Prediction Competion 1

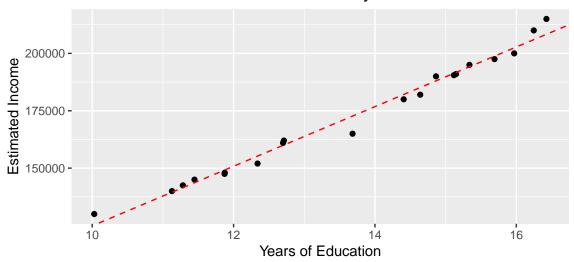
15/01/2024

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Question 2a

```
model = lm(income_est ~ education)
model_summary = summary(model)
b0 = model_summary$coefficients[1]
b1 = model_summary$coefficients[2]
print(model_summary)
##
## Call:
## lm(formula = income_est ~ education)
##
## Residuals:
    Min
##
           1Q Median
                           ЗQ
                                 Max
  -7685 -1771 -98 1505
                                6685
##
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) -5067.8 5239.9 -0.967
                                            0.346
## education
               12990.7
                            380.2 34.165
                                           <2e-16 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 3271 on 18 degrees of freedom
## Multiple R-squared: 0.9848, Adjusted R-squared: 0.984
## F-statistic: 1167 on 1 and 18 DF, p-value: < 2.2e-16
```

Estimated incomes based on years of education



```
y1 = round(b0 + b1*(12))
y2 = round(b0 + b1*(13))
income_diff = round(b1 * (13 - 12))
```

\$12991.

In this economy, I estimate Jimmys income with 12 years of education to be \$150820 and his income with 13 years of education to be \$163811. The difference in expected lifetime earnings for 13 years of education compared to 12 years is \$12991. I arrived at this answer using my linear regression model.

Question 2b

```
current_avg_income = mean(income_est)
future_avg_income = b0 + b1*(17)

avg_income_diff = future_avg_income - current_avg_income
```

\$43574

In this economy I estimate the average lifetime earnings increases by \$43574 if the government assigned everyone 17 years of education. I arrived at this answer through computing the average of my predictions incomes, computing my linear models average at 17 years, then taking the difference of the two averages.

Question 3

- a) The measured college outcomes are first-year cumulative GPA, percentage of grades that are A or A-and an indicator for academic struggle defined as having any grade of C+ or lower in the first year.
- b) The variables that are the most important predictors of college outcomes a student's standardized test score. The least important predictor of college outcomes are a student's high school GPA.
- c) In my opinion, the student's standardized test score is the most important variable. I believe this because all students are meant to take the same standardized exam and as stated in the paper, a persons socioeconomic background has little effect on the SAT and how well the individual does in their first year of college.

Question 4

I asked chat gpt:

can you turn these two columns into two variables in R script [11.28278 & 1425000 \ 13.68312 & 165000\ 14.40669 & 180000\ 15.96969 & 200000\ 14.86386 & 190000\ 15.33683 & 195000\ 12.69982 & 161000\ 11.447 & 145000\ 11.87571 & 148000\ 11.87264 & 147500\ 15.14703 & 191000\ 11.12808 & 140000\ 15.11679 & 190500\ 12.33917 & 152000\ 16.24666 & 210000\ 16.42583 & 215000\ 15.69144 & 197500\ 12.7121 & 162000\ 14.64092 & 182000\ 10.02925 & 130000\]

Chatgpt replied:

Certainly! In R, you can create two variables from the given data using the c() function. Here's an example of how you can do it:

 $\begin{array}{l} {\rm data} < -c(11.28278,\,13.68312,\,14.40669,\,15.96969,\,14.86386,\,15.33683,\,12.69982,\,11.447,\,11.87571,\,11.87264,\\ 15.14703,\,11.12808,\,15.11679,\,12.33917,\,16.24666,\,16.42583,\,15.69144,\,12.7121,\,14.64092,\,10.02925)\,\,{\rm labels} \\ < -c(1425000,\,165000,\,180000,\,200000,\,190000,\,195000,\,161000,\,145000,\,148000,\,147500,\,191000,\,140000,\\ 190500,\,152000,\,210000,\,215000,\,197500,\,162000,\,182000,\,130000) \end{array}$

variable1 <- data variable2 <- labels

print(variable1) print(variable2)