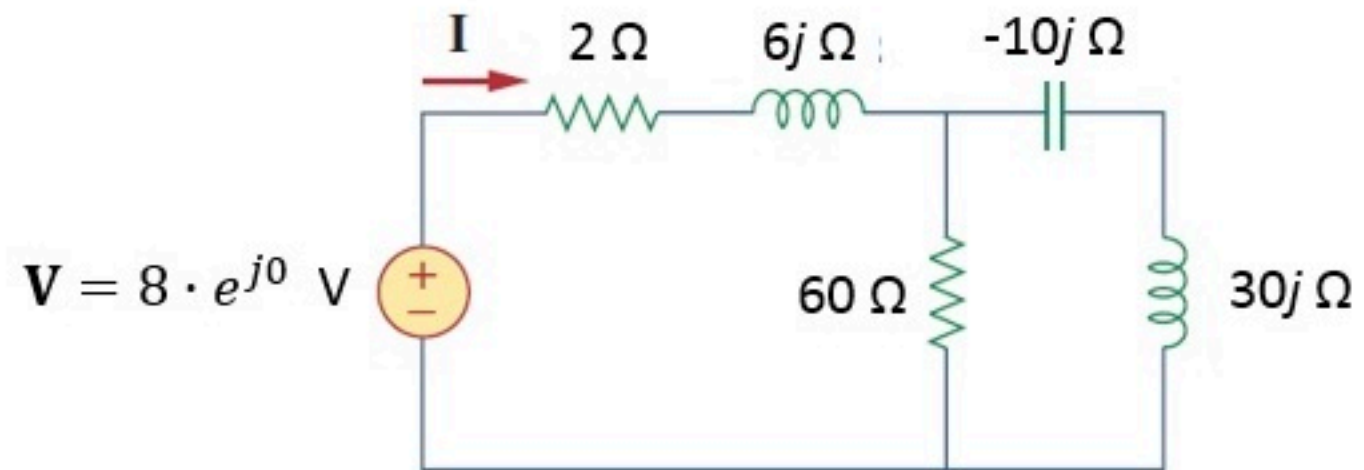


PP Phasors 011

Unlimited Attempts.

Find the phasor $\mathbf{I} = a + jb$.



Given Variables:

...

Calculate the following:

a (A) :

0.1



b (A) :

