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Question 1:

(a)

% 1a

x1 = 0;

for i = 1:25000000

 x1 = x1 + .1;

end

x1;

x2 = 0;

for i = 1:12500000

 x2 = x2 + .2;

end

x2;

x3 = 0;

for i = 1:10000000

 x3 = x3 + .25;

end

x3;

x4 = 0;

for i = 1:5000000

 x4 = x4 + .5;

end

x4;

(b)

the_val = 2500000;

y1 = abs(the_val - x1);

y2 = abs(the_val - x2);

y3 = abs(the_val - x3);

y4 = abs(the_val - x4);

(c)

% y1 is larger. $y1 - y2 = 0.001148897223175$. This is because the summation
% of .1 25000000 times resulted in a larger error than the sum of .2
% 12500000 times. x1 iterated through the summation loop twice as much as
% x2 so it would have created a larger discrepancy because of the rounding
% error involved when python stores the specified numbers.

(d)

y3 and y4 are exactly zero, while y1 and y2 are not.

(e)

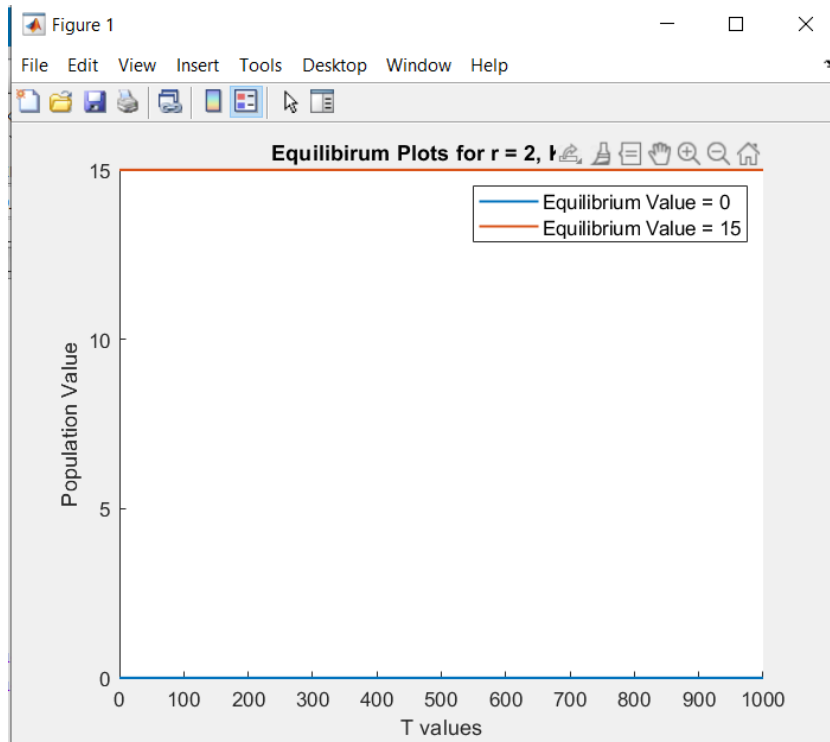
% Perhaps part of the reason why these values are exactly zero is because
% they had less iterations of their for loops. A computer stores numbers as
% binary in bytes, I believe. From a google search to convert decimals to
% binary, .1 and .2 respective binary counterparts are much larger than .5
% and .25. This confirms the idea that it is more strenuous to store/add a
% lot of these values, while it would be easier to store/add .25 and .5;
% this also explains why .1 and .2 have more rounding errors.

