Beamer Overlay Techniques Demo Interactive Examples

LaTeX Overlay Guide

July 9, 2025

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Basic Pause Command

First point

Basic Pause Command

- First point
- Second point appears after pause

Basic Pause Command

- First point
- Second point appears after pause
- Third point appears last

Using \only

This text appears only on slide 1

Using \only

This text replaces it on slide 2

Using \only

And this appears on slide 3

Using \only

This stays from slide 4 onwards

Using \uncover

Space is Reserved

Always visible

Using \uncover

Space is Reserved

Always visible

Appears on slide 2 (space was reserved)

Using \uncover

Space is Reserved

Always visible

Appears on slide 2 (space was reserved)

Appears on slide 3

Using \uncover

Space is Reserved

Always visible

Appears on slide 2 (space was reserved)

Appears on slide 3

Only on slide 4

Using \visible and \invisible

Visible Demo:

Always visible

Invisible Demo:

- Hidden on slide 2
- Hidden on slide 3

Using \visible and \invisible

Visible Demo:

- Always visible
- From slide 2

Invisible Demo:

- Hidden on slide 3
- Hidden on slide 1

Using \visible and \invisible

Visible Demo:

- Always visible
- From slide 2
- Only on slide 3

Invisible Demo:

- Hidden on slide 2
- Hidden on slide 1

Using \alt

Welcome to Slide 1

Blue on other slides

Using \alt

Now on Slide 2

Red on slide 2

Theorem

The sum a + b equals c when a = c - b.

Theorem

The sum a + b equals c when a = c - b.

We start with the sum

Theorem

The sum a + b equals c when a = c - b.

- We start with the sum
- We know the result

Theorem

The sum a + b equals c when a = c - b.

- We start with the sum
- We know the result
- We can derive the relationship

Automatic Incremental Lists

Manual • First

Automatic

• First

Automatic Incremental Lists

Manual

- First
- Second

Automatic

- First
- Second

Automatic Incremental Lists

Manual

- First
- Second
- Third

Automatic

- First
- Second
- Third

Alert on Appearance

• First item (highlighted when appearing)

Alert on Appearance

- First item (highlighted when appearing)
- Second item (highlighted when appearing)

Alert on Appearance

- First item (highlighted when appearing)
- Second item (highlighted when appearing)
- Third item (highlighted when appearing)

Alert on Appearance

- First item (highlighted when appearing)
- Second item (highlighted when appearing)
- Third item (highlighted when appearing)
- Fourth item (highlighted when appearing)







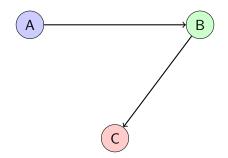


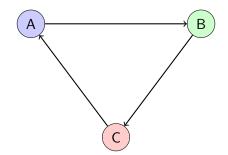






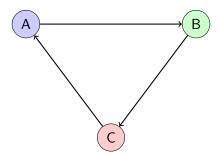




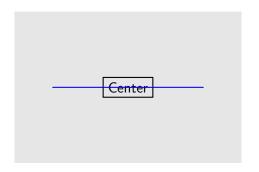


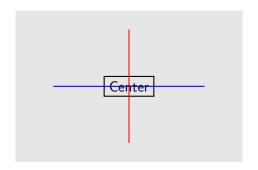
TikZ with Overlays

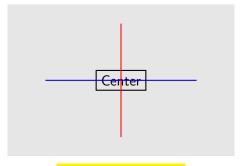
Triangle Graph











Coordinate System!

Before activation

Watch the text above

ACTIVE!

- Watch the text above
- It's now active

ACTIVE!

- Watch the text above
- It's now active

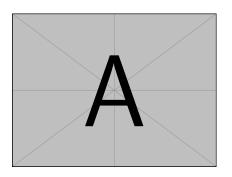
ACTIVE!

- Watch the text above
- It's now active
- Active phase ending...