-0.3



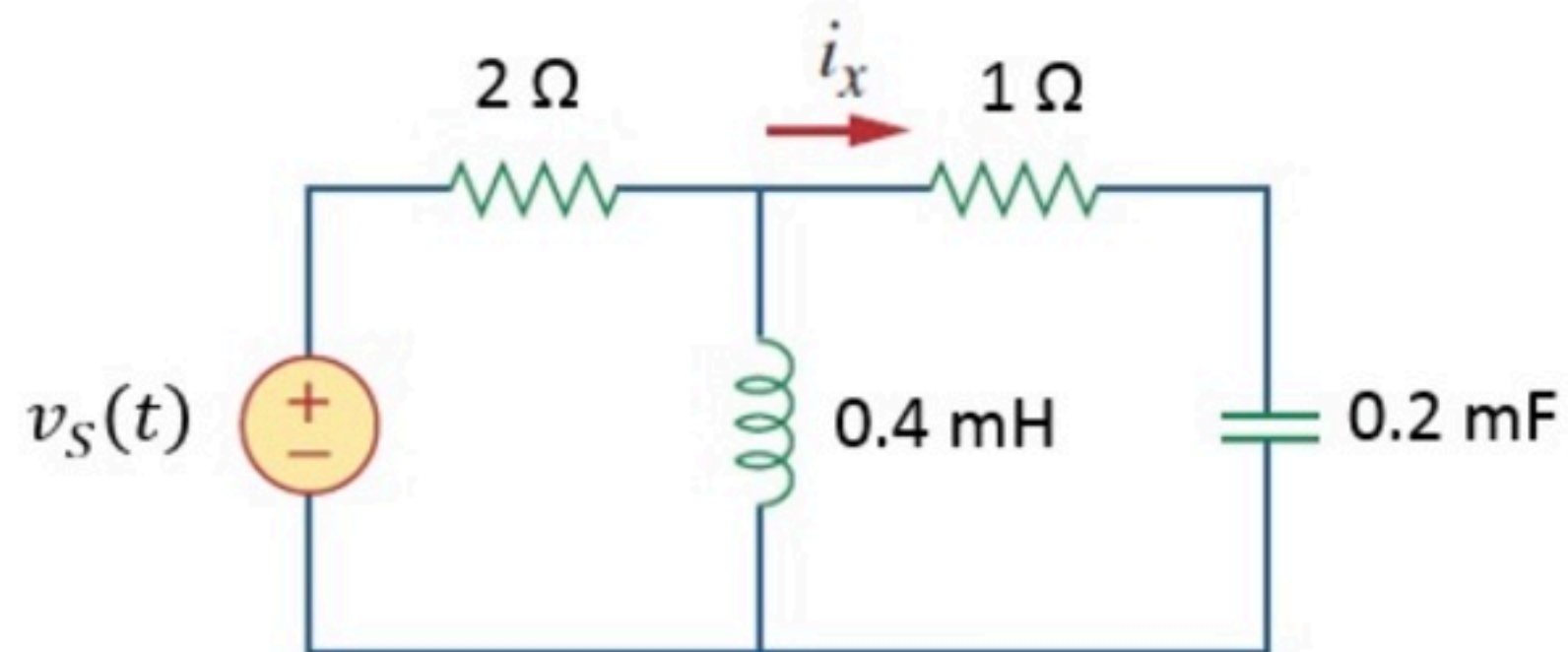
PP Phasors 012

Unlimited Attempts.

$$i_x(t) = 3\sqrt{2} \cdot \sin(5000t + 30^\circ) \text{ A}$$

Find $v_S(t) = A \cdot \cos(W \cdot t + B)$.

(with $0 \leq A$ and $-180^\circ \leq B \leq 180^\circ$)



Given Variables:

. . .

Calculate the following:

A (V) :

12



W (rad/s) :

5000



B (degrees) :

-105



Hint: Stay algebraic with Vs as long as you can

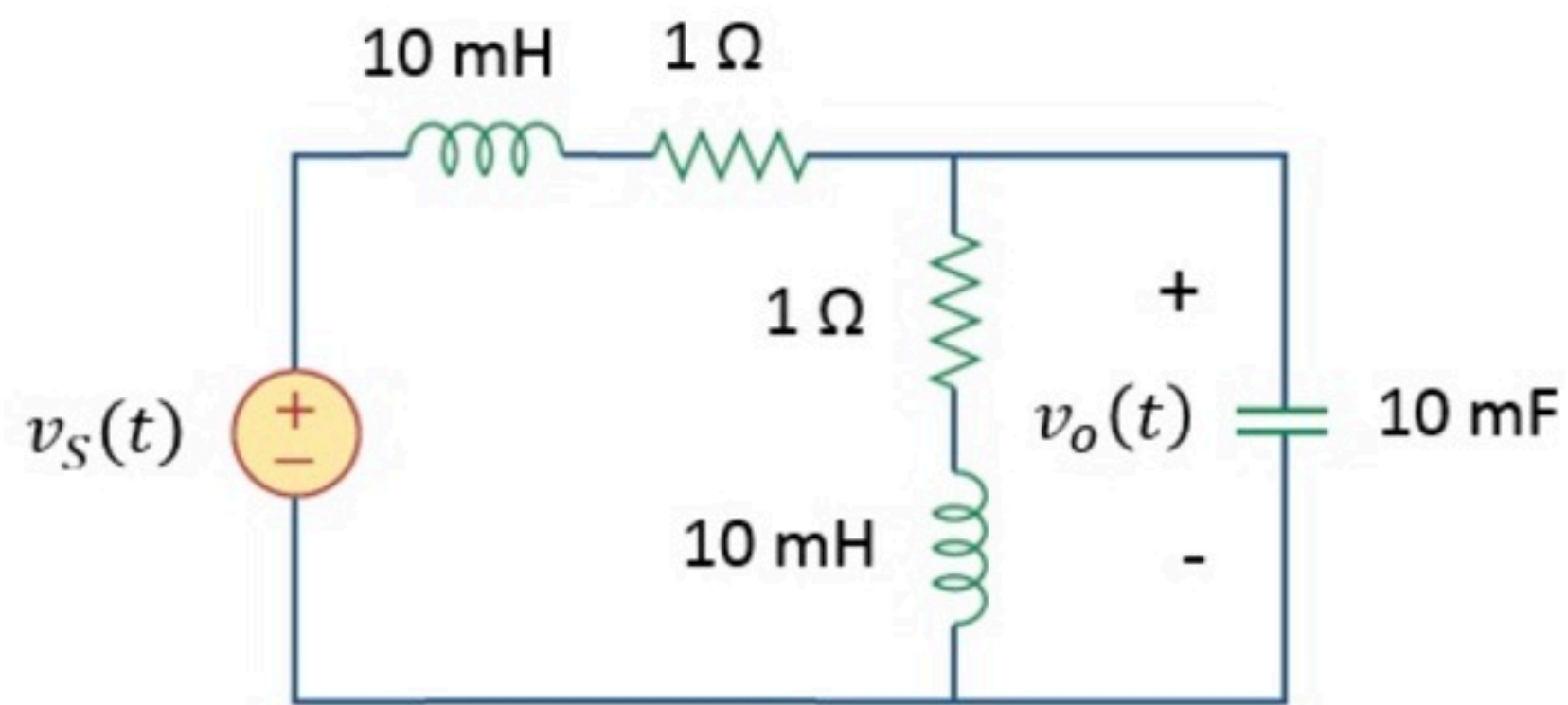
PP Phasors 013

Unlimited Attempts.

$$v_S(t) = 4\sqrt{2} \cdot \cos(100t + 30^\circ) \text{ V}$$

Find $v_o(t) = A \cdot \cos(W \cdot t + B)$.