Problem 2

(a)

$R = 2$, $k = 30$

% These graphs makes sense, it follows the logic of a steady state value. The values do not change because they are already at their steady state value



(code was commented when writing later parts of assignment, apologies for mess)

```
P_eq_1 = 0;
```

```
P_eq_2 = 15;
```

```
% case 1: Let p0 = 0.
```

```
% expect all 0s . . .
```

```
eq1_vector = population_model_vector(2, P_eq_1, 30, 1000);
```

```
% case 1: Let p0 = 0
```

```
% we get 1x1001 of 15
```

```
eq2_vector = population_model_vector(2, P_eq_2, 30, 1000);
```

```
x = 0:1:1000;
```

```
% figure()
```

```
% hold on
```

```
% plot(x, eq1_vector, 'DisplayName', 'Equilibrium Value = 0', 'LineWidth', 1.25)
```

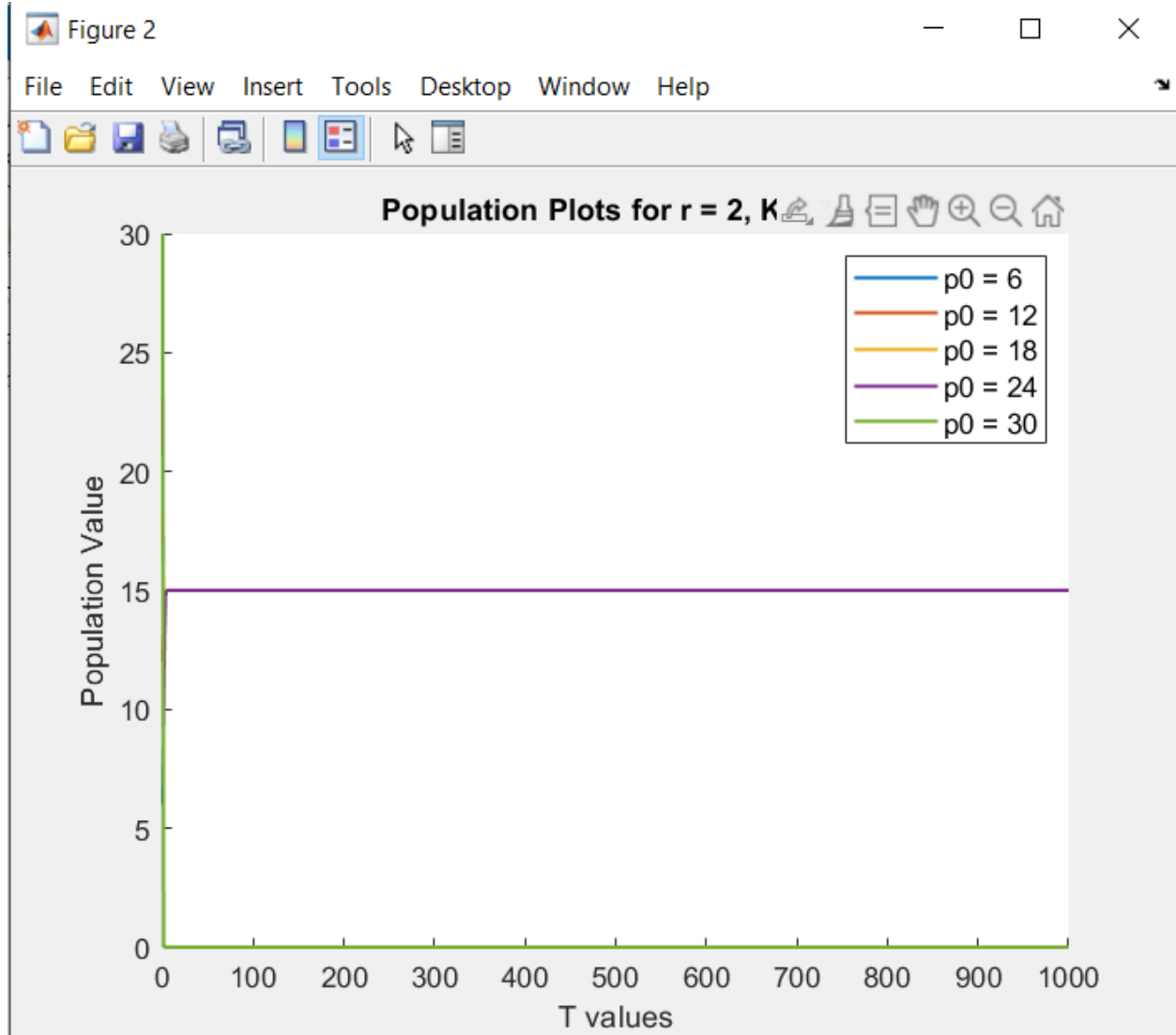
```
% plot(x, eq2_vector, 'DisplayName', 'Equilibrium Value = 15', 'LineWidth', 1.25)
```

```
% hold off
```

```
% xlabel('T values')
```

```
% ylabel('Population Value')
% title('Equilibrium Plots for r = 2, K = 30')
% legend('FontSize', 10)
```

