```
clear all
    close all
3
    clc
4
5
    %% Introduction %%
6
    %----%
7
    %Programmer: A. Clifford Matteson
                    09/20/2023
8
   %Date:
9
10
    %% Constants %%
11
    %----%
12
13
    const.r earth = 6378.14;
14
    const.mu earth = 3.986*10^5;
15
    const.pi2deg = 180/pi;
16
    const.deg2pi = pi/180;
17
    const.AU2km = 1.496*10^8;
18 const.G = 6.6738*10^-20;
19 const.mu_sun = 1.327*10^11;
const.r saturn = 58232;
21 const.mu saturn = 3.7931*10^7;
22 const.g = 9.8067;
23 const.a saturn = 9.54327*const.AU2km;
24
    const.r_sun = 696300;
25
    const.geo orb = 35785 + const.r earth;
26
    const.iss orb = 409 + const.r earth;
27
28
    %% Equations %%
29
    %----%
30
31
    % Energey Equation Derivations
32
    Spe Eng E1 = @(v, mu, r) (v^2/2) - mu/r;
33
    Spe Eng E2 = @(mu, a) -mu/(2*a);
    34
35
    Spe_Eng_r = @(mu, v, a) -mu/(-(v^2)/2-mu/(2*a));
36
    Spe Eng a = @(mu, v, r) - mu/(2*((v^2/2) - mu/r));
37
38
    % Orbit Equation Derivations
39
    Orb_Equ_r = @(p, ecc, nu) p/(1+ecc*cos(nu));
40
    Orb_Equ_p = @(r, ecc, nu) r*(1+ecc*cos(nu));
41
    Orb Equ ecc = @(r, p, nu) (p/r-1)/cos(nu);
42
    Orb Equ nu = Q(r, p, ecc) acos((p/r-1)/ecc);
43
44
    % Parameter Derivations
45
    Par p1 = @(a, ecc) a*(1-ecc^2);
46
    Par p2 = @(h, mu) (h^2)/mu;
47
    Par ecc1 = @(p, a) sqrt(1-p/a);
48
    Par ecc2 = @(h, a, mu)  sqrt(-h^2/(a*mu)+1);
49
    Par_a1 = @(p, ecc) p/(1-ecc^2);
50
    Par_a2 = @(h, mu, ecc) h^2/(mu*(1-ecc^2));
51
    Par h1 = @(p, mu)   sqrt(mu*p);
52
    Par h2 = @(a, ecc, mu) sqrt(a*mu*(1-ecc^2));
53
54
     % Theta Velocity Derivations
55
    The Vel v1 = @(v, gamma) v*cos(gamma);
56
    The_Vel_v2 = @(mu, h, ecc, nu) (mu/h)*(1+ecc*cos(nu));
57
    The Vel v3 = @(h,r) h/r;
58
    The Vel gamma1 = @(the v, v) acos(the v/v);
59
    The_vel_gamma2 = 0(h, r, v) acos(h/(r*v));
60
    The Vel nu = @(the_v, mu, h, ecc) acos(((the_v*h/mu)-1)/ecc);
61
    The Vel_h = @(r, v, gamma) r*v*cos(gamma);
62
63
    % Radial Velocity Derivations
64
    R Vel v1 = @(v, gamma) v*sin(gamma);
65
    R Vel gamma1 = @(r v, v) asin(r v/v);
    R Vel nu = @(r v, mu, h, ecc) asin((r v*h)/(mu*ecc));
66
67
68
     % Flight Relationships Derivations
69
    Fli Rel ecc = @(r, v, mu, gamma) sqrt(((((r*v^2)/mu-1)^2)*cos(gamma)^2) ...
```

```
+\sin(\text{gamma})^2;
 71
      Fli rel nu = Q(r, v, mu, gamma) atan((((r*v^2)/mu)*sin(gamma)*cos(gamma)) ...