(with $0 \leq A$ and $-180^\circ \leq B \leq 180^\circ$)



Given Variables:

...

Calculate the following:

A (V) :

4



W (rad/s) :

100



B (degrees) :

-15



Hint: Use voltage divider.

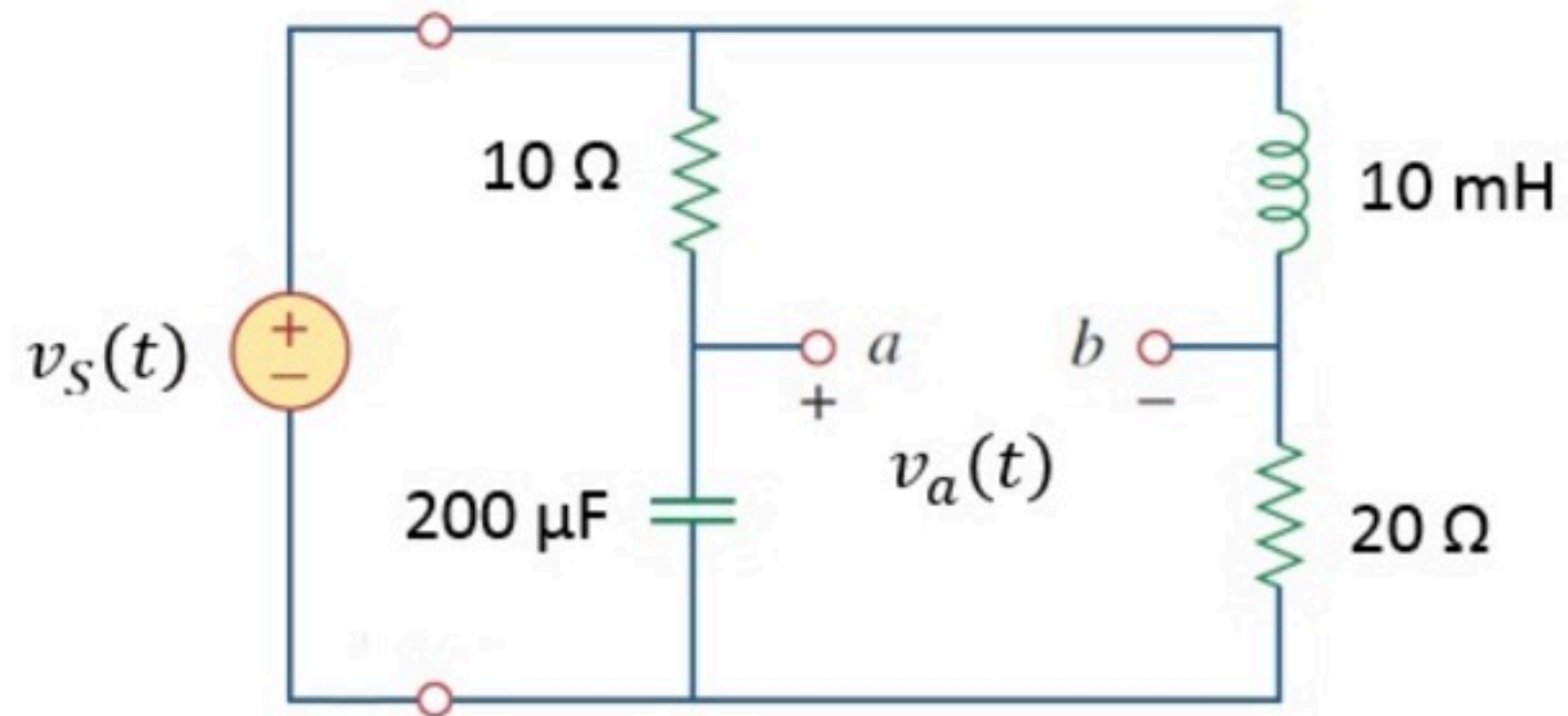
PP Phasors 014

Unlimited Attempts.

$$v_S(t) = 20 \cdot \sin(1000t + 45^\circ) \text{ V}$$

$$\text{Find } v_a(t) = A \cdot \cos(W \cdot t + B) .$$

(with $0 \leq A$ and $-180^\circ \leq B \leq 180^\circ$)



Given Variables:

...