After activation

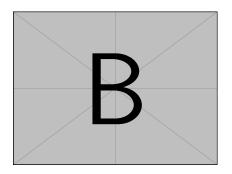
- Watch the text above
- It's now active
- Active phase ending...
- Back to inactive state

Complex Temporal Example



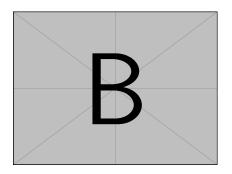
Initial state image

Complex Temporal Example



Processing...

Complex Temporal Example



Processing...

Code Reveal

Python Function

def fibonacci(n):

Code Reveal

Python Function

```
def fibonacci(n): if n <= 1:</pre>
```

Base case check

Code Reveal

Python Function

```
def fibonacci(n): if n <= 1: return n</pre>
```

- Base case check
- Return for base cases

Code Reveal

Python Function

```
def fibonacci(n): if n <= 1: return n else:</pre>
```

- Base case check
- Return for base cases

Code Reveal

Python Function

```
def fibonacci(n): if n <= 1: return n else:
return fibonacci(n-1) + fibonacci(n-2)</pre>
```

- Base case check
- Return for base cases
- Recursive calls

Theorem

$$\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$$

Proof.

We'll prove this by induction.



Theorem

$$\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$$

Proof.

Base case: n = 1

$$\sum_{i=1}^{1} i = 1 = \frac{1(1+1)}{2} = 1 \checkmark$$

Theorem

$$\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$$

Proof.

Inductive step: Assume true for n = k

$$\sum_{i=1}^{k} i = \frac{k(k+1)}{2}$$

Theorem

$$\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$$

Proof.

Show true for n = k + 1:

$$\sum_{i=1}^{k+1} i = \sum_{i=1}^{k} i + (k+1)$$
 (1)

$$=\frac{k(k+1)}{2}+(k+1)$$
 (2)

$$=\frac{k(k+1)+2(k+1)}{2}$$
 (3)

(k+1)(k+2)

Mode-Specific Content

Presentation Mode

This content only appears in presentation mode.

Mode-Specific Content

Presentation Mode

This content only appears in presentation mode.

Interactive elements

This appears on slide 2+ in presentation, always in handout.

Mode-Specific Content

Presentation Mode

This content only appears in presentation mode.

- Interactive elements
- Animations

This appears on slide 2+ in presentation, always in handout.

Mode-Specific Content

Presentation Mode

This content only appears in presentation mode.

- Interactive elements
- Animations
- Step-by-step reveals

This appears on slide 2+ in presentation, always in handout.



Summary of Overlay Commands

\pause Simple sequential reveal

```
\pause Simple sequential reveal \only Content replacement
```

```
\pause Simple sequential reveal \only Content replacement \uncover Space-preserving reveal
```

```
\pause Simple sequential reveal \only Content replacement \uncover Space-preserving reveal \alert Dynamic highlighting
```

```
\pause Simple sequential reveal
\only Content replacement
\uncover Space-preserving reveal
\alert Dynamic highlighting
\temporal Three-state transitions
```

```
\pause Simple sequential reveal
\only Content replacement
\uncover Space-preserving reveal
\alert Dynamic highlighting
\temporal Three-state transitions
\iffsightarrow Automatic incrementing
```

Best Practices

Do

Use overlays purposefully

Best Practices

Do

- Use overlays purposefully
- Keep animations smooth

Best Practices

Do

- Use overlays purposefully
- Keep animations smooth
- Test in presentation mode

Best Practices

Do

- Use overlays purposefully
- Keep animations smooth
- Test in presentation mode
- Provide handout version

Do

- Use overlays purposefully
- Keep animations smooth
- Test in presentation mode
- Provide handout version

Don't

Overuse animations

Do

- Use overlays purposefully
- Keep animations smooth
- Test in presentation mode
- Provide handout version

- Overuse animations
- Make content too complex

Do

- Use overlays purposefully
- Keep animations smooth
- Test in presentation mode
- Provide handout version

- Overuse animations
- Make content too complex
- Forget about timing

Do

- Use overlays purposefully
- Keep animations smooth
- Test in presentation mode
- Provide handout version

- Overuse animations
- Make content too complex
- Forget about timing
- Ignore accessibility

Thank You!

Questions?

Thank You!

Questions?