 72
          /(((r*v^2)/mu)*(cos(gamma)^2)-1));
 73
 74
      % Eccentricity Derivation
 75
      Ecc = @(E, h, mu) \ sqrt(1+(2*E*h^2)/(mu^2));
 76
 77
      % Elliptical Orbit Derivations
 78
      Ell Orb n = @(mu, a)  sqrt(mu/(a^3));
 79
      Ell Orb Tdel = @(E1, E2, ecc, n) (E2-E1-ecc*(sin(E2)-sin(E1)))/n;
 80
      Ell Orb P = @(a, mu) 2*pi*sqrt((a^3)/mu);
 81
      Ell Orb r = @(a, ecc, E) a*(1-ecc*cos(E));
      Ell Orb E = @(a, r, e) acos((-r/a+1)/e);
 82
 83
      Ell Orb ra = @(a, e) a*(1+e);
      Ell Orb rp = @(a, e) a*(1-e);
 84
      Ell_Orb_e1 = @(rp, a) 1-rp/a;
 85
 86
      Ell_Orb_e2 = @(ra, a) -1 + ra/a;
 87
      Ell_Orb_a1 = @(rp, e) rp/(1-e);
 88
      Ell Orb a2 = @(ra, e) ra/(1+e);
 89
 90
      % Hyperbolic Orbits Derivations
 91
      Hyp Obr rp = @(a, ecc) a*(1-ecc);
 92
      Hyp Obr v = @(mu, a) sqrt(-mu/a);
 93
      \label{eq:hypothermal} \texttt{Hyp Obr\_nu = @(p, r, ecc) acos(((p/r)-1)/ecc);}
 94
      Hyp Orb a = 0 (mu, v) -mu/(v^2);
 95
      Hyp Orb del = @(e) 2*asin(1/e);
 96
      Hyp Orb e = @(del) 1/sin(de/2);
 97
      Hyp_Orb_e1 = @(rp, a) 1-rp/a;
 98
 99
      % Lambert's Theorem Derivations
      Lam_{The_c} = @(r1, r2, phi) \ sqrt(r1^2+r2^2-2*r1*r2*cos(phi));
100
101
      Lam The s = (r1, r2, c) (r1+r2+c)/2;
102
      % Elliptical Transfers Derivations
103
104
      Ell Tra alpha = @(s, a) 2*asin(sqrt(s/(2*abs(a))));
105
      Ell Tra beta = @(s, a, c) 2*asin(sqrt((s-c)/(2*abs(a))));
106
      Ell Tra Tdel 1A = @(mu, a, alpha, beta)
      ((alpha-sin(alpha))-(beta-sin(beta)))/sqrt(mu/abs(a)^3);
107
      Ell_Tra_Tdel_1B = @(mu, a, alpha, beta)
      ((alpha-sin(alpha))-(beta-sin(beta))+2*pi)/sqrt(mu/abs(a)^3);
108
      Ell Tra Tdel 2A = @(mu, a, alpha, beta)
      ((alpha-sin(alpha))+(beta-sin(beta)))/sqrt(mu/abs(a)^3);
109
      Ell Tra Tdel 2B = @(mu, a, alpha, beta)
      ((alpha-sin(alpha))+(beta-sin(beta))+2*pi)/sqrt(mu/abs(a)^3);
110
111
      % Hyperbolic Transfers Derivations
112
      Hyp Tra a prime = @(s, a) 2*asinh(sqrt(s/(2*abs(a))));
      Hyp Tra b prime = @(s, a, c) 2*asinh(sqrt((s-c)/(2*abs(a))));
113
114
      Hyp_Tra_Tdel_2H = @(mu, a, a_prime, b_prime) ((sinh(a_prime)-a_prime)+ ...
115
           (sinh(b_prime)-b_prime))/sqrt(mu/abs(a)^3);
116
      Hyp Tra Tdel 1H = @(mu, a, a prime, b prime) ((sinh(a prime)-a prime)- ...