Calculate the following:

A (V) :

12



W (rad/s) :

1000



B (degrees) :

135



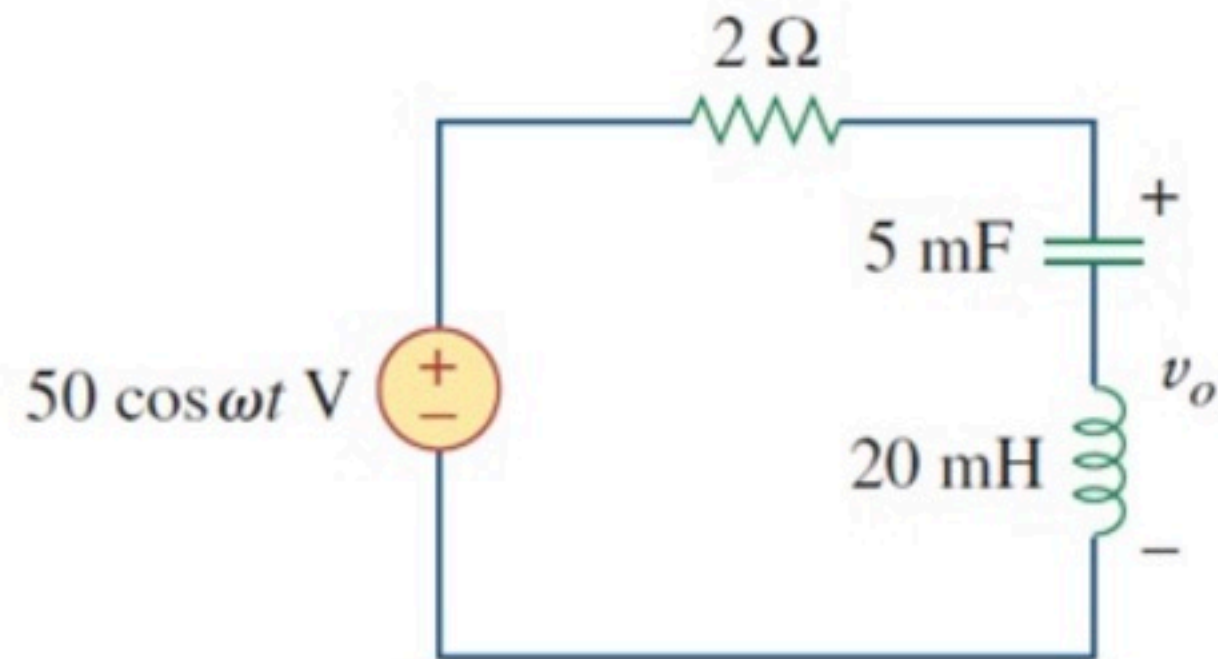
Hint: Use voltage divider.

PP Phasors 015

Unlimited Attempts.

Find the value of ω that results in $v_o = 0$ V.

(v_o is the voltage across the inductor and capacitor together)



Note: This is an example of 'resonance'. For each ω , the system behaves differently (i.e., v_o is a function of ω). For this one particular value of ω , however, the inductor and capacitor perfectly 'compensate' for each other.

Given Variables:

...

Calculate the following:

ω (rad/s) :

100



Hint: What should be the impedance of C and L in series for $v_o = 0$?

