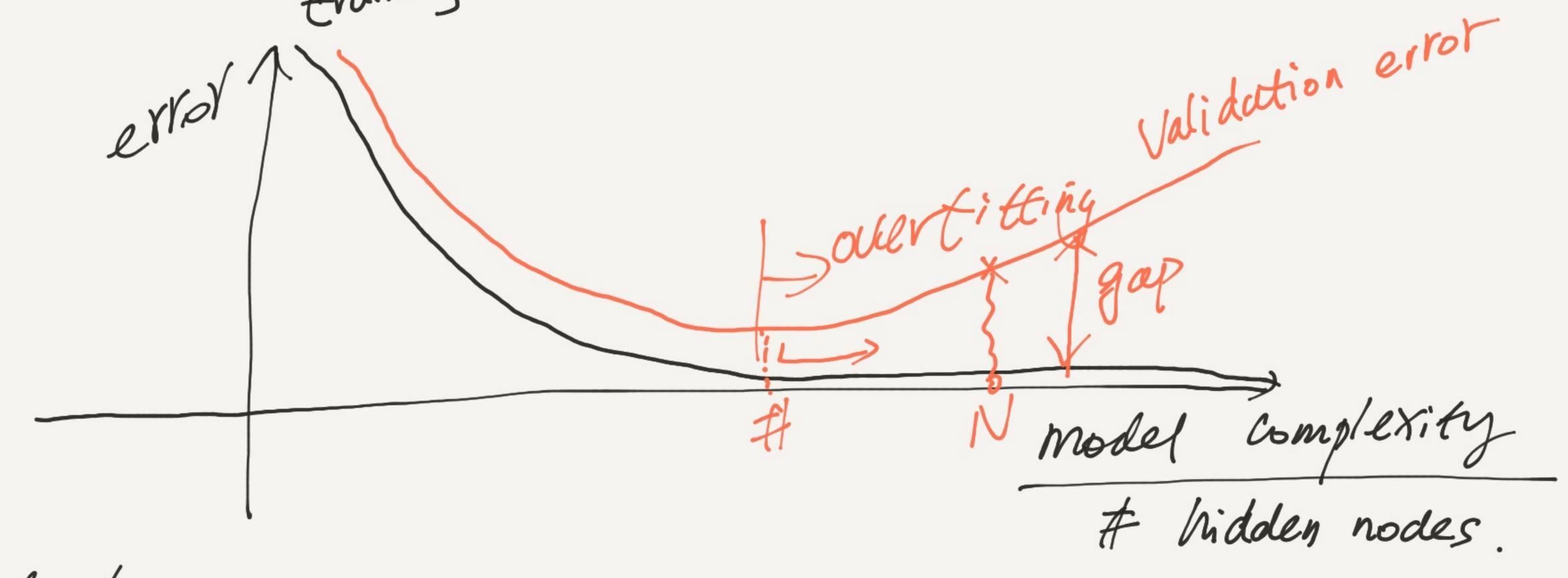
Lecture 16. Regularization

1. a set strategies used in DL to solve the overfitting issue.



2. three muin strategies

(1) Add Constraints on model parameters.

min 200)

Subject to. $f_i(\infty) \leq 0$ $i=1,2,\cdots,n$ that $h_i(\infty) = 0$ $i=1,2,\cdots,p$

Lagrangian method, to convert constrained problem to unconstrained

min $L_1() = L(\omega) + Elif(tx)$ penal elm/ f(x) = L(x) + Elif(tx)

DL with regularization: L(w) = Loui) + NLi(w) Regularization term

> \(\lambda : \text{hyper parameter} \) $||W||_2 = \int |w_1|^2 + w_2|^2 + \cdots + |w_n|^2$ la norm: $L_1 = ||w||_L^2 = \omega_1^2 + \omega_2^2 + \cdots + \omega_n^2$ l, norm; //W//, - /W/+ /Wz/+ ... + (Wn/ City distance. 1. absolute operation. los norm: ||w||o=max{|w|, |w|, -... |wn| }

lp norm: //w//p = ((w)) + (w) + ... + (wn) + P

(2) drop out strategy. (3) Add more data. Data Augmentation: > (DL Text book) (xi, yi) \{(xi, yi)\} $|8\rangle - |8\rangle |9\rangle$