117
          (sinh(b prime)-b prime))/sqrt(mu/abs(a)^3);
118
119
      % True & Ecc Anomaly Derivations
120
      Tre Ecc E = @(nu, ecc) 2*atan(tan(nu/2)/sqrt((1+ecc)/(1-ecc)));
121
      Tre Ecc nu = @(E, ecc) 2*atan(sqrt((1+ecc)/(1-ecc))*tan(E/2));
122
123
      % Fly By Conics Derivations
124
      Fly By Con Phi = @(v arr, gamma, v pla)
      atan((v_arr*sin(gamma))/(v_arr*cos(gamma)-v_pla));
125
126
      % Law of Cosine Derivatio
127
      Law Cos = @(v1, v2, theta) sqrt(v1^2+v2^2-2*v1*v2*cos(theta));
128
129
      % Rocket Equation Derivations
130
      Rock Eq delV = @(isp, mo, mf) isp*0.00980665*ln(mo/mf);
131
      Rock_{\underline{q}m0} = @(mf, delV, isp) mf*exp(-delV/(isp*0.00980665));
      Rock_{q_mf} = @(m0, delV, isp) m0/exp(delV/(isp*0.00980665));
132
133
      Rock Eq isp = 0 \text{ (m0, mf, delV)} \text{ delV/(0.00980665*ln(m0/mf))};
```

```
134
      Rock Eq delM = @(mf, delV, isp) mf*(exp(delV/(isp*0.00980665))-1);
135
136
      %% P1Pa %%
137
     %----%
138
139
     % Given
    r_i = 250000;
140
141
     a i = 200000;
142
      ecc i = 0.9728;
143
      r alt = const.r earth + 150;
144
      %solving initial v, h, gamma
145
      plpa.h i = Par h2(a i, ecc i, const.mu earth);
146
147
      plpa.v_i = Spe_Eng_v(const.mu_earth, r_i, a_i);
      plpa.gamma i = The_vel_gamma2(plpa.h_i, r_i, plpa.v_i);
148
149
      plpa.gamma_i = [pi-plpa.gamma_i, 2*pi-plpa.gamma_i]; %Quad checks, sine(+)
150
      plpa.v = [plpa.v_i*sin(plpa.gamma_i(2)), plpa.v_i*cos(plpa.gamma_i(2))];
151
152
      %Solving v and gamma for alt
153
      plpa.v a = Spe Eng v(const.mu earth, r alt, a i);
154
      plpa.gamma a = The vel gamma2(plpa.h i, r alt, plpa.v a);
155
      % Quad check, sine(+)
156
      plpa.gamma_a = [pi-plpa.gamma_a, -plpa.gamma a]; %% Aswer %%
157
158
159
      fprintf('The flight path angle at altiude is %4.3f Rad or %4.3f Deg \n\n',
      plpa.gamma a(2), rad2deg(plpa.gamma a(2)))
160
161
     %% P1pb %%
162
     응----응
163
164
      % Creates range of angles and velocities.
165
      plpb.theta delta = linspace(pi/2, pi, 360*5);
      p1pb.vel delta = linspace(0, .05, 500)';
166
167
168
      % Findes radius and theta velocities
169
      plpb.vr del mat = plpb.vel delta.*sin(plpb.theta delta);
170
      plpb.vt del mat = plpb.vel delta.*cos(plpb.theta delta);
171
172
      % Generates tensor for vectors (Cartesian)
173
      plpb.vec del(:, :, 1) = plpb.vr del mat(:, :);
174
      plpb.vec_del(:, :, 2) = plpb.vt_del_mat(:, :);
175
176
      % New vector component directions (Cartesian)
177
      plpb.vec new(:, :, 1) = plpa.v(1)-plpb.vec del(:, :, 1);
178
      plpb.vec_new(:, :, 2) = plpa.v(2)-plpb.vec_del(:, :, 2);
179
180
      for i = 1:size(p1pb.vec new, 1)
181
          for j = 1:size(p1pb.vec_new,2)
182
              % Converts new vector coord system (Polar)
183
              % cart2polar has in-built quad check
184
              [p1pb.vec(i, j, 1), p1pb.vec(i, j, 2)] = cart2polar(p1pb.vec new(i, j, 1),
              p1pb.vec new(i, j, 2));
185
186
              % Finds the angular momentum, semimajor axis, and eccentricity
187