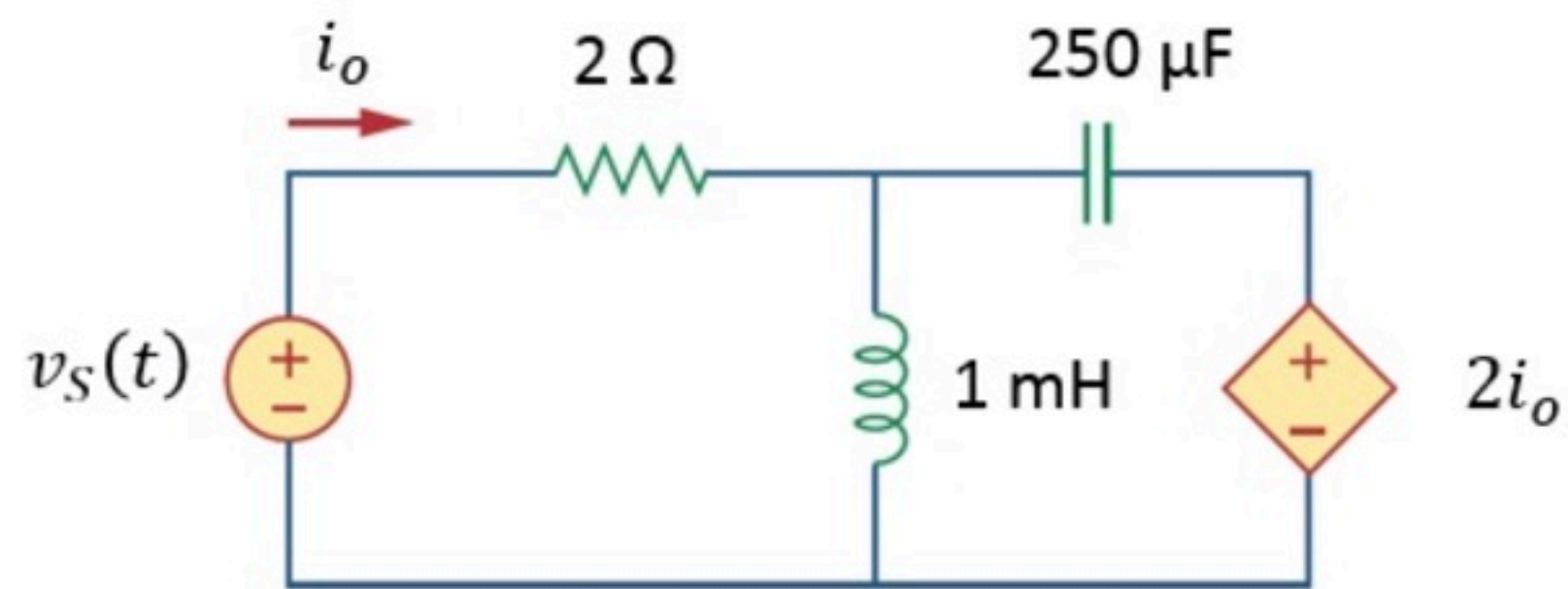
PP Phasors 016

Unlimited Attempts.

$$v_S(t) = -\sqrt{2} \cdot \cos(1000t) \text{ V}$$

$$\text{Find } i_o(t) = A \cdot \cos(W \cdot t + B) .$$

(with $0 \leq A$ and $-180^\circ \leq B \leq 180^\circ$)



Given Variables:

. . .

Calculate the following:

A (A) :

0.75



W (rad/s) :

1000



B (degrees) :

135



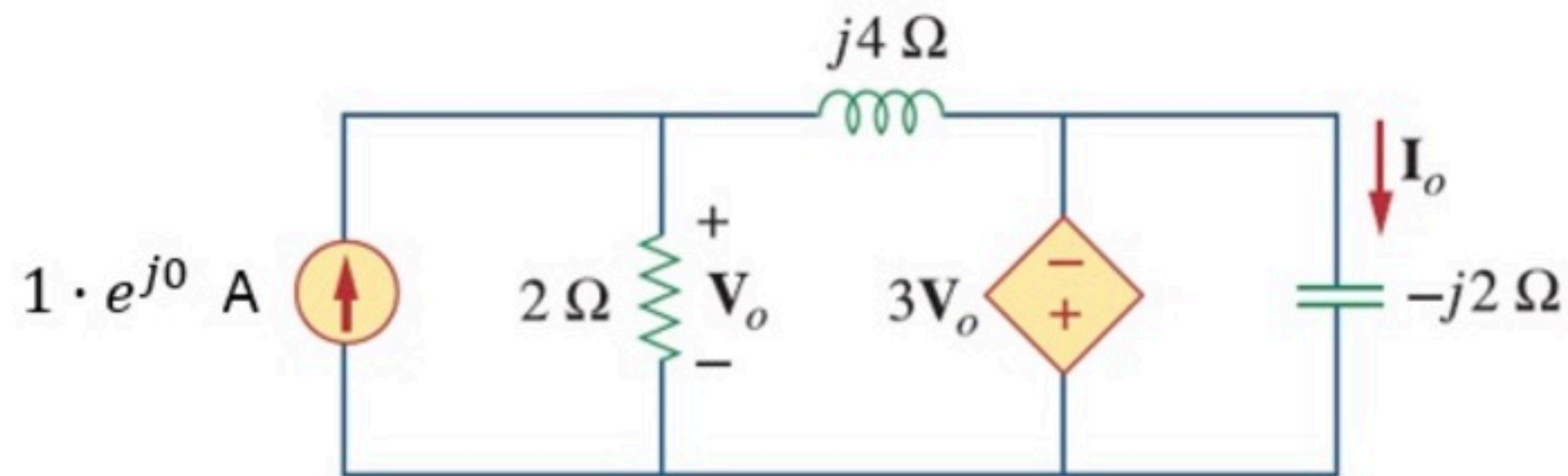
Hint: Consider nodal analysis. Leave V algebraic until the end.

PP Phasors 017

Unlimited Attempts.

Find the phasors

$$\mathbf{V}_o = a + jb \quad \text{and} \quad \mathbf{I}_o = c + jd$$



Given Variables:

...

