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%%%%%%%%%%%%%%%
% CODE CHALLENGE 2 - Monte Carlo Analysis
% The purpose of this challenge is to perform a Monte-Carlo analysis
on the
% lift generated by an aircraft. The aircraft has the following
characteristics:
  Wing surface area, S = 80 \text{ m}^2
  Lift coefficient, C L = 0.90 + -0.03
% And is flying under the following conditions
  Air density, rho = 0.653 \text{ kg/m}^3
응
  Airspeed, V = 100 + -10 \text{ m/s}
응
% To complete the challenge, execute the following steps:
% 1) Sample S, C_L, rho, and V 10,000 times.
% 2) Calculate lift in kilonewtons for each of the 10,000 samplings/
simulations.
% 3) Calculate the best estimate and error for lift and report it to
% command window using appropriate significant figures.
% 4) Plot a histogram of L.
% Bonus 1) Calculate drag in kilonewtons for each of the 10,000
% samplings/simulations.
% Bonus 2) Make a scatterplot of Lift vs Drag.
% NOTE: DO NOT change any variable names already present in the code.
% Upload your team's script to Canvas to complete the challenge.
% NAME YOUR FILE AS Challenge2_Sec{section number}_Group{group
breakout # \ .m
% ***Section numbers are 1 or 2***
% EX File Name: Challenge2 Sec1 Group15.m
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응
```

#### Housekeeping

```
(Please don't "clear all" or "clearvars", it makes grading difficult)
```

### 1) Sample S, C\_L, rho, and V 10,000 times

(i.e. the S variable should contain 10000 samples of the wing surface area)

```
N = 1e04;
S = 80*ones(N,1); % [m^2]
C_L = .9+(.06*(rand(N,1)))-.03;
rho = 0.653*ones(N,1); % [kg/m^3]
V = 100+(20*(rand(N,1)))-10; % [m/s]
```

## 2) Calculate lift in kilonewtons for each of the 10,000 samplings/simulations.

```
Given that the equation for lift is: L = 0.5 * \text{rho} * \text{V}^2 * \text{C}_L * \text{S} (Newtons)

L = (0.5 .* \text{rho} .* \text{V}^2 .* \text{C}_L .* \text{S})/1000; % [kN]
```

#### 3) Calculate the best estimate and error for lift

Report it to the command window using appropriate significant figures.

```
L_best = mean(L);
L_err = std(L);

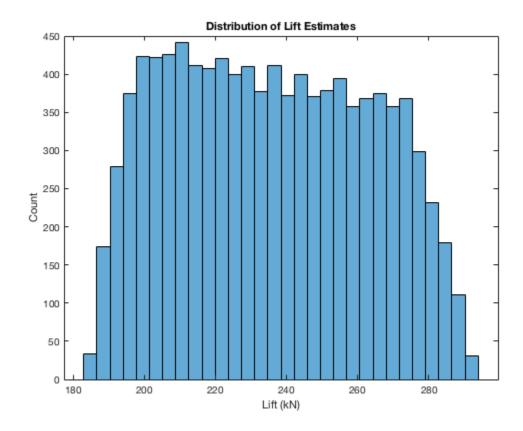
fprintf("Best Estimate of Lift: %f kN\n", L_best);
fprintf("Error for Lift Estimate: %f\n", L_err);

Best Estimate of Lift: 235.727177 kN
Error for Lift Estimate: 27.509089
```

# 4) Plot a histogram (use the "histogram" command) of L with 30 bins.

Add annotations and labels for style points!

```
figure();
histogram(L,30)
title("Distribution of Lift Estimates")
xlabel("Lift (kN)")
ylabel("Count")
```



#### **Bonus 1) Calculate drag in kilonewtons**

For each of the 10,000 samplings/simulations, given that the equation for drag is:  $D = 0.5 * \text{rho} * \text{V}^2 * \text{C}_D * \text{S}$  (Newtons) and that  $\text{C}_D = 0.070 + 0.005$ 

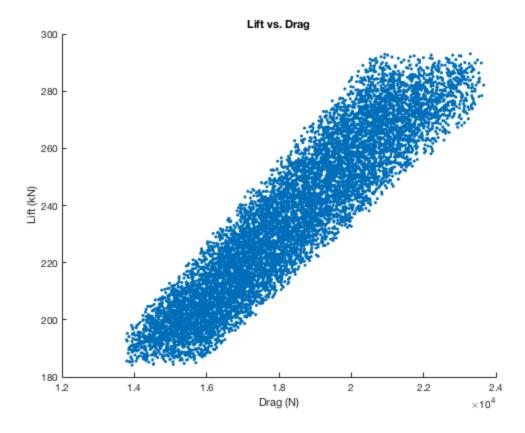
```
C_D = .070 + (.01*(rand(N,1))) - .005;

D = 0.5 * rho .* V.^2 .* C_D .* S;
```

#### Bonus 2) Make a scatterplot of Lift vs Drag.

Think about the following (no work to do): - Why do you think the points are spread into an ellipse and not a circle? - What is the significance of the general trend/slope of the data? - How could this sort of analysis be useful when dealing with more complicated systems and equations?

```
figure();
scatter(D,L,1,'.')
title("Lift vs. Drag")
xlabel("Drag (N)")
ylabel("Lift (kN)")
```



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