Doing some vector operations | Coursera

Doing some vector operations

Practice Quiz • 30 min



Congratulations! You passed!
TO PASS 80% or higher
GRADE
100%

Doing some vector operations

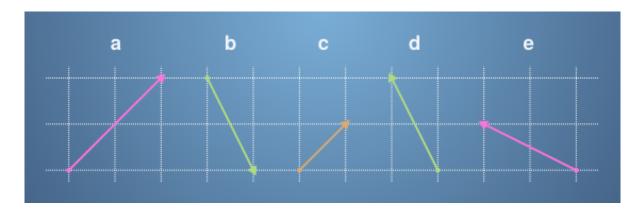
TOTAL POINTS 7

1.

Question 1

This aim of this quiz is to familiarise yourself with vectors and some basic vector operations.

For the following questions, the vectors **a**, **b**, **c**, **d** and **e** refer to those in this diagram:

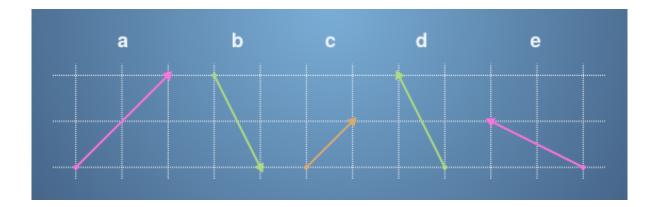


The sides of each square on the grid are of length 1. What is the numerical representation of the vector **a**?



You can get the numerical representation by following the arrow along the grid.

Question 2



Which vector in the diagram corresponds to

 $\begin{bmatrix} -1 \\ 2 \end{bmatrix}$

-1 [²]?

1 / 1 point

- Vector a
- Vector b
- Vector C
- Vector d

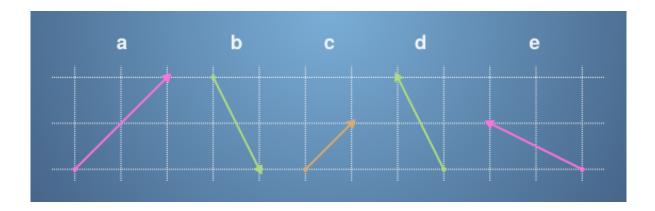


Correct

You can get the numerical representation by following the arrow along the grid.

3.

Question 3



What vector is 2**c**?

Please select all correct answers.

1 / 1 point







✓ Correct

A scalar multiple of a vector can be calculated by multiplying each component.



-2

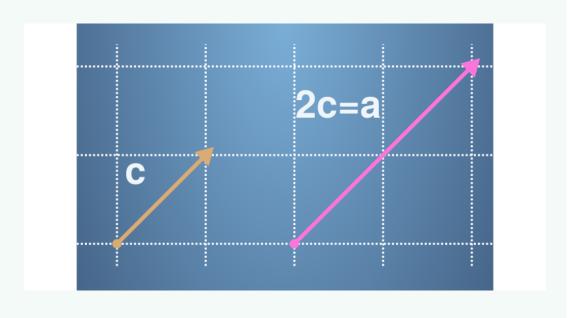
[2]

__ e



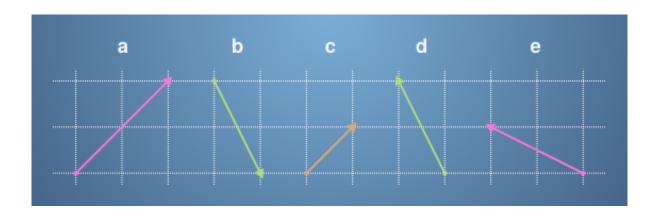
✓ Correct

Multiplying by a positive scalar is like stretching out a vector in the same direction.



4.

Question 4



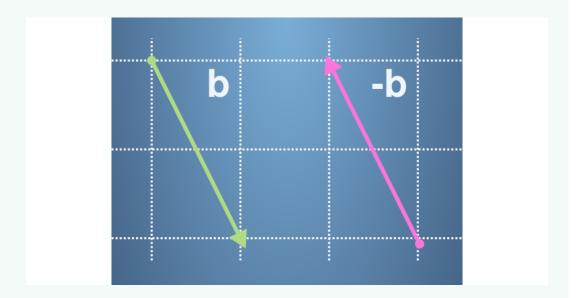
What vector is **-b**?

Please select all correct answers.