Calculate the following:

a (V) :

0.4



b (V) :

0.8



c (A) :

1.2



d (A) :

-0.6



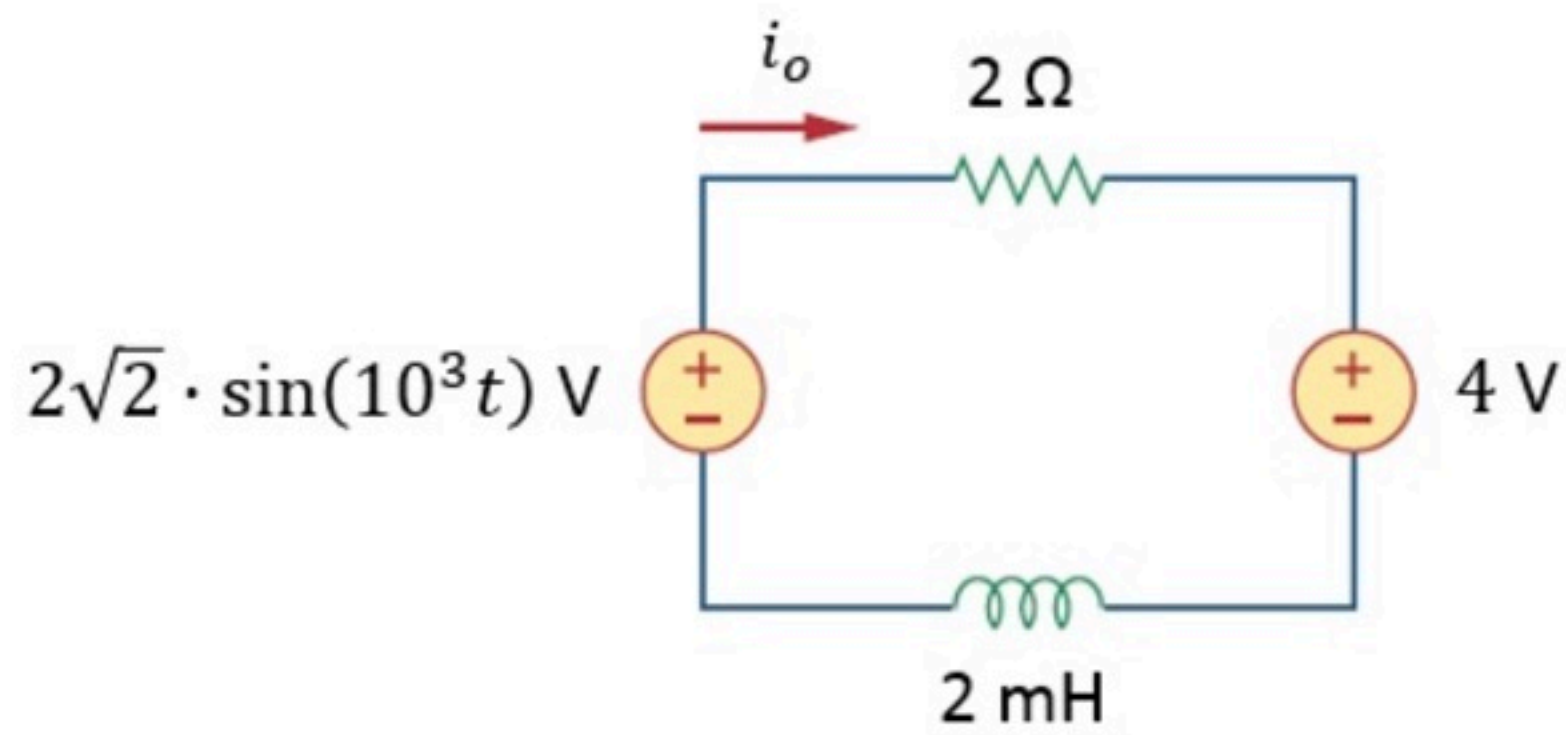
Hint: Use mesh analysis.

PP Phasors 018

Unlimited Attempts.

Find $i_o(t) = A \cdot \cos(W \cdot t + B) + D$.

(with $0 \leq A$ and $-180^\circ \leq B \leq 180^\circ$)



Given Variables:

. . .

Calculate the following:

A (A) :

1



W (rad/s) :

1000



B (degrees) :

-135



D (A) :

-2



Hint: Use superposition.

