x)}$$

- Change the likelihood function from $\prod_{t=1}^T \prod_{-m \leq j \leq m, j \neq 0} \mathbb{P}(w^{(t+j)} | w^{(t)})$ to

$$\prod_{t=1}^T \prod_{-m \leq j \leq m, j \neq 0} \mathbb{P}(D = 1 | w^{(t)}, w^{(t+j)})$$

Naive solution: infinity

Negative Sampling

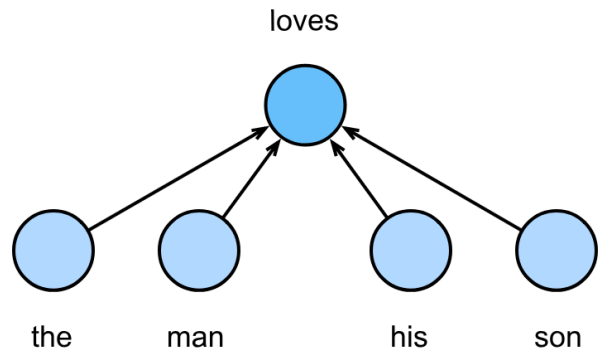
- Sample noise word w_n that doesn't appear in the window

$$\mathbb{P}(D = 0 | w_c, w_n) = 1 - \sigma(\mathbf{u}_n^T \mathbf{v}_c)$$

- Add into the likelihood function as well
- Maximizing the likelihood equals to solve a binary classification problem with a binary logistic regression loss

Continuous Bag Of Words (CBOW)

- The center word is generated based on the context words



$$\mathbb{P}(\text{"loves"} \mid \text{"the"}, \text{"man"}, \text{"his"}, \text{"son"})$$

Likelihood Function

- Compute the probability

$$\mathbb{P}(w_c \mid w_{o_1}, \dots, w_{o_{2m}}) = \frac{\exp \left(\frac{1}{2m} \mathbf{u}_c^\top (\mathbf{v}_{o_1} + \dots + \mathbf{v}_{o_{2m}}) \right)}{\sum_{i \in \mathcal{V}} \exp \left(\frac{1}{2m} \mathbf{u}_i^\top (\mathbf{v}_{o_1} + \dots + \mathbf{v}_{o_{2m}}) \right)}$$

- Likelihood

$$\prod_{t=1}^T \mathbb{P}(w^{(t)} \mid w^{(t-m)}, \dots, w^{(t-1)}, w^{(t+1)}, \dots, w^{(t+m)})$$

FastText

- English words usually have internal structures and formation methods
 - dog, dogs, dogcatcher
- Each center word is represented as a set of subwords
 - “where” -> “<where>” -> n -gram
 - $n=3$: “<wh”, “whe”, “her”, “ere”, “re>”
- Useful for long but infrequent words
 - e.g. pneumonoultramicroscopicsilicovolcanoconiosis



FastText

- For word w , \mathcal{G}_w is the union of subwords with length from 3 to 6
- The center vector is then

$$\mathbf{u}_w = \sum_{g \in \mathcal{G}_w} \mathbf{u}_g$$

- The rest model is same as skip-gram