Correct

Multiplying by a negative number points the vector in the opposite direction.



$$\begin{bmatrix} -2 \\ 1 \end{bmatrix}$$
-2

$$\begin{bmatrix} -1 \\ 2 \end{bmatrix}$$

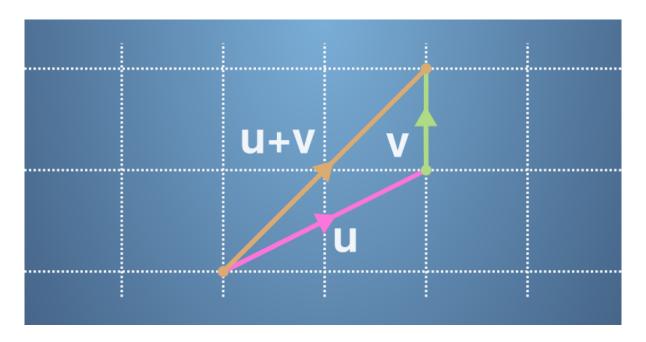


A scalar multiple of a vector can be calculated by multiplying each component.

5.

Question 5

In the previous videos you saw that vectors can be added by placing them start-to-end. For example, the following diagram represents the sum of two new vectors, $\mathbf{u} + \mathbf{v}$:



The sides of each square on the grid are still of length 1. Which of the following equations does the diagram represent?

$$\begin{bmatrix} 2 \\ 2 \end{bmatrix}$$

$$\begin{bmatrix} 1 \\ 1 \end{bmatrix}$$

$$\begin{bmatrix} 1 \\ 0 \end{bmatrix}$$

$$\begin{bmatrix} 2 \\ 1 \end{bmatrix}$$

$$\begin{array}{cccc}
1 & 1 & 2 \\
[1] + [0] = [1]
\end{array}$$

$$\begin{bmatrix} 1 \\ 2 \end{bmatrix}$$

$$\begin{bmatrix} 1 \\ 0 \end{bmatrix}$$

$$\begin{bmatrix} 2 \\ 2 \end{bmatrix}$$

$$\begin{bmatrix} 2 \end{bmatrix}$$

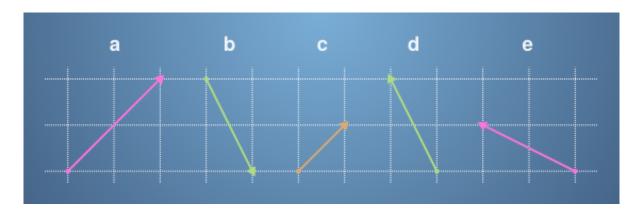
$$\begin{bmatrix} 0 \\ 1 \end{bmatrix}$$

$$\begin{bmatrix} 2 \\ 2 \end{bmatrix}$$

$$\begin{bmatrix} 2 & 0 & 2 \\ 1 & 1 \end{bmatrix} + \begin{bmatrix} 1 \\ 1 \end{bmatrix} = \begin{bmatrix} 2 \\ 1 \end{bmatrix}$$

We can see that summing the vectors by adding them start-to-end and adding up the individual components gives us the same answer.

6. Question 6 Let's return to our vectors defined by the diagram below:



What is the vector $\mathbf{b} + \mathbf{e}$?

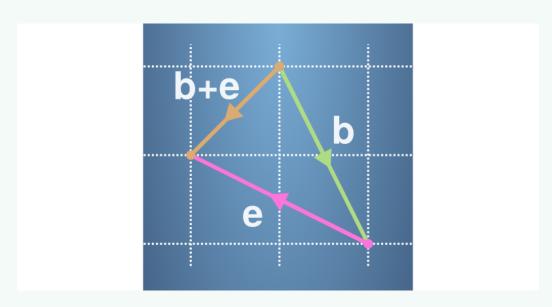
$$\begin{bmatrix}
-1 \\
-1
\end{bmatrix}$$
-1
 \mathbf{r}

$$\begin{bmatrix} -1 \\ 2 \end{bmatrix}$$

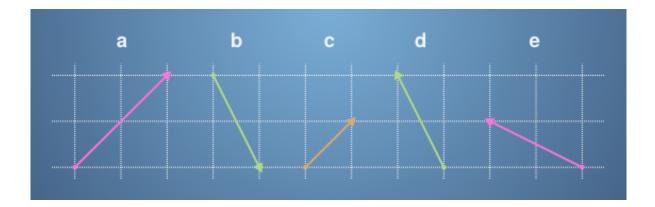
$$\begin{bmatrix} -1 \\ 2 \end{bmatrix}$$

$$\begin{bmatrix} 1 \\ 3 \end{bmatrix}$$
1
[3]

Vectors are added together entry by entry. They can also be thought of as adding start to end, like in the following diagram:



Question 7



What is the vector $\mathbf{d} - \mathbf{b}$?

$$\begin{bmatrix}
-2 \\
4
\end{bmatrix}$$
-2
[4]

$$\begin{bmatrix} -4 \\ 2 \end{bmatrix}$$

$$\begin{bmatrix} -4 \\ 2 \end{bmatrix}$$

$$\begin{bmatrix} 2 \\ -4 \end{bmatrix}$$

Remember that vectors add by attaching the end of one to the start of the other, and that multiplying by a negative number points the vector in the opposite direction.

