Break-even point analysis

$$Revenue = Price(Q)$$

$$TotalCost = FixedCost + VariableCost(Q)$$

$$Profit = Revenue - TotalCost$$

Exercise 1

How many pieces do I need to sell to break even?

Task	Price
Rent	\$ 30k/month
Raw material	\$100/piece
Salaries	\$20k/month
Selling price	\$700/piece
Manufacturing cost	\$~300/piece

$$TotalCost = FixedCost[30k + 20k] + VariableCost(Q)[100 + 300]$$

$$TotalCost = 50,000 + 400Q$$

$$Profit[0] = Price(Q)[700Q] - TotalCost[50,000 + 400Q]$$

$$700Q = 50,000 + 400(Q)$$

$$50,000 + 400Q - 700Q = 0$$

$$50,000 - 300Q = 0$$

$$50,000 = 300Q$$

Q = 167 //it is round to ceil because you cannot produce a fraction of a product

Break even point means the minimum amount of sold pieces required to reach the investment.

Exercise 2

How many pieces fo I need to sell to make a 50,000 profit?

$$50,000 = Price(Q) - (FixedCost + VariableCost(Q)) \\$$

$$50,000 = 700Q - (50,000 + 400Q)$$

$$50,000 = 300Q - 50,000$$

$$50,000 + 50,000 = 300Q$$

$$100,000 = 300Q$$

$$Q = 100,000/300 = 334$$

So far, we have assumed that every manufactured piece is sold. However, this ain't generally true. For this example, we are assuming that 15~% of the manufactured pieces won't make it to the market because of quality control stuff.

Exercise 3

How many units do I need to sell to break even?

Price
\$30k/month
\$100/piece
\$20k/month
\$700/piece
\$300/piece
5%

K: Units you sell

Q: Units you make

700Q*0.95-(50,000+400Q)=0 //it is multiplied by 0.95 because five percent of the produced items are not sold

$$665Q - 50,000 - 400Q = 0$$

$$265Q = 50,000$$

$$Q = 50,000/265$$

$$Q = 189$$

$$K = 188.67 * 0.95$$

$$K = 180$$

Exercise 4

 $Now\ make\ 80,000\ profit$

$$700Q * 0.95 - (50,000 + 400Q) = 80,000$$

$$665Q - 50,000 - 400Q = 80,000$$

$$265Q = 130,000$$

$$Q = 130,000/265$$

$$Q = 491$$

$$K = 490.56 * 0.95 = 467$$