

Code Replication 2

2022-10-14

Load data

```
load('E:/CalPoly SLO/Fall Quarter 2022/Advanced Econometrics 1/Week
4/apple.RData')
df = data
```

Estimate the model stated using ordinary least squares, what is your estimate of β_1 , the price effect

```
X = cbind(rep(1,5),df$regprc,df$educ,df$ecoprc,df$hhsz,df$male)
Y = df$reglbs

b = solve(t(X)%*%X)%*% (t(X)%*% Y)

b_1 = cbind(0,1,0,0,0,0)%*% b

b_1

##           [,1]
## [1,] -1.638189
```

The estimate of β_1 is -1.6382.

What is the R-squared for the model

```
Xt = t(X)
Yt = t(Y)
SSE = Yt %*% Y - t(b)%*% Xt %*% Y
SST = sum((Y-mean(Y))^2)

Rsquared = 1 - (SSE/SST)

Rsquared

##           [,1]
## [1,] 0.01161783
```

The R-squared of the model is 0.0116

What is the adjusted R-squared for the model

```
AdjRsquared = 1 - ((1-Rsquared)%*%(660-1))/(660-5-1))

AdjRsquared

##           [,1]
## [1,] 0.004061388
```

The adjusted R-squared of the model is 0.0041

Is the coefficient estimate of β_3 the correct sign?

#Yes, the sign of Beta3 is correct (+0.947) because we expect people to switch to regular apples when the price of eco apples increases which leads to an increase in purchases

Add a new variable to the model that is defined as $\text{regprc} \times \text{educ}$. The coefficient on this variable will be β_6 . Re-estimate your model with this additional variable. What is your estimate of this new parameter?

```
A =  
cbind(rep(1,5),df$regprc,df$educ,df$ecoprc,df$hhsz,df$male,(df$regprc*df$educ))  
B = df$reglbs  
  
C = solve(t(A)%*%A)%*% (t(A)%*% B)  
  
b_6 = cbind(0,0,0,0,0,0,1)%*%C  
  
b_6  
  
##           [,1]  
## [1,] -0.2209432
```

The estimate of β_6 is -0.2209.

Consider the price effect now $\partial \text{reglbs} / \partial \text{regprc} = \beta_1 + \beta_6 \text{educ}$. This says that how responsive buyers are to price depends on educ. Consider a buyer with $\text{educ}=20$. If regprc increases by \$1, what will be the change in reglbs ?

#If educ=20, the change in reglbs if regprc increases by \$1 can be shown by
$$\text{ne} = -b_1 + (b_6 * 20)$$

$$\text{ne}$$

[,1]
[1,] -2.780675

For someone with $\text{educ}=20$ a one dollar increase in price will reduce demand by 2.7806 (rounding) pounds

Using your estimates, who would you say is more sensitive to price, more educated buyers or less educated buyer? How is this conclusion relate to the sign on β_6 ? Explain.

#I think the more educated buyer is more sensitive to price, we can see that Beta6 in model2 shows that, for educated buyers, as the price of ecoapples increases the less ecoapples they will buy, they will substitute them with regular apples