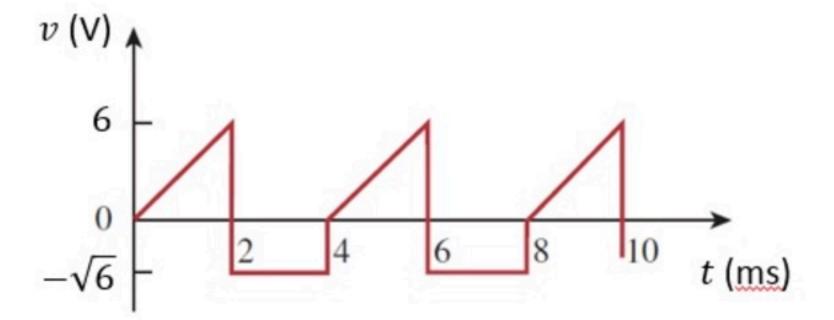
## PP AC power 004

Unlimited Attempts.

Find  $V_{rms}$  for this waveform.



Given Variables:

. : . .

Calculate the following:

Vrms (V):

3



OPTION IT E EXPRESSED IN SECONDS

$$f(t) = 3.10^{3} \cdot t , \quad 0 \le t < 2.10^{-3}$$

$$= -\sqrt{6} , \quad 2.10^{-3} \cdot t < 4.10^{-3}$$

$$= \frac{1}{4.10^{-3}} \left[ \int_{0}^{2.10^{-3}} (3.10^{3} t)^{2} dt + \int_{2.10^{-3}} (-\sqrt{6})^{2} dt \right]$$

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