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```
Housekeeping 1
% CODE CHALLENGE 10 - Gaussian Elimination
% This challenge is an exercise in applying Gaussian Elimination in
% to solve a system of equations. The system of equations you are
looking
% to solve is as follows:
    7x + 3y - 17z = 13
    -4x + 2z = -2
     4x + 3y - 9z = -5
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% NOTE: DO NOT change any variable names already present in the code.
% Upload your team's script to Gradescope when complete.
% NAME YOUR FILE AS Challenge9_Sec{section number}_Group{group}
breakout # \} .m
% ***Section numbers are 1 or 2***
% EX File Name: Challenge9_Sec1_Group15.m
% Group 10
% STUDENT TEAMMATES
% 1) Daniel Smith
% 2) Sebastian Boysen
% 3) Alexander Bergemann
% 4) Andrew Logue
% 5) Samuel Hatton
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```

Housekeeping

```
clear all
close all
clc
```

Organizing Known Values

```
coeffs1 = [7 3 -17]; % Coefficients of equation 1 in x y z order
coeffs2 = [-4 0 2]; % Coefficients of equation 2 in x y z order
coeffs3 = [4 3 -9]; % Coefficients of equation 3 in x y z order
answers = [13; -2; -5]; % Answers to the three equations

AMat = [coeffs1; coeffs2; coeffs3]; % Creating an A-matrix using the
given coefficients
[m,n] = size(AMat); % m for the number of rows in your A-matrix, n for
the number of columns
```

Reducing the A-matrix using Recursive Method

Initialize the new A matrix, called AA, and b matrix, called bb

```
aa = AMat;
bb = answers;
% Using the Recursive Method to reduce our A-matrix, starting at step
1, row 2
r = 1; % step number
for k = 2:m % Total number of iterations that must be taken
    for i = r+1:m % Marker for rows
        for j = r:n % Marker for columns
            scale_factor(j) = AMat(i,r)/AMat(r,r);
            aa(i,j) = AMat(i,j)-AMat(r,j)*scale_factor(j); % Define
 the new values of the A matrix
        bb(i) = answers(i) - answers(r)*scale_factor(j); % Define the
 new values of the b matrix
    AMat = aa; % Set the new reference a matrix
    answers = bb; % Set the new reference b matrix
    r = r+1; % Increase the step number
end
```

Solving for variables with Back Substitution

```
z = answers(3)/AMat(3,3); % Solving for x
y = (answers(2)-AMat(2,3)*z)/AMat(2,2); % Back-substituting x to solve
for z
x = (answers(1)-AMat(1,3)*z - AMat(1,2)*y)/AMat(1,1); % Back-
substituting x and z to solve for y
% Outputting answers
fprintf('The calculated values for our variables are:\n')
fprintf(' x = %.4f\n',x)
fprintf(' y = %.4f\n',y)
```

```
fprintf(' z = %.4f\n',z)
The calculated values for our variables are:
x = -0.7692
y = -8.2564
z = -2.5385
```

BONUS:

Solve the system using matrix methods, with the "\" operator and the "inv()" operator. Compare the time it takes for these two methods with the time that Gaussian elimination took.

```
% Using \ operator
tic
answersBackslash = AMat\answers;
timeBackslash = toc;
% Using matrix inverse
tic
answersInverse = inv(AMat)*answers;
timeInverse = toc;
```

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