3. Le norm regularization

min $L(\omega) = L_0(\omega) + \frac{1}{2} ||\omega||_2^2$ Defines preference for small

model paramers,

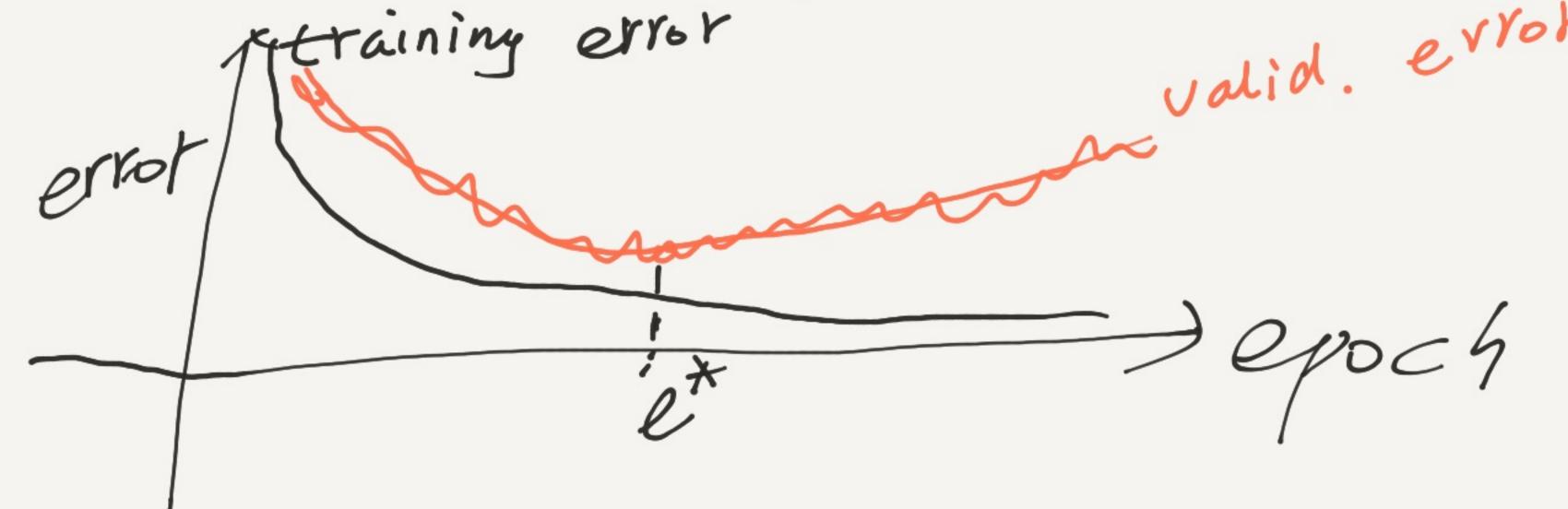
4. l_1 regularization $1(\omega) = 1_0(\omega) + \lambda \cdot ||w||_1$ $= 1_0(\omega) + \lambda \cdot (|w_1| + |w_2| + \cdots + |w_M|)$ $|eads to move zero ||w||_{w_1}$ $|w||_{w_1}$ $|w||_{w_1}$

$$g(\omega^{T}x + \omega_{0}) = g(\omega_{1}x_{1} + \omega_{2}x_{2} + \cdots + \omega_{m}x_{m} + \omega_{0})$$

 $Gradient \ vanishing: (0.9) = 0$
 $(1)^{100} = 1$
 $physics informed \ ML/OL$

Other Regularization strutegies

(DEarty stopping (training)



Dimultitosic learning (Read shared paper)

Two output branches,

2 = 1 taski + Nel Euski

Benefit 5: D. learn meaningful teatures for multiple tasks

2). Needs less training dates