(b)



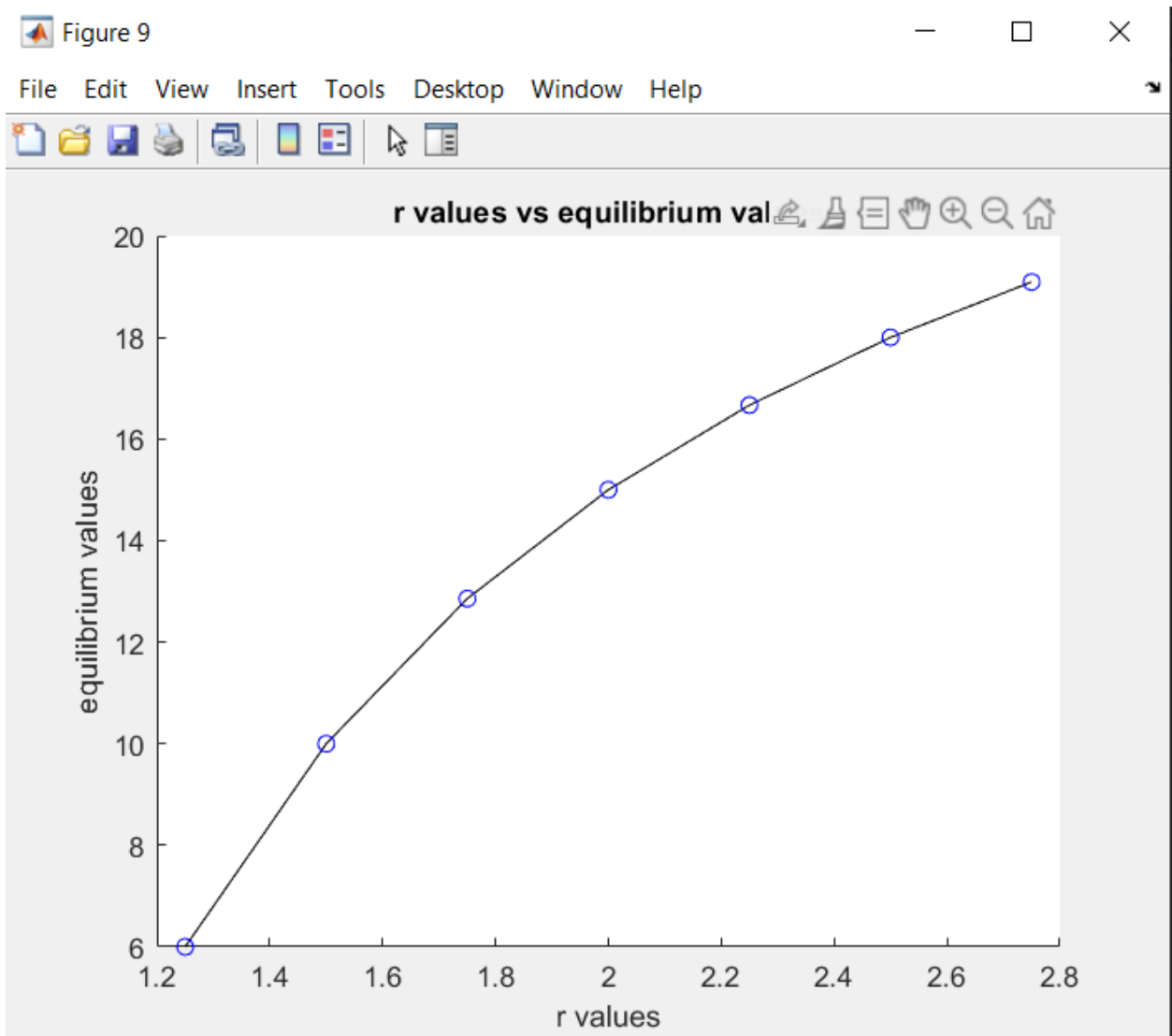
```
x = 0:1000;
```

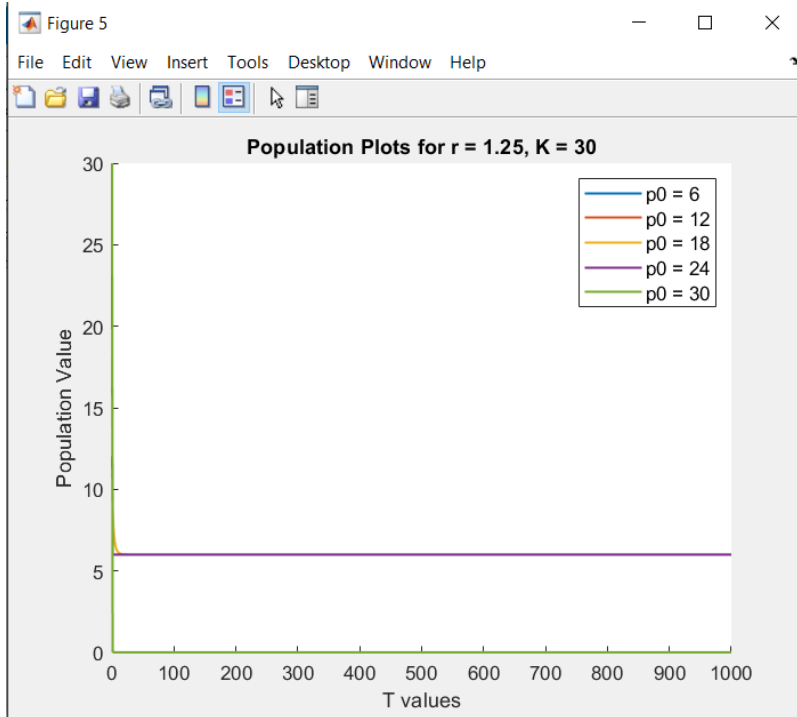
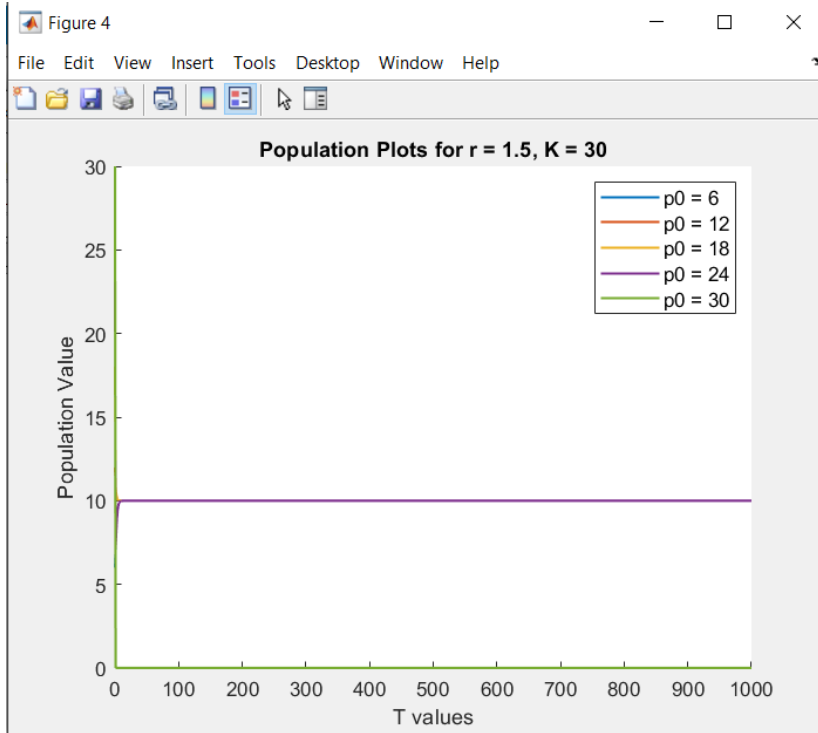
% 0 is unstable, 15 is stable. Solutions rapidly approach 15. I believe we
 % did something like this in Math 307.