PP Phasors 019

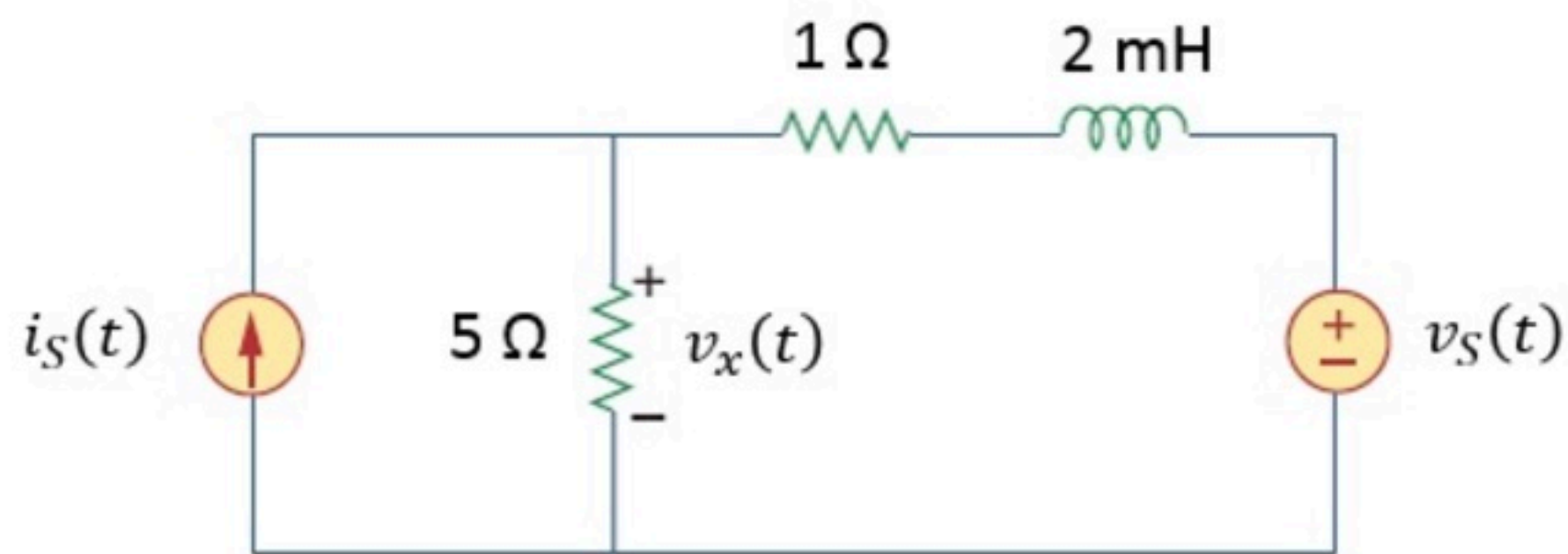
Unlimited Attempts.

$$i_S(t) = 2\sqrt{2} \cdot \cos(1000t) \text{ A}$$

$$v_S(t) = 3\sqrt{2} \cdot \cos(3000t) \text{ V}$$

Find $v_x(t) = A1 \cdot \cos(Wt + B1) + A2 \cdot \cos(3000t + B2)$.

(with $0 \leq A1, A2$ and $-180^\circ \leq B1, B2 \leq 180^\circ$)



Given Variables:

...

Calculate the following:

A1 (V) :

5

✓

W (rad/s) :

1000

✓

B1 (degrees) :

45

✓

A2 (V) :

2.5

✓

B2 (degrees) :

-45

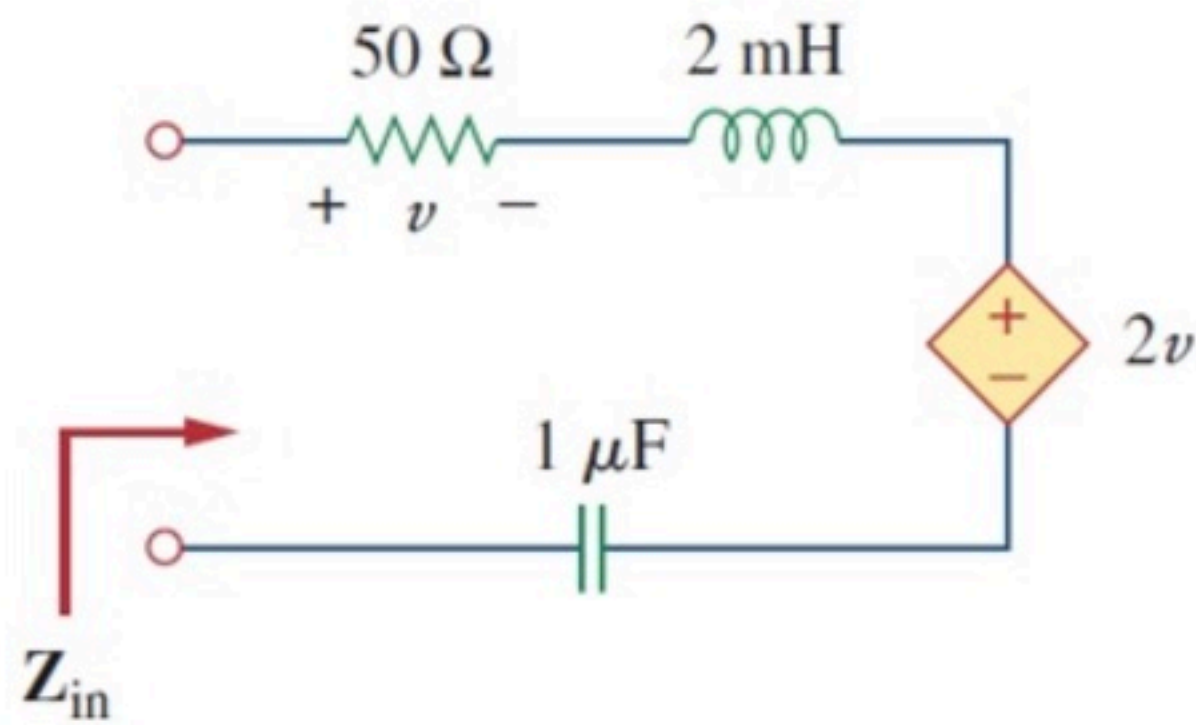
✓

Hint: Use superposition.