              p1pb.h(i, j, 1) = The_Vel_h(r_i, p1pb.vec(i, j, 1), p1pb.vec(i, j, 2));
188
              plpb.a(i, j, 1) = Spe_Eng_a(const.mu_earth, plpb.vec(i, j, 1), r_i);
189
              plpb.ecc(i, j, 1) = Par ecc2(plpb.h(i, j, 1), plpb.a(i, j, 1), const.mu earth);
190
191
              % Finds the new velocity and angle at altitude
192
              p1pb.v_alt(i, j, 1) = Spe_Eng_v(const.mu_earth, r_alt, p1pb.a(i, j, 1));
193
              p1pb.gamma(i, j, 1) = real(-The vel gamma2(p1pb.h(i, j, 1), r alt, p1pb.v alt(i, j, 1))
              j, 1)));
194
          end
195
      end
196
197
      % Sets tolerences
198
      plpb.gammaL = -0.087283916;
      p1pb.gammaH = -0.087249009;
199
```

```
200
               p1pb.ans = [];
201
202
                % Loop that appends values from tensor that match tolerances
203
                for i = 1:size(p1pb.gamma, 1)
204
                          for j = 1:size(p1pb.gamma, 2)
                                      \  \  \text{if (plpb.gammaL < plpb.gamma(i, j, 1)) \&\& (plpb.gamma(i, j, 1) < plpb.gammaH) \&\& (plpb.gamma(i, j, 1) < plpb.gammaH) &\& (plpb.gamma(i, j, 1)) & (plpb.gamma(i, j, 1)) & (plpb.gammaH) & (plpb.gamma
205
                                      (p1pb.ecc(i, j, 1) < 1) && (0 < p1pb.a(i, j, 1))
206
207
                                                plpb.ans = [plpb.ans; plpb.vec del(i, j, 1), plpb.vec del(i, j, 2)];
208
                                     end
209
                          end
210
                end
211
212
                p1pb.ansf = [];
213
214
                % Loop that takes values from appended array and calulates values
215
                for i = 1:size(p1pb.ans, 1)
216
                           % Delta Vr and Vt
217
                           [p1pb.ansv c] = [p1pa.v(1)-p1pb.ans(i, 1), p1pa.v(2)-p1pb.ans(i, 2)];
218
219
                           % Vr and Vt to V mag and theta
220
                          [p1pb.ansv p1, p1pb.ansv p2] = cart2polar(p1pb.ansv c(1), p1pb.ansv c(2));
221
222
                          % Finds angluar momentum
223
                          plpb.ansh = The_Vel_h(r_i, plpb.ansv_p1, plpb.ansv_p2);
224
225
                           % Finds semimajor axis
226
                          plpb.ansa = Spe_Eng_a(const.mu_earth, plpb.ansv_pl, r_i);
227
228
                          % Finds eccentricity
229
                          plpb.anse = Par ecc2(plpb.ansh, plpb.ansa, const.mu earth);
230
231
                           % Finds velocity at altitude
232
                          p1pb.ansv alt = Spe Eng v(const.mu earth, r alt, p1pb.ansa);
233
234
                          % Finds gamma at altitude, must be negative for approach
235
                          p1pb.ansgamma = -The vel gamma2(p1pb.ansh, r alt, p1pb.ansv alt);
236
237
                          % Outpust values to new array
238
                          plpb.ansf = [plpb.ansf; plpb.ans(i, 1), plpb.ans(i, 2), plpb.ansv c(1),
                          plpb.ansv c(2), plpb.ansv pl, plpb.ansv p2, plpb.ansh, plpb.ansa, plpb.anse,
                          p1pb.ansv alt, p1pb.ansgamma, norm([p1pb.ans(i, 1), p1pb.ans(i, 2)])];
239
                end
240
241