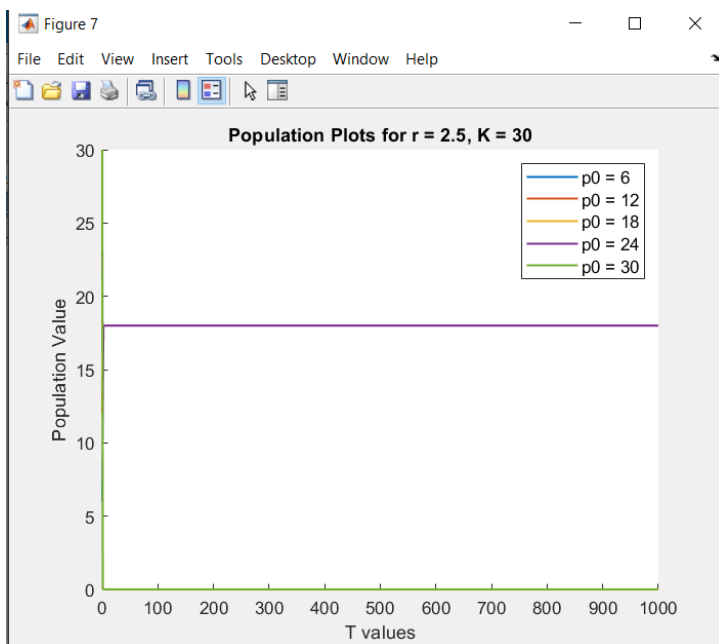
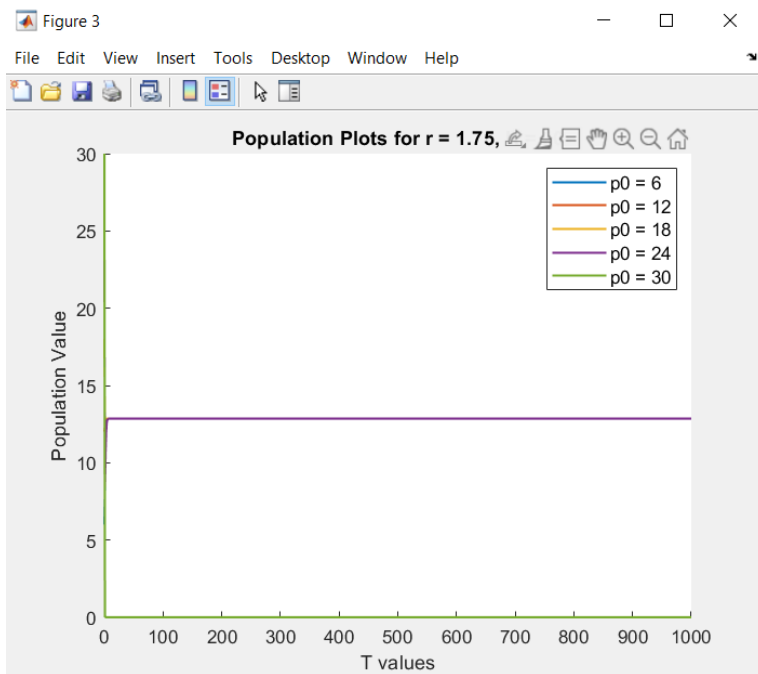
```
% figure()
% hold on
% plot(x, population_model_vector(2, 6, 30, 1000), 'DisplayName', 'p0 = 6', 'LineWidth', 1.25)
% plot(x, population_model_vector(2, 12, 30, 1000), 'DisplayName', 'p0 = 12', 'LineWidth', 1.25)
% plot(x, population_model_vector(2, 18, 30, 1000), 'DisplayName', 'p0 = 18', 'LineWidth', 1.25)
% plot(x, population_model_vector(2, 24, 30, 1000), 'DisplayName', 'p0 = 24', 'LineWidth', 1.25)
% plot(x, population_model_vector(2, 30, 30, 1000), 'DisplayName', 'p0 = 30', 'LineWidth', 1.25)
% hold off
% xlabel('T values')
% ylabel('Population Value')
% title('Population Plots for r = 2, K = 30')
% legend('FontSize', 10)
```

