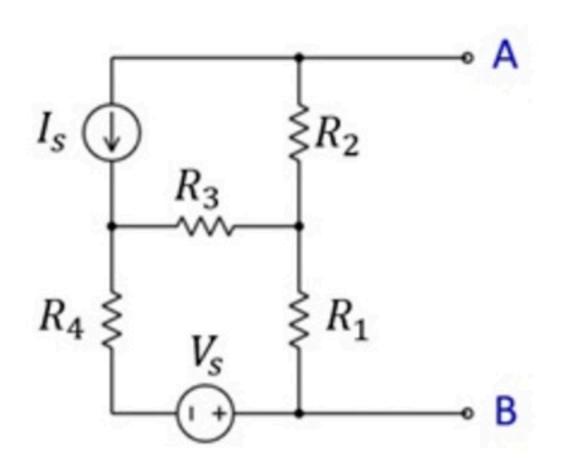
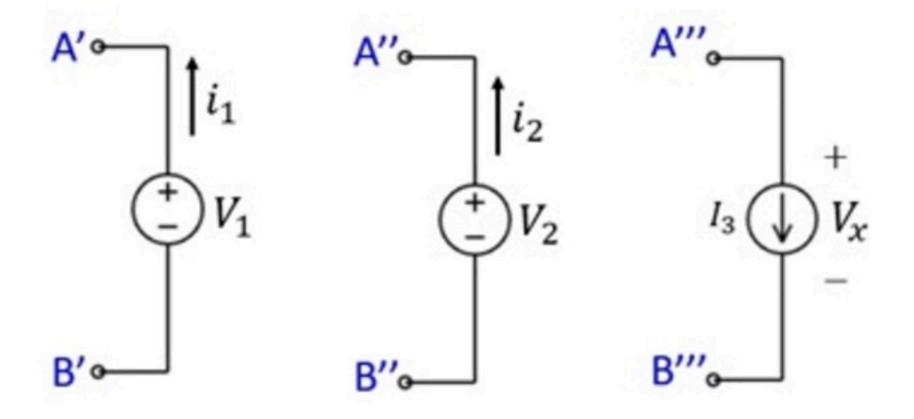
## Circuit theorems 013

## No more attempts left.

Consider the circuit on the left. You are not given the values of  $V_S$ ,  $I_S$ ,  $R_1$ ,  $R_2$  or  $R_3$ .





You are told the value of current  $i_1$  if  $V_1$  is attached to this circuit, with A connected to A' and B connected to B'.

You are also told the value of current  $i_2$  if  $V_2$  is attached, with A connected to A' and B connected to B". However, in this case, the independent sources were first turned off (i.e.,  $V_S = 0$  and  $I_S = 0$ ).

Your task is to find  $V_x$  if current source  $I_3$  is connected to the original circuit (i.e., with the independent sources  $V_S$  and  $I_S$  not turned off), with A connected to A'' and B connected to B'''.

## Given Variables:

V1:6 V

i1:12 A

V2:12 V

i2:12A

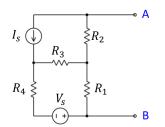
13:-7 A

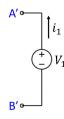
R4:2 ohm

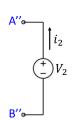
Calculate the following:

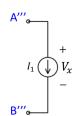
Vx (V):

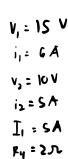
Consider the circuit on the left. You are not given the values of  $V_S$ ,  $I_S$ ,  $R_1$ ,  $R_2$  or  $R_3$ .









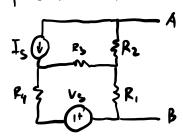


You are told the value of current  $i_1$  if  $V_1$  is attached to this circuit, with A connected to A' and B connected to B'.

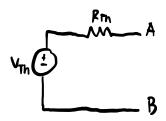
You are also told the value of current  $i_2$  if  $V_2$  is attached, with A connected to A" and B connected to B". However, in this case, the independent sources were first turned off (i.e.,  $V_S = 0$  and  $I_S = 0$ ).

Your task is to find  $V_x$  if current source  $I_1$  is connected to the original circuit (i.e., with the independent sources  $V_S$  and  $I_S$  not turned off), with A connected to A''' and B connected to B'''.

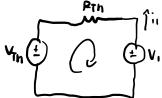
Represent the left circuit as its Thevenin equivalent circuit

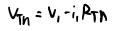




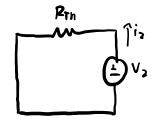


When A - A', B - B'





when  $A \rightarrow A''$ ,  $B \rightarrow B''$  and  $V_s = G$ ,  $I_s = G$ 



$$R_{1h} = \frac{V_2}{i_2} = \frac{10}{5} = 2D -$$

$$V_{1h} = 15 - 602$$

When  $A \rightarrow A^{\parallel}$ ,  $B \rightarrow B^{\parallel}$ 

