

# User Guide

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## 1 Introduction

This project was to program a way to row reduce the matrix, find the inverse of a matrix, multiply matrices, and add matrices.

## 2 Accessing the Project

Navigate to RREF repository. Download the file *all\_together.py* and *execute.py*. Create an instance of the matrix class by assigning a matrix to *matrix*(your matrix goes here) inside the *execute.py* file. Now you can apply methods to this instance.

## 3 Class Methods

We created a matrix class in order to implement our goal.

Operation	Function Name
Row Reduced Echelon Form	.rref()
Inverse Matrix	.inverse()
Represent each entry as a fraction	.fraction()
Multiply Matrices	*
Add Matrices	+

Note that each method returns an instance of the matrix class, so to access the matrix itself you will have to add *.matrix* to the end of the instance. Also, the *.fraction* method returns a list of list of strings, so *.fraction()* should be the last method applied to whatever operation you are applying to the matrix.

## 4 .rref()

This row reduces the matrix to echelon form. This method is a bijection between  $\mathbb{R}^{m \times n}$  and  $\mathbb{R}^{m \times n}$

## 5 .inverse()

This method returns the matrix  $B$  such that  $rref(A) = BA$  where  $A$  is the input matrix. Thus when  $A$  is square and invertible, it will return the inverse of  $A$  where  $I = rref(A) = BA$ . This method is a bijection between  $\mathbb{R}^{m \times n}$  and  $\mathbb{R}^{m \times m}$

## 6 .fraction()

Returns the matrix as another matrix except each entry is a string in fraction form.

## 7 +

Matrix addition between two instances of matrix class.  $f : \mathbb{R}^{m \times n} \times \mathbb{R}^{m \times n} \rightarrow \mathbb{R}^{m \times n}$ .

## 8 \*

Matrix multiplication between two instances of matrix class.  $f : \mathbb{R}^{m \times n} \times \mathbb{R}^{n \times p} \rightarrow \mathbb{R}^{m \times p}$ .