                % Presents values %% Aswer %%
242
                plpb.ansfT = array2table(plpb.ansf,'VariableNames',{'Vr Change','Vt Change','Final
                Vr','Final Vt','V Mag','V Direction','h','a','e','V Alt', 'Flight Path','delV Mag'});
243
               disp(p1pb.ansfT)
244
245
               %% P1pc %%
246
               %----%
247
248
                % Calculates n
249
               plpc.n = Ell Orb n(const.mu earth, plpb.ansf(1,8));
250
251
                % Finds nu and runs quad check at inintal point, quad 4
252
                [plpc.nul] = [R Vel nu(plpb.ansf(1,3), const.mu earth, plpb.ansf(1,7),
                plpb.ansf(1,9)), pi-R Vel nu(plpb.ansf(1,3), const.mu earth, plpb.ansf(1,7),
                plpb.ansf(1,9))];
253
                [p1pc.nu2] = [The_Vel_nu(p1pb.ansf(1,4), const.mu_earth, p1pb.ansf(1,7),
                plpb.ansf(1,9)), -The_Vel_nu(plpb.ansf(1,4)), const.mu_earth, plpb.ansf(1,7),
                p1pb.ansf(1,9))];
254
                plpc.nu i = plpc.nu1(2);
255
256
                % Finds eccentric anomaly and runs quad check inintal point, quad 4
257
                [p1pc.E1] =
                 \texttt{[Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,9)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.ansf(1,8),r\_i,p1pb.ansf(1,8)),-Ell\_Orb\_E(p1pb.a
258
                [plpc.E2] = [Tre Ecc E(plpc.nu i, plpb.ansf(1,9)),Tre Ecc E(plpc.nu i,
```

```
p1pb.ansf(1,9))+pi];
259
      plpc.E i = 2*pi+plpc.E2(1);
260
261
      % Finds the altitude velocity in cartesian
262
      plpc.vr = R Vel vl(plpb.ansf(1,10), plpb.ansf(1,11));
263
      p1pc.vt = The Vel v1(p1pb.ansf(1,10), p1pb.ansf(1,11));
264
265
      % Finds that nu at altitude, quad 4
266
      [p1pc.nu1] = [R Vel nu(p1pc.vr, const.mu earth, p1pb.ansf(1,7), p1pb.ansf(1,9)),
      pi-R Vel nu(p1pc.vr, const.mu earth, p1pb.ansf(1,7), p1pb.ansf(1,9));
      [p1pc.nu2] = [The Vel_nu(p1pc.vt, const.mu_earth, p1pb.ansf(1,7), p1pb.ansf(1,9)),
267
      2*pi-The Vel nu(plpc.vt, const.mu earth, plpb.ansf(1,7), plpb.ansf(1,9))];
268
      p1pc.nu f = p1pc.nu2(2);
269
270
      % Finds E at altitude, quad 4
      [p1pc.E1] = [Ell Orb E(p1pb.ansf(1,8), r_alt, p1pb.ansf(1,9)),
271
      2*pi-Ell_Orb_E(p1pb.ansf(1,8), r_alt, p1pb.ansf(1,9))];
272
      [p1pc.E2] = [Tre_Ecc_E(p1pc.nu_f, p1pb.ansf(1,9)),pi+Tre_Ecc_E(p1pc.nu_f,
      plpb.ansf(1,9))];
273
      p1pc.E f = p1pc.E1(2);
274
275
      % Finds time between inital point and altitude (h) %% Aswer %%
276
      plpc.tdel1 = Ell Orb Tdel(plpc.E i, plpc.E f, plpb.ansf(1,9), plpc.n);
277
278
      fprintf('The time between maneuver and altitude intercept is %4.3f seconds or %4.3f
      days\n', plpc.tdel1, plpc.tdel1/86400)
279
280
      %% Double checking time Lambert %%
281
282
      plpc.phi = plpc.nu f-plpc.nu i;
283
     plpc.c = Lam The c(r i, r alt, plpc.phi);
284
      plpc.s = Lam The s(r i, r alt, plpc.c);
      plpc.alpha = Ell Tra_alpha(plpc.s, plpb.ansf(1,8));
285
      plpc.beta = Ell Tra beta(plpc.s, plpb.ansf(1,8), plpc.c);
286
      p1pc.tdel2 = E11_Tra_Tdel_1A(const.mu_earth, p1pb.ansf(1,8),p1pc.alpha, p1pc.beta)/3600;
287
288