PP Phasors 020

Unlimited Attempts.

Find the impedance $\mathbf{Z_{in}} = a + jb$
at $\omega = 10 \text{ krad/s}$.



Given Variables:

. . .

Calculate the following:

a (ohm) :

150



b (ohm) :

-80



Hint: Would you use a test voltage or a test current?

PP Phasors 022

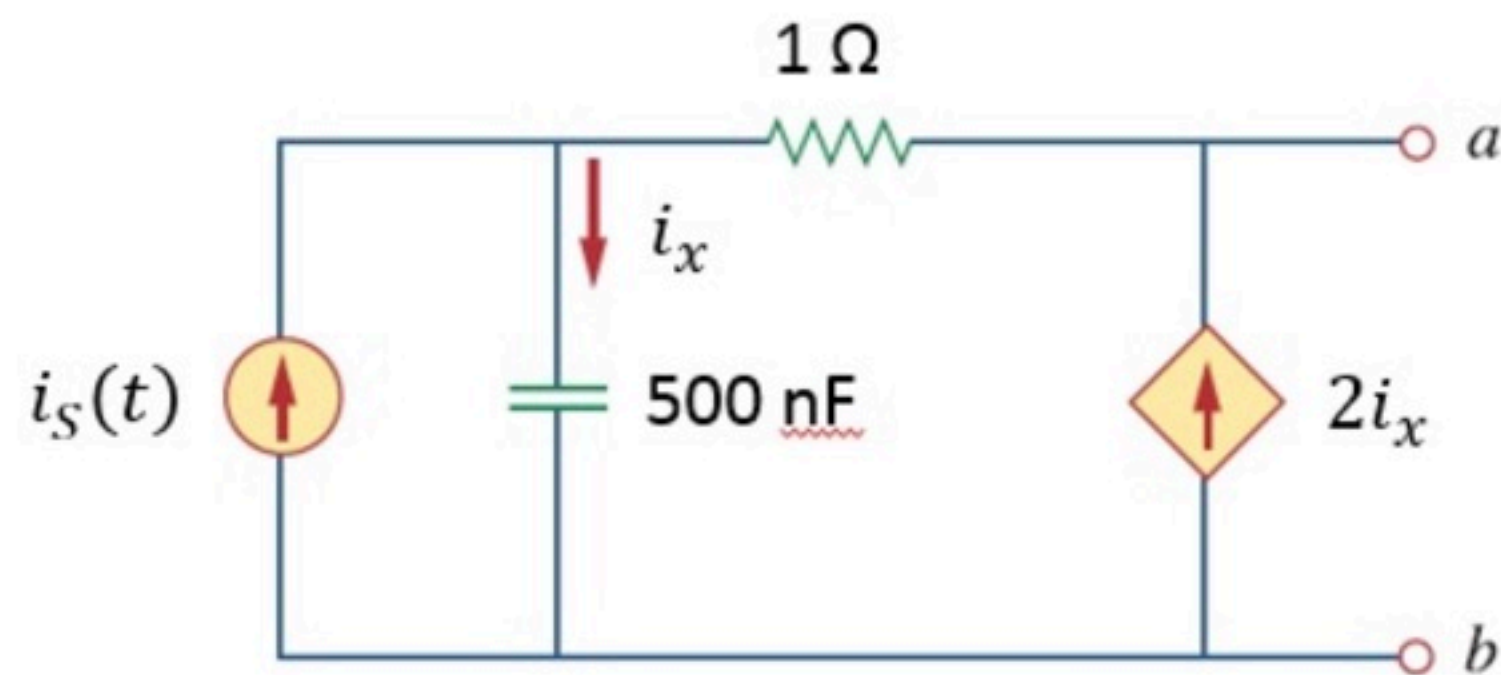
Unlimited Attempts.

$$i_S(t) = -15 \cdot \sin(10^6 t) \text{ A}$$

Find the Norton equivalent model
between a and b, in phasor notation:

$$\mathbf{I}_N = a + jb$$

$$\mathbf{Z}_N = c + jd$$



Note: This phasor Norton model is only valid for the particular frequency of the source (in this case, $\omega = 10^6 \text{ rad/s}$).

Given Variables:

...

Calculate the following:

a (A) :

-6



b (A) :

18



c (ohm) :

-1



d (ohm) :

2



Hint: Use a test voltage or current to find \mathbf{Z}_N .