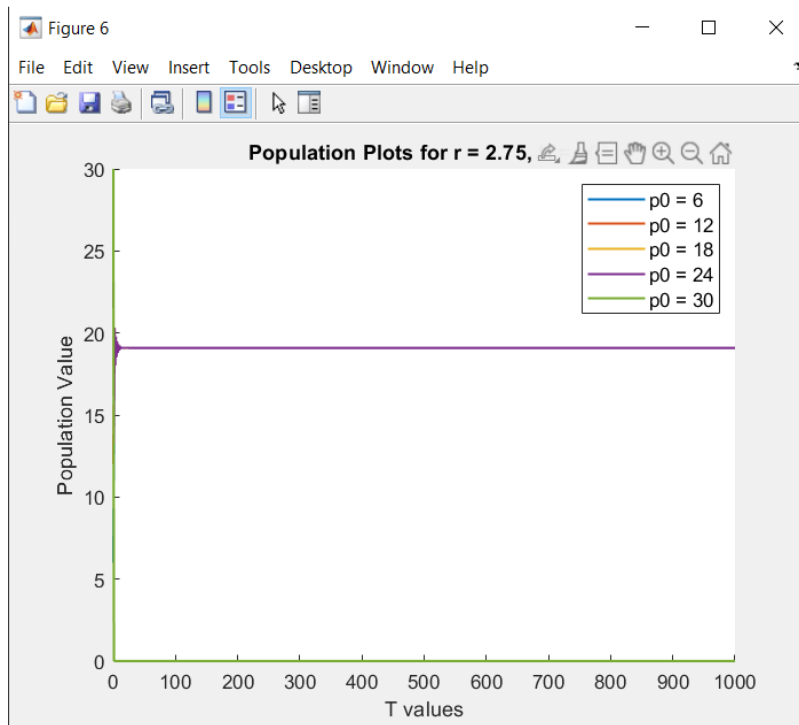
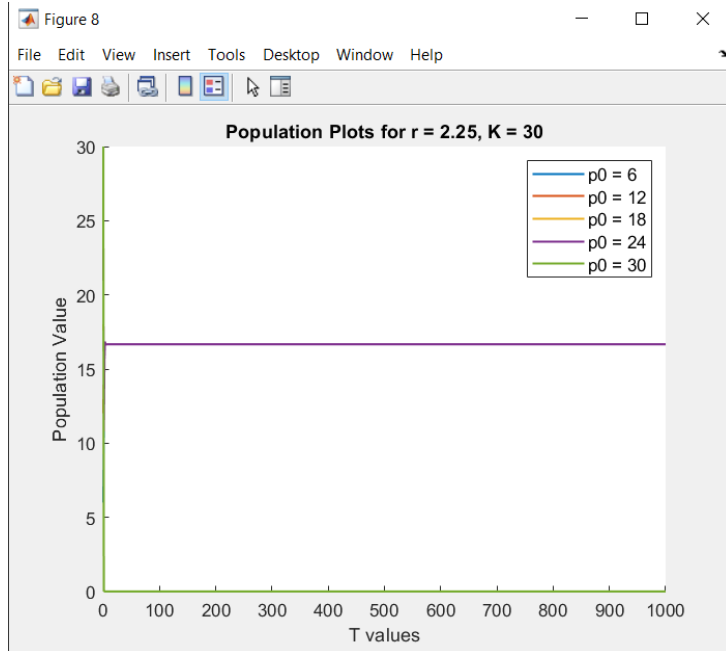
(c)

R vs. eq values









(d)