      % Varified
289
290
      %% P1pd %%
291
292
293
      % Initalizes variables
294
     p1pd.orionM = 9300;
295
     p1pd.esmM = 6185;
296
     p1pd.propM = 1000;
297
      plpd.isp = 316;
298
299
      \ensuremath{\$} Finds magnitude of velocity and finds inital mass
300
      plpd.delV = norm([plpb.ansf(1,1), plpb.ansf(1,2)]);
301
      plpd.initalM = plpd.orionM + plpd.esmM + plpd.propM;
302
303
      % Finds final mass
304
      plpd.mf = Rock Eq mf(plpd.initalM, plpd.delV, plpd.isp);
305
306
      % Calculates change in mass
307
      p1pd.delM = Rock Eq delM(p1pd.mf, p1pd.delV, p1pd.isp); %% Aswer %%
308
309
      fprintf('The mass of propellant used is %4.3f kg \n', plpd.delM)
310
311
      %% P1pe %%
312
      %----%
313
314
      % Need to cancel out radial velocity %
315
316
      % Left over mass after maneuver
317
      plpe.propM = 1000 - plpd.delM;
318
      plpe.initalM = plpd.orionM + plpd.esmM + plpe.propM;
319
320
      % Finds new value of radi
321
      p1pe.r alt n = 400 + const.r earth;
```

```
322
     plpe.r iss = 408 + const.r earth;
323
324
      % Finds velocity, theta velocity, and radial velocity at 400km alt
325
      plpe.v alt = Spe Eng v(const.mu earth, plpe.r alt n, plpb.ansf(1,8));
326
      plpe.vt alt = plpb.ansf(1,7)/plpe.r alt n;
327
      p1pe.vr alt = (p1pe.v alt^2-p1pe.vt alt^2)^(1/2); % Impotanat number
328
329
      % Finds velocity of circular ISS orbit
330
     plpe.v iss = (const.mu earth/plpe.r iss)^(1/2);
331
332
      % Finds change in velocity components
333
     plpe.delVr iss = plpe.vr alt;
334
      plpe.delV = plpe.v alt - plpe.v iss;
      p1pe.delVt_iss = (p1pe.delV^2-p1pe.delVr iss^2)^(1/2);
335
336
337
      plpe.delVec = [-plpe.delVr iss, -plpe.delVt iss]; %% Aswer %%
338
339
      % Finds final mass
340
      plpe.mf = Rock Eq mf(plpe.initalM, plpe.delV, plpd.isp);
341
342
      % Calculates change in mass
343
     plpe.delM = Rock Eq delM(plpe.mf, plpe.delV, plpd.isp);
344
345
      fprintf('The change in velocity is %4.3f km/s with directions %4.3f and %4.3f in Vr km/s
      and Vt km/s respectively\n', plpe.delV, plpe.delVec(1), plpe.delVec(2))
346
      fprintf('The propellant mass required for this is %4.3f kg\n', plpe.delM)
347
348
     %% P1pf %%
349
     응----응
350
351
      % Need to cancel out radial velocity %
352
353
      % Left over mass after maneuver
      plpf.propM = 1000 - plpd.delM;
354
355
      plpf.initalM = plpd.orionM + plpd.esmM + plpf.propM;
356
357
      % Finds velocity of circular ISS orbit
358
      plpf.v geo = (const.mu earth/const.geo orb)^(1/2);
359
     plpf.delV = plpe.v_alt - plpf.v_geo;
360
361
      % Finds final mass
362
     plpf.mf = Rock Eq mf(plpf.initalM, plpf.delV, plpd.isp);
363
364
      % Calculates change in mass
365
      plpf.delM = Rock Eq delM(plpf.mf, plpf.delV, plpd.isp);
366
367
      fprintf('The change in velocity needed is %4.3f km/s with %4.3f kg of propellant
      needed\n', p1pf.delV, p1pf.delM)
368
      fprintf('From this, we can say that a manuver to geo orbit from 400km alt is
      unreasonable\n')
369
```

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